

# CAP5415 Computer Vision

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**HEC-241** 



# Questions?



## Features

Lecture 9



#### Outline

- Features introduction basics
- Key-points
- Histogram of Oriented gradients (HOG)
- Scale-Invariant Feature Transform (SIFT)



## Features

Lecture 9

**Basics** 

#### What is a Feature?

- Information extracted from an image/video.
  - Hand-crafted
  - Learned
- We can define a function
  - Takes an image/video as an input
  - Produces one or more numbers as output
- Hand-crafted features
  - Feature engineering
- Learned features
  - Automatically learned

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## Types of Features

- Global features
  - Extracted from the entire image
  - Examples: template (the image itself), HOG, etc.
- Region-based features
  - Extracted from a smaller window of the image.
  - Applying global method to a specific image region.
- Local features
  - Describe a pixel, and the vicinity around a specific pixel.
  - Local feature always refer to a specific pixel location.







#### Uses of Features

- Features can be used for many computer vision problems.
  - Detection.
  - Recognition.
  - Tracking.
  - Stereo estimation.
- Different types of features for different problems,
  - Different assumptions about the images.
  - That is why there are many different types of features.



## Uses of Features: Matching







## Uses of Features: Matching





Credit: Fei Fei Li



#### Uses of Features: structure from motion





#### Uses of Features: structure from motion





## Uses of Features: panorama stitching

- Given two images
- How do we overlay them?

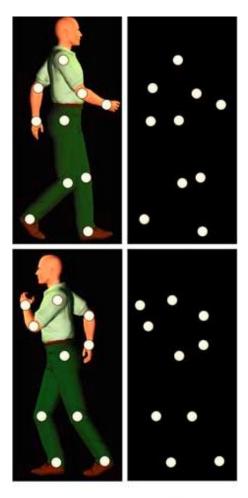






#### Finding Features in Videos

- Complex actions can be recognized on the basis of 'point-light displays',
  - Facial expressions,
  - Sign Language,
  - Arm movements,
  - Various full-body actions.

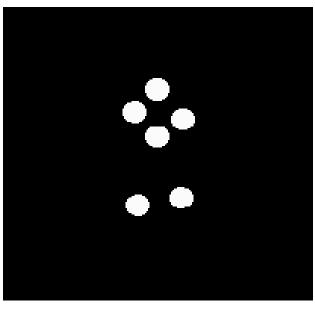


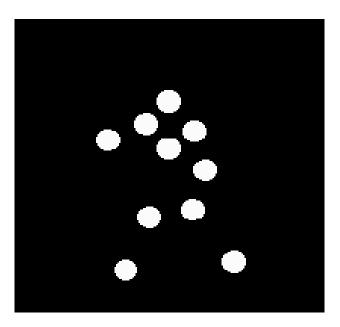
Nature Reviews | Neuroscience



## Finding Features in Videos









#### Characteristics of good features

#### Distinctiveness

Each feature can be uniquely identified

#### Repeatability

The same feature can be found in several images:

- geometrically (translation, rotation, scale, perspective)
- photometrically (reflectance, illumination)

#### Compactness and efficiency

- Many fewer features than image pixels
- run independently per image







#### Compactness and Efficiency

- We want the representation to be as small and as fast as possible
  - Much smaller than a whole image
- We'd like to be able to run the detection procedure independently per image
  - Match just the compact descriptors for speed.
  - *Difficult!* We don't get to see 'the other image' at match time, e.g., object detection.

Kristen Grauman



# Questions?



## Features

Lecture 9

**Key-points** 



## Choosing interest points

Where would you tell your friend to meet you?

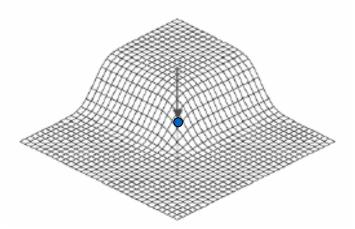


Slide Credit: James Hays



#### What is an interest point?

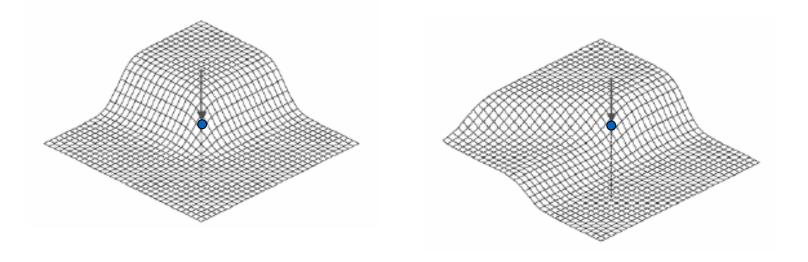
- Expressive texture
  - The point at which the direction of the boundary of object changes abruptly
  - Intersection point between two or more edge segments





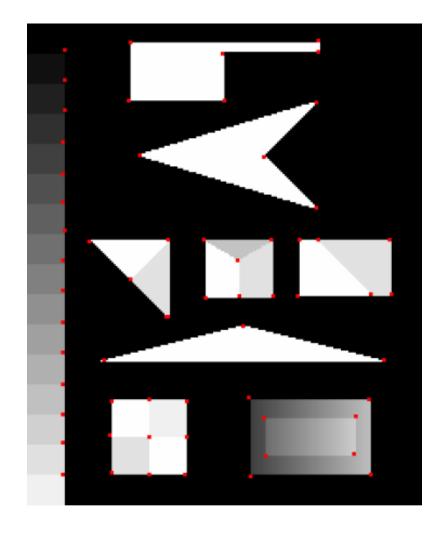
#### What is an interest point?

- Expressive texture
  - The point at which the direction of the boundary of object changes abruptly
  - Intersection point between two or more edge segments





## What is an interest point?







#### Properties of Interest Points

- Detect all (or most) true interest points
- No false interest points
- Well localized
- Robust with respect to noise
- Efficient detection



#### Possible approaches: corner detection

- Based on brightness of images
  - Usually image derivatives
- Based on boundary extraction
  - First step edge detection
  - Curvature analysis of edges



## Goals for KeyPoints

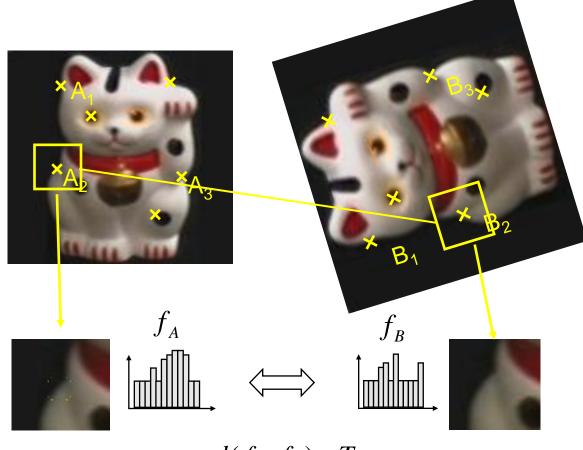




Detect points that are repeatable and distinctive



Application: KeyPoint Matching



 $d(f_A, f_B) < T$ 

- 1. Find a set of distinctive key-points
- 2. Define a region around each key-point
- 3. Extract and normalize the region content
- 4. Compute a local descriptor from the normalized region
- 5. Match local descriptors

K. Grauman, B. Leibe



#### A COMBINED CORNER AND EDGE DETECTOR

Chris Harris & Mike Stephens

Plessey Research Roke Manor, United Kingdom © The Plessey Company plc. 1988

Consistency of image edge filtering is of prime importance for 3D interpretation of image sequences using feature tracking algorithms. To cater for image regions containing texture and isolated features, a combined corner and edge detector based on the local auto-correlation function is utilised, and it is shown to perform with good consistency on natural imagery.

#### INTRODUCTION

The problem we are addressing in Alvey Project MMI149 is that of using computer vision to understand the unconstrained 3D world, in which the viewed scenes will in general contain too wide a diversity of objects for topdown recognition techniques to work. For example, we desire to obtain an understanding of natural scenes, containing roads, buildings, trees, bushes, etc., as typified by the two frames from a sequence illustrated in Figure 1. The solution to this problem that we are pursuing is to use a computer vision system based upon motion analysis of a monocular image sequence from a mobile camera. By extraction and tracking of image features, representations of the 3D analogues of these features can be constructed.

To enable explicit tracking of image features to be performed, the image features must be discrete, and not form a continuum like texture, or edge pixels (edgels). For this reason, our earlier work1 has concentrated on the extraction and tracking of feature-points or corners, since

Figure 1. Pair of images from an outdoor sequence.

