## **U-net CNN in APL: Appendices**

Exploring zero-framework, zero-library machine learning

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APPENDIX A: COMPLETE APL U-NET IMPLEMENTATION

```
51
              :Namespace UNET
52
53
                W \leftarrow 0 \diamond V \leftarrow 0 \diamond Z \leftarrow 0 \diamond LR \leftarrow 1e^{-9} \diamond MO \leftarrow 0.99
54
55
                 FWD \leftarrow \{Z \vdash \leftarrow (\not\equiv W) \rho \subset \Theta
56
                    CV \leftarrow \{0[z \rightarrow Z[\alpha] \leftarrow cZ[\alpha], cz \leftarrow (,[2+i3]3 3 \boxtimes z[\alpha] \leftarrow c\omega) + . \times,[i3]\alpha \rightarrow W\}
57
                    CC\leftarrow\{\omega, \sim(\lfloor p)\downarrow(-\lceil p)\downarrow(\alpha\supset Z)\neg p\leftarrow 2\div\sim(\rho\alpha\supset Z)-\rho\omega\}
58
                   MX \leftarrow \{ [ \neq [2], [2 \ 3](2 \ 2\rho 2) \boxtimes \neg Z[\alpha] \leftarrow \subset \omega \}
                    \mathsf{UP} \leftarrow \{((2 \times^{-}1 \downarrow \rho \omega), ^{-}1 \uparrow \rho \alpha \neg \mathsf{W}) \rho 0 \ 2 \ 1 \ 3 \ \mathsf{4} \Diamond \omega + . \times \alpha \neg \mathsf{W} \neg \mathsf{Z}[\alpha] \leftarrow \subset \omega\}
                    C1 \leftarrow \{1E^{-}8 + z \div [i2] + /z \leftarrow *z - [i2] [/z \leftarrow \omega + . \times \alpha \supset W \dashv Z[\alpha] \leftarrow \subset \omega\}
61
                    LA←{α≥≢Z:ω
                          down \leftarrow (\alpha+6) \nabla (\alpha+2) MX(\alpha+1) CV(\alpha+0) CV \omega
                          (\alpha+2)CC(\alpha+5)UP(\alpha+4)CV(\alpha+3)CV down}
                    2 C1 1 CV 0 CV 3 LA ωρ~3†1,~ρω}
65
66
                 BCK \leftarrow \{Y \leftarrow \alpha \diamond Y \Delta \leftarrow \omega\}
67
                    \Delta \leftarrow \{0 \dashv W[\alpha] \leftarrow c(\alpha \supset W) - LR \times \supset V[\alpha] \leftarrow c\omega + MO \times (\rho\omega)\rho\alpha \supset V\}
                    \Delta CV \leftarrow \{w \leftarrow, [i3] \in \emptyset[1] \cup 1 \cup 3 \cup 2\emptyset \alpha \supset W \land x \leftarrow \supset \alpha \supset Z \land \Delta z \leftarrow \omega \times 0 < 1 \supset \alpha \supset Z
69
                       \Delta Z \leftarrow 2\theta^{-}2\phi[1](4+2\uparrow\rho\Delta z)\uparrow\Delta z
70
                       _←α Δ 3 0 1 2\(\dag{\dag},[\i2]Δz)+.×,[\i2]3 3\(\Dag\)x
71
                      w+.\times^{\sim},[2+i3]3 3 \boxtimes \Delta Z
                    \Delta CC \leftarrow \{x \leftarrow \alpha > Z \Leftrightarrow \Delta z \leftarrow \omega \Leftrightarrow d \leftarrow -[2 \div 2 \uparrow (\rho x) - \rho \Delta z \Leftrightarrow (\neg d) \theta (1 \neg d) \phi [1] (\rho x) \uparrow \Delta z\}
73
                    \Delta MX \leftarrow \{x \leftarrow \alpha \supset Z \Leftrightarrow \Delta z \leftarrow \omega \Leftrightarrow y \times x = y \leftarrow (\rho x) \uparrow 2 \neq 2 / [1] \Delta z\}
74
                    \Delta UP \leftarrow \{ w \leftarrow \alpha \supset W \land x \leftarrow \alpha \supset Z \land \Delta z \leftarrow \omega \land cz \leftarrow (2 2\rho 2) \boxtimes \Delta z \}
75
                        \leftarrow \alpha \Delta(\emptyset, [i2]x) + . \times, [i2]cz
76
                       (,[2+i3]cz)+.\times 0,w
77
                    \Delta C1 \leftarrow \{ w \leftarrow \alpha \Rightarrow V \land x \leftarrow \alpha \Rightarrow Z \land \Delta z \leftarrow \omega \land \_ \leftarrow \alpha \Delta( \Diamond, [i2]x) + . \times, [i2]\Delta z \land \Delta z + . \times \Diamond w \}
                    ΔLA←{α≥≢Z:ω
79
                       down \leftarrow (\alpha+6) \nabla (\alpha+3) \Delta CV(\alpha+4) \Delta CV(\alpha+5) \Delta UP \quad \omega \uparrow [2] = -2 \div \Rightarrow \varphi \rho \omega
80
                       (\alpha+0)\Delta CV(\alpha+1)\Delta CV(\omega \Delta CC = \alpha+2) + (\alpha+2)\Delta MX \text{ down}
81
                    3 \DeltaLA 0 \DeltaCV 1 \DeltaCV 2 \DeltaC1 Y\Delta-(~Y),[1.5]Y}
82
83
                 E \leftarrow \{-+\neq, \otimes(\alpha \times \omega[;;1]) + (-\alpha) \times \omega[;;0]\}
84
85
                 RUN\leftarrow{Y Y\Delta(Y E Y\Delta)\rightarrow(Y\leftarrow[0.5+nmt\omega\downarrow~2÷~(\rho\omega)-nm\leftarrow2\uparrow\rhoY\Delta)BCK\leftarrowY\Delta\leftarrowFWD \alpha}
86
87
              :EndNamespace
```

