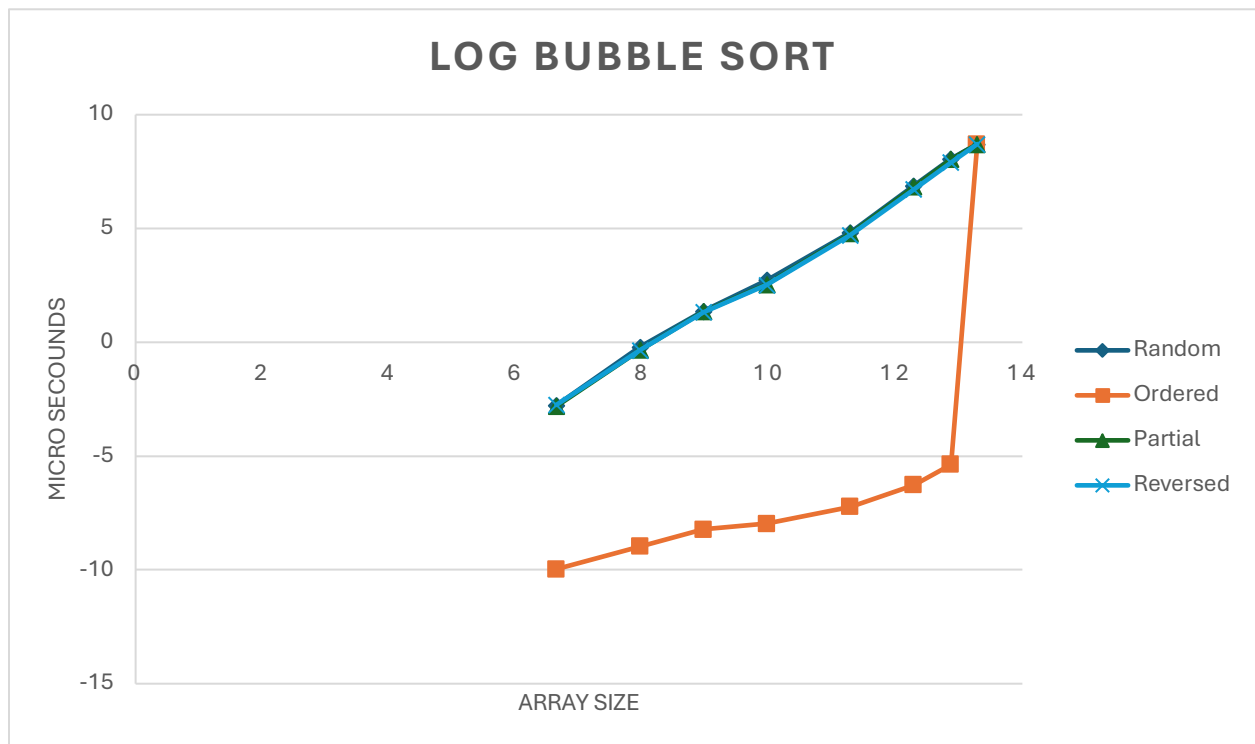
