

Dataset Overview

- The dataset for our project is "*Steel Industry Energy Consumption*", gathered by the DAEWOO Steel Co. Ltd in South Korea.
- **Data Source:**
<https://archive.ics.uci.edu/dataset/851/steel+industry+energy+consumption>
- **Response variable:** "Usage_kwh".
- **Predictors:** There are 10 features, including date, lagging/leading reactive power, lagging/leading power factor, CO2, weekStatus, day of week.
- **Number of observations :** 35040
- The screenshot of first two samples of data is attached below.

```
> head(data,2)
```

	date	Usage_kwh	Lagging_Current_Reactive.Power_kvarh	Leading_Current_Reactive_Power_kvarh	CO2.tcO2.				
1	01/01/2018 00:15	3.17		2.95	0	0			
2	01/01/2018 00:30	4.00		4.46	0	0			
		Lagging_Current_Power_Factor	Leading_Current_Power_Factor	NSM	WeekStatus	Day_of_week	Load_Type		
1		73.21	100	900	weekday	Monday	Light_Load		
2		66.77	100	1800	weekday	Monday	Light_Load		

Dataset Overview cont.

Table 2.1: Dataset feature description

Feature	Description
Date	Data collected in real time on the first of the month
Usage_kWh	Energy Consumption in Industry kWh continuous
Lagging Current	Reactive energy kVarh Continuous
Leading Current	Reactive energy kVarh Continuous
CO2	CO2 Continuous ppm
NSM	Minutes and seconds since midnight S Continuous
Week status	Weekday or Weekend
Day of week	Sunday, Monday ..etc
Load Type	Light Load, Medium Load, Maximum Load

Procedures/methods

1. Data Preprocessing
2. Data Visualization
3. Evaluation methods/criteria
4. Statistical Learning Methods

1. Data Preprocessing steps

1. Null Values Handling

- Removed null values from the data

2. Feature Extraction

- Extracted “Month” from “Date” feature

3. Feature Removal

- Removed "Date" as similar features such as Month, weekStatus, and Day of week are present in the Dataset.
- Removed "Load_Type" as it's similar to the response variable, "Usage_kWh."

4. Categorical to Numerical Conversion

- Converted categorical features (weekStatus, Day of week, Month) to numerical representations.

