

Boats and Streams: 8 Important Shortcuts & Tricks

Explained with Examples

Stream: Moving water of the river is called stream.

Still Water: If the water is not moving then it is called still water.

Upstream: If a boat or a swimmer moves in the opposite direction of the stream then it is called upstream.

Downstream: If a boat or a swimmer moves in the same direction of the stream then it is called downstream.

Points to remember

i. When speed of boat or a swimmer is given then it normally means speed in still water.

ii. If speed of boat or swimmer is x km/h and the speed of stream is y km/h then,

1i, Speed of boat or swimmer in still water is given by $= \frac{1}{2}(\text{Downstream} + \text{Upstream})$

Speed of boat or swimmer upstream $= (x - y)$ km/h

Speed of boat or swimmer downstream $= (x + y)$ km/h.

Speed of stream is given by $= \frac{1}{2}(\text{Downstream} - \text{Upstream})$

Some Shortcut Methods

Trick-1:

A man can row certain distance downstream in t_1 hours and returns the same distance upstream in t_2 hours. If the speed of

$$= y * \frac{t_2 + t_1}{t_2 - t_1}$$

A man can row certain distance downstream in 2 hours and returns the same distance upstream in 4 hours. If the speed of

Sol:

$$\text{speed of man in still water} = 5 * \frac{4 + 2}{4 - 2} = 15 \text{ km/hr}$$

Trick-2:

A man can row certain distance downstream in t_1 hours and returns the same distance upstream in t_2 hours. if the speed of

we can

$$= y * \frac{t_2 - t_1}{t_2 + t_1}$$

Ex: Ramesh can row a certain distance downstream in 6 hours and returns the same distance in 9 hours. If the speed of Rame

Sol :

$$\text{Speed of the stream} = \frac{12(9 - 6)}{9 + 6}$$

Trick-3:

A man can row in still water at x km/h. In a stream flowing at y km/h takes him ' t ' hours to row to a place and come bac

$$= \frac{t * (x^2 - y^2)}{2 * x}$$

Ex: A man can row in still water at 4 km/h. In a stream flowing at 2 km/h, if it takes him ' S ' hours to row to a place a

sol

$$= \frac{5 * (16 - 4)}{2 * 4} = 7.5 \text{ km}$$

Trick-4:

A man can row in still water at x km/h. In a stream flowing at y km/h, if it takes t hours more in upstream than to go c

$$= \frac{t * (x^2 - y^2)}{2 * y}$$

Ex: A man can row in still water at 4 km/h. In a stream flowing at 2 km/h, if it takes 3 hours more in upstream than to

Sol:

$$= \frac{3 * (16 - 4)}{2 * 2} = 9 \text{ km}$$

Trick-5:

A man can row in still water at x km/h. In a stream flowing at y km/h, if he rows the same distance up and down the stre

$$= \frac{(x^2 - y^2)}{x}$$

$= \frac{(\text{Downstream} * \text{Upstream})}{\text{man speed in still water}}$

A man can row in still water at 4 km/h. In a stream flowing at 2 km/h, if he rows the same distance up and down the stre

$$= \frac{(16 - 4)}{4} = 3 \text{ km/hr}$$

Trick-6:

A man can row a distance ' D ' upstream in t_1 hrs. If he rows the same distance down the stream in t_2 hrs. then speed is gi

$$\text{Stream speed} = \frac{D * (t_1 - t_2)}{2 * t_1 * t_2}$$

Ex: A man can row a distance 30 km upstream in 5 hrs. if he rows the same distance down the stream in 3 hrs. then speed

$$= \frac{30 * (5 - 3)}{2 * 5 * 3} = 2 \text{ km/hr}$$

Trick-7:

A man can row a distance ' D ' upstream in t_1 hrs. If he rows the same distance down the stream in t_2 hrs. then speed is c

$$\text{Man speed} = \frac{D * (t_1 + t_2)}{2 * t_1 * t_2}$$

Ex: A man can row a distance 30 km upstream in 5 hrs. if he rows the same distance down the stream in 3 hrs. then speed of man ?

$$=[30*(5+3)]/(2*5*3)= 8 \text{ km/hr}$$

Trick-1:

