

# Formal Methods

## Assignment Two

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The main goal of this assignment is to modify the previous one in order to make sure this formula:

$EG(N1) \mid EG(N2)$  holds.

As in the previous assignment I started with the initial state  $S0$  where neither process one nor process two making a request.

If Process one made a request then there will be a transition to  $S3$  where process one gets the mutex. Here we could have two scenarios, either process two requested before process one entering into the critical section or didn't make a request and process one entered the critical section. In the case of the first scenario, process one will still be the one entering the critical section due to fairness. After process one leaving the critical section :

If  $P2$  is requesting then there will be transition to  $S2$

If  $P2$  not requesting then there will be transition back to  $S0$

If Process two made the request ( $S2$ ) same as  $S1$  we could have two possible scenarios where process one would or wouldn't make a request. So as  $P2$  leaves the critical section :

If  $P1$  is requesting then there will be transition to  $S1$

If  $P1$  not requesting then there will be transition back to  $S0$

If we entered one of those formulas :  $( AG( T1 \Rightarrow ( AF( C1 ) ) ) ) \& ( AG( T2 \Rightarrow ( AF( C2 ) ) ) ) )$  or  $EG(N1) \mid EG(N2)$  for global modal check we will find the model is live and fair and correct.