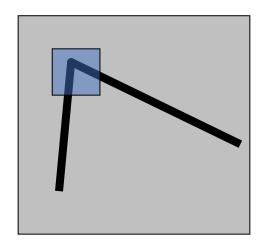
they are discrete, reliable and meaningful2. However, the lack of connectivity of feature-points is a major limitation in our obtaining higher level descriptions, such as surfaces and objects. We need the richer information that is available from edges3.

#### THE EDGE TRACKING PROBLEM

Matching between edge images on a pixel-by-pixel basis works for stereo, because of the known epi-polar camera geometry. However for the motion problem, where the camera motion is unknown, the aperture problem prevents us from undertaking explicit edgel matching. This could be overcome by solving for the motion beforehand, but we are still faced with the task of tracking each individual edge pixel and estimating its 3D location from, for example, Kalman Filtering. This approach is unattractive in comparison with assembling the edgels into edge segments, and tracking these segments as the features.

Now, the unconstrained imagery we shall be considering will contain both curved edges and texture of various scales. Representing edges as a set of straight line fragments4, and using these as our discrete features will be inappropriate, since curved lines and texture edges can be expected to fragment differently on each image of the sequence, and so be untrackable. Because of illconditioning, the use of parametrised curves (eg. circular arcs) cannot be expected to provide the solution, especially

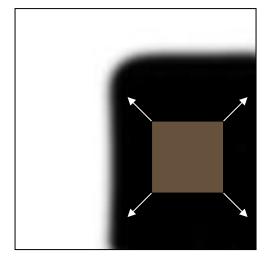
- Corner point can be recognized in a window
- Shifting a window in any direction should give a large change in intensity
- LOCALIZING and **UNDERSTANDING** shapes...



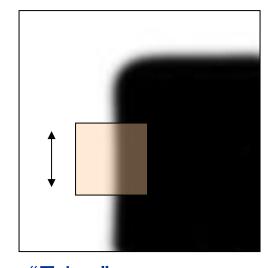


#### Basic Idea in Corner Detection

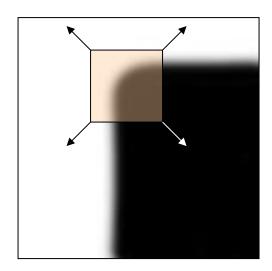
- Recognize corners by looking at small window.
- Shift in any direction to give a large change in intensity.



"Flat" region: no change in all directions



"Edge": no change along the edge direction



"Corner": significant change in all directions



$$\begin{bmatrix} -4 & 5 & 5 \\ -4 & 5 & 5 \\ -4 & -4 & -4 \end{bmatrix}$$

$$\begin{bmatrix} -4 & 5 & 5 \\ -4 & 5 & 5 \\ -4 & -4 & -4 \end{bmatrix} \qquad \begin{bmatrix} 5 & 5 & 5 \\ -4 & 5 & -4 \\ -4 & -4 & -4 \end{bmatrix}$$

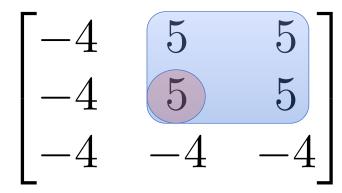


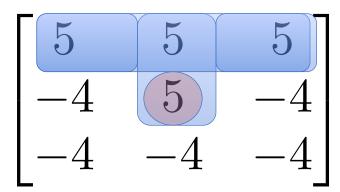
$$egin{bmatrix} -4 & 5 & 5 \ -4 & 5 & 5 \ -4 & -4 & -4 \ \end{bmatrix}$$

$$egin{bmatrix} 5 & 5 & 5 \ -4 & 5 & -4 \ -4 & -4 & -4 \ \end{pmatrix}$$

Complete set of eight templates can be generated by successive 90 degree of rotations.







Complete set of eight templates can be generated by successive 90 degree of rotations.

Why the summation of filter is 0?



$$egin{bmatrix} -4 & 5 & 5 \ -4 & 5 & 5 \ -4 & -4 & -4 \ \end{bmatrix}$$

$$egin{bmatrix} 5 & 5 & 5 \ -4 & 5 & -4 \ -4 & -4 & -4 \ \end{bmatrix}$$

Complete set of eight templates can be generated by successive 90 degree of rotations.

Why the summation of filter is 0? ———— Insensitive to absolute change In intensity!



#### Correlation - revisit

 $\otimes$ 

$$f \otimes h = \sum_{k} \sum_{l} f(k, l) h(k, l)$$

$$f = Image$$

h = Kernel

 $\int$ 

$f_1$	$f_2$	$f_3$
$f_4$	$f_5$	$f_6$
$f_7$	$f_8$	$f_9$

h

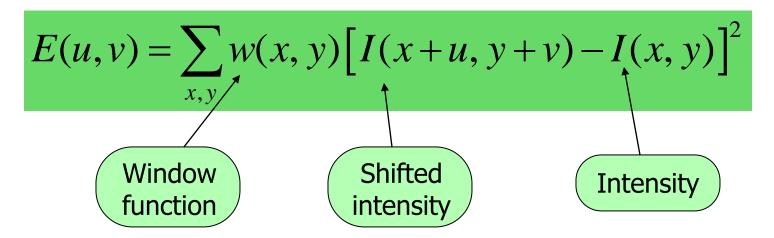
$h_1$	$h_2$	$h_3$	
$h_4$	$h_5$	$h_6$	
h <sub>7</sub>	h <sub>8</sub>	h <sub>9</sub>	

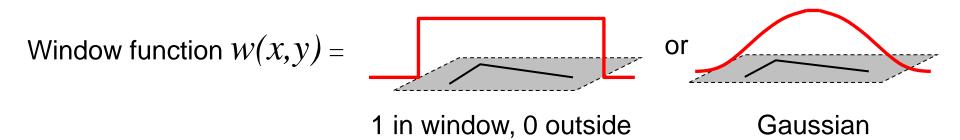
 $f \otimes h = f_1 h_1 + f_2 h_2 + f_3 h_3$   $+ f_4 h_4 + f_5 h_5 + f_6 h_6$   $+ f_7 h_7 + f_8 h_8 + f_9 h_9$ 



### Corner Detection by Auto-correlation

Change in appearance of window w(x,y) for shift [u,v]:



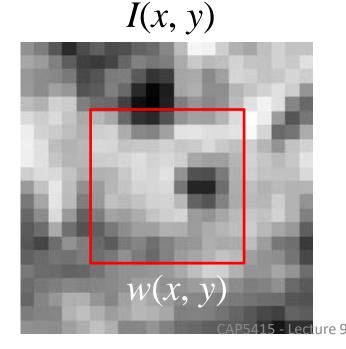


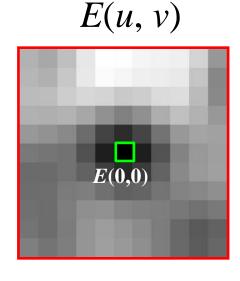
10/3/2024 CAP5415 - Lecture 9 Source: R. Szelis



## Corner Detection by Auto-correlation Change in appearance of window w(x,y) for shift [u,v]:

$$E(u,v) = \sum_{x,y} w(x,y) [I(x+u,y+v) - I(x,y)]^{2}$$

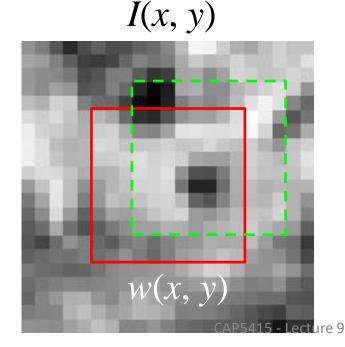


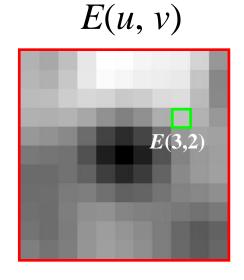




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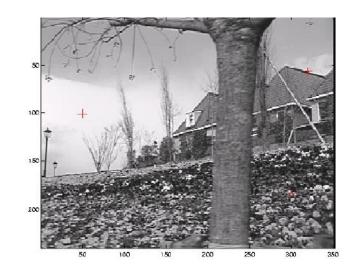


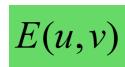


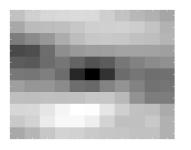


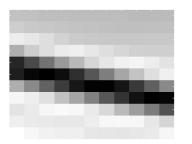
#### Corner detection

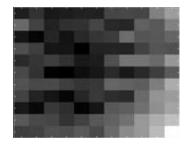
Three different cases

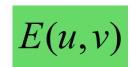




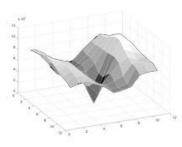


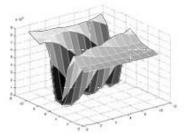


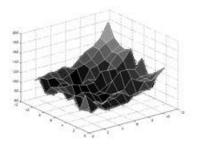




As a surface









# Corner Detection by Auto-correlation Change in appearance of window w(x,y) for shift [u,v]:

$$E(u,v) = \sum_{x,y} w(x,y) [I(x+u,y+v) - I(x,y)]^{2}$$

We want to discover how E behaves for small shifts

But this is very slow to compute naively.

