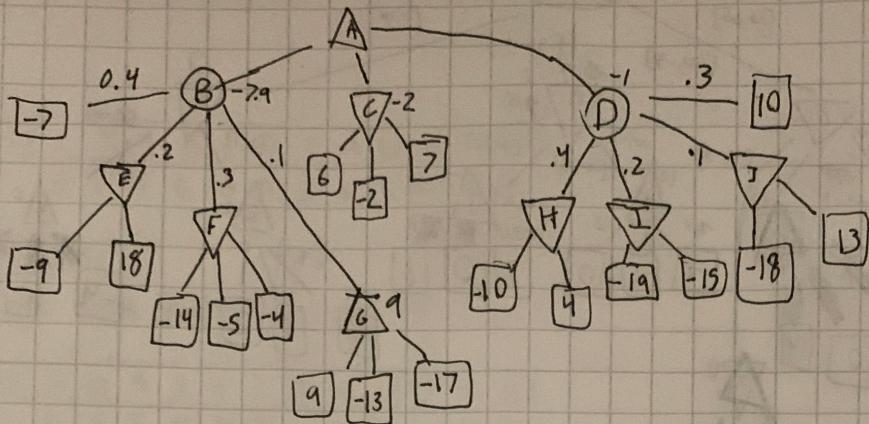


Sam Hopkins
CS 400

1.



$$A = -1$$

$$B = .4 \cdot -7 + .2 \cdot -9 + .3 \cdot -14 + .1 \cdot 9 = -7.9$$

$$C = -2$$

$$D = .4 \cdot 10 + .2 \cdot -19 + .1 \cdot -18 + .3 \cdot 10 = -6.6$$

$$E = -9$$

$$F = -14$$

$$G = 9$$

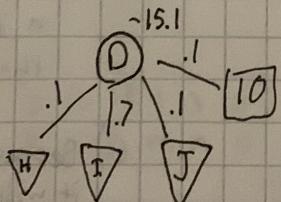
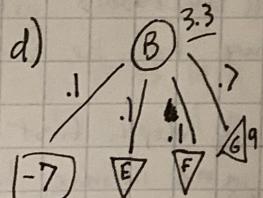
$$H = -10$$

$$I = -19$$

$$J = -18$$

b) To follow node ~~C~~^{C middle}, the ~~most~~ most node

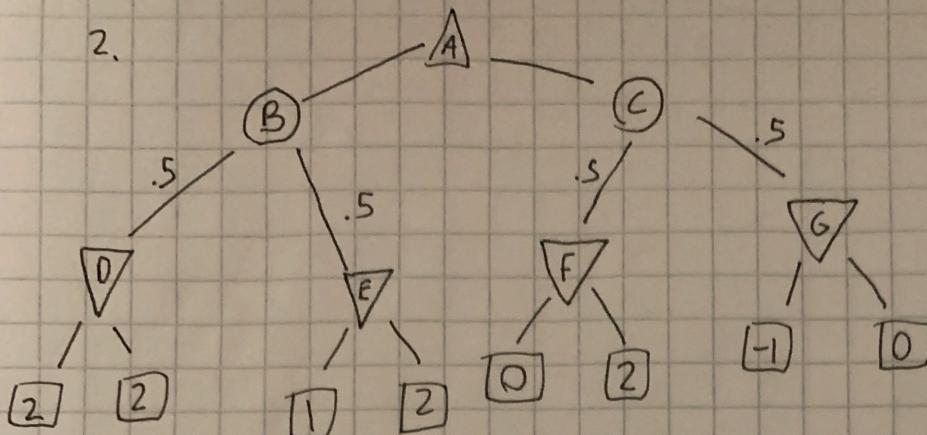
c) Following ~~D~~^D could lead to a node of value ~~10(0)~~¹⁰⁽⁰⁾, which is best case



This would make the decision go to the B node

e) You only need to change one node, one of the nodes under G to a large number like 100 and B will be positive, making it the best path for MAX at the root

2.



a) $A = \underline{1.5}$

$$B = .5 \cdot 2 + 1 \cdot .5 = \underline{1.5}$$

$$C = .5 \cdot 0 + .5 \cdot -1 = -0.5$$

$$D = 2$$

$$E = 1$$

$$F = 0$$

$$G = -1$$

b) B

c) Yes, because the values under $G^{(N, 0)}$ could both be big numbers and lead to G being a large value that would alter the value of C in the end.

d) No, because the last node O doesn't matter as the min gives the range of G with node N would be $[\infty, -1]$, while the current range for A after the first 6 nodes is $[1.5, \infty]$. So we would prune and not need to evaluate the 8th node G with $F=0$, $C = .5 \cdot 0 + .5 \cdot G$. G could only be ≤ -1 , which evaluates to less than 1.5, the current max.

e) i) Value range for $B = .5 \times 2 + .5 \times E$ and E is between -2, 2, so the range is $[\underline{-.5 \times 2 + .5 \times -2}, \underline{.5 \times 2 + .5 \times 2}] \approx [0, 2]$

ii) No, because the range is currently $[1.5, \infty]$, and with $L=0$, F could only be $[-2, 0]$ which would mean max for $C = [-2, 1]$ which is not in the current range.

G, N, O - See above explanation, the range of values are below the current range