

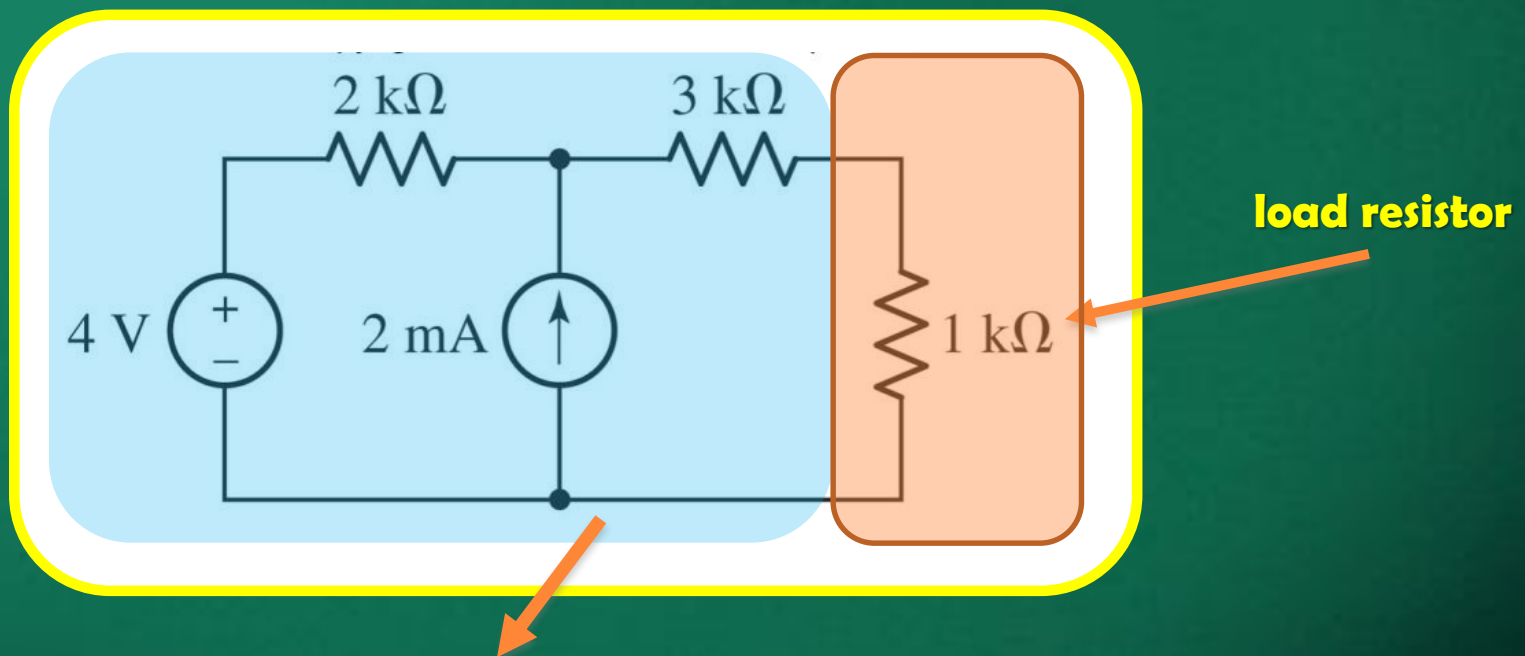
# **Electrical Science - I**

## **(IEC-102)**

### **Lecture-05**

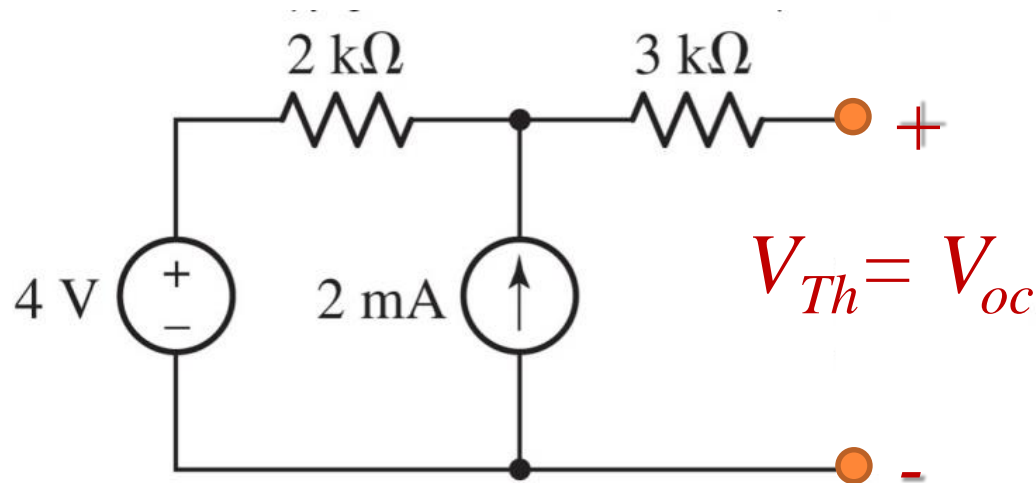
# Example: Norton and Thévenin

Find the Thévenin and Norton equivalents for the network faced by the  $1\text{ k}\Omega$  resistor.



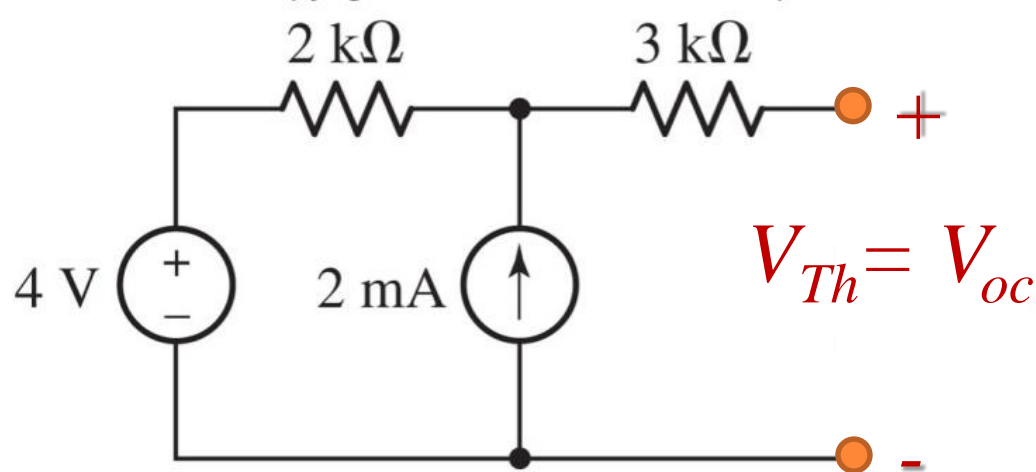
# Example: Thévenin Equivalent

Finding the Thévenin voltage ( $V_{Th}$ )



