

ToE / QIT Prototype Simulation: Information-Field Coupling to a Weak-Field Gravity Solver

Dimensionless proof-of-implementation (Prototype Mode) — 2026-01-02

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This document reports a **toy, dimensionless numerical prototype** implementing the one-pager model shown in Fig. 1. It demonstrates internal code consistency and produces field maps and derived acceleration fields. It **does not constitute experimental evidence** of gravity modification, anti-gravity, or time travel, and it is not calibrated to SI units or constrained by known gravitational measurements.

Fig. 1. ToE Simulation One-Pager (model/spec reference).

TOE SIMULATION ONE-PAGER

Refining the Core Field Equation into a Testable Model

$$Q_{\mu\nu} = I_{\mu u} + \lambda_{info} g_{\mu u \nu} + T_{\mu u}$$

MINIMAL SIMULATION SPEC (OPTION B: PROTOTYPE MODE)

INFORMATION FIELD EVOLUTION $\delta t s = D \nabla^2 s - \Gamma s$ Scalar field s Scalar field $s(x, t) =$ information density	GRAVITY (WEAK-FIELD LIMIT) $\nabla^2 \Phi = 4\pi G (\rho_{matter} + \rho_{info}) - \frac{1}{2} \lambda_{info}$ Φ = potential, $g = -\nabla\Phi$
EFFECTIVE DENSITIES $\rho_{info} = \alpha s + \beta \nabla s ^2$	$\lambda_{ine.} = \lambda_0 + \chi s$
NUMERICAL IMPLEMENTATION Grid: 2-D periodic, e.g. 256×256 . Time step: $\Delta t \leq \Delta x^2 / 4D$. Initialize: Gaussian lump for s . Solver: FFT Poisson	
CORE LOOP 1. Update s via diffusion/damping. 2. Compute $\rho_{info}, \lambda_{info}$. 3. Solve Poisson for Φ . 4. Extract Φ , phase anomalies, field maps.	
PARAMETERS (DIMENSIONLESS PROT.) $D = 0.02, \Gamma = 0.01$ $\alpha = 1.0, \beta = 0.2$ $\chi = 0.3, \lambda_0 = 0$	
WHY THIS MATTERS • Links INFORMATION DENSITY → GRAVITATIONAL POTENTIAL SHIFTS • Predicts ANTI-GRAVITY / ANOMALOUS ACCELERATION when χs dominates	

1. Model implemented

Core idea: evolve an information-density scalar field $s(x, y, t)$ under diffusion + damping, convert it into an effective information density, then solve a Poisson equation for a gravitational potential and derive an acceleration field.

Information-field evolution

$$ds/dt = D * \text{Laplacian}(s) - T * s$$

Effective densities

$$\rho_{\text{info}} = \alpha * s + \beta * |\nabla s|^2$$

$$\lambda_{\text{info}} = \lambda_0 + \chi * s$$

Weak-field gravity closure (periodic domain)

$$\text{Laplacian}(\phi) = 4\pi G (\rho_{\text{matter}} + \rho_{\text{info}}) - 0.5 \lambda_{\text{info}}$$

