

2's complement



Understanding **2's complement** representation is fundamental to learning about Computer Science. It allows us to write negative numbers in binary. The leftmost digit is used as a sign bit. If it is **1**, we have a negative number and it is represented as the two's complement of its absolute value. Let's say you wrote down the **2's** complement representation for each **32**-bit integer in the inclusive range from ***a*** to ***b***. How many **1**'s would you write down in all?

For example, using an **8**-bit byte rather than **32** bit integer, the two's complement of a number can be found by reversing all its bits and adding **1**. The two's complement representations for a few numbers are shown below:

[Number]		Representation in	
Number	Binary	Inverse	Two's Complement
-3	00000011	11111100	11111101
-2	00000010	11111101	11111110
-1	00000001	11111110	11111111
0	00000000		00000000
1	00000001		00000001
2	00000010		00000010
3	00000011		00000011

To write down that range of numbers' two's complements in **8** bits, we wrote **26 1**'s. Remember to use **32** bits rather than **8** in your solution. The logic is the same, so the **8** bit representation was chosen to reduce apparent complexity in the example.

Input Format

The first line contains an integer ***T***, the number of test cases.

Each of the next ***T*** lines contains two space-separated integers, ***a*** and ***b***.

Constraints

- $T \leq 1000$
- $-2^{31} \leq a \leq b \leq 2^{31} - 1$

Output Format

For each test case, print the number of **1**'s in the **32**-bit **2's** complement representation for integers in the inclusive range from ***a*** to ***b*** on a new line.

Sample Input 0

```
3
-2 0
-3 4
-1 4
```

Sample Output 0

```
63
99
37
```

Explanation 0

Test Case 0:

-2 contains **31** ones followed by a zero.

-1 contains **32** ones.

0 contains 0 ones.

$$31 + 32 + 0 = 63$$

Test Case 1:

$$31 + 31 + 32 + 0 + 1 + 1 + 2 + 1 = 99$$

Test Case 2:

$$32 + 0 + 1 + 1 + 2 + 1 = 37$$