# Example: Thévenin Equivalent

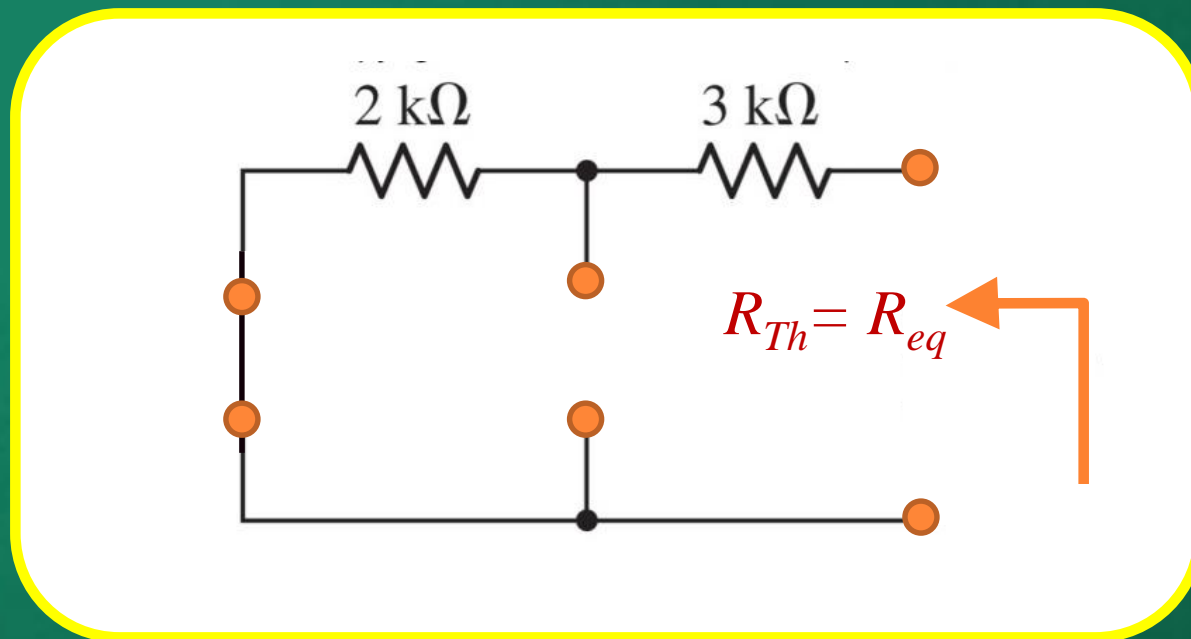
Finding the Thévenin voltage ( $V_{Th}$ )



$$V_{Th} = V_{oc} = 8 \text{ V}$$

# Example: Thévenin Equivalent

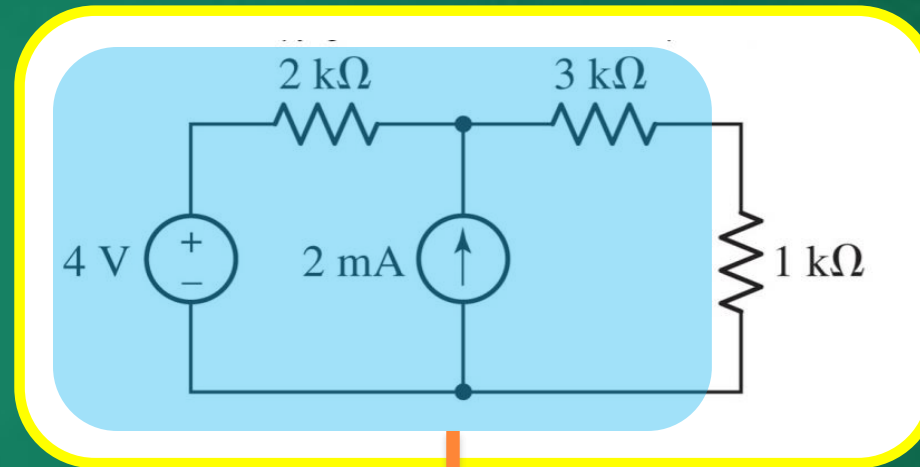
Finding the Thévenin resistance ( $R_{Th}$ )