4. Train-Test splits

- Performed a 70-30 train-test split for model evaluation

2. Data Visualization

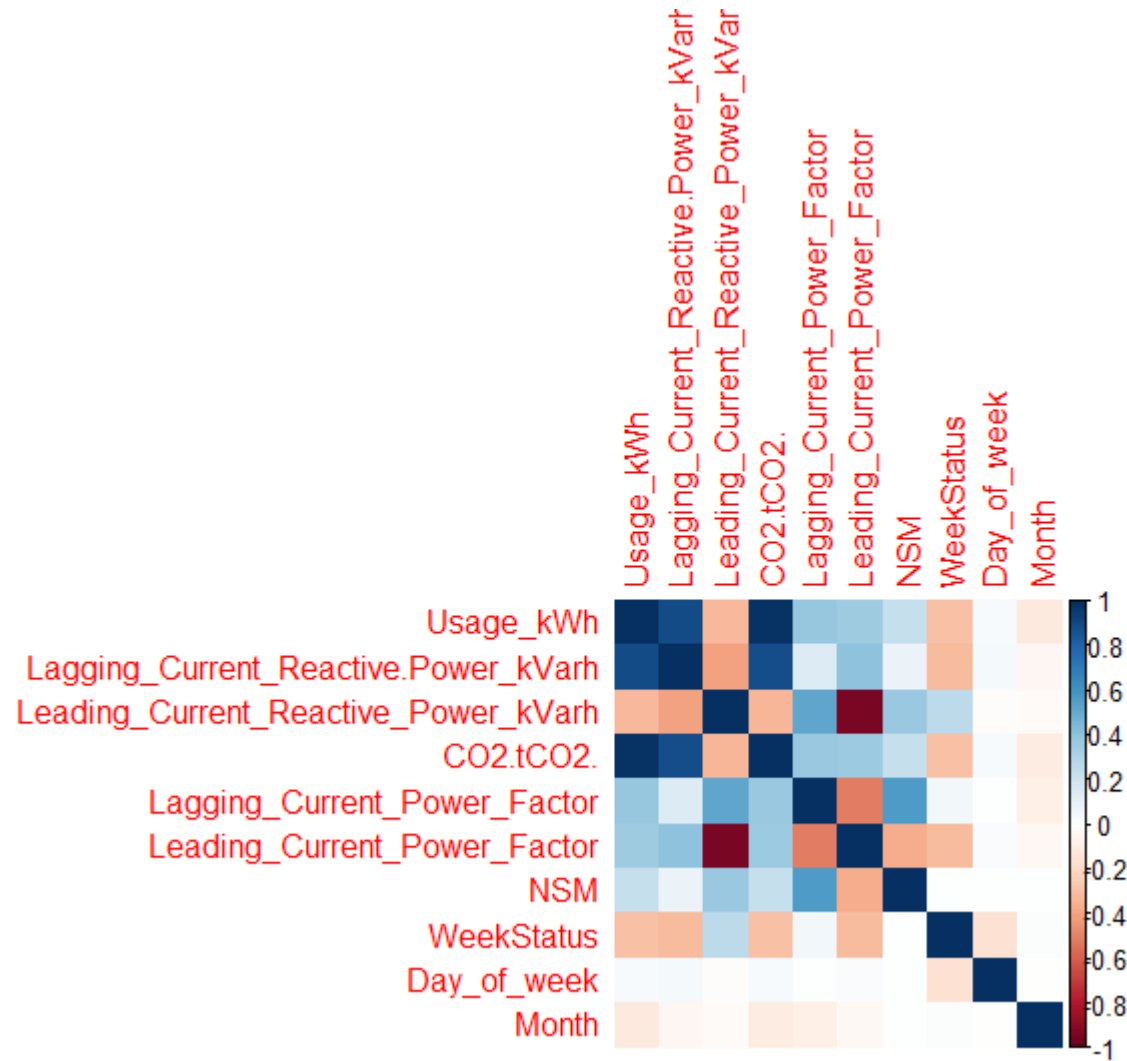