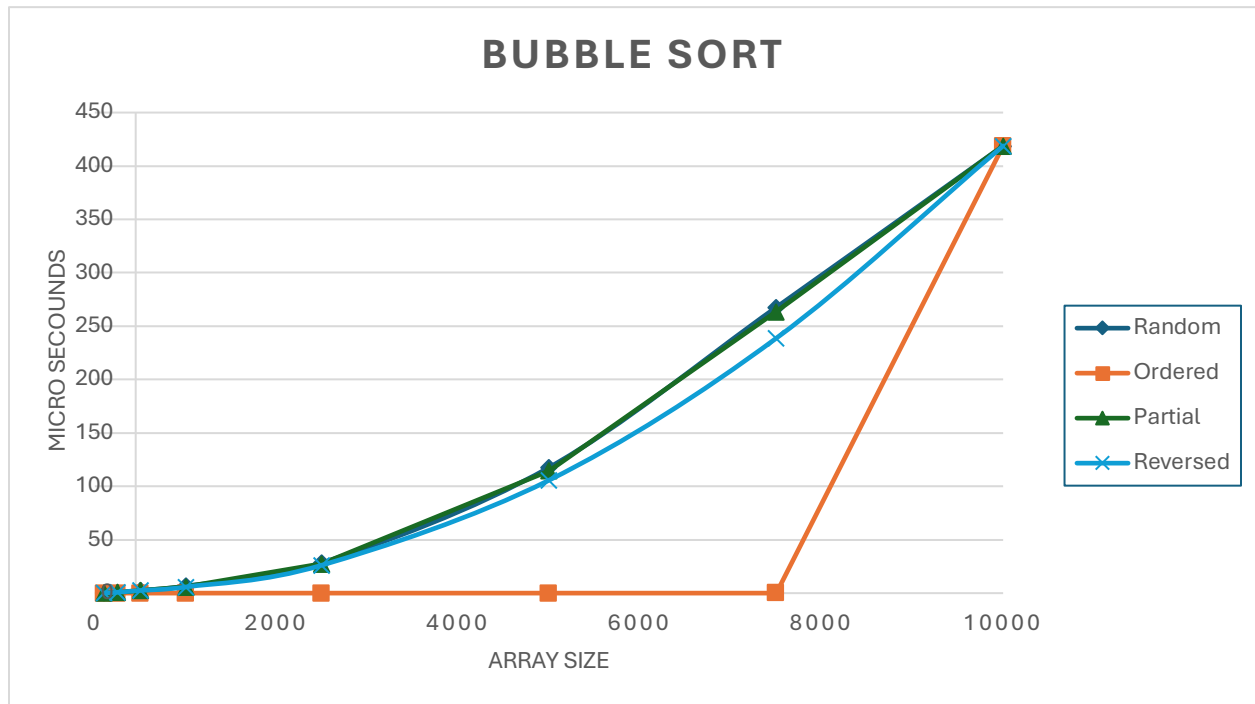
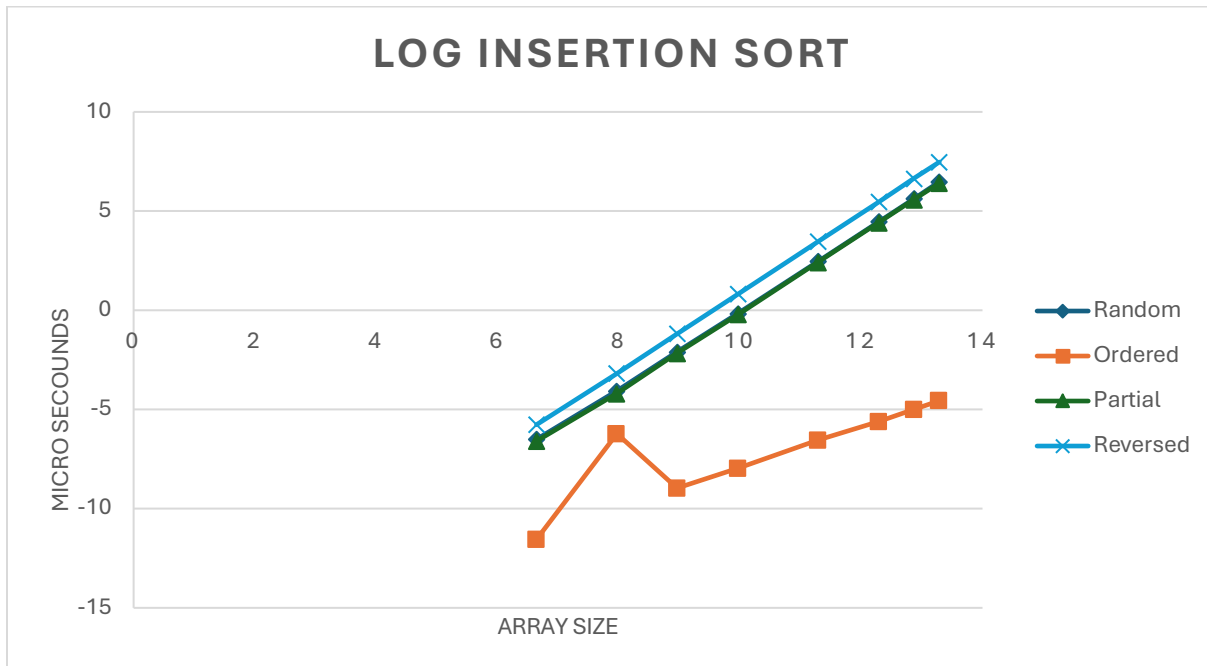
