

Name	Pranay Singhvi
UID no.	2021300126

Experiment 4

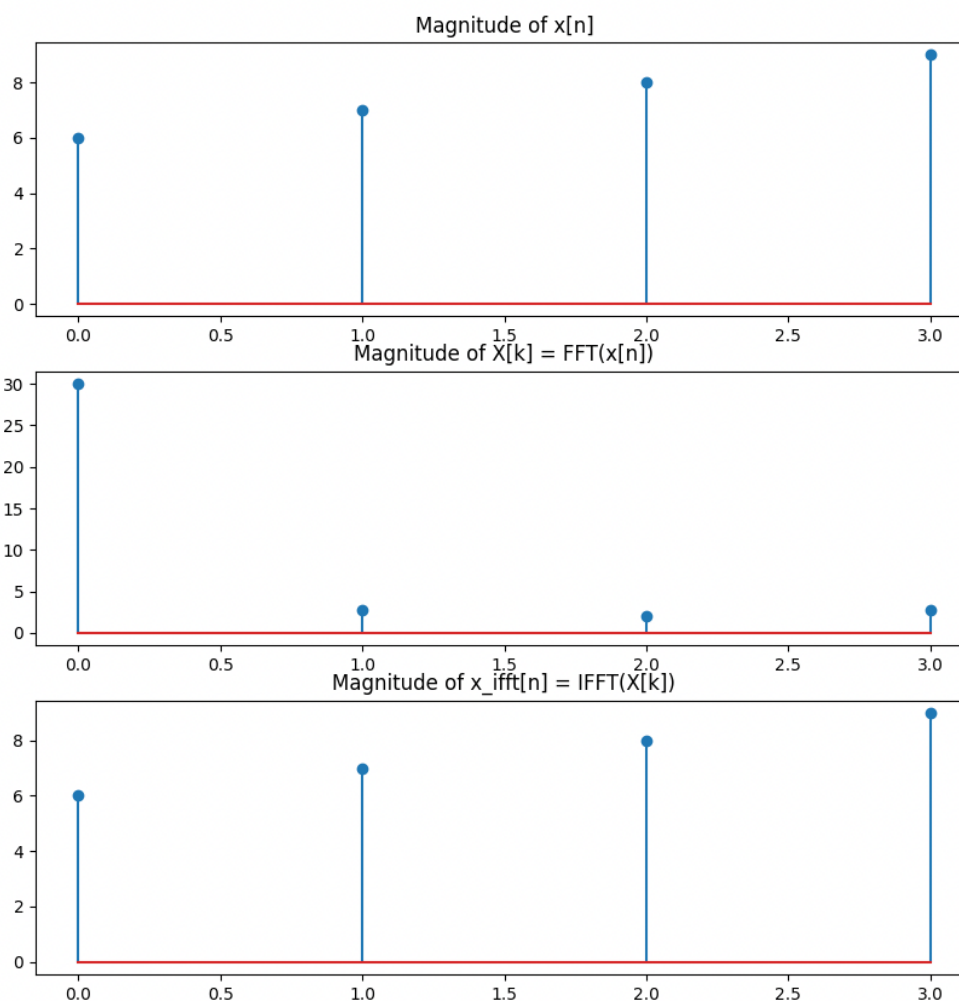
AIM:	The aim of this experiment is to implement computationally Fast Algorithms.
OBJECTIVE:	1. Develop a program to perform FFT of N point Signal. 2. Calculate FFT of a given DT signal and verify the results using mathematical formula. 3. Computational efficiency of FFT.
PROBLEM DEFINITION:	(1) Take any four-point sequence $x[n]$. Find FFT of $x[n]$ and IFFT of $\{X[k]\}$. (2) Calculate Real and Complex Additions & Multiplications involved to find $X[k]$.
INPUT SPECIFICATIONS	1. Length of first Signal N 2. DT Signal values