Fig. The correlation matrix

2. Data Visualization cont.

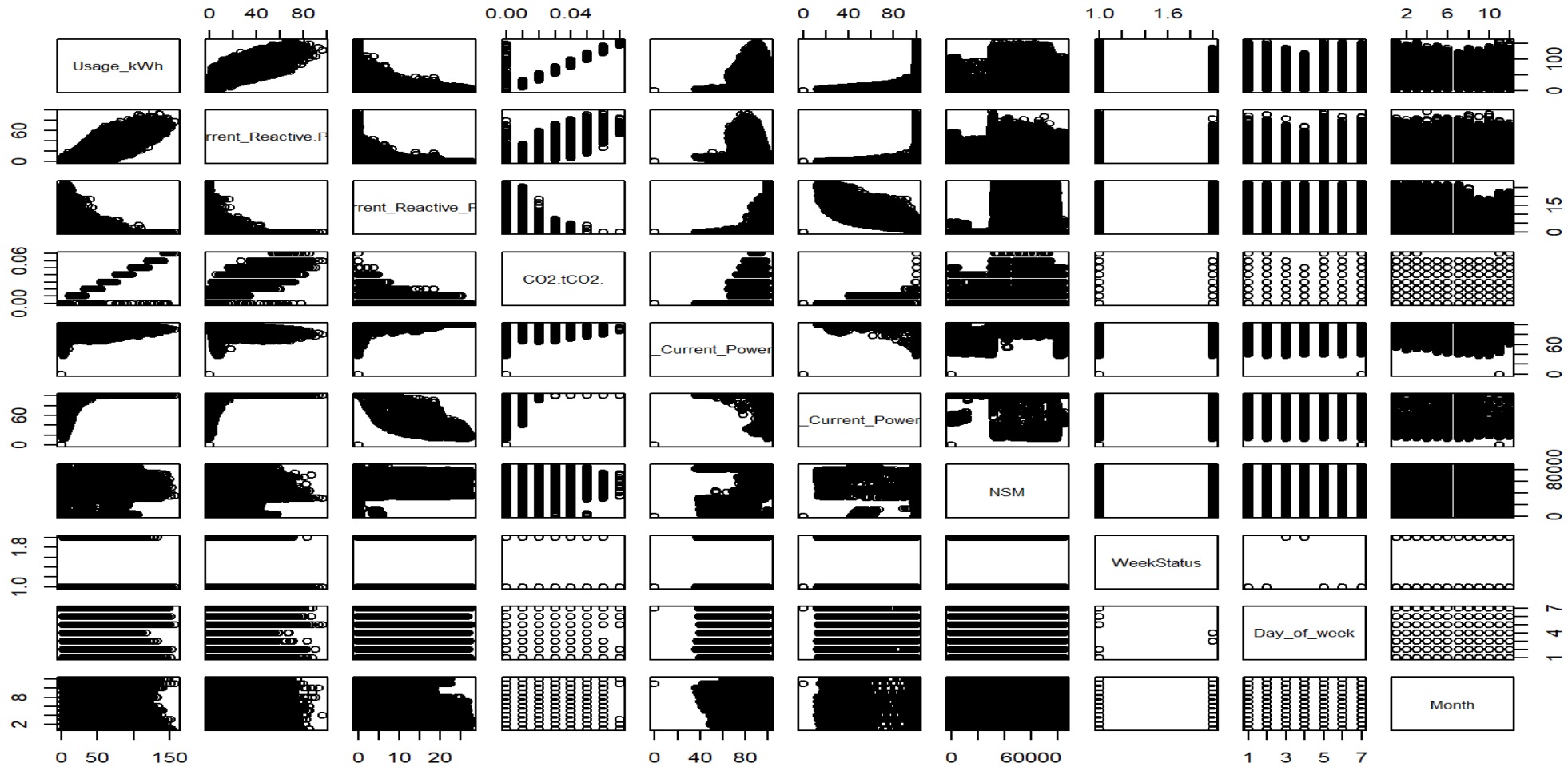
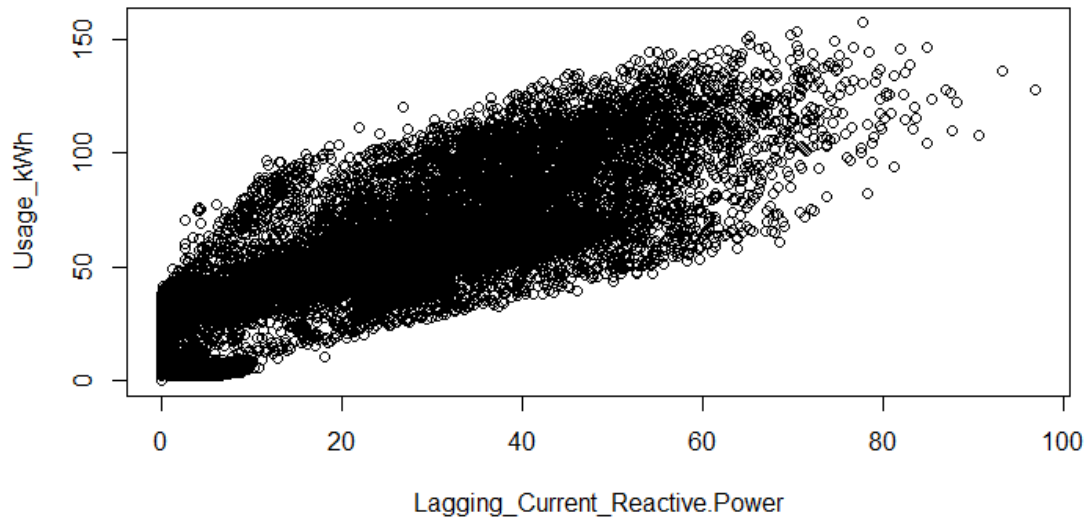