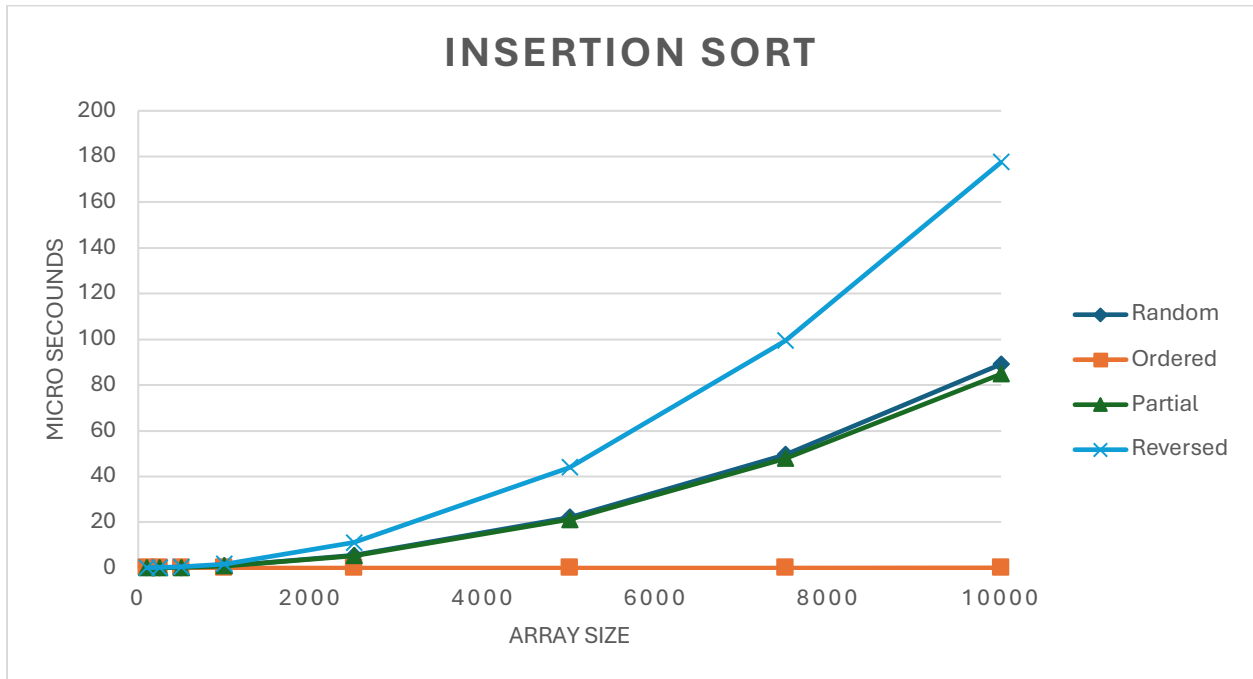


