

## Model Formula

Y – variable

X – variable

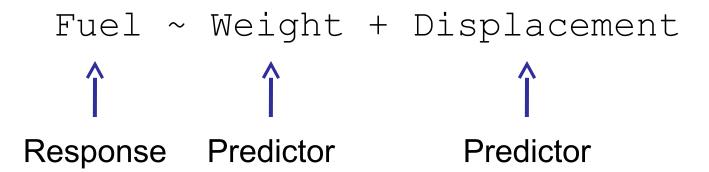
aka:
Response variable
Outcome variable
Dependent variable

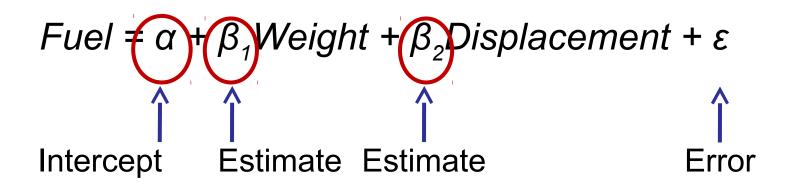


aka:
Predictors
Explanatory variable
Independent variable

This is basically how you define all models in R. t-tests, ANOVA, linear models, generalized additive models, hierarchical or mixed effects models, classification and regression trees....

## Model Formula





## Im function

Fuel =  $\alpha + \beta_1$ Weight +  $\beta_2$ Displacement +  $\varepsilon$ 

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	5.0126484	1.0389071	4.825	0.000158 ***
Weight	0.0018732	0.0005754	3.255	0.004658 **
Displacement	0.1611806	0.0434117	3.713	0.001729 **

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Signif. codes: 0 "\*\*\* 0.001 "\*\* 0.01 "\* 0.05 ". 0.1 " 1

Residual standard error: 0.5015 on 17 degrees of freedom Multiple R-squared: 0.6028, Adjusted R-squared: 0.5561

F-statistic: 12.9 on 2 and 17 DF, p-value: 0.0003906

## Model Formula

Predictors (i.e. right				
side of formula)				

#### Meaning

A + B main effects of A and B

A:B interaction of A with B

A\*B main effects and interactions = A + B + A:B

A\*B\*C main effects and interactions

A+B+C+A:B+A:C+B:C+A:B:C

(A+B+C)<sup>2</sup> A, B, and C crossed to level 2: A+B+C+A:B+A:C+B:C

A\*B\*C-A:B:C same as above: main effects plus 2-way interactions

log(A) + B natural log of A

I(A+10) + B A plus 10. The capital "i" tells R that this is a calculation

poly(A, 2) + B fits a 2<sup>nd</sup> degree polynomial A (i.e. A + A^2 + B)

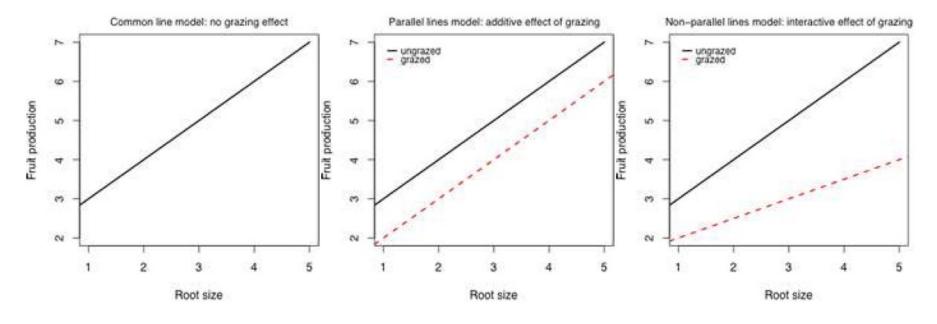
poly(A, 3) + poly(B, 2) a 3<sup>rd</sup> degree polynomial for A and 2<sup>nd</sup> degree for B

# Your turn

**Data: From Michael Crawley's book.** 

Goal: Determine how Fruit size varies with Root size (diameter) and whether Grazing affects fruit size.

#### **MODEL WARS:**



**Root effect** 

Root and grazing effect

Root and grazing interaction