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Q.1] D

Q.2] B

Q.3] D

Q.4] B

Q.5] A

Q.6] B

Q.7] C

Q.8] B

Q.9] D

Q.10] B

## (a) (i) Rasterization:

- It is technique of taking an image described in vector graphics format and transform it into a set of pixels, and rendering is the process of generating a photorealistic and non-photorealistic image from 2D or 3D model.

## (b) Scan Conversion:

- Process of representing graphical objects as collection of pixels.

Q2(a) Given:  $r = 4$ ,  $x_c = 0$ ,  $y_c = 0$

Plot 1<sup>st</sup> point as  $(0, r)$  i.e.  $(0, 4)$

Plot  $(0, 4)$

Hence plot  
it plot  $(4, 0)$

plot  $(0, -4)$

plot  $(-4, 0)$

Find  $P = 1 - r$

$$P = 1 - 4 = -3$$

Now  $(x \neq y)$

if  $P < 0$

In this case  $P = -3$

$\therefore$  we have to increase  $x$  by 1 and modify  $P = P + 2r + 1$

$$\therefore P = -3 + 2(0) + 1$$

$$\therefore -3 + 1 = -2$$

Now we are not increasing  $y$

Plot  $(x+1, y)$

i.e.  $(1, 4)$

Now,  $P = -2$  i.e.  $P < 0$

Increase  $x$  by 1

$$P \text{ as } P + 2r + 1$$

$$P = -2 + 2(1) + 1 = 1$$

No change in  $y$

Plot  $(x+1, y)$  i.e.  $(2, 4)$

Now,  $P = 1$  i.e.  $P > 0$

Increase  $x$  by 1, decrease  $y$  by 1

$$P = P + 2(x-y) + 1$$

$$P = 1 + 2(2-4) + 1$$

$$\therefore -2$$

Plot  $(x+1, y-1)$  i.e.  $(3, 3)$

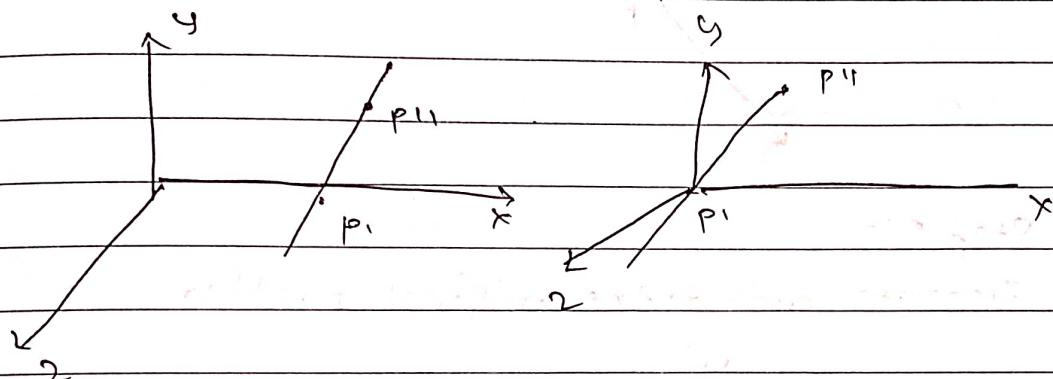
$\therefore x = y$ , Stop here

x	y
0	4
1	4
2	4
3	3

(a) ii) When object is rotated about axis such that it is not parallel to any one of the coordinate axis which is  $x_1, y_1, z$ . Then additional transformations are required. Following steps are required.