O(window\_width<sup>2</sup> \* shift\_range<sup>2</sup> \* image\_width<sup>2</sup>)

 $O(11^2 * 11^2 * 600^2) = 5.2$  billion of these 14.6k ops per image pixel

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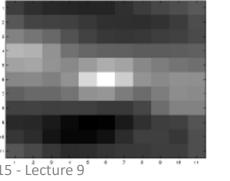


# Corner Detection by Auto-correlation Change in appearance of window w(x,y) for shift [u,v]:

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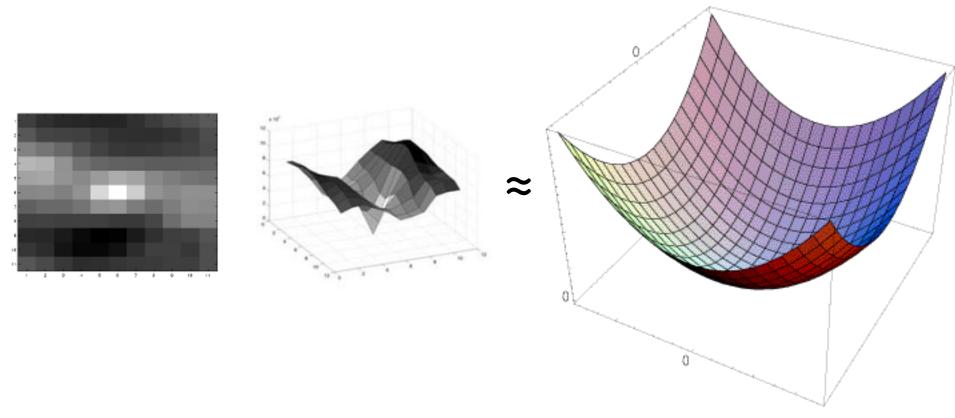
But we know the response in *E* that we are looking for – strong peak.





## Corner Detection: strategy

Approximate E(u,v) locally by a quadratic surface





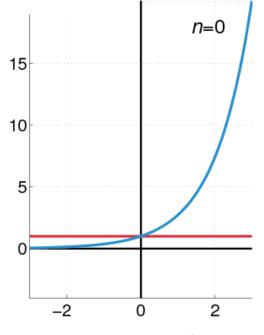
## Recall: Taylor series expansion

- A function f can be represented by
  - an infinite series of its derivatives at a single point a:

$$f(a) + rac{f'(a)}{1!}(x-a) + rac{f''(a)}{2!}(x-a)^2 + rac{f'''(a)}{3!}(x-a)^3 + \cdots.$$
 Wikipedia

As we care about window centered, we set a = 0 (MacLaurin series)

Approximation of  $f(x) = e^x$  centered at f(0)



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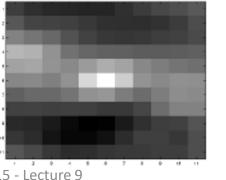


# Corner Detection by Auto-correlation Change in appearance of window w(x,y) for shift [u,v]:

$$E(u,v) = \sum_{x,y} w(x,y) [I(x+u,y+v) - I(x,y)]^{2}$$

We want to discover how E behaves for small shifts

But we know the response in *E* that we are looking for – strong peak.



10/3/2024



#### Corner Detection: Mathematics

The quadratic approximation simplifies to

$$E(u,v) \approx [u \ v] \ M \begin{bmatrix} u \\ v \end{bmatrix}$$

where *M* is a second moment matrix computed from image derivatives:

$$M = \sum_{x,y} w(x,y) \begin{bmatrix} I_x^2 & I_x I_y \\ I_x I_y & I_y^2 \end{bmatrix}$$

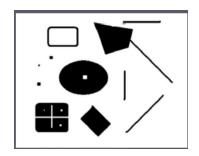
$$M = \begin{bmatrix} \sum_{I_x I_x} I_x & \sum_{I_x I_y} I_x I_y \\ \sum_{I_x I_y} I_y & \sum_{I_y I_y} \end{bmatrix} = \sum_{I_y I_y} \begin{bmatrix} I_x \\ I_y \end{bmatrix} [I_x I_y] = \sum_{I_y I_y} \nabla I(\nabla I)^T$$



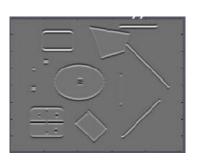
#### Corners as distinctive interest points

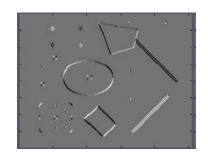
$$M = \sum w(x, y) \begin{bmatrix} I_x I_x & I_x I_y \\ I_x I_y & I_y I_y \end{bmatrix}$$

2 x 2 matrix of image derivatives (averaged in neighborhood of a point)









Notation:

$$I_x \Leftrightarrow \frac{\partial I}{\partial x}$$

$$I_{y} \Leftrightarrow \frac{\partial I}{\partial y}$$

$$I_x I_y \Leftrightarrow \frac{\partial I}{\partial x} \frac{\partial I}{\partial y}$$



#### Harris corner detection

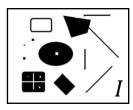
1) Compute *M* matrix for each window to recover a cornerness score *C*.

Note: We can find *M* purely from the per-pixel image derivatives!

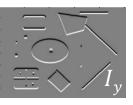
- 2) Threshold to find pixels which give large corner response *C* > threshold.
- 3) Find the local maxima pixels, i.e., non-maximal suppression.

C.Harris and M.Stephens. <u>"A Combined Corner and Edge Detector."</u> Proceedings of the 4th Alvey Vision Conference: pages 147—151, 1988.



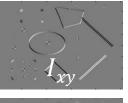




















- Input imageWe want to compute M at each pixel.
- 1. Compute image derivatives (optionally, blur first).
- 2. Compute M components as squares of derivatives.
- 3. Gaussian filter g() with width s

$$=g(I_x^2), g(I_y^2), g(I_x \circ I_y)$$

4. Compute cornerness

$$C = \det(M) - \alpha \operatorname{trace}(M)^{2}$$

$$= g(I_{x}^{2}) \circ g(I_{y}^{2}) - g(I_{x} \circ I_{y})^{2} - \alpha [g(I_{x}^{2}) + g(I_{y}^{2})]^{2}$$

- 5. Threshold on *C* to pick high cornerness
- 6. Non-maximal suppression to pick peaks.

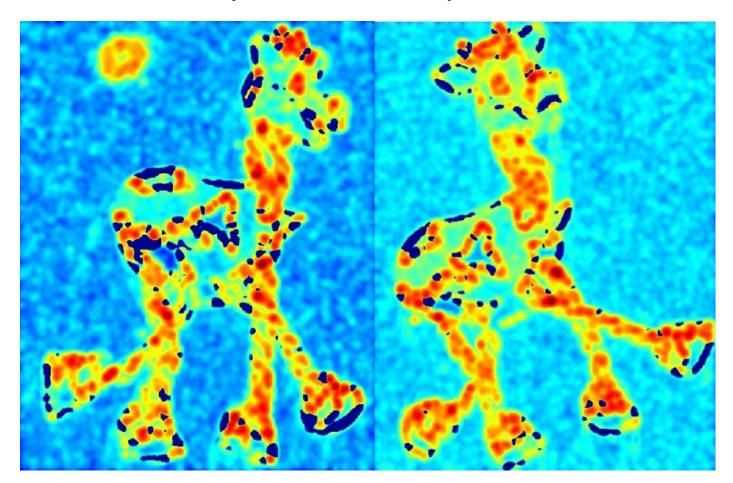
James Hays







#### Compute corner response *C*



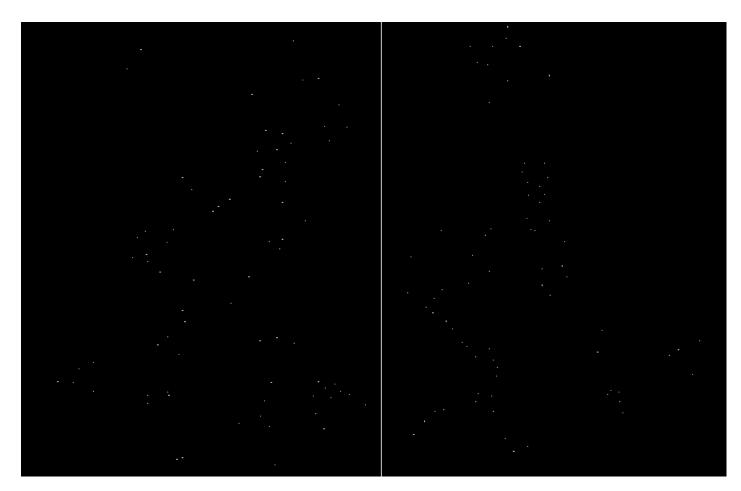


Find points with large corner response: C >threshold





#### Take only the points of local maxima of C









## Questions?



## CAP5415 Computer Vision

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## Questions?