$$\mathbf{g} = -\nabla \phi$$

2. Numerical method

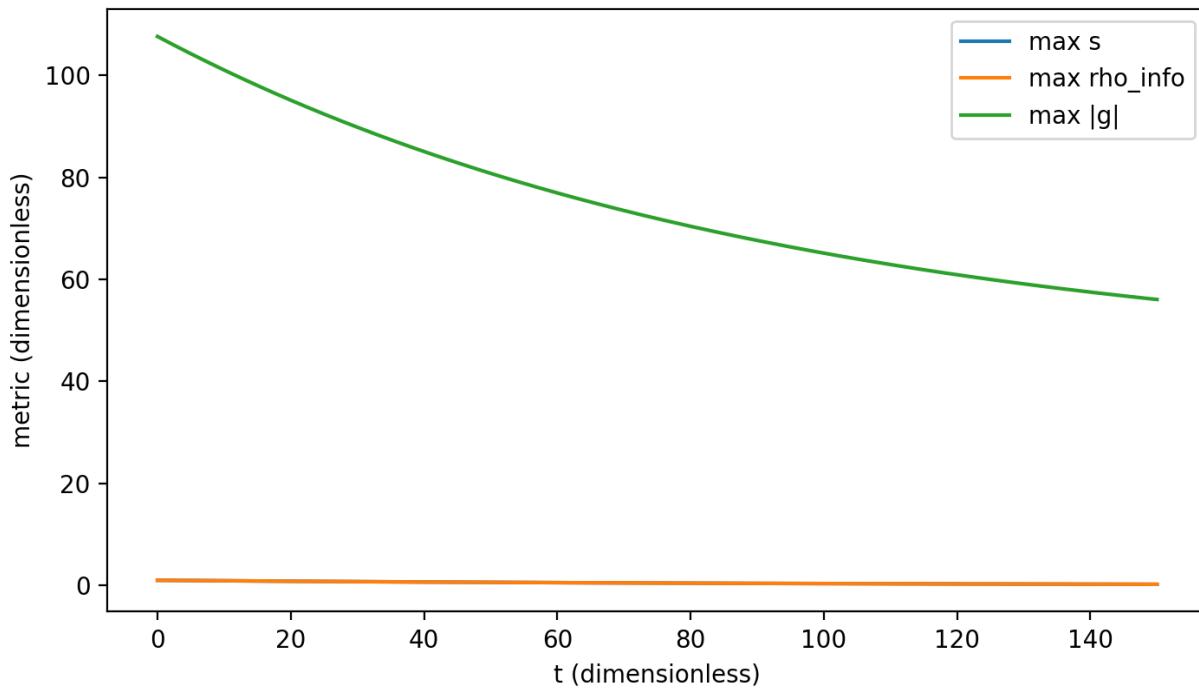
Domain: 2-D periodic grid with FFT-based derivatives and Poisson solver. Time integration: explicit Euler for s . To ensure solvability of the periodic Poisson equation, the RHS is mean-subtracted each step (equivalent to setting the $k=0$ Fourier mode of ϕ to zero).

Parameter	Value	Notes
Grid	256x256 periodic	Periodic boundary conditions
dx	1	Dimensionless spacing
dt	0.5	Stability limit $dt \leq dx^2/(4D) = 12.5$
Steps	300	Total simulated time $t = 150$
D	0.02	Diffusion coefficient
T	0.01	Linear damping
alpha	1	$s \rightarrow \rho_{\text{info}}$ weight
beta	0.2	$ \nabla s ^2$ weight
chi	0.3	$s \rightarrow \lambda_{\text{info}}$ coupling
lambda0	0	Baseline λ_{info}
G	1	Gravitational coupling (prototype)
ρ_{matter}	Fixed Gaussian	Added for comparison; not required by the one-pager

3. Results

Key observation: as diffusion + damping relax s over time, rho_info decreases and the derived potential/acceleration fields decrease in magnitude. Representative field maps are shown for t = 0, 25, 75, 150.

Fig. 2. Time series of max(s), max(rho_info), and max(|g|).