147

## 99 APPENDIX B: PYTORCH REFERENCE IMPLEMENTATION 100 import torch 101 import torch.nn as nn 102 import torchvision 103 import torchvision.transforms.functional 104 105 class TwoConv(nn.Module): 106 def \_\_init\_\_(self, in\_channels, out\_channels): super().\_\_init\_\_() self.path = nn.Sequential( 111 nn.Conv2d(in\_channels, out\_channels, 112 kernel\_size=(3, 3), bias=False), nn.ReLU(inplace=True), nn.Conv2d(out\_channels, out\_channels, kernel\_size=(3, 3), bias=False), nn.ReLU(inplace=True), ) 119 def forward(self, x): return self.path(x) 121 122 class Down(nn.Module): 123 def \_\_init\_\_(self, in\_channels): 124 125 super().\_\_init\_\_() 126 self.path = nn.Sequential( 128 nn.MaxPool2d(kernel\_size=(2, 2), stride=2), 129 TwoConv(in\_channels, 2 \* in\_channels), 130 ) 131 132 def forward(self, x): 133 return self.path(x) 134 135 class Up(nn.Module): 136 137 def init (self, in channels): 138 super().\_\_init\_\_() 139 140 self.upsampling = nn.ConvTranspose2d( 141 in\_channels, 142 in channels // 2, 143 kernel\_size=(2, 2), 144 stride=2, 145 bias=False, 146

```
self.convolutions =
149
                  TwoConv(in_channels, in_channels // 2)
151
         def forward(self, x_to_crop, x_in):
153
             upped = self.upsampling(x_in)
155
             cropped = torchvision.transforms.functional.center crop(
                  x_to_crop, upped.shape[-2:]
             )
157
             x = torch.cat([cropped, upped], dim=1)
             return self.convolutions(x)
159
    class USegment(nn.Module):
161
         def __init__(self, in_channels, bottom_u=None):
163
             super().__init__()
             # Default value for the bottom U.
             if bottom u is None:
                  bottom u = lambda x: x
             self.down = Down(in channels)
171
             self.bottom u = bottom u
             self.up = Up(2 * in_channels)
172
173
         def forward(self, x):
174
             return self.up(x, self.bottom_u(self.down(x)))
175
176
    class UNet(nn.Module):
177
178
         def __init__(self):
179
             super().__init__()
180
181
             self.u = USegment(512)
182
             self.u = USegment(256, self.u)
183
             self.u = USegment(128, self.u)
184
             self.u = USegment(64, self.u)
185
             self.path = nn.Sequential(
186
                 TwoConv(1, 64),
187
                  self.u.
188
                  nn.Conv2d(64, 2, kernel_size=1, bias=False),
189
             )
190
191
         def forward(self, x):
192
             return self.path(x)
193
194
195
```

196