## Features

Lecture 9

Histogram of Gradients (HoG)



## Edges





#### **HOG:** Human Detection

Navneet Dalal and Bill Triggs "Histograms of Oriented Gradients for Human Detection" CVPR05

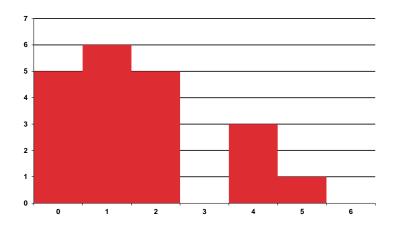




## Histogram - revisit

0	1	1	2	4
2	1	0	0	2
5	2	0	0	4
1	1	2	4	1

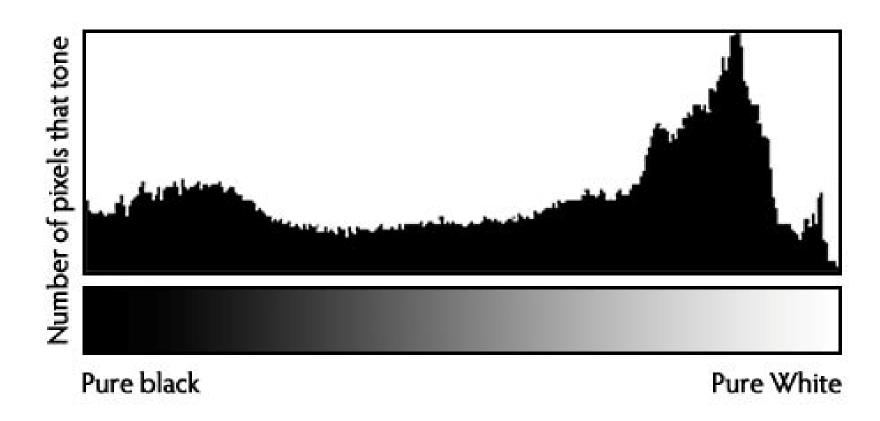
image



histogram

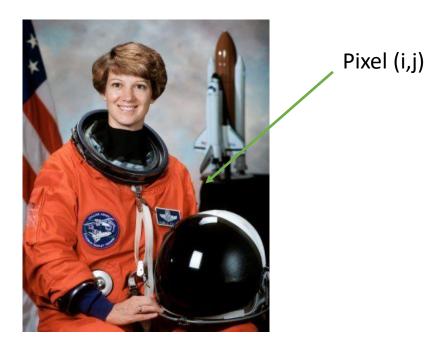


## Image Histogram - revisit



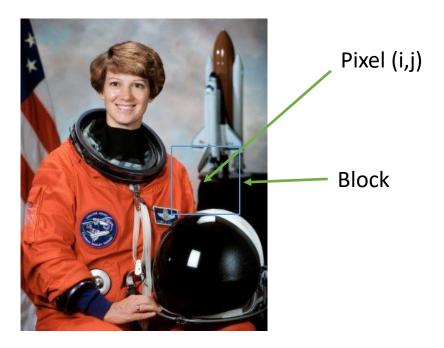


- Given an image I, and a pixel location (i,j).
- We want to compute the HOG feature for that pixel.
- The main operations can be described as a sequence of five steps.



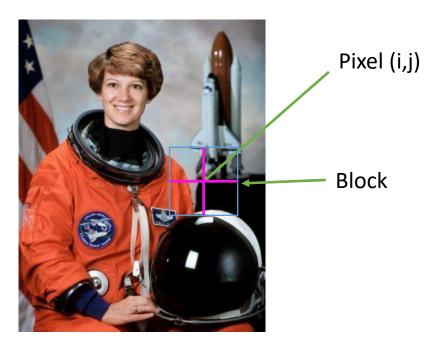


• Step 1: Extract a square window (called "block") of some size.



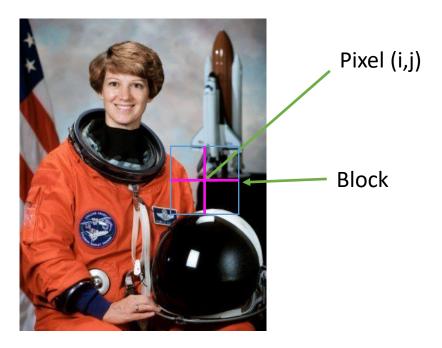


• Step 2: Divide block into a square grid of sub-blocks (called "cells") (2x2 grid in our example, resulting in four cells).



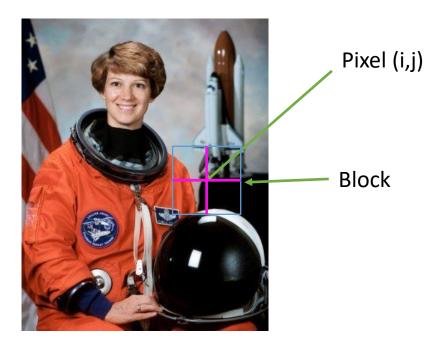


• Step 3: Compute orientation histogram of each cell.





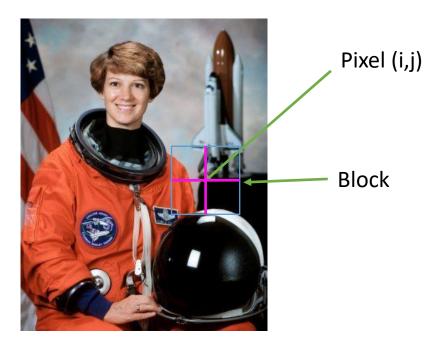
• Step 4: Concatenate the four histograms.





Let vector **v** be concatenation of the four histograms from step 4.

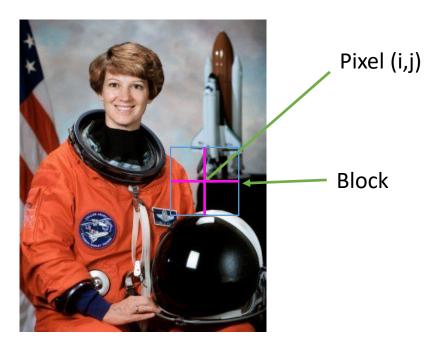
- Step 5: normalize v. Here we have three options for how to do it:
  - Option 1: Divide **v** by its Euclidean norm.





Let vector **v** be concatenation of the four histograms from step 4.

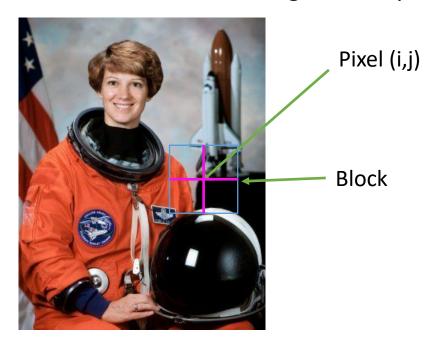
- Step 5: normalize v. Here we have three options for how to do it:
  - Option 2: Divide  $\mathbf{v}$  by its  $L_1$  norm (the  $L_1$  norm is the sum of all absolute values of  $\mathbf{v}$ ).



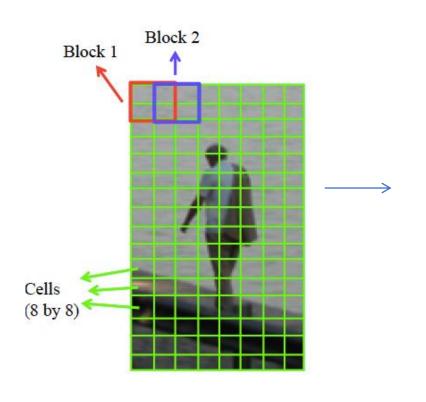


Let vector **v** be concatenation of the four histograms from step 4.

