

1. a.

P	Q	$P \vee Q$	$\neg P$	$\neg P \rightarrow Q$
1	1	1	0	1
1	0	1	0	1
0	1	1	1	1
0	0	0	1	0

b. (i)

P	Q	$P \wedge Q$	$\neg(P \wedge Q)$	$P \vee (\neg(P \wedge Q))$
1	1	T	F	1
1	0	F	T	1
0	1	F	T	1
0	0	F	T	1

(ii)

P	Q	R	$Q \xrightarrow{(T)} R$	$P \xrightarrow{(S)} T$	$R \xrightarrow{(W)} P$	$S \rightarrow W$
1	1	1	1	1	1	1
1	0	1	1	1	1	1
0	1	1	1	1	0	0
0	0	1	1	1	0	0
1	1	0	0	0	1	0
1	0	0	0	1	1	1
0	1	0	0	1	1	1
0	0	0	1	1	1	1

Question Statement.

2. a. b = Stay at FBH, $w = WPT$, $P = P.P$

(I) if w , then $(b \wedge P)$

↳ $w \rightarrow (b \wedge P)$

(II) if not w and P , b

↳ $\neg(w \wedge P) \rightarrow b$

b. (i) $P \wedge (w \rightarrow b)$ She has pancakes and

↳ if she walks the back, then she stays at the hotel and has pancakes

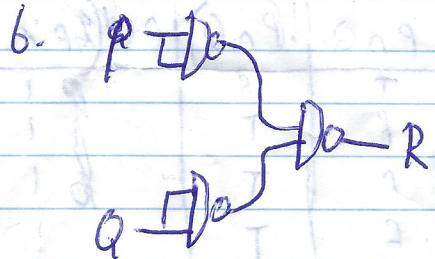
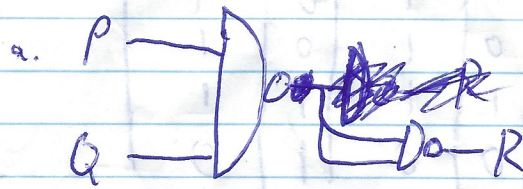
(ii) $(\neg b \rightarrow P) \vee w \equiv w \vee (\neg b \rightarrow P)$

↳ She walks the back or doesn't stay at the hotel to have pancakes

3. build circuits with !A gates (nand)

truth table for nand:

P	Q	!(P n Q)
0	0	1
0	1	1
1	0	1
1	1	0



~~4. The 2 implies that are 1 bombs on the following squares: S4 and S5~~

a. The 2 implies that ^{both} are 1 bombs on the following squares: S4 and S5 ~~square with 2, 1, 1~~

$$A \rightarrow (S_4 \cap S_5)$$

b. There is 1 bomb in either S1 ^{or} S2 (but not both)

$$B \rightarrow (S_1 \cup S_2)$$

c. There ~~are 2~~ bombs located within 4 of the 5 squares & is touching.

$$C \rightarrow (S_1 \cap S_2 \cap S_3 \cap S_4) \cup (S_1 \cap S_2 \cap S_3 \cap S_5) \dots \text{(for each combination)}$$

$$D. P_{\text{bombs}} = A \cap B \cap C = (S_1 \cup S_2) \cap S_3 \cap S_4 \cap S_5$$

e. based on ~~the~~ ^{the} 2 potential outcomes:
 $S_1 \cap S_3 \cap S_4 \cap S_5$
 or $S_2 \cap S_3 \cap S_4 \cap S_5$
 are bombs.