EXPERIMENTATION AND RESULT ANALYSIS

CASE 1: To find DFT of 4 point sequence

Input $x[n] = \{ 6, 7, 8, 10 \}$ Length $L = 4$

Output : $x[K] =$



```

Enter the length of the signal (N): 4
Enter the value of x[0]: 6
Enter the value of x[1]: 7
Enter the value of x[2]: 8
Enter the value of x[3]: 9
Magnitude of FFT output: [30.          2.82842712  2.          2.82842712]

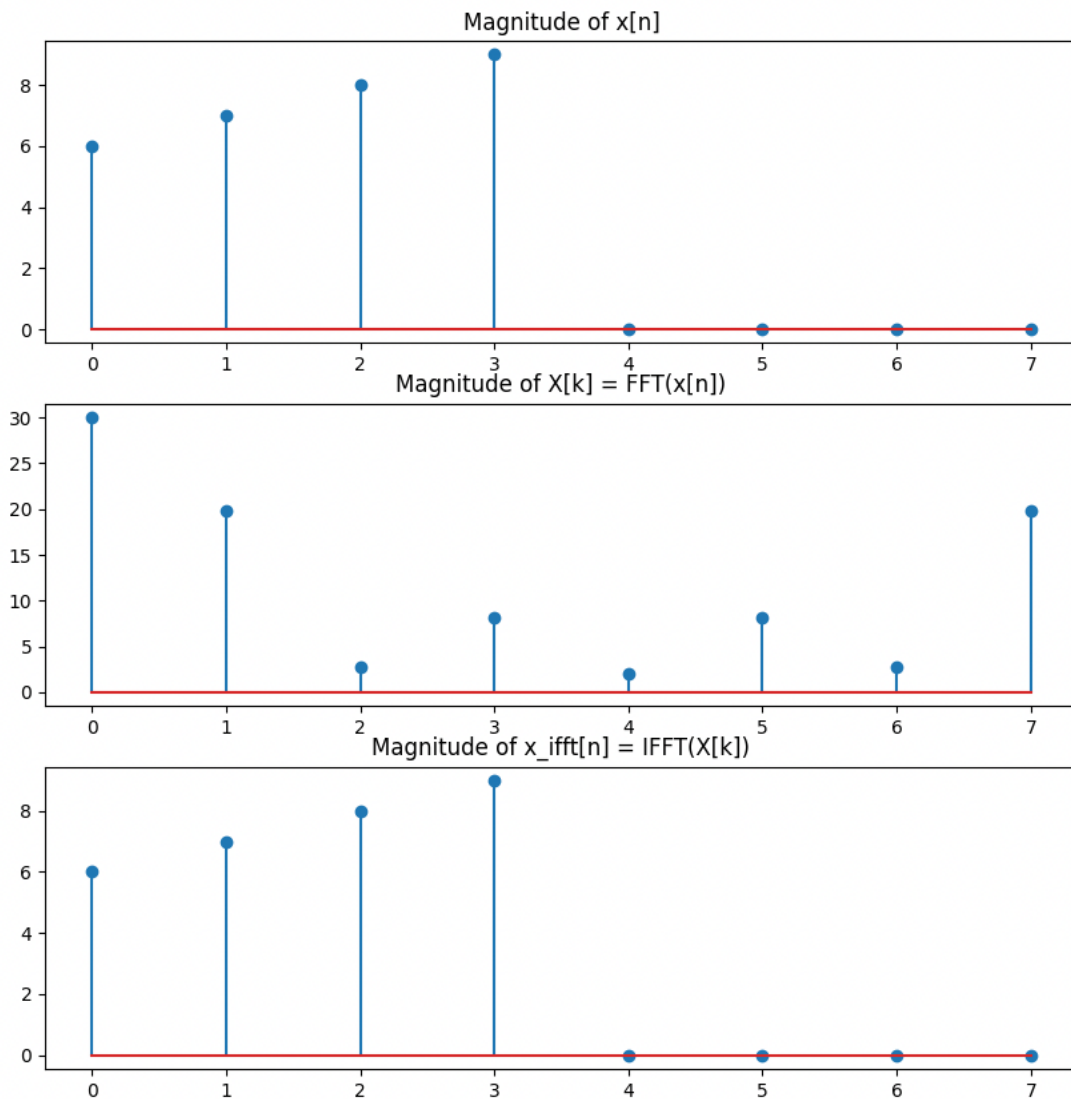
Operation Counts for FFT:
Complex Additions: 8
Complex Multiplications: 4

Time Comparison:
DFT time: 0.0008487701416015625 seconds
FFT time: 0.0014498233795166016 seconds

```

CASE 2 To find DFT of zero padded signal

Input $x[n] = \{ 6, 7, 8, 10, 0, 0, 0, 0 \}$ Length $L = 8$



```

Enter the length of the signal (N): 8
Enter the value of x[0]: 6
Enter the value of x[1]: 7
Enter the value of x[2]: 8
Enter the value of x[3]: 9
Enter the value of x[4]: 0
Enter the value of x[5]: 0
Enter the value of x[6]: 0
Enter the value of x[7]: 0
Magnitude of FFT output: [30.19.85066178 2.82842712 8.12103606 2.82842712 19.85066178]

Operation Counts for FFT:
Complex Additions: 24
Complex Multiplications: 12

Time Comparison:
DFT time: 0.0009331703186035156 seconds
FFT time: 0.0019440650939941406 seconds

```

CONCLUSION:

1. Computational Efficiency in DFT:
 - a) Total Real Multiplications = $4N^2$
 - b) Total Real Additions = $4N^2 - 2N$
2. Computational Efficiency in FFT:
 - a) Total Real Multiplications = $2N \cdot \log_2 N$
 - b) Total Real Additions = $3N \cdot \log_2 N$
3. FFT produces fast results due to:
 - a) Less Computations
 - b) Parallel implementations