

DMPM LAB 8

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CODE:

```
library(tree)
library(rpart)
library(rpart.plot)
library(vip)
library(Metrics)
prostate = read.csv("D:/TY sem6/DMPM LAB/Assn6/prostate.csv")

head(prostate)
str(prostate)
dim(prostate) #97x6
summary(prostate)
#no NANS, need to scale the data
#lcavol - response variable

#split
set.seed(123)
sample_ind = sample(nrow(prostate), nrow(prostate)*0.80)
train = prostate[sample_ind,]
test = prostate[-sample_ind,]

dim(train)
dim(test)

pstree <- rpart(
  formula = lcavol ~ .,
  data     = train,
  method   = "anova"
  , control = list(cp = 0, maxdepth = 30, minsplit = 20)
)
rpart.plot(pstree)
plotcp(pstree)
preds = predict(pstree, test)

cat("RMSE: ", rmse(test$lcavol, preds), "\nMAE: ",
    mae(test$lcavol, preds),
    "\nMSE: ", mse(test$lcavol, preds))
```

```

rpart.plot(pstree)
plotcp(pstree)

printcp(pstree)

vip(pstree, num_features = 5)

#pruning

prunedTree <- rpart(
  formula = lcavol ~ .,
  data     = train,
  method   = "anova"
  , control = list(cp = 0.01)
)
preds2 = predict(prunedTree, test)

cat("RMSE: ", rmse(test$lcavol,preds2),"\nMAE: ",
mae(test$lcavol,preds2),
    "\nMSE: ", mse(test$lcavol,preds2))
rpart.plot(prunedTree)
plotcp(prunedTree)

```

OUTPUT:

```

> head(prostate)
  lcavol age    lbph    lcp gleason    lpsa
1 -0.5798185  50 -1.386294 -1.386294      6 -0.4307829
2 -0.9942523  58 -1.386294 -1.386294      6 -0.1625189
3 -0.5108256  74 -1.386294 -1.386294      7 -0.1625189
4 -1.2039728  58 -1.386294 -1.386294      6 -0.1625189
5  0.7514161  62 -1.386294 -1.386294      6  0.3715636
6 -1.0498221  50 -1.386294 -1.386294      6  0.7654678
> str(prostate)
'data.frame':  97 obs. of  6 variables:
 $ lcavol : num  -0.58 -0.994 -0.511 -1.204 0.751 ...
 $ age    : int   50 58 74 58 62 50 64 58 47 63 ...
 $ lbph   : num  -1.39 -1.39 -1.39 -1.39 -1.39 ...
 $ lcp    : num  -1.39 -1.39 -1.39 -1.39 -1.39 ...
 $ gleason: int    6 6 7 6 6 6 6 6 6 6 ...
 $ lpsa   : num  -0.431 -0.163 -0.163 -0.163 0.372 ...
> dim(prostate) #97x6
[1] 97  6
> summary(prostate)
      lcavol      age      lbph      lcp
Min.   :-1.3471  Min.   :41.00  Min.   :-1.3863  Min.   :-1.3863
1st Qu.: 0.5128  1st Qu.:60.00  1st Qu.: -1.3863  1st Qu.: -1.3863
Median : 1.4469  Median :65.00  Median :  0.3001  Median : -0.7985
Mean    : 1.3500  Mean    :63.87  Mean    :  0.1004  Mean    : -0.1794
3rd Qu.: 2.1270  3rd Qu.:68.00  3rd Qu.:  1.5581  3rd Qu.:  1.1787
Max.    : 3.8210  Max.    :79.00  Max.    :  2.3263  Max.    :  2.9042
      gleason      lpsa
Min.   :6.000  Min.   :-0.4308
1st Qu.:6.000  1st Qu.: 1.7317
Median :7.000  Median : 2.5915
Mean    :6.753  Mean    : 2.4784
3rd Qu.:7.000  3rd Qu.: 3.0564
Max.    :9.000  Max.    : 5.5829
> |

```

There are total 6 features: lcp is the response variable. The data is not scaled but that would make no difference to the model since the model is decision tree model.

There are no Empty or NaN or missing values in the dataset.

