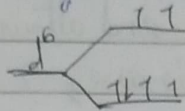
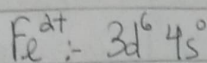


Internal Assessment - I (Set 2)

[CLAT-11]

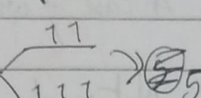
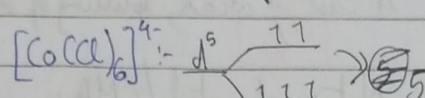
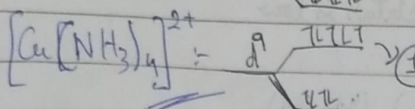
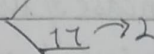
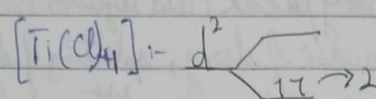
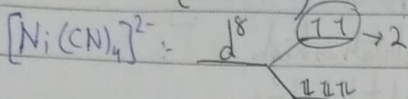
Part-A:-

1. high spin \rightarrow weak field ligand Iron(II) octahedral complex



\therefore No. of unpaired $e^- = 4$

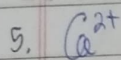
2. $\mu_B = \sqrt{n(n+2)} \Rightarrow 1.73 = \sqrt{n(n+2)}$
 Here, for $n=1$. $\mu_B = 1.73$
 (# unpaired)



3. $CFSE = (-0.4 \Delta_o + 0.6 \Delta_o) + n_p P$

For weak Δ_o :- $CFSE = [-0.4(5) + 0.6(2)]\Delta_o = -0.8\Delta_o + 2P$
 For strong Δ_o :- $CFSE = [-0.4(6) + 0.6(1)]\Delta_o = -1.8\Delta_o + 3P$

4. $[\text{Co}(\text{Cl}_2(\text{en})_2)] \rightarrow$ In the form of $[\text{MA}_2\text{B}_2]$ \therefore Geometrical Isomerism



Part-B:-

6a)(i)

Ionization Energy

Energy required to remove outermost electron from gaseous isolated atom

For metals:- Along period, $IE \uparrow$
 (due to increase in nuclear charge)

Along group, $IE \downarrow$

For non-metal:- Along period, $IE \uparrow$
 (same reason as metals)

Along group, $IE \downarrow$

(metallic character \uparrow non-metallic character \downarrow)

Electron Affinity

Energy released when a gaseous isolated atom gains an e^-

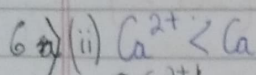
For metals:- Along period, $E.A \downarrow$
 (non-metallic character increases)

Along group, $E.A \uparrow$
 (metallic character decreases)

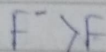
For non-metal:- Along period, $E.A \uparrow$
 (non-metallic character \uparrow)

Along group, $E.A \downarrow$

(non-metallic character \downarrow)



Ca^{2+} has $2e^-$ less than Ca \therefore Nuclear pull increase,
Size of Ca^{2+} decrease



F^- has $1e^-$ more than F and attains noble gas configuration
 \therefore Effective nuclear pull decrease \rightarrow Size of F^- increase

6. (i) Factors affecting Δ_o are:-

1. Strong/Weak Field ligands:- [Nature of ligand]

In case of strong, splitting of d-orbitals is high

In case of weak, splitting of d-orbitals is low

2. Nature of metal/CMA:- $(3d) (4d) (5d)$

Whether the metal belongs to $1^{st}, 2^{nd}, 3^{rd}$ transition series

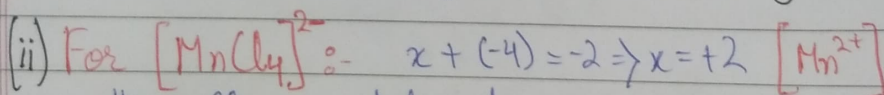
3. Charge on CMA:-

Charge on CMA (transition metals) have variable valencies

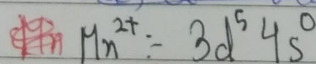
More the charge, greater the Δ_o value and vice versa

4. Electronic configuration of CMA:-

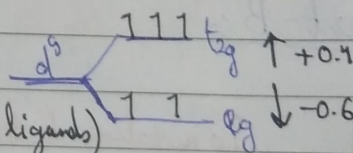
The distribution of e^- in t_{2g} & e_g orbitals directly impacts CFSE