BUBBLE SORT



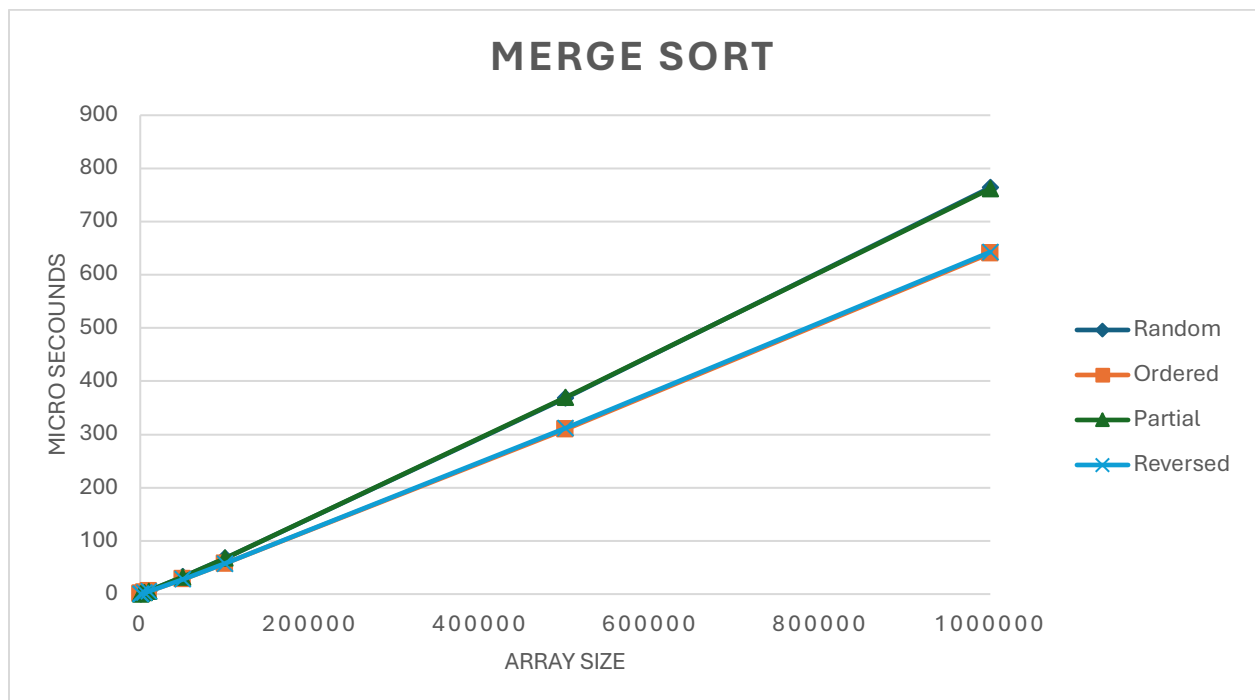
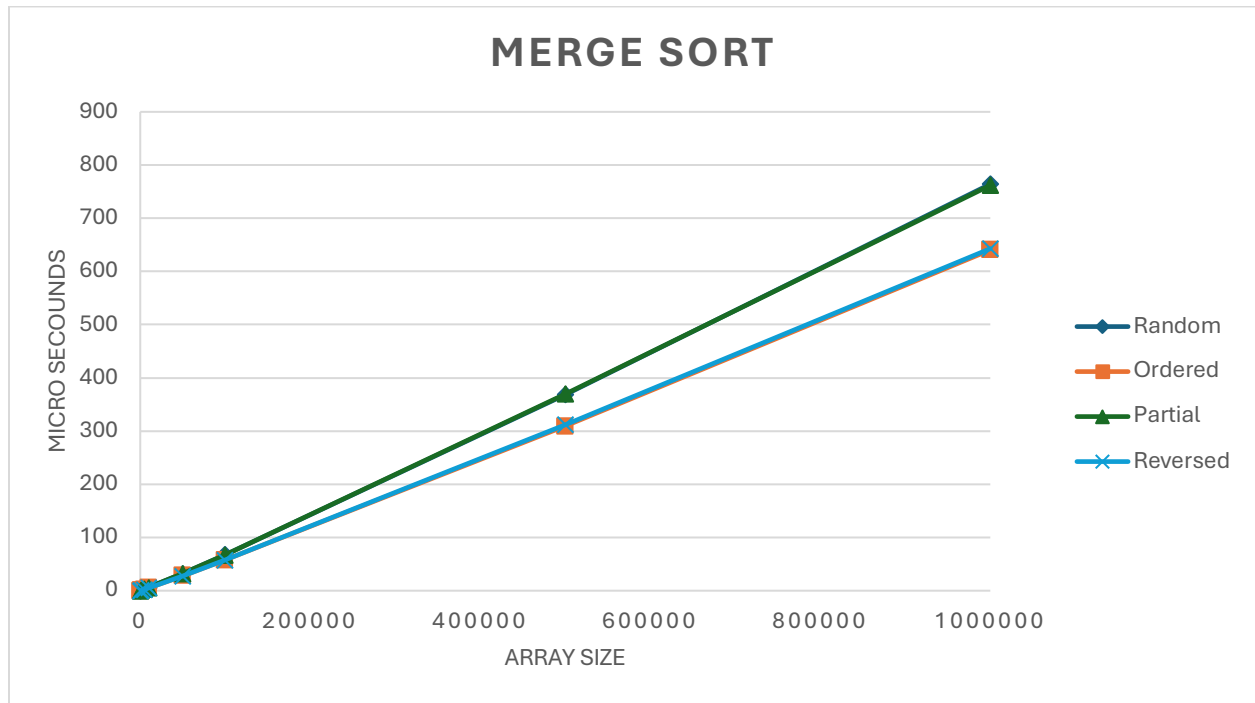
The bubble sort graphs show that sorted algorithms are $O(n)$, and the other lists show that the algorithm is $O(n^2)$. This is expected from bubble sort; since, bubble sort is $O(n^2)$ unless created a certain way to account for an already sorted list than it is $O(n)$.