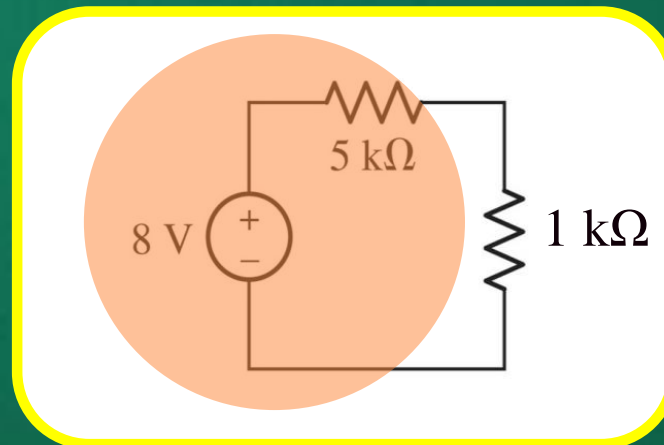
$$R_{Th} = R_{eq} = 5\text{ k}\Omega$$



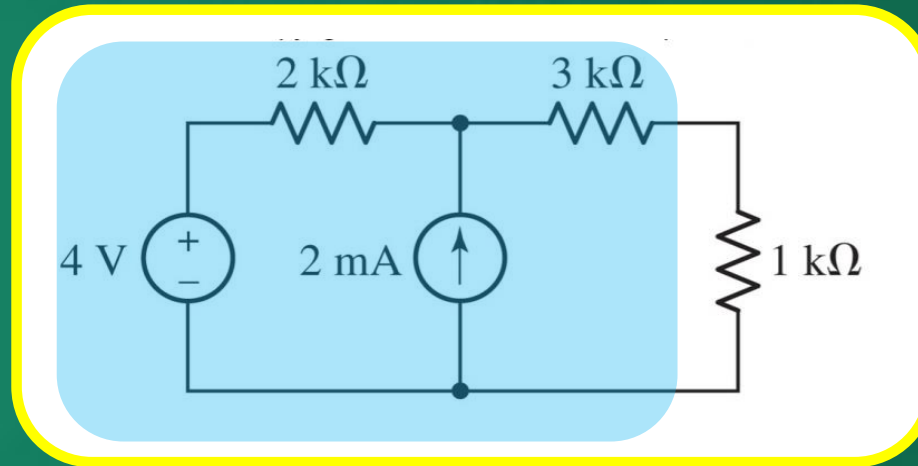
# Example: Thévenin Equivalent



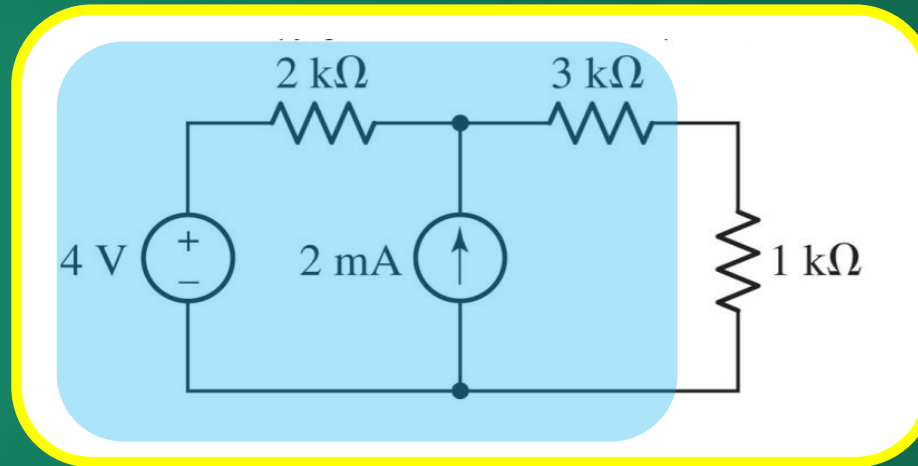
**Thévenin  
Equivalent**



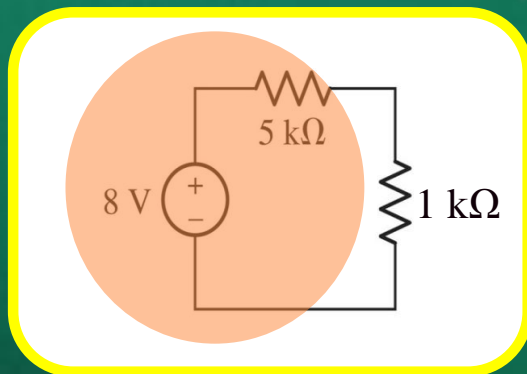
# Example: Norton and Thévenin



# Example: Norton and Thévenin

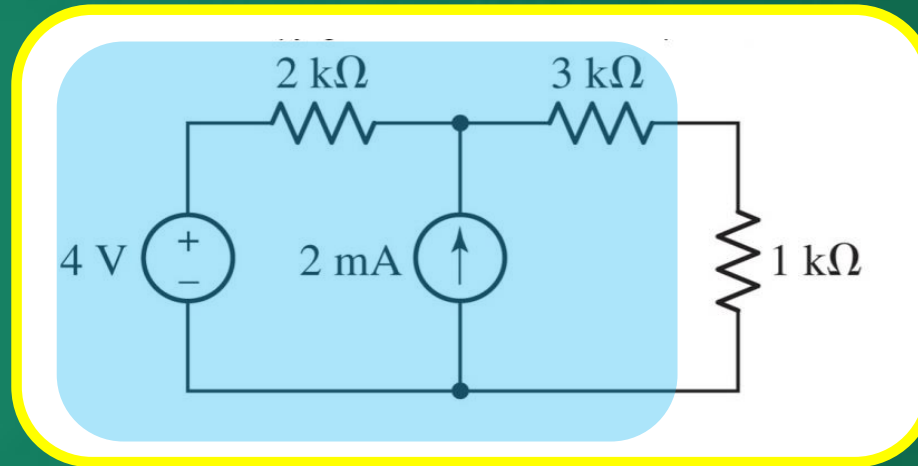


**Thévenin Equivalent**

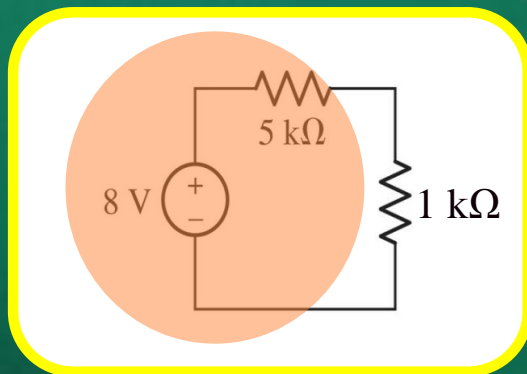




# Example: Norton and Thévenin

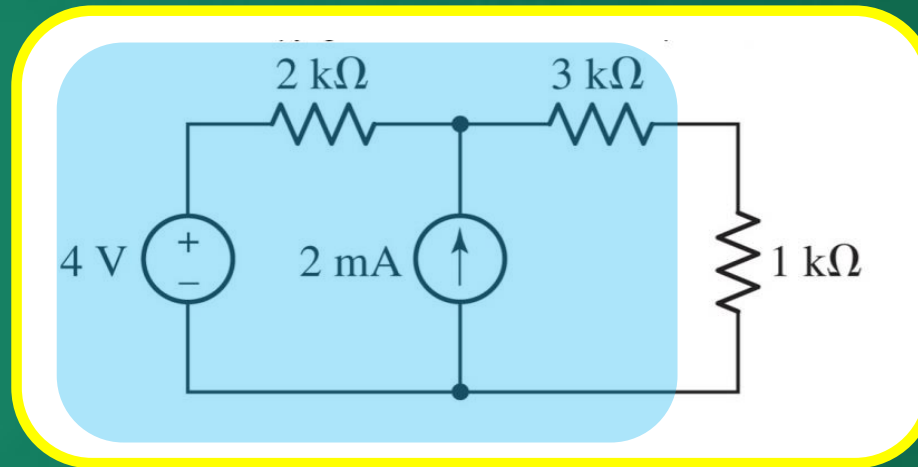


**Thévenin Equivalent**

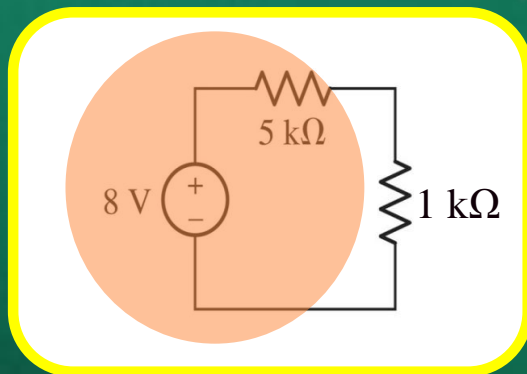


**Source Transformation**

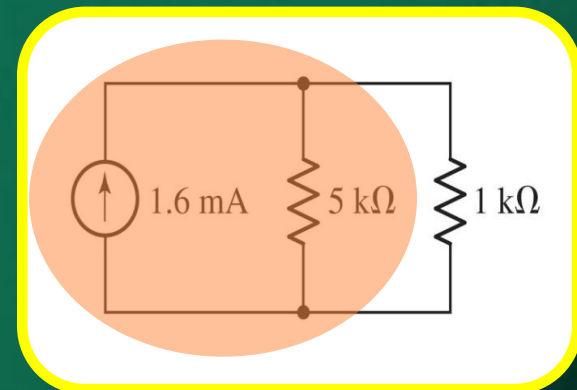
# Example: Norton and Thévenin



**Thévenin Equivalent**

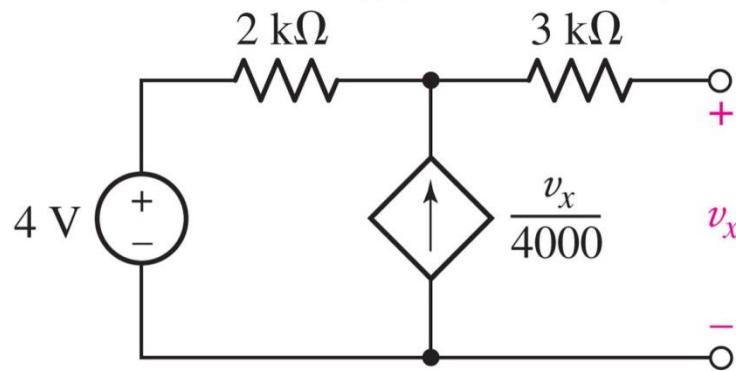