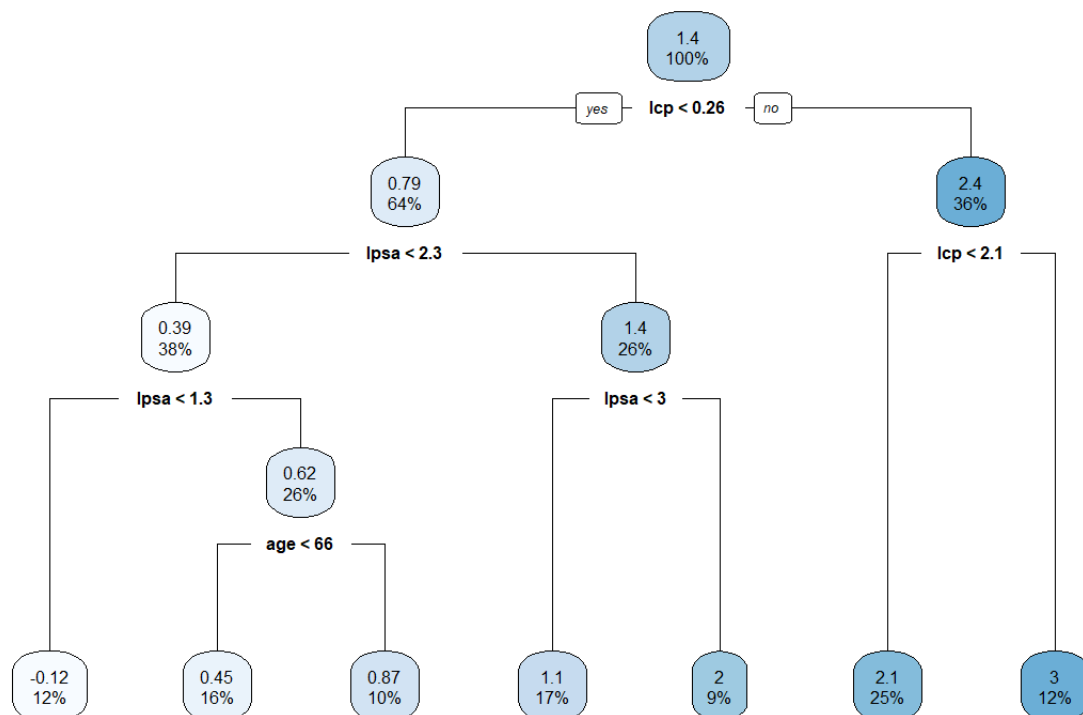
```
> dim(train)
[1] 77 6
> dim(test)
[1] 20 6
> |
```

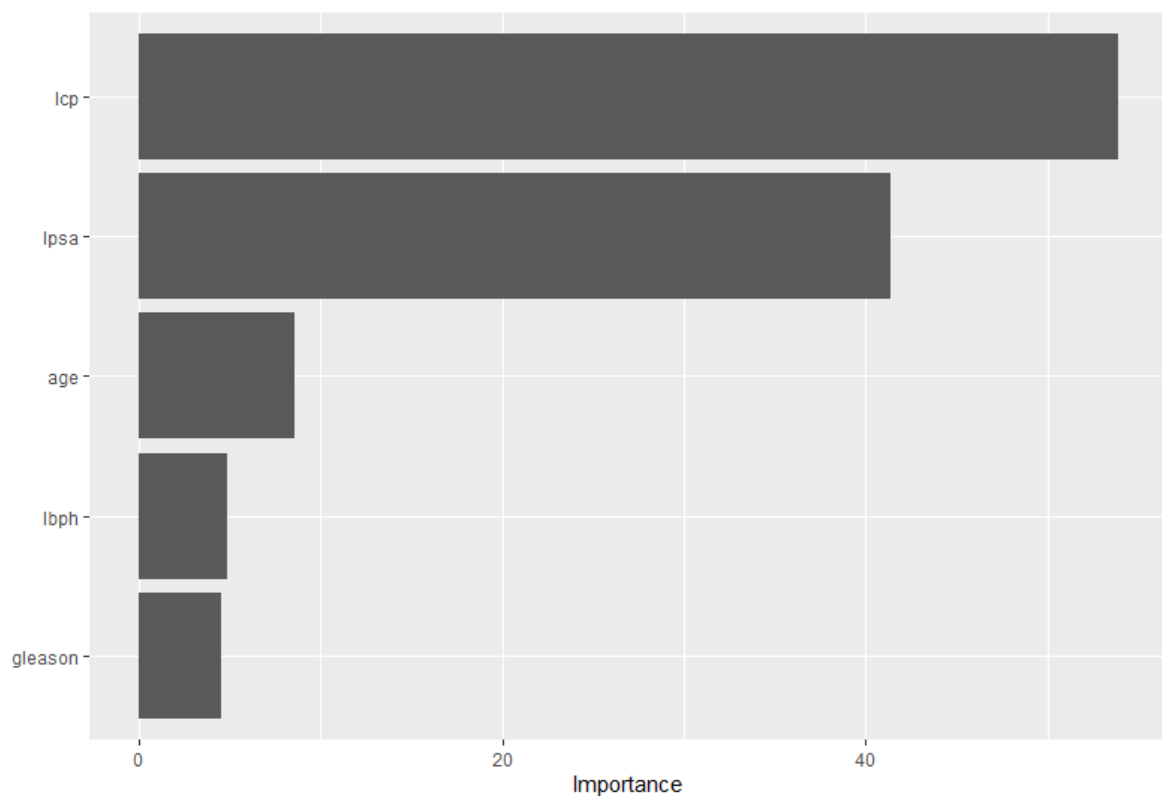
The data is split into training and test data using 80:20 ratio.