INSERTION SORT



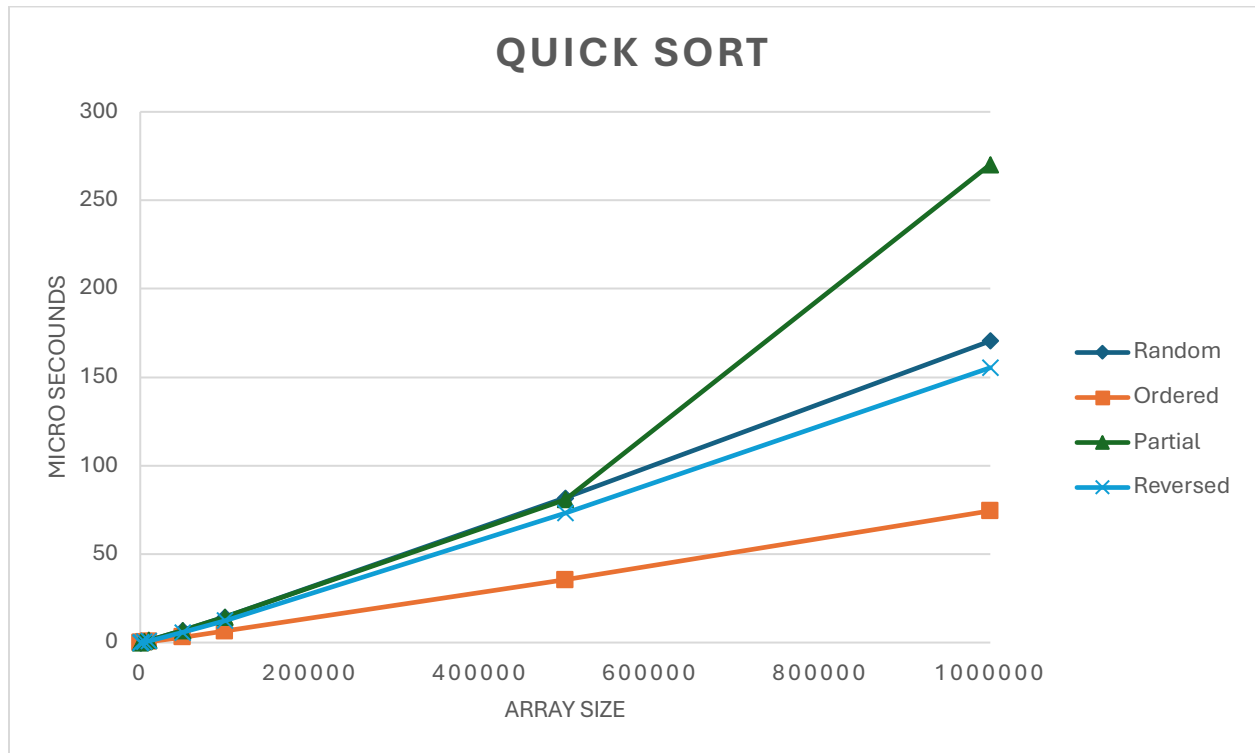
The graphs indicate that normally the algorithm is near $O(n)$; however, when the list is reversed ordered the algorithm is $O(n^2)$. This is expected from insertion sort; the best case is $O(n)$, but the worst case (reverse order) is $O(n^2)$.