**Norton Equivalent**

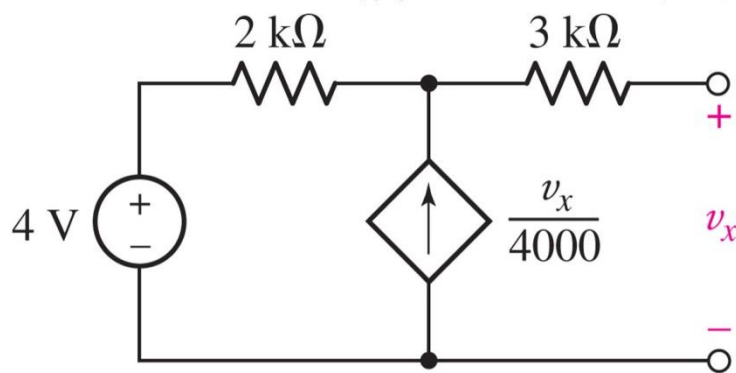


**Source  
Transformation**

# Thévenin Example: Handling Dependent Sources

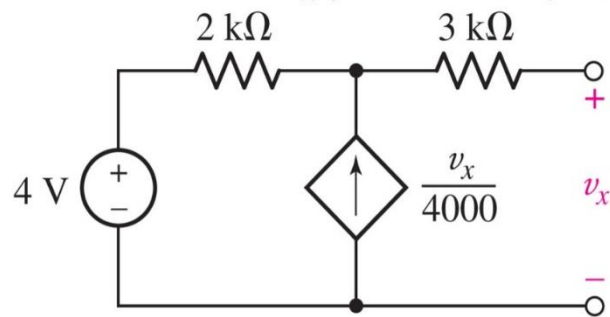


# Thévenin Example: Handling Dependent Sources



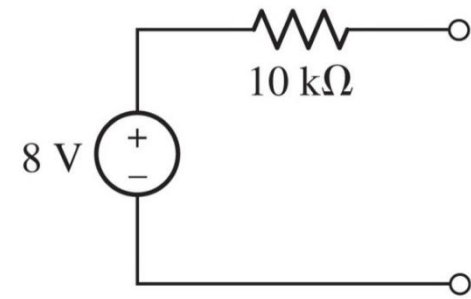
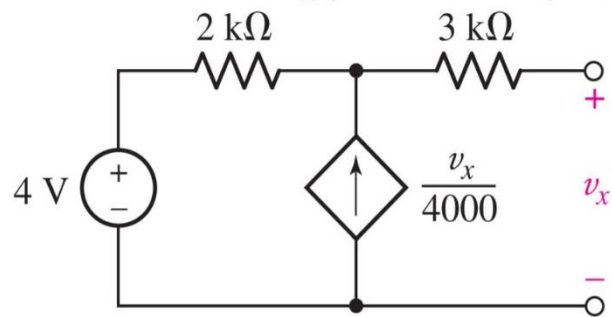
One method to find the Thévenin equivalent of a circuit with a dependent source: find  $V_{TH}$  and  $I_N$  and solve for  $R_{TH} = V_{TH}/I_N$

# Thévenin Example: Handling Dependent Sources

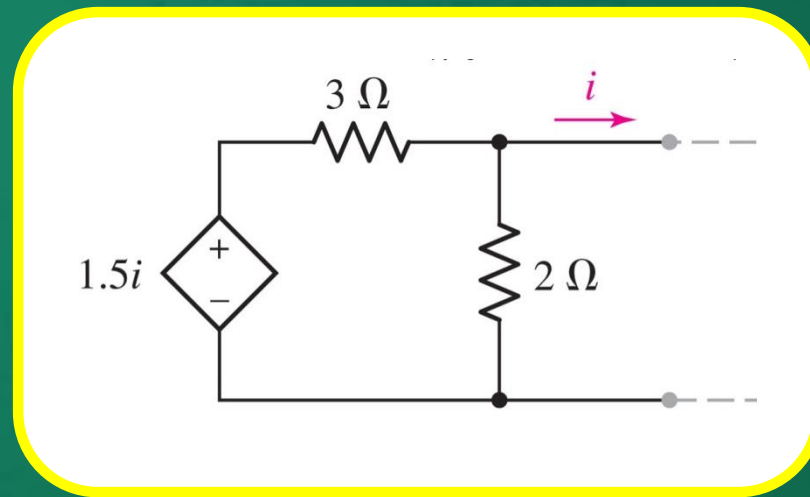




# Thévenin Example: Handling Dependent Sources



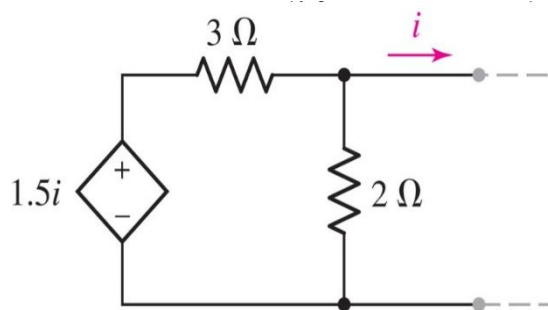
# Thévenin Example: Handling Dependent Sources



