

4 WEDNESDAY
338-27

Tutorial 01

(i) Let A and B be two non-empty set and subset of Universal set then prove that

$$(i) (A-B) \cup (B-A) = (A \cup B) - (A \cap B)$$

$$(ii) A \cap (B-C) = (A \cup B) - (C-A)$$

$$(iii) (A \cap B) \times (C \cap D) = (A \times C) \cap (B \times D)$$

(ii) Out of 800 students in a class, 60 play football, 53 play Hockey, and 35 both the games. How many students

(a) do not play of these games.

(b) play only Hockey but not football

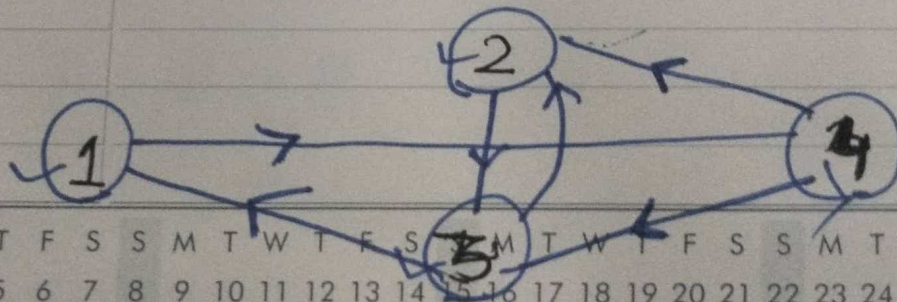
5 THURSDAY
339-26

(iii) Consider a relation R defined on $A = \{1, 2, 3\}$ whose matrix representation is given below. Determine its inverse R^{-1} and Complement R^c

$$M_R = \begin{bmatrix} 1 & 0 & 0 \\ 1 & 1 & 1 \\ 0 & 0 & 1 \end{bmatrix}$$

(iv) ~~Consider~~

(iv) Consider a Relⁿ R whose directed graph is shown. Determine its inverse R^{-1} and Complement R^c .



NOTES

Tutorial 02

(i) Consider a relⁿ R from a set A to B whose matrix is shown below. Determine the matrix representation (i) R^T (ii) R^1 in matrix where,

$$MR = \begin{bmatrix} 1 & 0 & 0 & 1 \\ 1 & 1 & 1 & 1 \\ 0 & 0 & 1 & 1 \\ 1 & 0 & 1 & 0 \end{bmatrix}$$

(ii) Let $A = \{2, 3, 4, 5\}$. The Relⁿ R and S on A defined by

$$R = \{(2,2), (2,3), (2,4), (2,5), (3,4), (3,5), (4,5), (5,3)\}$$

$$S = \{(2,3), (2,5), (3,4), (3,5), (4,2), (4,3), (4,5), (5,2), (5,5)\}$$

Find the matrices of the above relations. Use the matrices to find the following compositions of the Relⁿ R & S

(I) $R \circ S$ (II) $R \circ R$ (III) $S \circ R$

iii) If the fⁿ $F: \mathbb{R} \rightarrow \mathbb{R}$ defined by $F(x) = x^2$, Find $F^{-1}(4)$ & $F^{-1}(-4)$

(iv) If $F: \mathbb{R} \rightarrow \mathbb{R}$ and $g: \mathbb{R} \rightarrow \mathbb{R}$ defined by $F(x) = x^3 - 4x$, $g(x) = \frac{1}{x^2 + 1}$ $h(x) = x^4$

National Day (AE)

MONDAY 2
336-29

Find Composition

(i) $(f \circ g \circ h)(x)$

(ii) $(h \circ g \circ f)(x)$

(iii) $(g \circ g)(x)$

(iv) $(g \circ h)(x)$

(v) If $f: A \rightarrow B$ and $g: B \rightarrow C$ be one-to-one, onto functions. then $g \circ f$ is also one-to-one & onto & prove $(g \circ f)^{-1} = f^{-1} \circ g^{-1}$

(vi) Let the fn $F: R \rightarrow R$ defined by.

$$F(x) = \begin{cases} 3x + 12 & \text{for } x > 3 \\ 2x^2 + 3 & \text{for } -2 < x \leq 3 \\ 3x^2 - 7 & \text{for } x \leq -2 \end{cases}$$

Find (i) $F^{-1}(5)$ (ii) $F^{-1}(-5)$.

National Day (AE)

MONDAY 2
336-29

Find Composition

(I) $(F \circ g \circ h)(x)$

(II) $(h \circ g \circ F)(x)$

(III) $(g \circ g)(x)$

(IV) $(g \circ h)(x)$

(V) If $F: A \rightarrow B$ and $g: B \rightarrow C$ be one-to-one, onto functions. then $g \circ F$ is also one-to-one & onto & prove $(g \circ F)^{-1} = F^{-1} \circ g^{-1}$

(VI) Let the $F^n F: R \rightarrow R$ defined by.

$$F(x) = \begin{cases} 3x + 12 & \text{for } x > 3 \\ 2x^2 + 3 & \text{for } -2 < x \leq 3 \\ 3x^2 - 7 & \text{for } x \leq -2 \end{cases}$$

Find (I) $F^{-1}(5)$ (II) $F^{-1}(-5)$.

NOV/DEC 2019

Week 48

29 FRIDAY
333-32

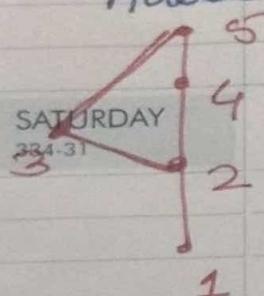
Tutorial 03

(i) Show that the given set is poset on set $A = \{1, 2, 3, 4\}$ and consider the Relⁿ

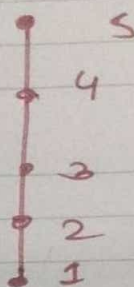
$$R = \{(1,1), (2,1), (2,2), (3,1), (3,3), (3,4), (4,4)\}$$

Show that R is partial ordering and draw its Hasse Diagram

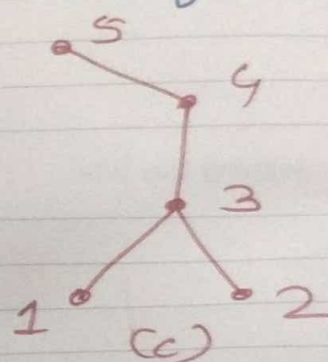
(ii) Let, $A = \{1, 2, 3, 4, 5\}$. Determine the relations represented by the following Hasse Diagram



(a)



(b)



(c)

also find least, greatest, minimal & maximal

(iii) consider the divides relation on each of the following sets S . Draw the Hasse Diagram for each relation find

(a) minimal & maximal element

(b) greatest & least element

$$S = \{2, 3, 5, 30, 60, 120, 180, 360\}$$

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