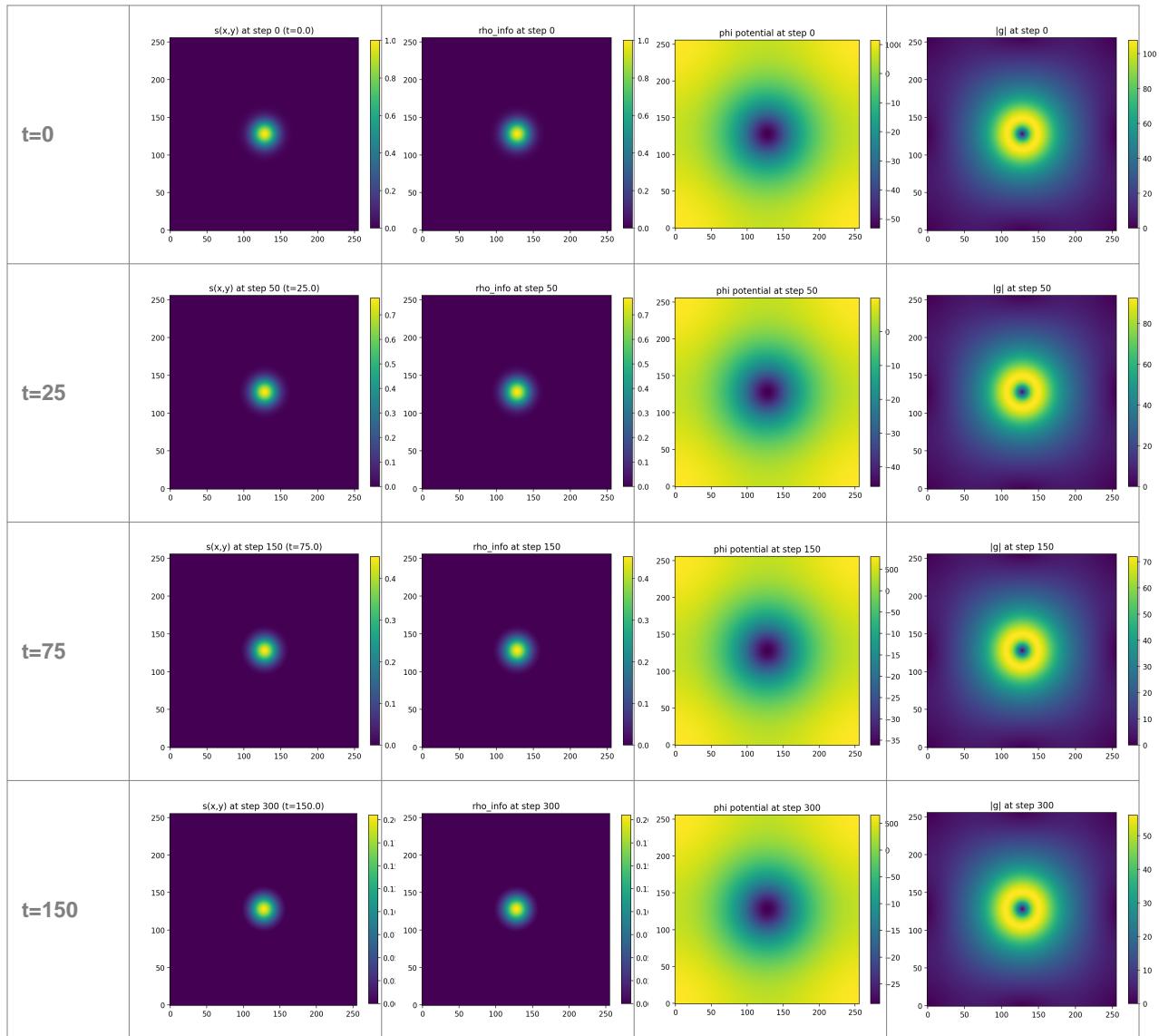


Metric	t=0	t=150
max(s)	1.000	0.205
max(rho_info)	1.000	0.205
max(g)	107.62	56.05
phi range (min..max)	-5317.3..1145.5	-2868.4..650.8

4. Field maps (snapshots)

Each row shows (left-to-right) s, rho_info, phi, and |g| at the indicated time. All quantities are dimensionless. Patterns reflect the initial Gaussian lump and its relaxation under diffusion/damping.

Time	s	rho_info	phi	g
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5. Interpretation and limitations

What this does show: the one-pager can be implemented coherently as a PDE + Poisson solve; the information field produces a well-defined potential and acceleration field; and the system behaves qualitatively as expected (fields relax as s diffuses/decays).

What this does NOT show: any real-world gravity modification. The simulation is **not** tied to SI units, not constrained by experimental constants, not compared to GR predictions or gravimetry data, and not falsifiable until parameters are mapped to measurable observables.

Also note: periodic boundary conditions and mean-subtracted Poisson RHS enforce a zero-mean potential. Different boundary choices (open/Dirichlet/Neumann) can change the qualitative appearance of ϕ .

6. Next steps to make it testable

- 1) Choose a measurement target (e.g., torsion balance, atom interferometer, superconducting gravimeter) and define an observable (Δg at a sensor, phase shift, or differential acceleration).
- 2) Map s and ρ_{info} to physical units (J/m^3 or kg/m^3 equivalent) with an explicit coupling constant to G .
- 3) Add a null-model and nuisance terms (thermal drift, EM pickup, vibration) and show parameter recovery on synthetic data.
- 4) Publish simulation code + parameter sweeps + identifiability analysis; then register a small benchtop pilot with pre-registered criteria.

Appendix: Reproducibility notes

Implementation details: FFT derivatives (spectral gradients and Laplacian) on a 256x256 grid; explicit Euler update for s ; FFT Poisson solve with $k=0$ mode set to zero. Initialization: Gaussian lump for s ; optional fixed Gaussian ρ_{matter} for comparison. All plots and tables in this PDF were generated from the same run.