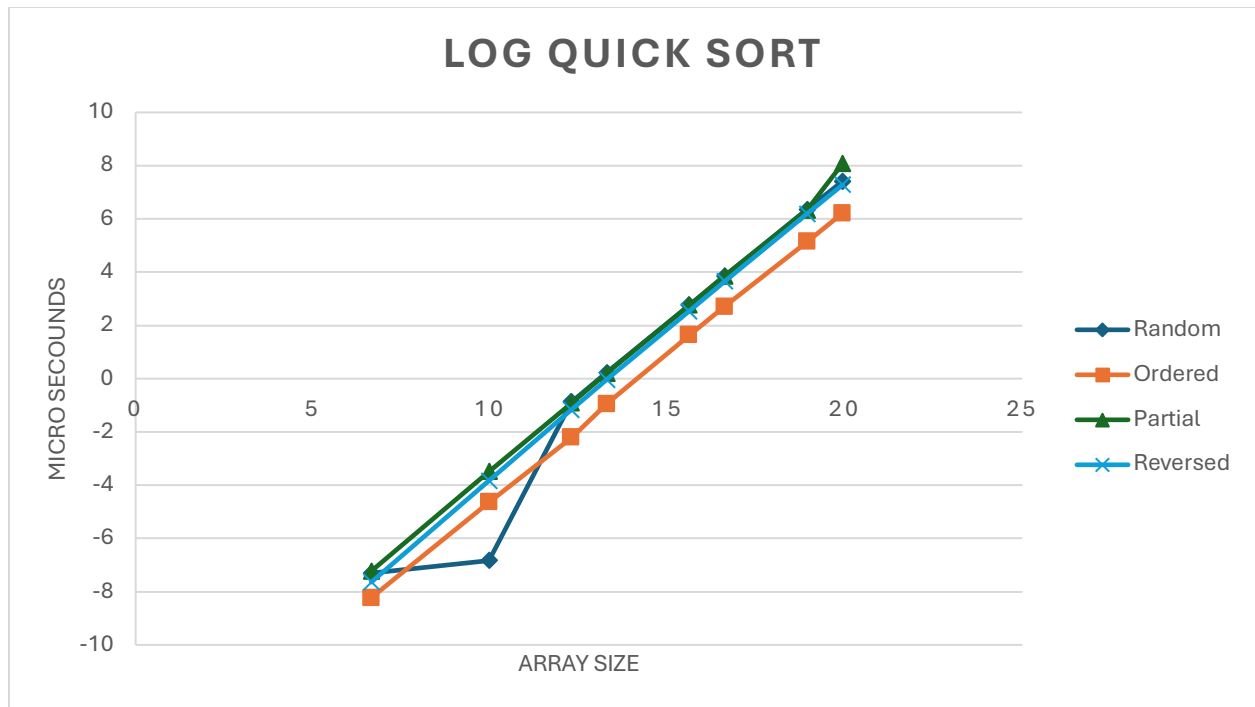
MERGE SORT



The graphs show that merge sort is $O(n \log n)$. This is expected from merge sort, since; merge sort is commonly $O(n \log n)$.

