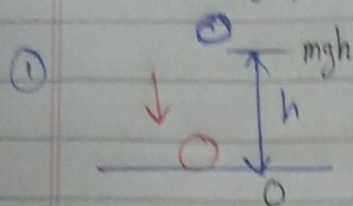
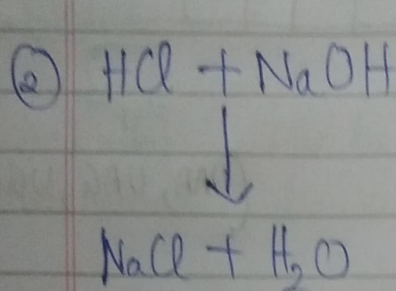


# Spontaneity of Chemical Reaction :-



Energy is more stable at ground  
High Energy  $\rightarrow$  Low Energy



This reaction occurs because :-  
Stability of :-

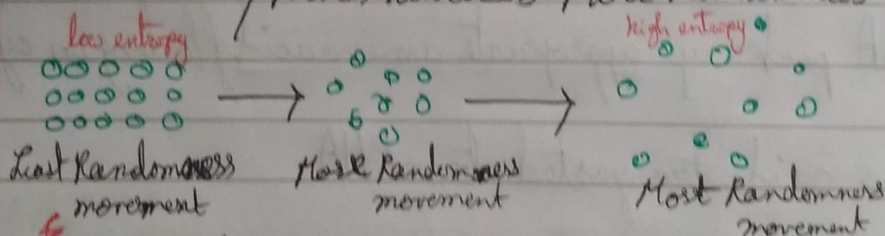
Products  $>$  Reactants

Therefore, stability of any chemical reaction will point towards low energy

Both endo & exothermic reactions can be spontaneous

For spontaneous reactions :-

- 1) High  $\rightarrow$  Low Energy Stability
- 2) Points towards More Randomness



This Randomness movement is called Entropy

Eg:  $W = 40\text{J}$  Work done by system

50J (v)  $q_{rev} = 40\text{J}$  100°C 600°C

At high temperature (600°C) Entropy is low  $\Delta S = \frac{q_{rev}}{T}$

At low temperature (100°C) Entropy is high  $x = \frac{40 \cdot (100)}{100 \cdot (T)} = 0.4 \text{ J/K}$  We cannot calculate absolute entropy



## Entropy:-

It is the quantity that tells whether a chemical reaction or physical change can occur spontaneously in an isolated system or not.

Entropy of system is difficult to express.

Hence, Change of entropy during change of state can be expressed

$\therefore \Delta S$  is the integral of all terms involving  $\frac{q_{rev}}{T}$

$$\therefore \boxed{\Delta S = \frac{q_{rev}}{T}}$$

$$\Delta S_{Total} = \Delta S_{(system)} + \Delta S_{(surroundings)}$$

Conditions:- 1) If  $\Delta S_{Total} = 0$  :- Equilibrium & Reversible process

2) If  $\Delta S_{Total} > 0$  :- Spontaneous & Irreversible process

3) If  $\Delta S_{Total} < 0$  :- Non-spontaneous

$\therefore$  Entropy is a state function  $\rightarrow$  depends on initial & final state  
 $\rightarrow$  does not depend on path

For Reversible process, 
$$\Delta S = \Delta S_{sys} + \Delta S_{surrounding}$$
$$= \frac{+q}{t} + \left( \frac{-q}{t} \right) \quad \left( \begin{array}{l} \text{same temperature} \\ (t) \end{array} \right)$$

$$\Rightarrow \Delta S = 0$$

For Irreversible process, 
$$\Delta S = \frac{+q}{T_1} + \left( \frac{-q}{T_2} \right) \quad \left( \begin{array}{l} \text{different temperature} \\ T_1 \rightarrow T_2 \end{array} \right)$$
$$= q \left( \frac{1}{T_2} - \frac{1}{T_1} \right) = q \left( \frac{T_1 - T_2}{T_1 T_2} \right)$$

But  $T_1 > T_2 \therefore T_1 - T_2 \rightarrow +ve \therefore \Delta S > 0$