Here, $\text{Cl} \rightarrow$ weak ligand



Here, $[\text{MnCl}_4]^{2-} \rightarrow$ tetrahedral (4 ligands)



CFSE = $[-0.6 n_{t_{2g}} + 0.4 n_{e_g}] + n_p P$

= $[-0.6(2) + (0)P]$

= $[-0.6(2) + 0.4(3)] + (0)P$

= $0 \Delta_o + 0 P$

\therefore CFSE = 0

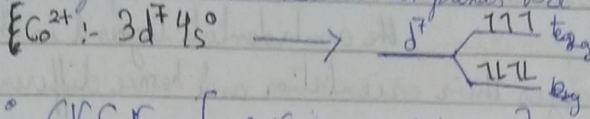
$M_s = \sqrt{n(n+2)} = \sqrt{5(5+2)} = \sqrt{35}$

= 5.92

For $[\text{CoCl}_4]^{2-}$: $x + (-4) = -2 \Rightarrow x = +2$ $[\text{Co}^{2+}]$

Here, ~~Cl~~

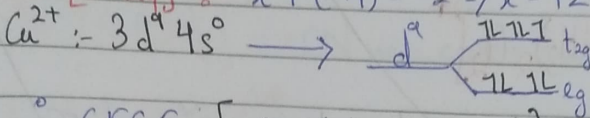
All ligands in tetrahedral complexes are WFL $\left[\Delta_t = \frac{4}{9} \Delta_o \right]$



$$\begin{aligned} \therefore \text{CFSE} &= [-0.6 n_{eg} + 0.4 n_{t_{2g}}] \Delta_t + n_p P \\ &= [-0.6(4) + 0.4(3)] \Delta_t + 2P \\ &= -1.2 \Delta_t + 2P \end{aligned}$$

$$\begin{aligned} M_s &= \sqrt{n(n+2)} = \sqrt{3(3+2)} = \sqrt{15} \\ &= 3.87 \end{aligned}$$

For $[\text{CuCl}_4]^{2-}$: $x + (-4) = -2 \Rightarrow x = +2$ $[\text{Cu}^{2+}]$



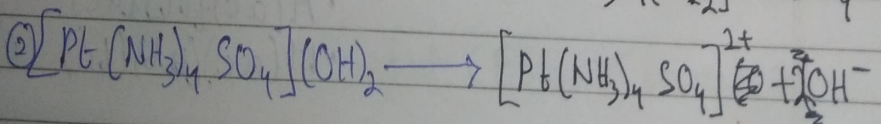
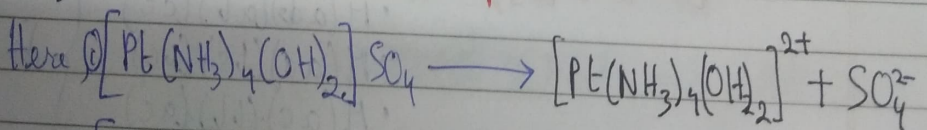
$$\begin{aligned} \therefore \text{CFSE} &= [-0.6(4) + 0.4(5)] \Delta_t + 4P \\ &= -0.4 \Delta_t + 4P \end{aligned}$$

$$\begin{aligned} M_s &= \sqrt{n(n+2)} = \sqrt{1(1+2)} = \sqrt{3} \\ &= 1.73 \end{aligned}$$

7a) (i) $[\text{Pt}(\text{NH}_3)_4(\text{OH})_2] \text{SO}_4$ & $[\text{Pt}(\text{NH}_3)_4 \text{SO}_4](\text{OH})_2$

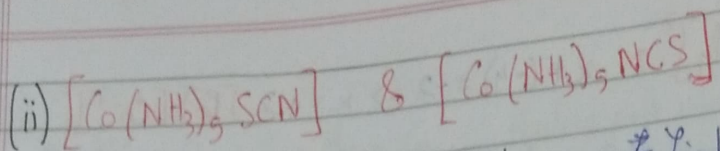
The type of Isomerism shown here \rightarrow Ionisation Isomerism
In this type of Isomerism, there is exchange of coordination and ionization spheres of the coordinate complex

When compounds give different ions in solution, even though they have same composition



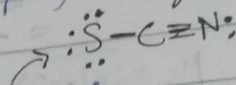
In ① we get SO_4^{2-} & ② we get OH^-

\therefore The counter ions (anion) are different

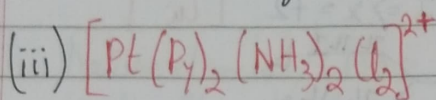


The type of isomerism shown here \rightarrow ~~Linkage~~ ^{Isomerism}
 In this type of isomerism, the ambidentate ligand in the complex changes their orientation and hence different donor atom.