$$V_{TH} = ? \quad I_N = ?$$

# Thévenin Example: Handling Dependent Sources

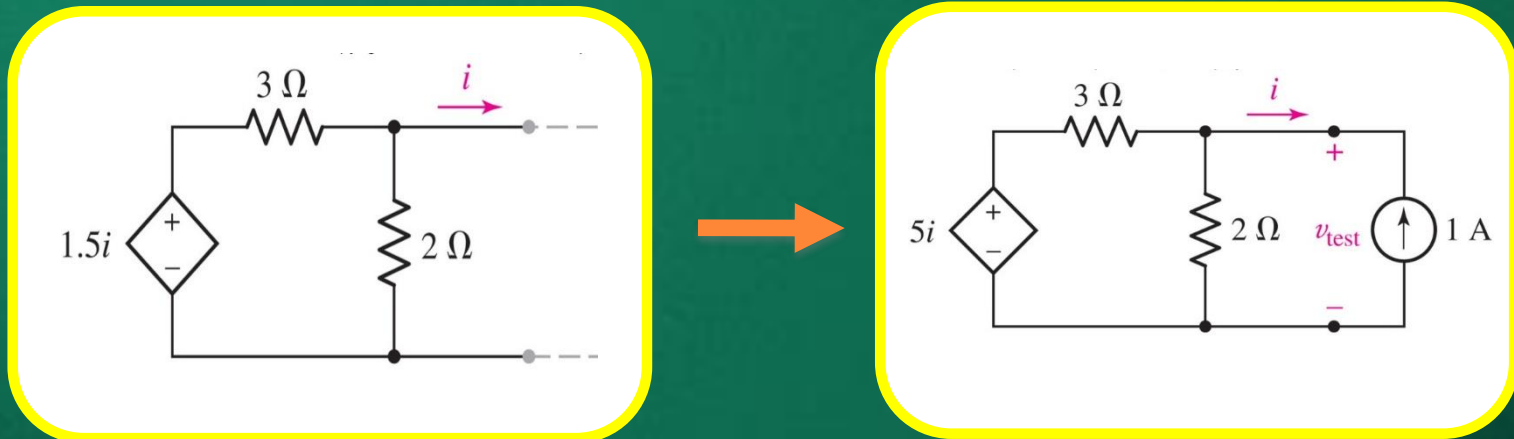
Finding the ratio  $V_{TH}/I_N$  fails when both quantities are zero!



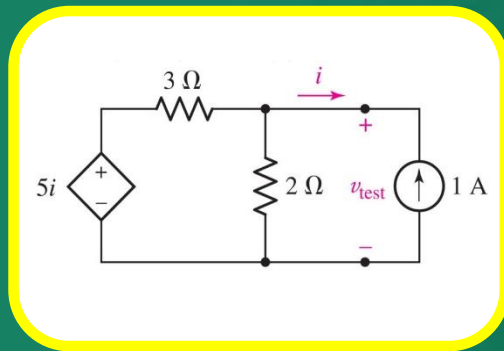
# Thévenin Example: Handling Dependent Sources

Finding the ratio  $V_{TH}/I_N$  fails when both quantities are zero!