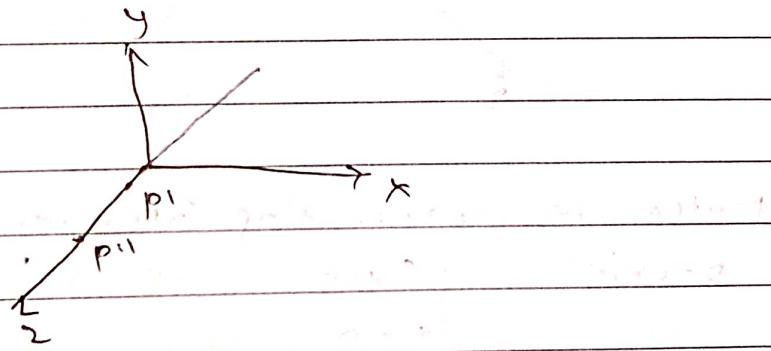
1. Step 1  $\rightarrow$

translate the object to origin:-



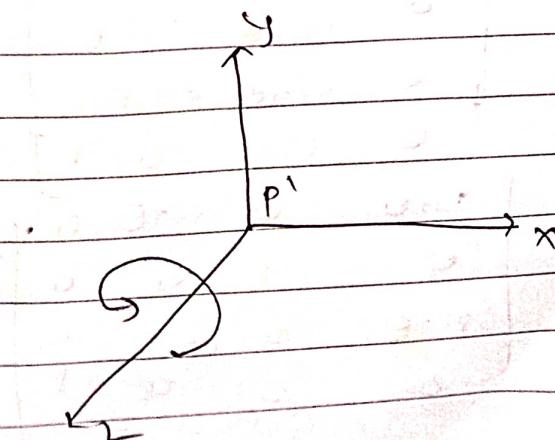
Step 2:-

Rotate object so that the object coincide with any of the coordinate axis



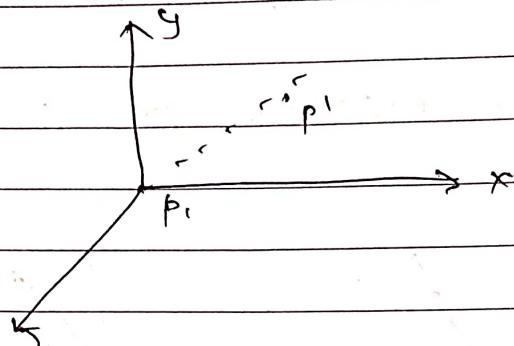
Step 3:-

Perform rotation about coordinate axis which when coincide is done.



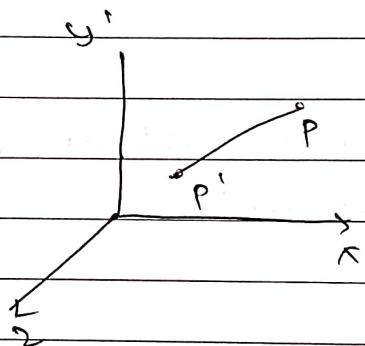
Step 4:-

Apply inverse rotation to bring the rotation back to original position



Step 5:-

translate axis to the original position



Matrix for representing 3D rotation about:-

z-axis :-

$$\begin{bmatrix} \cos\theta & -\sin\theta & 0 & 0 \\ \sin\theta & \cos\theta & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

x-axis :-

$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos\theta & -\sin\theta & 0 \\ 0 & \sin\theta & \cos\theta & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

y-axis :-

$$\begin{bmatrix} \cos\theta & 0 & \sin\theta & 0 \\ 0 & 1 & 0 & 0 \\ \sin\theta & 0 & -\cos\theta & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

Q.3(i) Animation refers to the movement on the screen of the display device created by displaying sequence of still images.

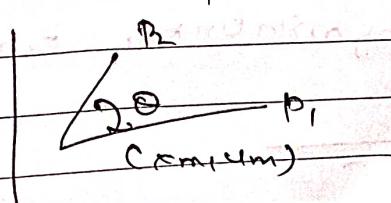
- A person who creates animation is called as animator
- Animation refers to the technique of designing, drawing, preparation of photographic slides images.
- There are ~~the~~ 10 principles of Animation

- (a) Staging
- (b) Squash and stretch
- (c) 3D effect
- (d) Timing
- (e) Appeal
- (f) Overlap
- (g) Arcs
- (h) Secondary Action
- (i) Slow-in - Slow-out

~~Q.3(ii)~~ Ray tracing is also called as Plane Equation method.

