1. $x = none, y = a^{m}, z = b^{m}$

We should be able to pump y as much as we want, and the string should still be accepted.

Assume m = 8, then $xyz = a^8b^8$, this is an accepted string. Therefore xy^2z should also be accepted, however, $xy^2z = a^{16}b^8$, this is not an accepted string. Therefore this language is not regular.

2. $x = none, y = (a + b)^*, z = none$

We should be able to pump y as much as we want, and the string should still be accepted.

Assume $n_a = 1$, and $n_b = 2$ then $xyz = abb \mid bab \mid bba \mid bba$, this is an accepted string. Therefore xy^2z should also be accepted, however, $xy^2z = abbabb \mid babbab \mid bbabba$, this is not an accepted string because the $n_a = 1$, and $n_b = 2$ no longer holds true. Therefore this language is not regular.

3. $x = none, y = a^m, z = b^n$

We should be able to pump y as much as we want, and the string should still be accepted.

Assume m = 2, n = 1 then xyz = aab, this is an accepted string. Therefore pumping y down should also be accepted, however, xz = b, this is not an accepted string because 0 / 1 is not a positive integer. Therefore this language is not regular.

4. $x = none, y = a^{2^n}, z = none$

We should be able to pump y as much as we want, and the string should still be accepted.

Assume n = 1 then xyz = aa, this is an accepted string. Therefore xy^3z should also be accepted, however, $xy^3z = aaaaaa$, this is not an accepted string. Therefore this language is not regular.