**Solution:** apply a test independent source.

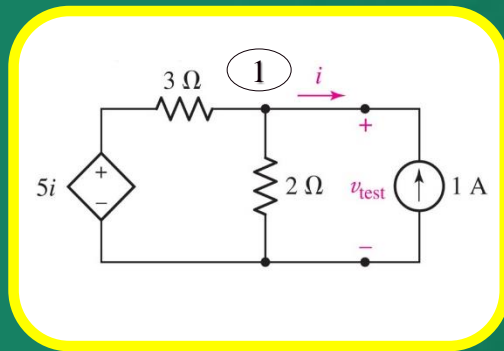


# Thévenin Example: Handling Dependent Sources



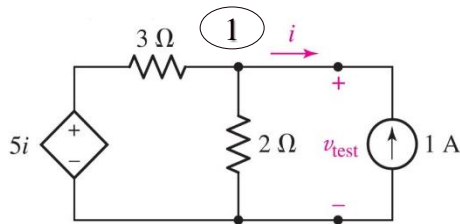


# Thévenin Example: Handling Dependent Sources



# Thévenin Example: Handling Dependent Sources

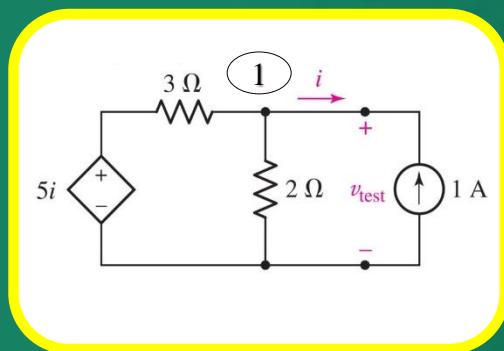
Applying KCL at node 1



$$\frac{v_{test}}{2} + \frac{v_{test} - (1.5i)}{3} = 1$$
$$i = -1$$

# Thévenin Example: Handling Dependent Sources

Applying KCL at node 1

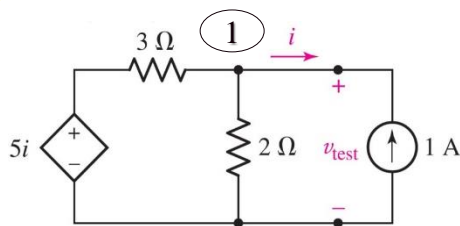


$$\frac{v_{test}}{2} + \frac{v_{test} - (1.5i)}{3} = 1$$
$$i = -1$$

**Answer:**  $v_{test} = 0.6 \text{ V}$ , and so  $R_{TH} = 0.6 \Omega$

# Thévenin Example: Handling Dependent Sources

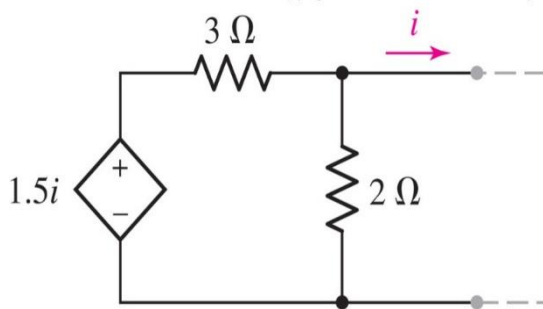
Applying KCL at node 1



$$\frac{v_{test}}{2} + \frac{v_{test} - (1.5i)}{3} = 1$$

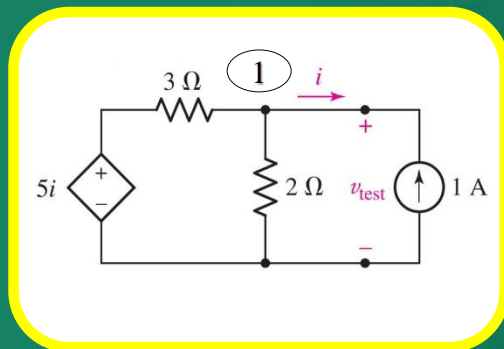
$$i = -1$$

**Answer:**  $v_{test} = 0.6 \text{ V}$ , and so  $R_{TH} = 0.6 \Omega$



# Thévenin Example: Handling Dependent Sources

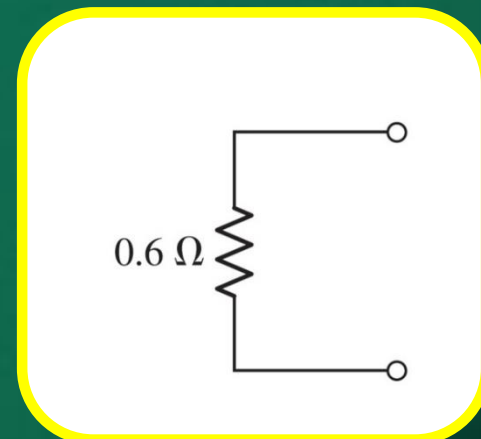
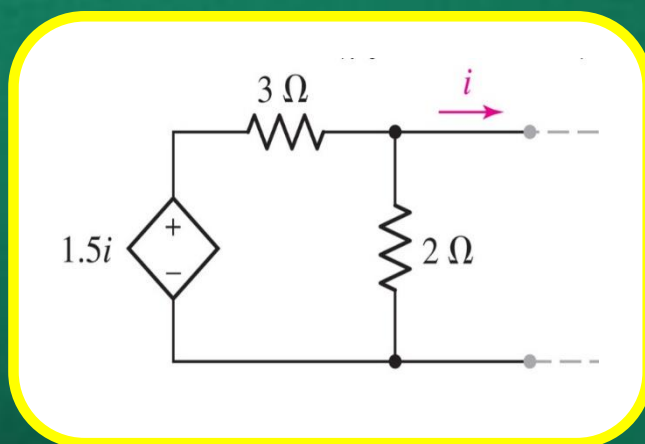
Applying KCL at node 1



$$\frac{v_{test}}{2} + \frac{v_{test} - (1.5i)}{3} = 1$$

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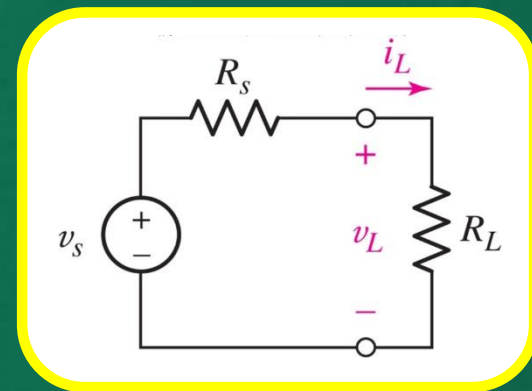




# **Maximum Power Transfer Theorem**

# Maximum Power Transfer

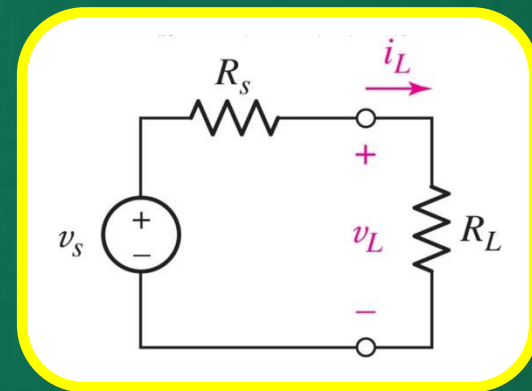
What load resistor will allow the practical source to deliver the maximum power to the load?



# Maximum Power Transfer

What load resistor will allow the practical source to deliver the maximum power to the load?

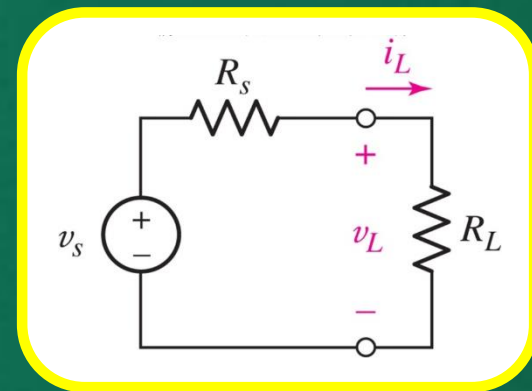
[Solve  $dp_L/dR_L = 0$ ]



# Maximum Power Transfer

What load resistor will allow the practical source to deliver the maximum power to the load?

[Solve  $dp_L/dR_L = 0$ ]

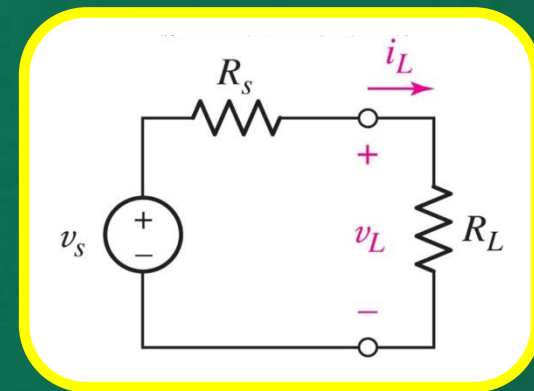


Answer:  $R_L = R_s$

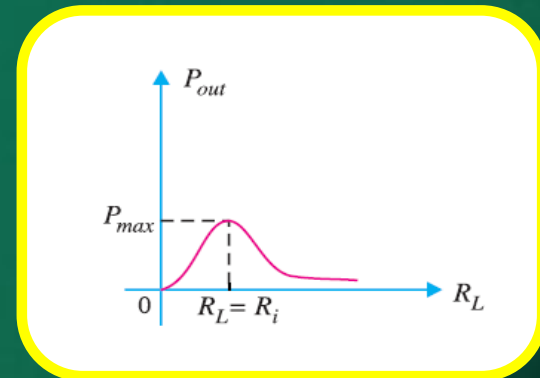
# Maximum Power Transfer

What load resistor will allow the practical source to deliver the maximum power to the load?

[Solve  $dp_L/dR_L = 0$ ]