- It is an object space method in which objects and parts of objects are compared to find the visible surfaces
- It is used to check if the triangle facing will be facing away from the viewer or not

Q.3(iii) When reference point of rotation is other than origin then in that case we have to follow center of transformation which is said to be composite transformation



Assume we have to rotate point P<sub>2</sub> with respect to (x<sub>m</sub>, y<sub>m</sub>) then we have to perform following steps

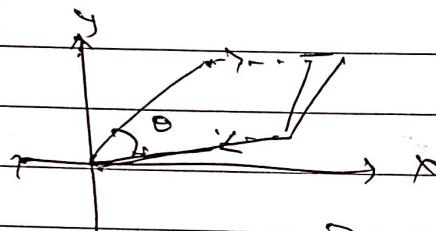
$$\mathbf{R} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ -x_m & -y_m & 1 \end{bmatrix}$$

$$\Delta x = -x_m \quad \Delta y = -y_m$$

Then rotate it in clockwise direction :-

$$\begin{bmatrix} \cos\theta & -\sin\theta & 0 \\ \sin\theta & \cos\theta & 0 \\ 0 & 0 & 1 \end{bmatrix} \quad \text{at } 2\theta.$$

Now translate back to normal normal



$$\mathbf{R}' = \begin{bmatrix} 1 & 0 & 0 \\ x'_m & 1 & 0 \\ x_m & y_m & 1 \end{bmatrix}$$

translational \* Rotation \* translational

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ -x_m & -y_m & 1 \end{bmatrix} * \begin{bmatrix} \cos\theta & -\sin\theta & 0 \\ \sin\theta & \cos\theta & 0 \\ 0 & 0 & 1 \end{bmatrix} * \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ x_m & y_m & 1 \end{bmatrix}$$

$$= \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ -x_m & -y_m & 1 \end{bmatrix} * \begin{bmatrix} \cos\theta & -\sin\theta & 0 \\ \sin\theta & \cos\theta & 0 \\ x_m & y_m & 1 \end{bmatrix}$$

$$= \begin{bmatrix} \cos\theta & \sin\theta & 0 \\ -\sin\theta & \cos\theta & 0 \\ x_m \cos\theta + y_m \sin\theta - x_m & x_m \sin\theta - y_m \cos\theta - y_m & 1 \end{bmatrix}$$

~~a. b) ii) - Normalizer is an active transformation used to convert single row into multiple column and vice-versa.~~

~~- If it is a single row then there is repeating data in multiple columns, then it can be split into multiple rows.~~

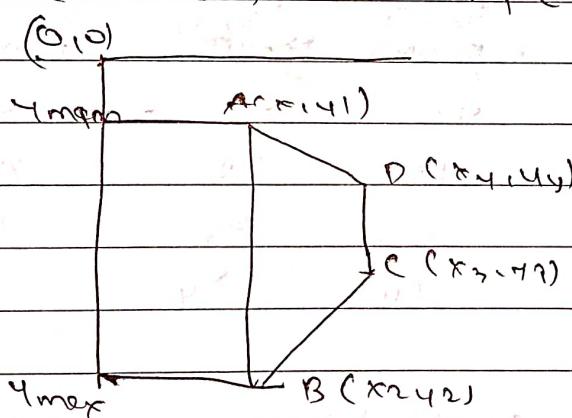
~~a. b) iii) An scan line polygon is filling up polygons using horizontal lines or scan lines.~~

~~- Scan fill line fill algorithm is defined at geometric level i.e. coordinates, edges, vertices etc.~~

~~- It checks every pixel on that scan line satisfies inside point test or not.~~

~~- This method avoid need for seed point~~

~~Ex - Address book for example~~



Here the algorithm begins with the first scan line that the polygon occupies  $y_{max}$  and proceeds line by line towards last scan line  $y_{min}$  and form the above considering the first and last scan line of polygon not each edge of polygon are storing five attributes. we are going to store  $x_{max}$ ,  $x_{min}$ ,  $y_{max}$ ,  $y_{min}$  of edges of the polygon