A man can row certain distance downstream in t1 hours and returns the same distance upstream in t2 hours. If the speed of stream is y km/h * (same distance upstream in t2 hours + certain distance downstream in t1 hours)/(same distance upstream in t2 hours - certain distance downstream in t1 hours)

$$=y*(t2+t1)/(t2-t1)$$

Trick-2:

A man can row certain distance downstream in t1 hours and returns the same distance upstream in t2 hours. if the speed of stream is y km/h * (same distance upstream in t2 hours - certain distance downstream in t1 hours)/(same distance upstream in t2 hours + certain distance downstream in t1 hours)

$$=y*(t2-t1) / (t2+t1)$$

Trick-3:

A man can row in still water at x km/h. In a stream flowing at y km/h takes him 't' hours to row to a place and come back. If the speed of stream is y km/h * (x square of 2 - y square of 2)/(2 * x)

$$= [t*(x^2 - y^2)]/(2 * x)$$

Trick-4:

A man can row in still water at x km/h. In a stream flowing at y km/h, if it takes t hours more in upstream than to go downstream. If the speed of stream is y km/h * (x square of 2 - y square of 2)/(2 * y)

$$= [t*(x^2 - y^2)]/(2 * y)$$

Trick-5:

A man can row in still water at x km/h. In a stream flowing at y km/h, if he rows the same distance up and down the stream. If the speed of stream is y km/h * (x square of 2 - y square of 2)/x

$$= (x^2 - y^2)/x$$

Trick-6:

A man can row a distance 'D' upstream in t1 hrs. If he rows the same distance down the stream in t2 hrs. then speed is given by [D*(t1-t2)]/(2*t1*t2)

$$\text{Stream speed} = [D*(t1-t2)]/(2*t1*t2)$$

Trick-7:

A man can row a distance 'D' upstream in t1 hrs. If he rows the same distance down the stream in t2 hrs. then speed is given by [D*(t1+t2)]/(2*t1*t2)

$$\text{Man speed} = [D*(t1+t2)]/(2*t1*t2)$$

Stream: Moving water of the river is called stream.

Still Water: If the water is not moving then it is called still water.

Upstream: If a boat or a swimmer moves in the opposite direction of the stream then it is called upstream.

Downstream: If a boat or a swimmer moves in the same direction of the stream then it is called downstream.

y=speed of stream t1=downstream t2=upstream

$$=y*(t2+t1)/(t2-t1)$$

moving water into opposite direction + same direction

opposite direction - same direction

y=speed of stream t1=downstream t2=upstream

$$=y*(t2-t1) / (t2+t1)$$

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moving water into opposite direction + same direction
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opposite direction + same direction
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t= hrs to place and come back  x=still water  y=stream flowing
= [t*(x square of 2 - y square of 2)]/(2 * x)
hrs to place and come back into (not moving square of 2 - moving water square of 2)
-----
2*not moving
-----

t=hrs to place and come back  x=still water  y= stream flowing
= [t*(x square of 2 - y square of 2)]/(2 * y)
hrs to place and come back into (not moving square of 2 - moving water square of 2)
-----
2*moving water
-----

x=still water  y=stream flowing
= (x SQUARE OF 2 - y SQUARE OF 2)/x
= (Downstream * Upstream)/man speed in still water.
not moving square of 2 - moving water square of 2
-----
not moving
-----

D=distance  t1=upstream  t2=downstream
Stream speed = [D*(t1-t2)]/(2*t1*t2)
[distance*(opposite direction-same direction)
-----
2* opposite direction*same direction
-----

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moving water=stream  not moving water=still water  opposite direction=upstream  same direction=downstream
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moving water into opposite direction + same direction
-----
opposite direction - same direction

moving water into opposite direction + same direction
-----
opposite direction + same direction

hrs to place and come back into (not moving square of 2 - moving water square of 2)
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2*not moving
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hrs to place and come back into (not moving square of 2 - moving water square of 2)
-----
2*moving water
-----

not moving square of 2 - moving water square of 2
-----
not moving
-----

[distance*(opposite direction-same direction)
-----
2* opposite direction*same direction
-----

moving water=stream  not moving water=still water  opposite direction=upstream  same direction=downstream
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