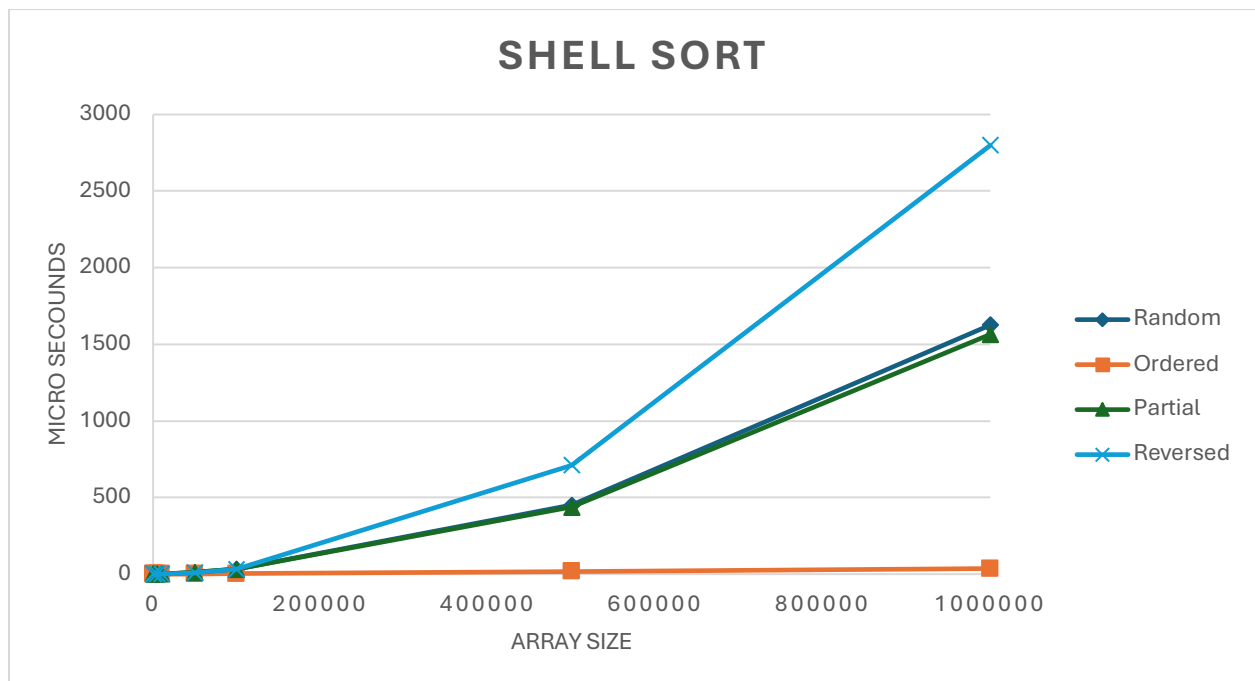
QUICK SORT

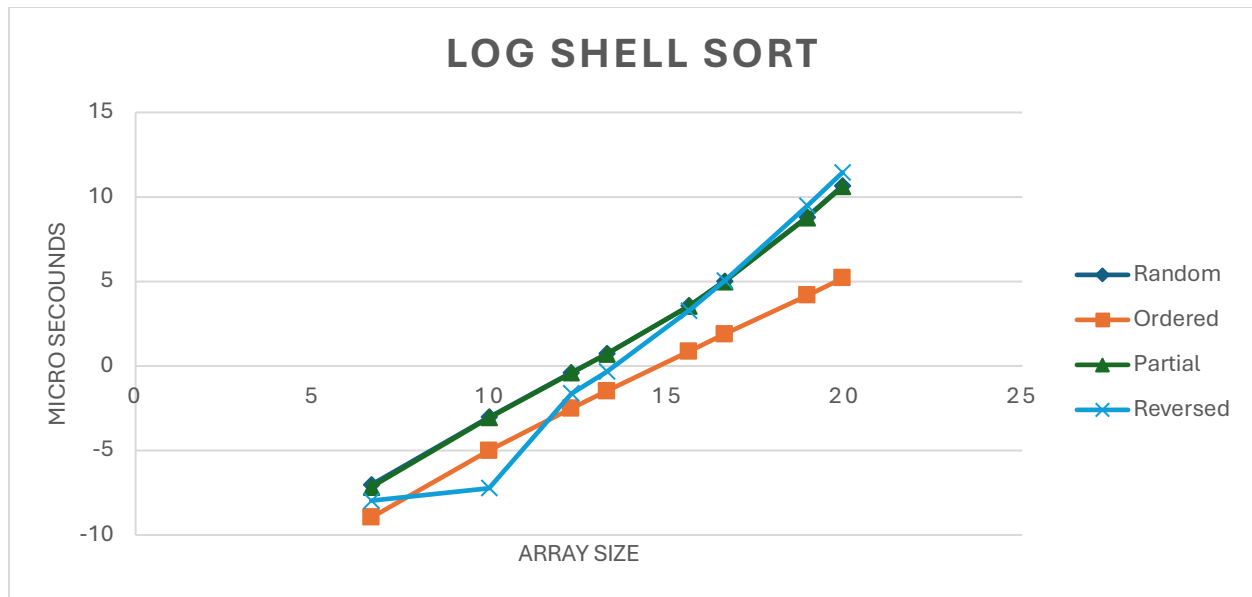




The graph is showing that quick sort is $O(n \log n)$. This was expected since I coded the partition to be a “median of three”; which mitigates the $O(n^2)$.

SHELL SORT





The graph indicates that the ordered list is $O(n \log^2 n)$, and the rest of the lists are $O(n^{3/2})$. This was expected since shell sort is often $O(n^{3/2})$ except in certain conditions such as an ordered list where shell sort is $O(n \log^2 n)$.

CONCLUSION

- **Bubble Sort:** Best case $O(n)$, worst case $O(n^2)$ (exponent 1 and 2).
- **Insertion Sort:** Best case $O(n)$, worst case $O(n^2)$ (exponent 1 and 2).
- **Merge Sort:** Best case $O(n \log n)$ worst case $O(n \log n)$ (exponent around 1.5)
- **Quick Sort:** Best case $O(n \log n)$, worst case $O(n^2)$ (exponent around 1.5 and 2).
- **Shell Sort:** Best case $O(n \log^2 n)$, worst case $O(n^{3/2})$ (exponent around 1.6 and 1.5).