$x_{max} = x_1$   
 $y_{max} = y_2$   
 $x_{min} = x_1$   
 $y_{min} = y_1$

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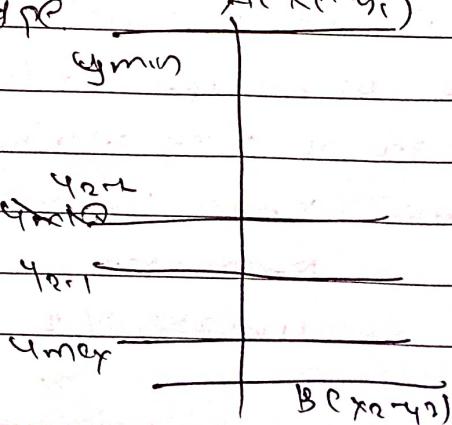
By declassifying it

Edge	$y_{max}$	$y_{min}$	$x_{max}$	$x_{min}$	Slope
AB	$y_2$	$y_1$	$x_2$	$x_1$	$m_1$
AD	$y_4$	$y_1$	$x_4$	$x_1$	$m_2$
CD	$y_3$	$y_4$	$x_3$	$x_4$	$m_3$
BC	$y_0$	$y_3$	$x_2$	$x_3$	$m_4$

- For edge AB which is formed by  $(x_2, y_2)$  and  $(x_1, y_1)$   $y_2$  is greater than  $y_1$ .
- As we are filling polygon line by line, at the same time we are not considering the edges out of those attribute we are selecting  $y_{max}$  and then we are sorting the  $y_{max}$  array. After sorting  $y_{max}$  array we will get the table.

Edge	$y_{max}$	$y_{min}$	$x_{max}$	$x_{min}$	Slope
AB	$y_2$	$y_1$	$x_2$	$x_1$	$m_1$
BC	$y_2$	$y_3$	$x_2$	$x_3$	$m_4$
CD	$y_3$	$y_4$	$x_3$	$x_4$	$m_3$
AD	$y_4$	$y_1$	$x_4$	$x_1$	$m_2$

- Now the array is sorted hence we can find the intersect of line of the first two edges for sorted attribute table which is AB and BC.
- Here important is to find w/ the intersection point of N. scan line with edge.



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$$\text{slope } m = \frac{\Delta y}{\Delta x} = \frac{y_{\text{new}} - y_{\text{old}}}{x_{\text{new}} - x_{\text{old}}}$$

$$m = \frac{1}{r}$$

$$x_{\text{new}} = r_{\text{old}}$$

$$r = \frac{1}{m}$$

$$r_{\text{new}} = r_{\text{old}} + \frac{1}{m}$$

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Q. What is a row vector transformation used to convert a single row into multiple rows and vice-versa.

- It is a smart way of representing our data in more organized way/manner
- In a single row there is repeating data in multiple rows it can be split into multiple rows.
- Sometimes we have the same data in multiple occurring columns.

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(1) [i] Polygonal representation - how to display picture

(1) [ii] Drawbacks of boundary fill algorithm

- Limitation of boundary fill algorithm is that it fills polygons having unique boundary color.

- If the polygon having different boundary color then this algorithm fails.

- It does not work for large polygon

(2) How are they overcome by flood fill?

- It can process image containing more than one boundary

- Flood fill algorithm are simple and efficient

(3) \* Flood fill algorithm using 8 connected approach

- The algorithm also begins with the seed point point which must be inside the polygon

- Algorithm checks whether the pixel is having polygon's original color or old color

- If yes change the pixel with new color and if no then return to its color

- When we want to fill the area which is not defined within a single boundary color, we can replace them

- by with specified interior colors instead of searching for the boundary color

- Flood fill algorithm is mostly particularly useful if there is more no uniform color boundary.

flood\_fill( $x_0, y_0, \text{old\_col}, \text{new\_col}$ )

