

Law of Thermodynamics:-

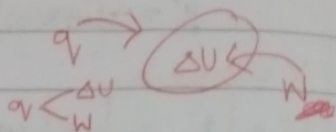
1) Zeroth law:- If two systems **A** and **B** are thermally equilibrium with system **C**, then **A** is thermally equilibrium with **B**

2) First law:- (Conservation of energy)

Energy can neither be created nor destroyed but can be converted from one form to another

In thermodynamics, heat (q) given to a system is partly converted into internal energy (ΔU) and work done on the environment (W)

$$\therefore q = W + \Delta U$$



2) Second law:-

Heat always flow from high to low temperature.

In thermodynamics, the ^{change in} entropy of an isolated system always increases

$$\text{Entropy (S)} \rightarrow \frac{Q}{T}$$

When Heat is Added / Heat is Removed

System absorbs heat ($Q > 0$), entropy of that system increases

If a hot object transfer heat to cold object, the entropy of hot object decreases and entropy of cold object increases

$$\text{For hot object: } S_h = -\frac{Q_h}{T_h}$$

$$\text{For cold object: } S_c = \frac{Q_c}{T_c}$$

Net change in entropy:-

$$\Delta S = -\frac{Q_h}{T_h} + \frac{Q_c}{T_c}$$

Overall change in entropy is always +ve

$$\begin{aligned} & \text{if } Q_h = Q_c \\ & \text{and } T_h > T_c \end{aligned}$$

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Relation betⁿ Enthalpy & Internal energy

$$\Delta U = \underset{\substack{\uparrow \\ \text{heat}}}{q} + \underset{\substack{\uparrow \\ \text{work done}}}{W}$$

In Isobaric condition: $\Delta U = q_p + W$ (constant pressure)

$$\Rightarrow \boxed{\Delta U = H + W} \quad \text{where } H \rightarrow \text{enthalpy}$$

When heat is added to cold body:-

$$q = 50\text{J} \rightarrow \Delta U = 50\text{J} \quad W = 20\text{J} \quad \therefore H = 50 - 20 = 30\text{J}$$

* Enthalpy \rightarrow heat supplied to system at constant pressure

We know, $W = -P_{\text{ext}} \cdot \Delta V = -P\Delta V$

$$\therefore \Delta U = H + (-P\Delta V) \quad (\text{for each system object})$$

$$\Rightarrow \boxed{H = \Delta U + P\Delta V}$$

\therefore For system, ΔH (Change in enthalpy):-

$$\boxed{\Delta H = \Delta U + P\Delta V}$$

$$\downarrow (\text{or}) \quad P\Delta V = \Delta nRT$$

$$\boxed{\Delta H = \Delta U + \Delta nRT}$$

Here, $W = -P\Delta V$

$$\Rightarrow W = -\Delta nRT$$