- Option 3:
  - Divide **v** by its Euclidean norm.
  - In the resulting vector, clip any value over 0.2
  - Then, renormalize the resulting vector by dividing again by its Euclidean norm.



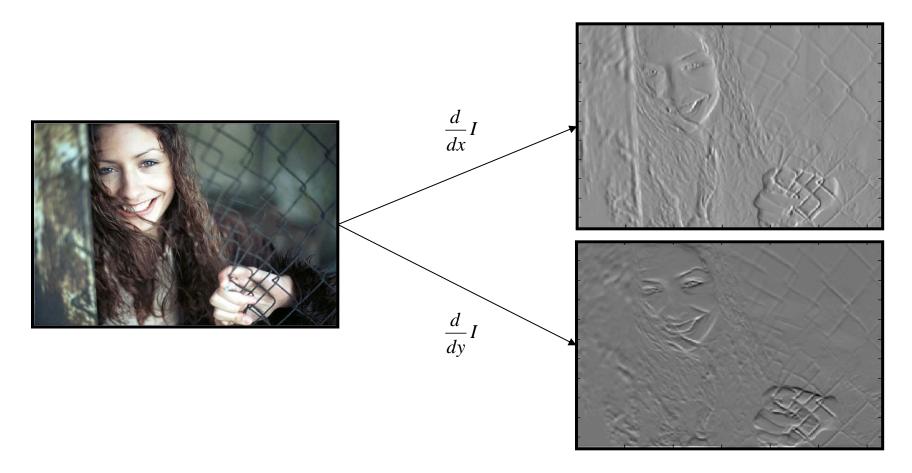




 Each block consists of 2x2 cells with size 8x8



## Image gradients





#### Image gradients

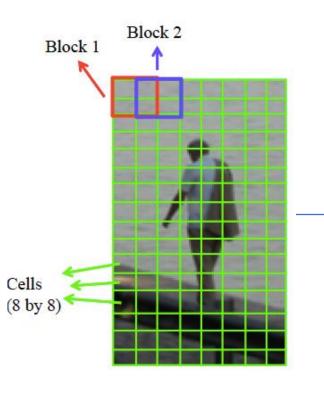
Gradient magnitude

$$\left|\nabla f(x,y)\right| = \sqrt{f_x^2 + f_y^2}$$

Gradient direction

$$\theta = \tan^{-1} \frac{f_x}{f_y}$$

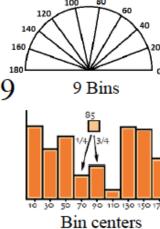




 Each block consists of 2x2 cells with size 8x8

Quantize the gradient orientation into 9 bins (0-180)

• The vote is the gradient magnitude



# Summary of HOG Computation

- Step 1: Extract a square window (called "block") of some size around the pixel location of interest.
- Step 2: Divide block into a square grid of sub-blocks (called "cells") (2x2 grid in our example, resulting in four cells).
- Step 3: Compute orientation histogram of each cell.
- Step 4: Concatenate the four histograms.
- Step 5: normalize v using one of the three options described previously.

# Histograms of Oriented Gradients

- Parameters and design options:
  - Angles range from 0 to 180 or from 0 to 360 degrees?
    - In the Dalal & Triggs paper, a range of 0 to 180 degrees is used,
    - and HOGs are used for detection of pedestrians.
  - Number of orientation bins.
    - Usually 9 bins, each bin covering 20 degrees.
  - Cell size.
    - Cells of size 8x8 pixels are often used.
  - Block size.
    - Blocks of size 2x2 cells (16x16 pixels) are often used.
- Usually a HOG feature has 36 dimensions.
  - 4 cells \* 9 orientation bins.



# HOG

Input image



**Histogram of Oriented Gradients** 



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# Questions?



# Features

Lecture 9

**SIFT** 

# Scale Invariant Feature Transform (SIFT)

Lowe., D. 2004, IJCV



cited > 68K

#### Distinctive Image Features from Scale-Invariant Keypoints

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Abstract. This paper presents a method for extracting distinctive invariant features from images that can be used to perform reliable matching between different views of an object or scene. The features are invariant to image scale and rotation, and are shown to provide robust matching across a substantial range of affine distortion, change in 3D viewpoint, addition of noise, and change in illumination. The features are highly distinctive, in the sense that a single feature can be correctly matched with high probability against a large database of features from many images. This paper also describes an approach to using these features for object recognition. The recognition proceeds by matching individual features to a database of features from known objects using a fast nearest-neighbor algorithm, followed by a Hough transform to identify clusters belonging to a single object, and finally performing verification through least-squares solution for consistent pose parameters. This approach to recognition can robustly identify objects among clutter and occlusion while achieving near real-time performance.

Keywords: invariant features, object recognition, scale invariance, image matching

#### 1. Introduction

Image matching is a fundamental aspect of many problems in computer vision, including object or scene recognition, solving for 3D structure from multiple images, stereo correspondence, and motion tracking. This paper describes image features that have many properties that make them suitable for matching differing images of an object or scene. The features are invariant to image scaling and rotation, and partially invariant to change in illumination and 3D camera viewpoint. They are well localized in both the spatial and frequency domains, reducing the probability of disruption by occlusion, clutter, or noise. Large numbers of features can be extracted from typical images with efficient algorithms. In addition, the features are highly distinctive, which allows a single feature to be correctly matched with high probability against a large database of features, providing a basis for object and scene recognition.

The cost of extracting these features is minimized by taking a cascade filtering approach, in which the more

expensive operations are applied only at locations that pass an initial test. Following are the major stages of computation used to generate the set of image features:

- Scale-space extrema detection: The first stage of computation searches over all scales and image locations. It is implemented efficiently by using a difference-of-Gaussian function to identify potential interest points that are invariant to scale and orientation.
- Keypoint localization: At each candidate location, a detailed model is fit to determine location and scale.
   Keypoints are selected based on measures of their stability.
- 3. Orientation assignment: One or more orientations are assigned to each keypoint location based on local image gradient directions. All future operations are performed on image data that has been transformed relative to the assigned orientation, scale, and location for each feature, thereby providing invariance to these transformations.

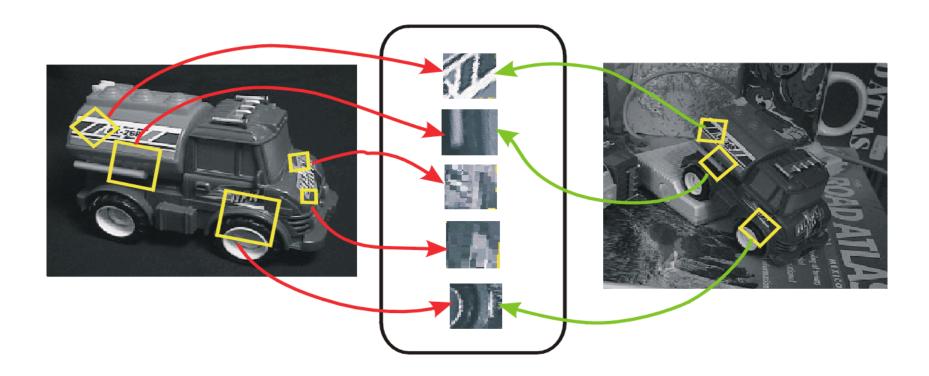
# Scale Invariant Feature Transform (SIFT)

- Image content is transformed into local feature coordinates
- Invariant to
  - translation
  - rotation
  - scale, and
  - other imaging parameters



# Scale Invariant Feature Transform (SIFT)

Image content is transformed into local feature coordinates





# Overall Procedure at a High Level

Scale-Space Extrema Detection

Search over multiple scales and image locations

KeyPoint Localization

Fit a model to determine location and scale. Select KeyPoints based on a measure of stability.

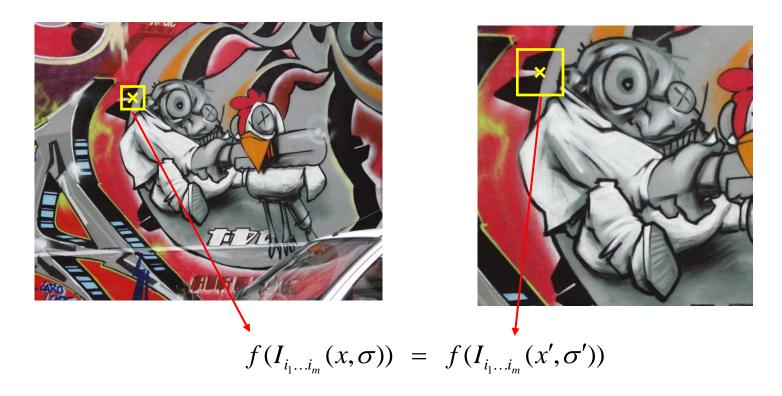
Orientation Assignment

Compute best orientation(s) for each keyPoint region.