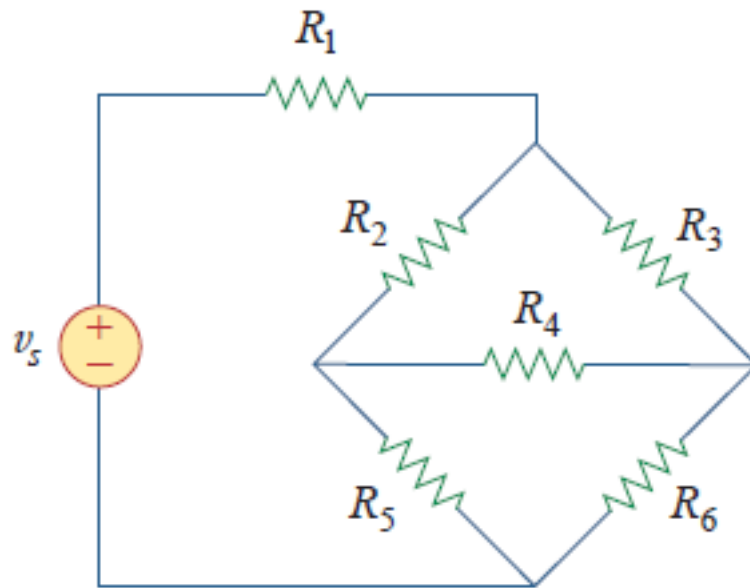
Answer:  $R_L = R_s$





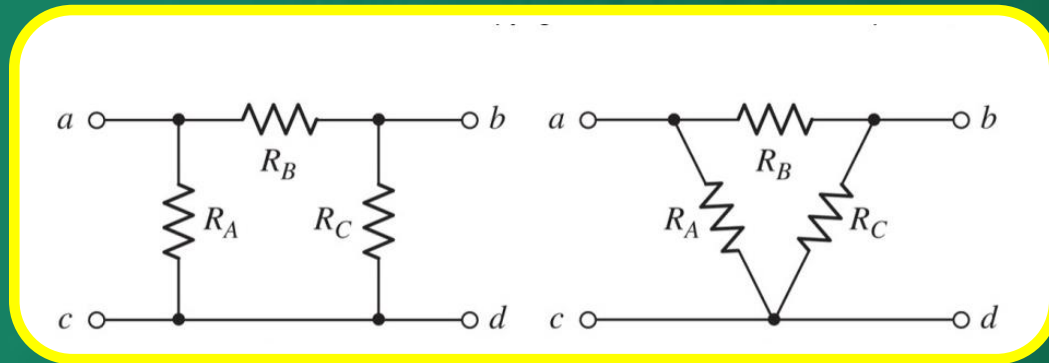
# $\Delta$ -Y or Y- $\Delta$ Conversion

# $\Delta$ -Y (delta - wye) Conversion



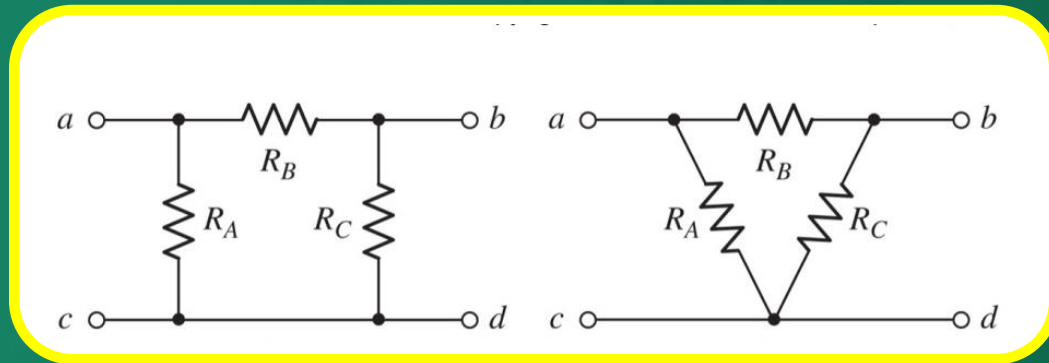
# $\Delta$ -Y (delta - wye) Conversion

The following resistors form a  $\Delta$  (or  $\pi$ )

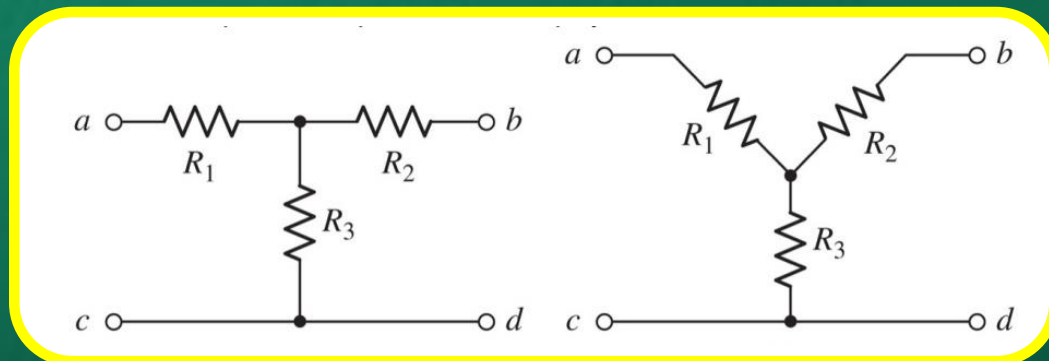


# $\Delta$ -Y (delta - wye) Conversion

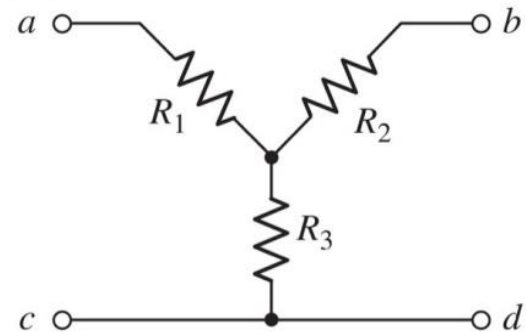
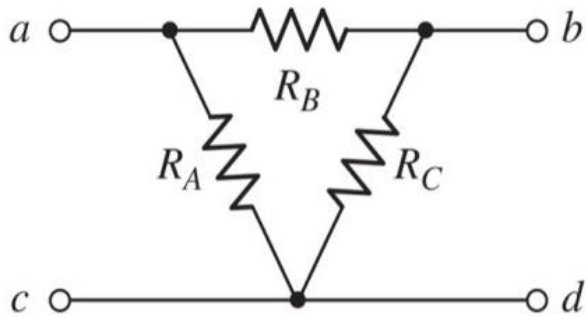
The following resistors form a  $\Delta$  (or  $\pi$ )



The following resistors form a Y (or T)

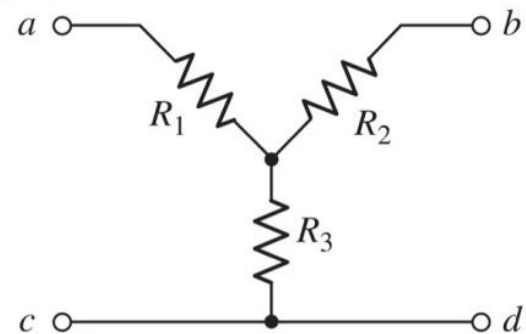
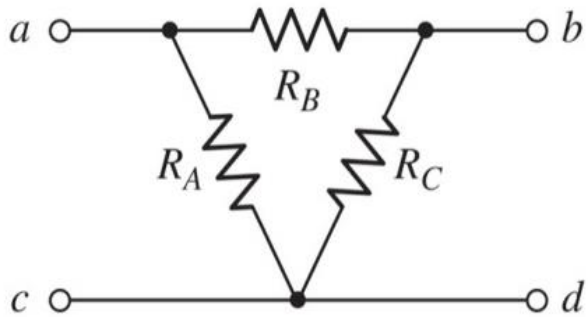