{

if getpixel( $x_0, y_0$ ) == old\_col

{

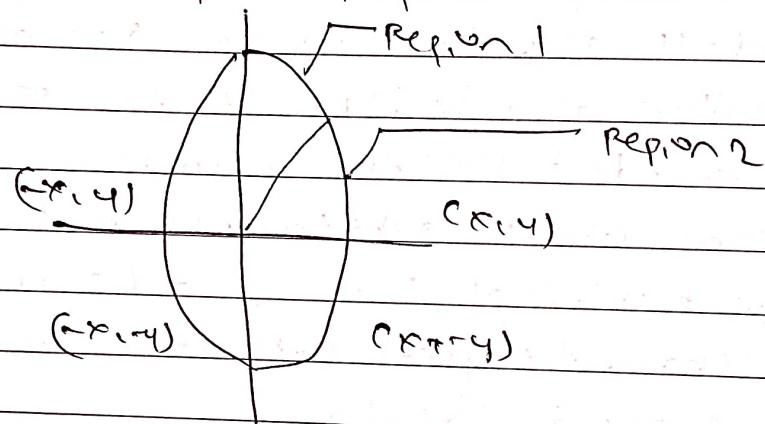
setpixel( $x_0, y_0, \text{new\_col}$ );

floodfill( $x_0+1, y_0, \text{old\_col}, \text{new\_col}$ );

floodfill( $x_0-1, y_0, \text{old\_col}, \text{new\_col}$ );

```
floodfill(x, y+1, old_col, new_col);  
floodfill(x, y-1, old_col, new_col);  
flood_fill(x+1, y+1, old_col, new_col);  
flood_fill(x-1, y+1, old_col, new_col);  
flood_fill(x+1, y-1, old_col, new_col);  
flood_fill(x-1, y-1, old_col, new_col);
```

Q4(g)ii) The midpoint ellipse algorithm is used to draw an ellipse in computer graphics.



- This algorithm finds points of an ellipse on the first quadrant by dividing the quadrant into two regions.
  - Each point is projected into three quadrants.
  - It uses four way symmetry.
  - Algorithm for midpoint - ellipse algorithm
    - Read radii  $r_x$  and  $r_y$ :
    - Initialize starting point  $x_0 = r_x$ ,  $y_0 = 0$
    - $d_i = r_y^2 - r_x^2 + 2r_x$  (to calculate initial value)
    - $\Delta x = 2r_y$
    - $\Delta y = 2r_x^2 / r_y$

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(iv)  $d\theta \{ \text{plot}(x, y)$ if  $d_1 > 0$ {  
   $x = x + 1$  $y = y$  $dx = dx - r^2 y$  $d_1 = d_1 - r^2 x$ {  
   $d_1 = d_1 + 2r^2 x + 2r^2 y + r^2 y$   
   $y$ 

else

{

{  
   $x = x + 1$  $y = y - 1$  $dx = dx + 2r^2 x$  $dy = dy - 2r^2 x$  $d_1 = d_1 - dx - dy + r^2 y$ {  
   $d_1 = d_1 + 2r^2 y x + 2r^2 y - (2r^2 x y - 2r^2 x) + r^2 y$ } while ( $dx < dy$ )(v)  $d_2 = r^2 y [x + \frac{1}{2}]^2 + rx[y-1]^2 - r^2 x^2 y$  [... to calculate  
initial value 2]

vii) do

{

Plot(x, y)

if ( $d_2 > 0$ ){  
   $x = x$  $y = y - 1$  $dy = dy - 2r^2 x$  $d_2 = d_2 - dy + r^2 x$ {  
   $d_2 = d_2 - (2r^2 x y - 2r^2 x) + r^2 x$   
   $y$ 

else

{  
   $x = x + 1$  $y = y - 1$  $dy = dy - 2r^2 x$

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$$\text{do } = \text{do} - \text{dy}$$

$$\text{do} = \text{do} + 2r^2x + 2r^2y - [2rx^2y - 2r^2x] + r^2y]$$

3

while ( $y > 0$ )

viii) determine the symmetrical points in other three quadrant

ix] stop