KeyPoint Description

Use local image gradients at selected scale and rotation to describe each keyPoint region.





How to find patch sizes at which f response is equal? What is a good f?



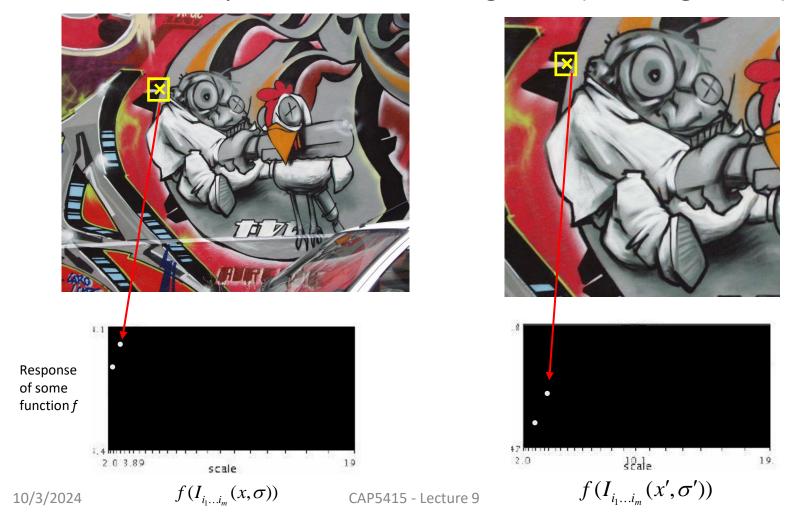
• Function responses for increasing scale (scale signature)



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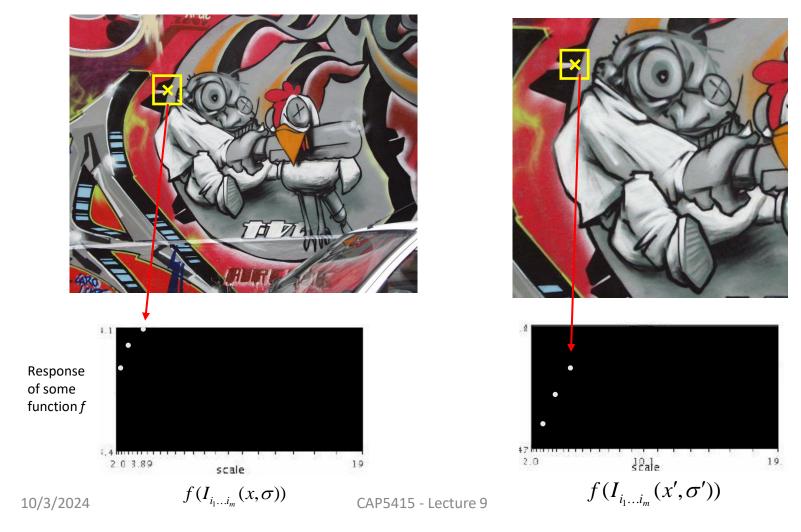
Function responses for increasing scale (scale signature)



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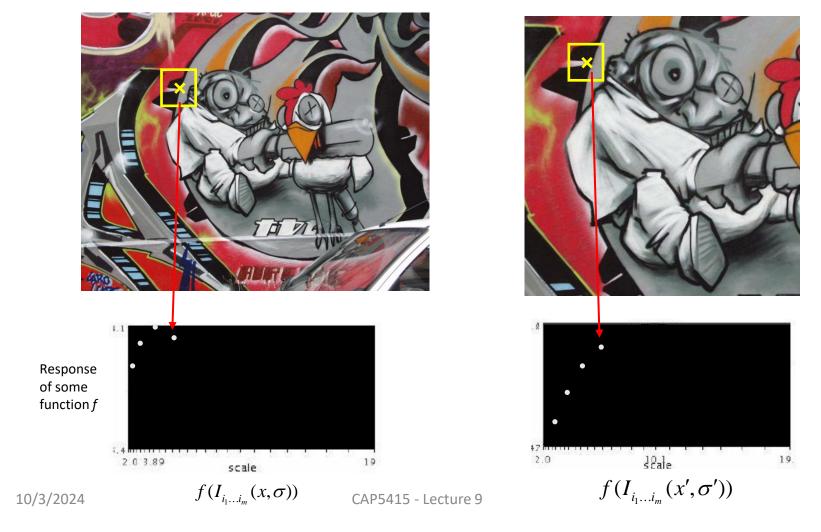


• Function responses for increasing scale (scale signature)





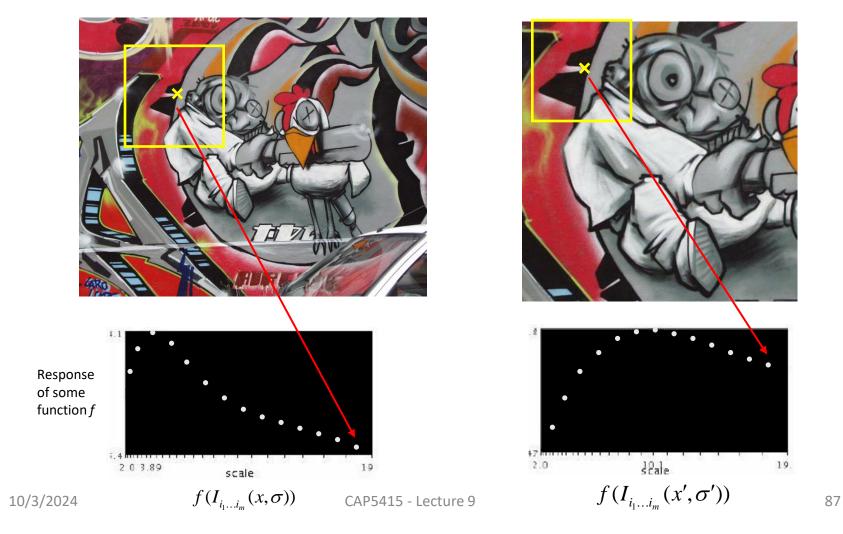
• Function responses for increasing scale (scale signature)



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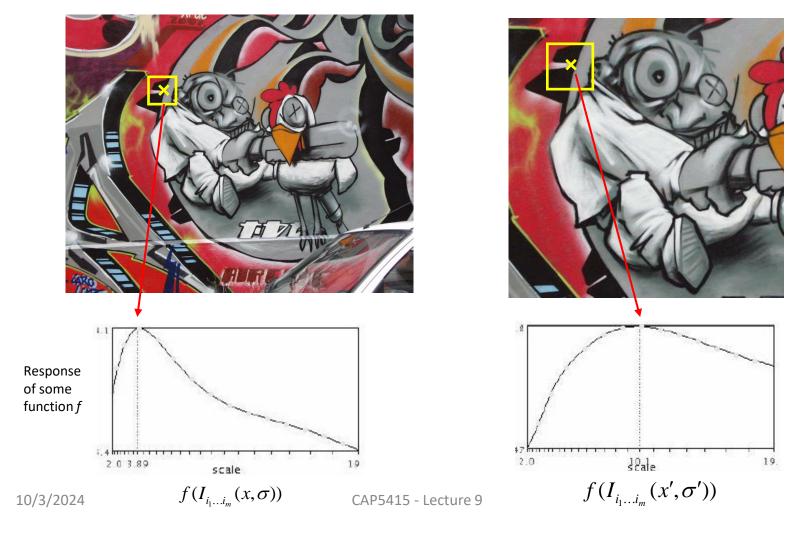


• Function responses for increasing scale (scale signature)





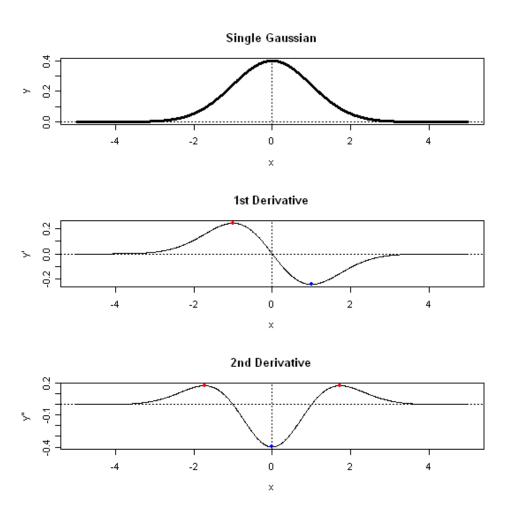
• Function responses for increasing scale (scale signature)



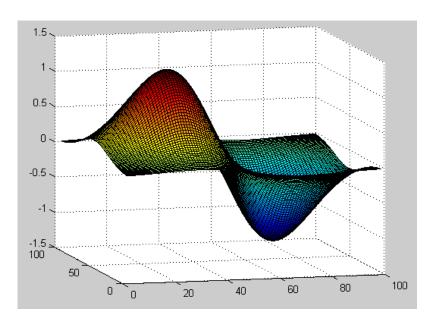
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### What Is A Useful Signature Function *f*?