When there is ambidentate ligands in a complex, linkage isomerism can take place.

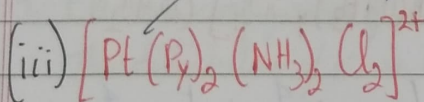


Here, the ambidentate ligand is SCN (S donor atom)
 SCN changes its orientation \rightarrow NCS (N donor atom)
 $\rightarrow \text{:}\text{N}\equiv\text{C}-\ddot{\text{S}}:$

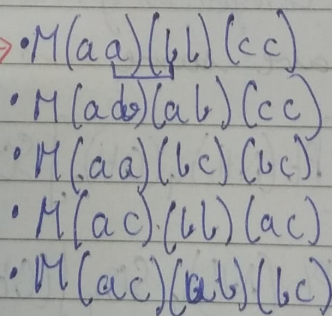
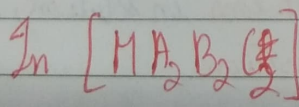


The type of isomerism shown here \rightarrow ~~Ligand~~ ^{Isomerism}
 In this type of isomerism, ligands adopt different isomeric form within the complex itself

When ligands itself shows isomerism, ~~Ligand~~ ^{Isomerism} takes place



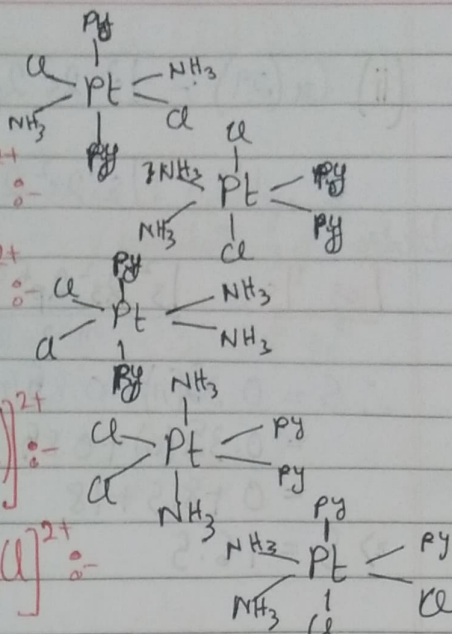
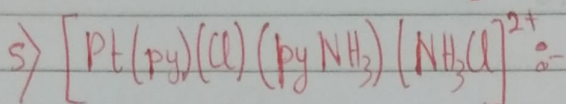
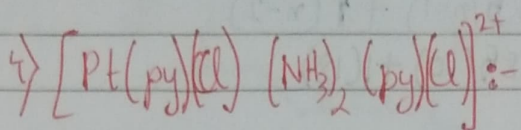
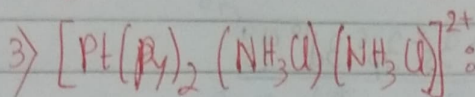
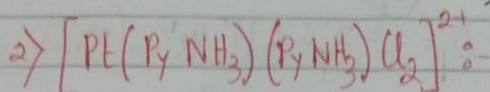
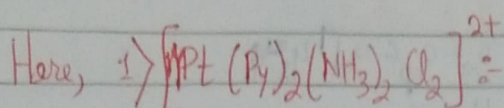
The type of isomerism shown here \rightarrow Geometrical Isomerism
 In this type of isomerism, the complex have same structural formula, chemical formula but different spatial arrangements of ligands



} 5 Ge. I

*

Cis & trans form also possible for each case



76) (i) In $[CrF_6]^{3+} \rightarrow F$ is a halogenic ligand (weak ligand)

In $[Cr(CN)_6]^{3+} \rightarrow CN$ is a carbon donor ligand (strong ligand)