# $\Delta$ -Y (delta - wye) Conversion

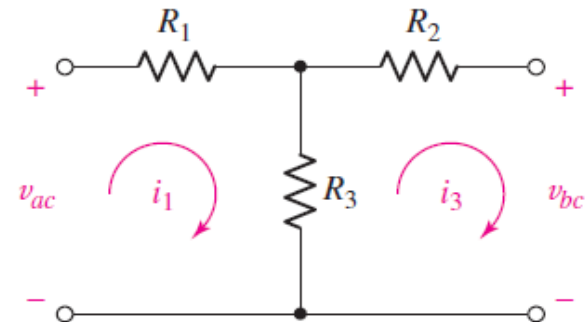
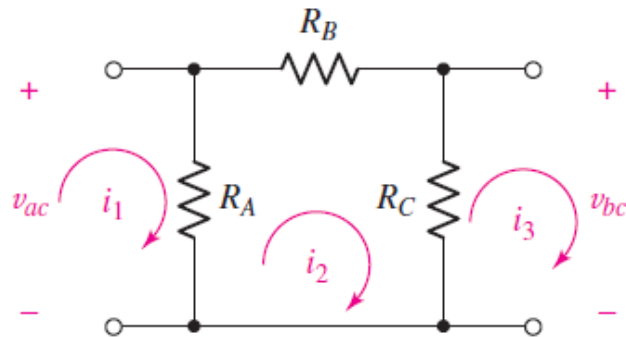




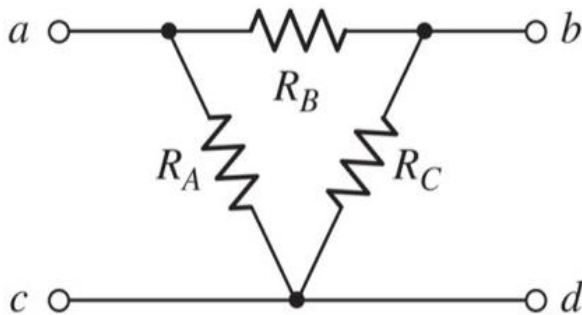
# $\Delta$ -Y (delta - wye) Conversion



# $\Delta$ -Y (delta - wye) Conversion

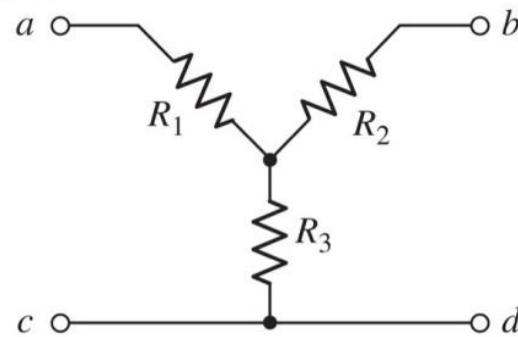


# $\Delta$ -Y (delta - wye) Conversion



this  $\Delta$  is equivalent to the Y if

$$\begin{aligned} R_A &= \frac{R_1 R_2 + R_2 R_3 + R_3 R_1}{R_2} \\ R_B &= \frac{R_1 R_2 + R_2 R_3 + R_3 R_1}{R_3} \\ R_C &= \frac{R_1 R_2 + R_2 R_3 + R_3 R_1}{R_1} \end{aligned}$$

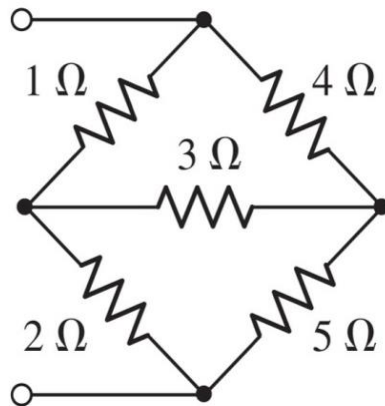


this Y is equivalent to the  $\Delta$  if

$$\begin{aligned} R_1 &= \frac{R_A R_B}{R_A + R_B + R_C} \\ R_2 &= \frac{R_B R_C}{R_A + R_B + R_C} \\ R_3 &= \frac{R_C R_A}{R_A + R_B + R_C} \end{aligned}$$

# Example: $\Delta$ -Y Conversion

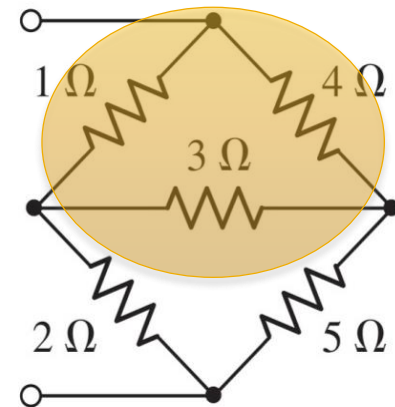
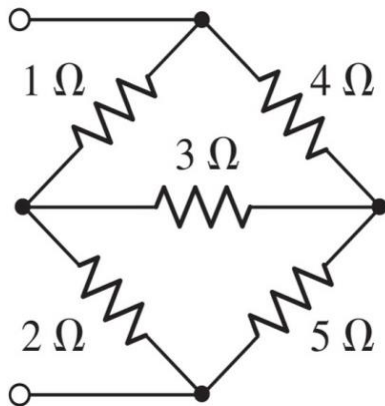
Find the equivalent resistance of the following network?



# Example: $\Delta$ -Y Conversion

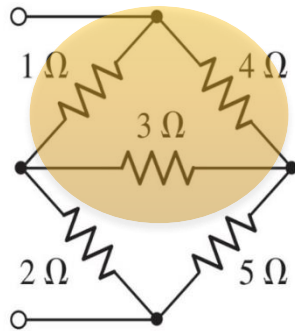
Find the equivalent resistance of the following network?

Convert a  $\Delta$  to Y

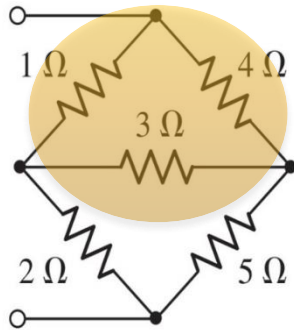




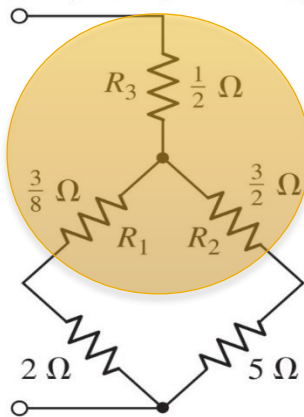
# Example: $\Delta$ -Y Conversion



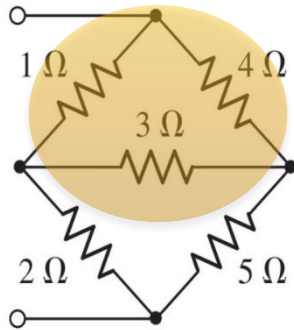
# Example: $\Delta$ -Y Conversion



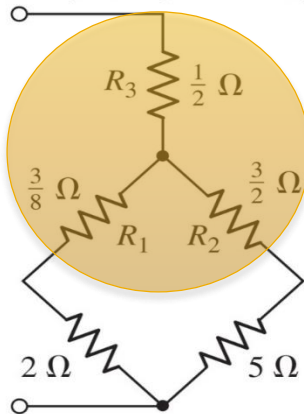
use the  $\Delta$  to Y transformation



# Example: $\Delta$ -Y Conversion



use the  $\Delta$  to Y transformation



use standard serial and parallel combinations