#### 1st Derivative of Gaussian



(Laplacian of Gaussian)

10/3/2024 CAP5415 - Lecture 9 89 Earl F. Glynn



# CAP5415 Computer Vision

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**HEC-241** 



# Questions?



# Features

Lecture 9

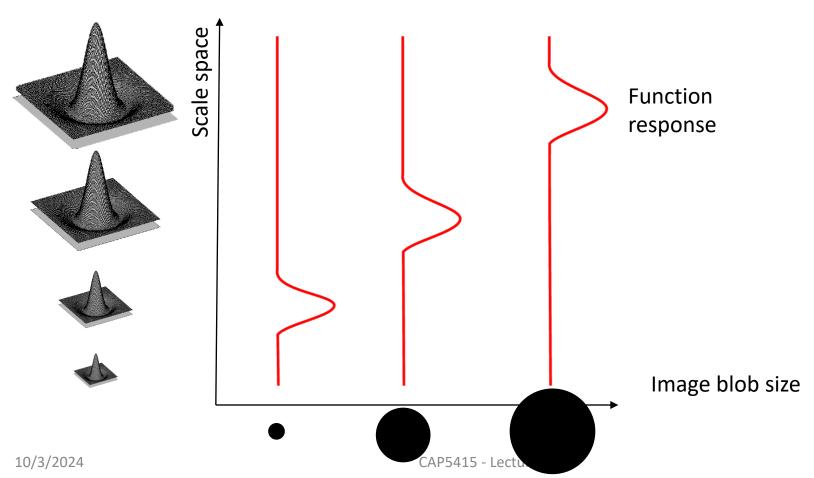
SIFT Continued...



# What Is A Useful Signature Function *f*?

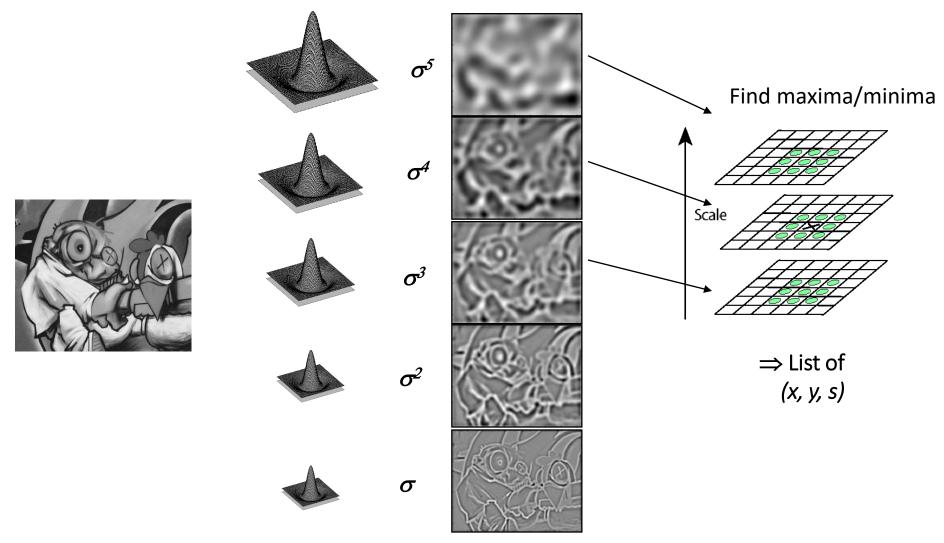
"Blob" detector is common for corners

Laplacian (2<sup>nd</sup> derivative) of Gaussian (LoG)





# Find local maxima in position-scale space

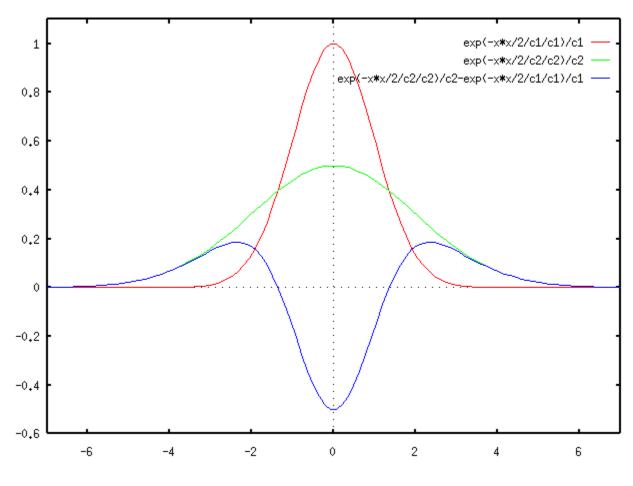


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C

# Alternative kernel Approximate LoG with Difference-of-Gaussian (DoG).





#### Alternative kernel

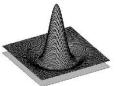
Approximate LoG with Difference-of-Gaussian (DoG).

- 1. Blur image with  $\sigma$  Gaussian kernel
- 2. Blur image with  $k\sigma$  Gaussian kernel
- 3. Subtract 2. from 1.



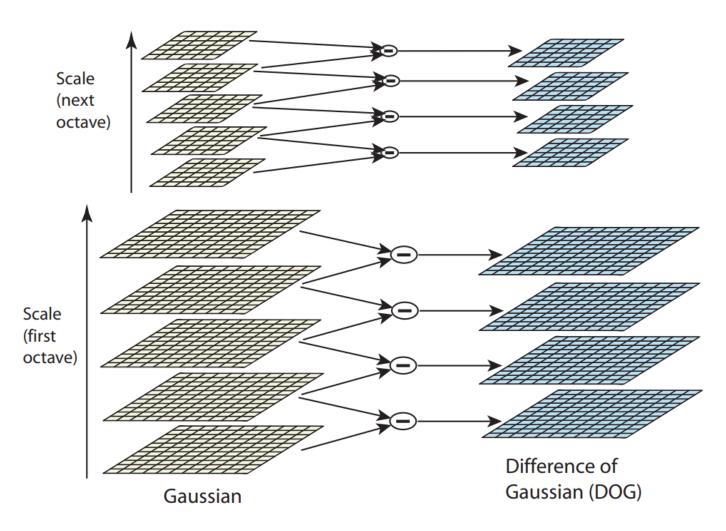






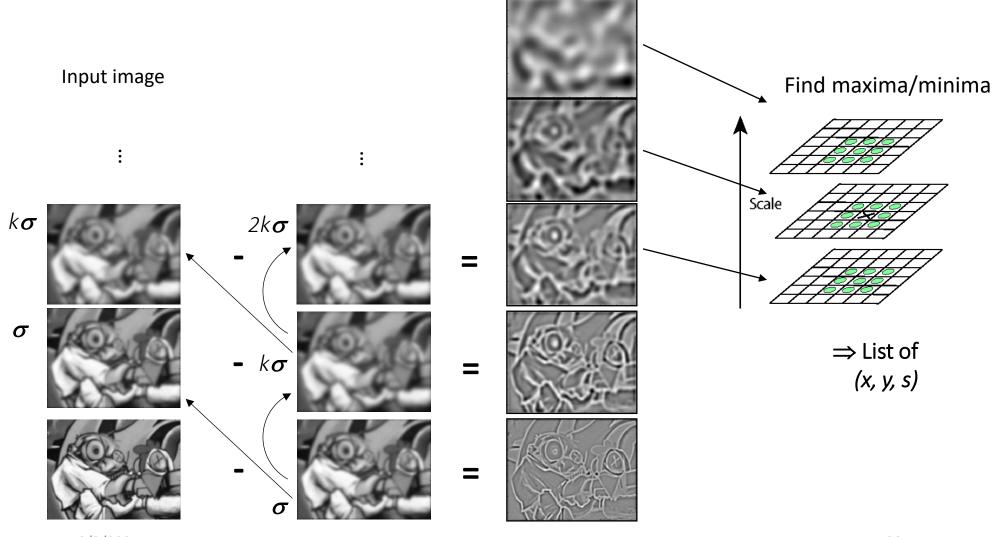


# Scale-space





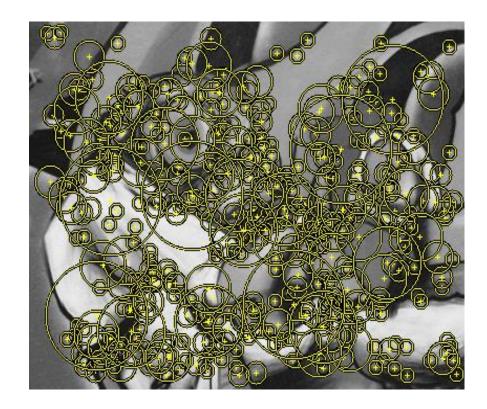
### Find local maxima in position-scale space of DoG