In $[Cr(H_2O)_6]^{3+} \rightarrow H_2O$ is a oxygen donor ligand (weak ligand)

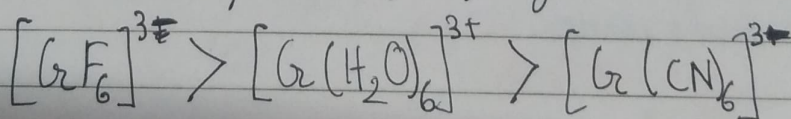
A/c to Spectrochemical series, $F < H_2O < CN$

We know, $CFSE \propto \text{Nature of ligand}$ & $CFSE = E = \frac{hc}{\lambda} \therefore CFSE \propto \frac{1}{\lambda}$

Based on nature of ligand :- 1) Strong ligand $\rightarrow CFSE \uparrow \rightarrow \lambda \downarrow$

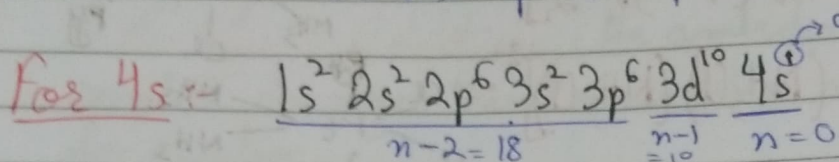
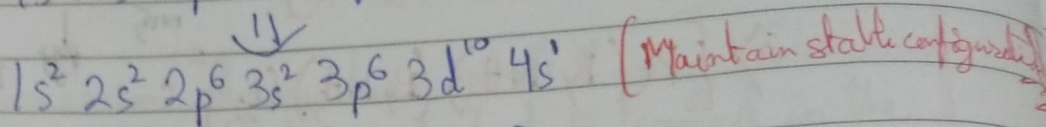
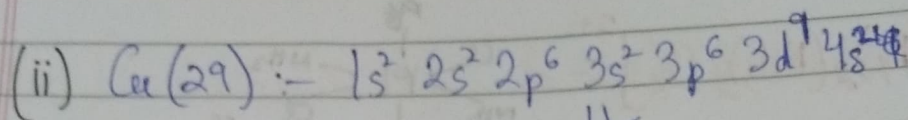
2) Weak ligand $\rightarrow CFSE \downarrow \rightarrow \lambda \uparrow$

\therefore In order of wavelength of light :-



Here, $[CrF_6]^{3+}$ has the lowest ~~lowest~~ $CFSE$ = highest λ

$[Cr(CN)_6]^{3+}$ has the highest $CFSE$ = lowest λ



$$\therefore S = 0.35(n) + 0.85(n-1) + 1(n-2)$$

$$= 0.35(0) + 0.85(10) + 1(18)$$

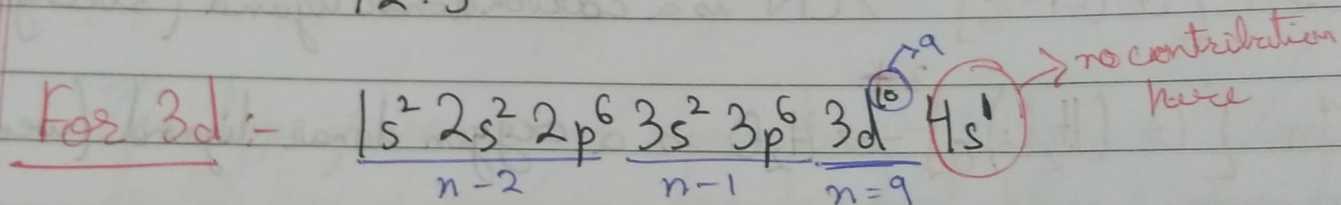
$$= 0 + 8.5 + 18$$

$$\Rightarrow S = 16.5$$

$$Z_{\text{eff}} = Z - S$$

$$= 29 - 16.5$$

$$= 12.5$$



$$\therefore S = 0.35(n) + 0.85(n-1) + 1(n-2)$$

$$= 0.35(9) + 0.85(8) + 1(10)$$

$$= 3.15 + 6.8 + 10$$

$$\Rightarrow S = 19.95$$

$$\therefore Z_{\text{eff}} = Z - S$$

$$= 29 - 19.95$$

$$= 9.05$$