Creating the model:

Before pruning:

This is the base model, where the tree is allowed to grow, the following tree is formed:





Here's how the features are given importance by the tree. The most important features are **lcp** and **lpsa**. Dropping the rest of the features makes no change in the metrics.

```
> printcp(pstree)

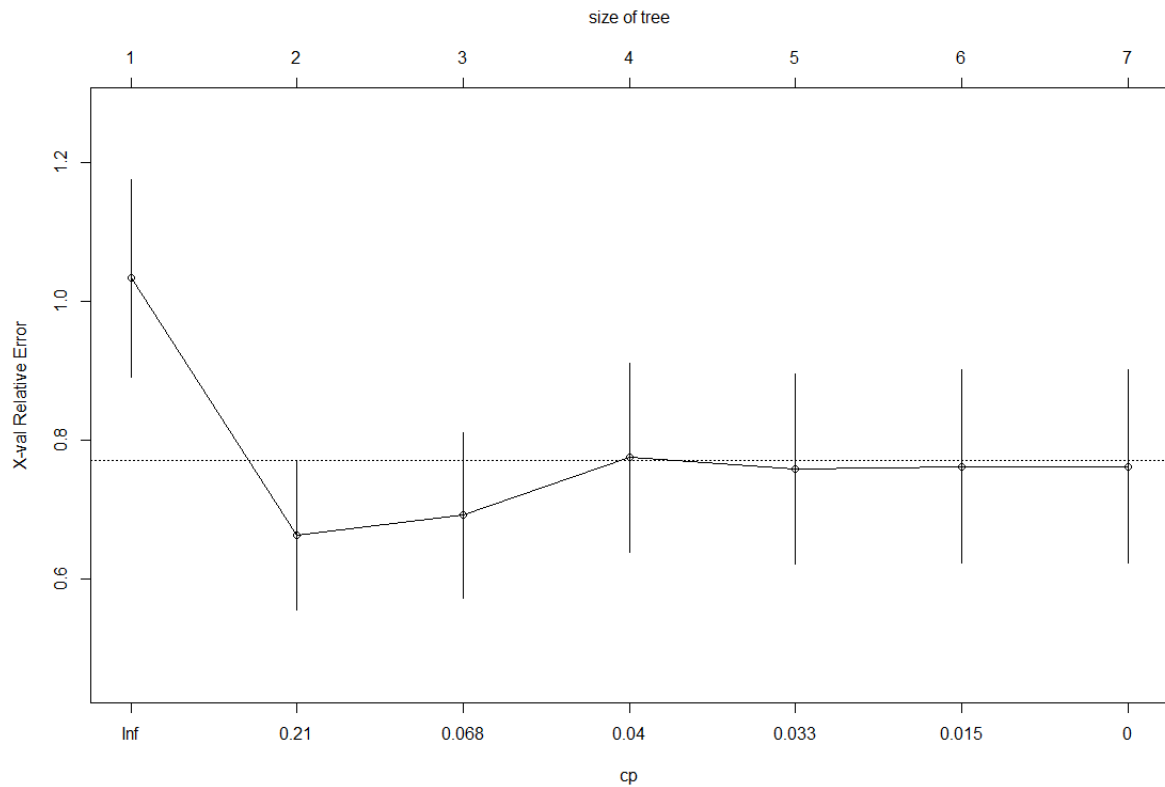
Regression tree:
rpart(formula = lcp ~ ., data = train, method = "anova", control = list(cp = 0,
  maxdepth = 30, minsplit = 20))

Variables actually used in tree construction:
[1] age  lcp  lpsa

Root node error: 110.35/77 = 1.4331

n= 77

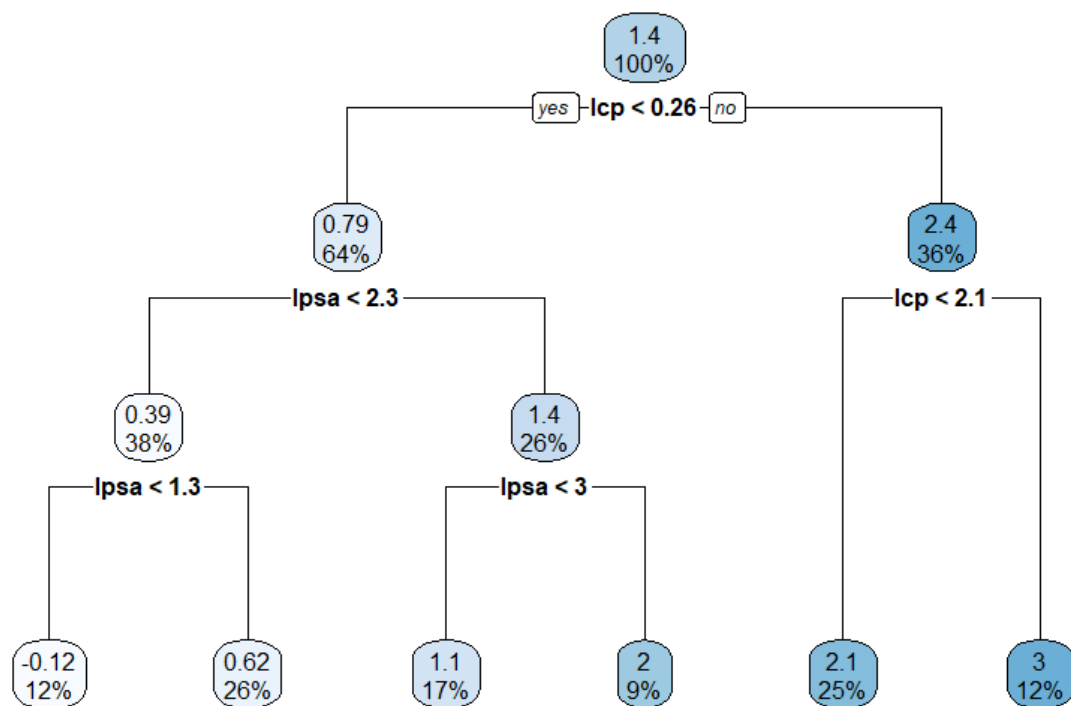
   CP nsplit rel error  xerror  xstd
1 0.4333351     0  1.00000 1.03268 0.14164
2 0.1063154     1  0.56666 0.66221 0.10799
3 0.0440216     2  0.46035 0.69114 0.11905
4 0.0355252     3  0.41633 0.77413 0.13670
5 0.0307296     4  0.38080 0.75822 0.13727
6 0.0074876     5  0.35007 0.76152 0.13933
7 0.0000000     6  0.34259 0.76152 0.13933
> |
```



Above graph shows the size of the tree. From the above plot we can observe the cp value. The CP (complexity parameter) is used to control tree growth. If the cost of adding a variable is higher than the value of CP, then tree growth stops.

After pruning:

From the above observations, I have taken $cp=0.01$.



Results:

Before pruning:

```

RMSE : 0.6025333
MAE : 0.5214287
MSE : 0.3630464
  
```

After pruning:

```

RMSE : 0.5862111
MAE : 0.5172799
MSE : 0.3436435
  
```

I have also observed that if the ratio of training dataset is increased the decision tree performs better. So If a larger dataset was provided the performance would be much better.

END