### Results: Difference-of-Gaussian

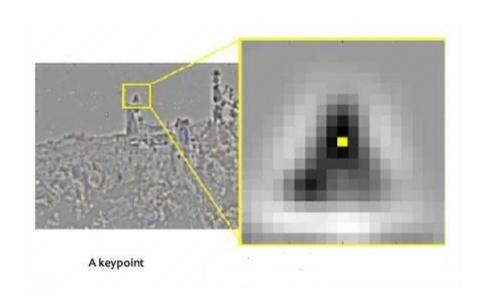
- Larger circles = larger scale
- Descriptors with maximal scale response

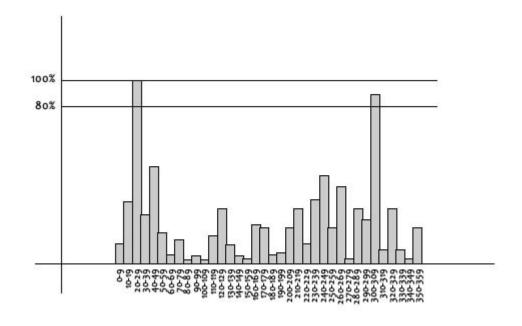




### SIFT Orientation estimation

- Compute gradient orientation histogram
- Select dominant orientation  $\Theta$



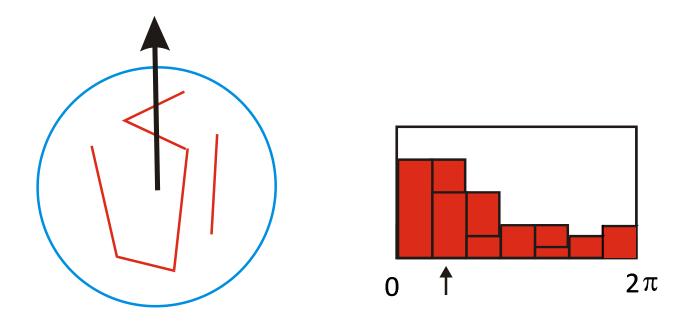


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### SIFT Orientation Normalization

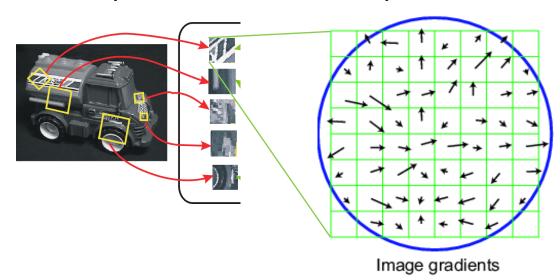
- Compute gradient orientation histogram
- Select dominant orientation Θ
- Normalize: rotate to fixed orientation





# SIFT descriptor formation

- Compute on local 16 x 16 window around detection.
- Rotate and scale window according to discovered orientation  $\Theta$  and scale  $\sigma$  (gain invariance).
- Compute gradients weighted by a Gaussian of variance half the window (for smooth falloff).

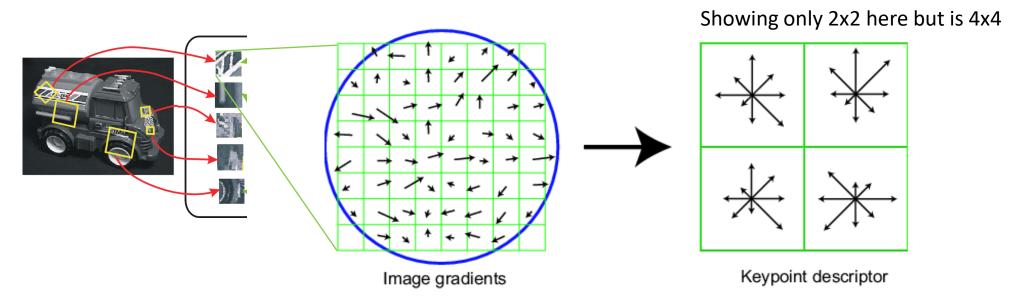


Actually 16x16, only showing 8x8



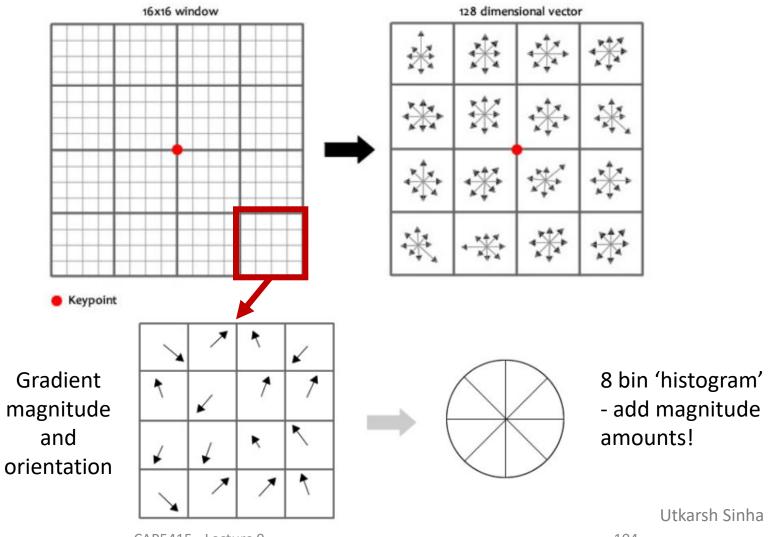
# SIFT descriptor formation

- 4x4 array of gradient orientation histograms weighted by gradient magnitude.
- Bin into 8 orientations x 4x4 array = 128 dimensions.





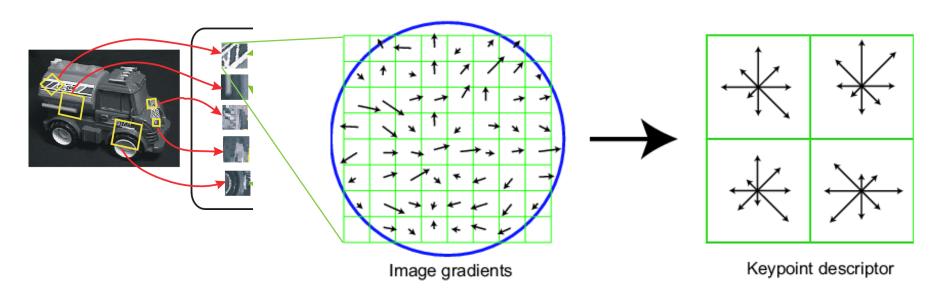
### SIFT Descriptor Extraction





### Reduce effect of illumination

- 128-dim vector normalized to 1
- Threshold gradient magnitudes to avoid excessive influence of high gradients
  - After normalization, clamp gradients > 0.2
  - Renormalize



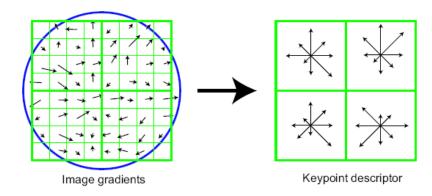


# Review: Local Descriptors

- Most features can be thought of as
  - templates,
  - histograms (counts),
  - or combinations
- The ideal descriptor should be
  - Robust and Distinctive
  - Compact and Efficient



- Capture texture information
- Color rarely used





# Questions?

Sources for this lecture include materials from works by Mubarak Shah, S. Seitz, James Tompkin and Ulas Bagci



# Questions?

Sources for this lecture include materials from works by Mubarak Shah, S. Seitz, James Tompkin and Ulas Bagci