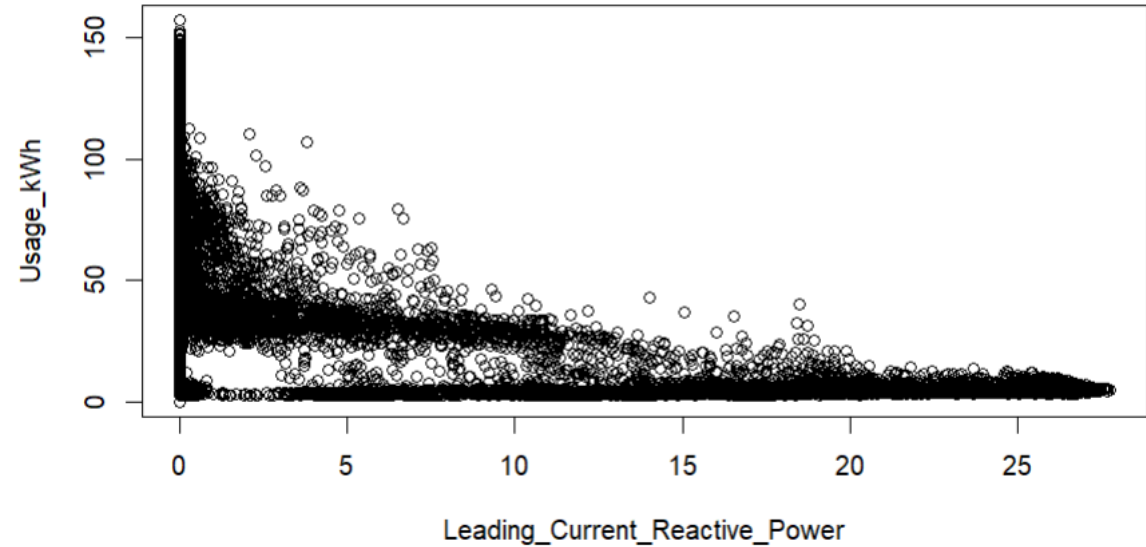
Fig. matrix of scatterplots for each pair of variables

2. Data Visualization cont.

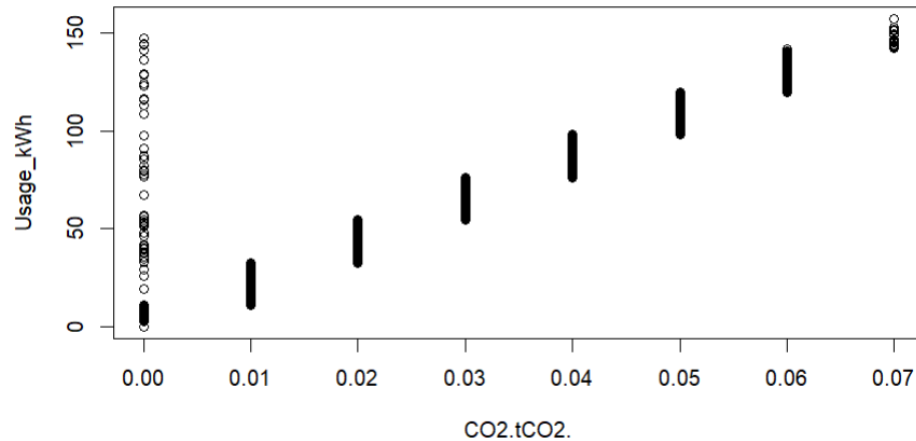
Energy Consumption vs. Lagging Current Reactive Power



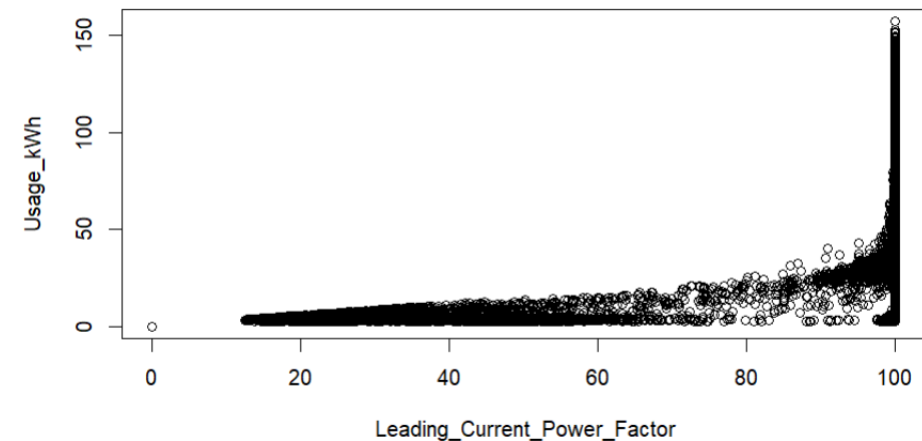
Energy Consumption vs. Leading Current Reactive_Power



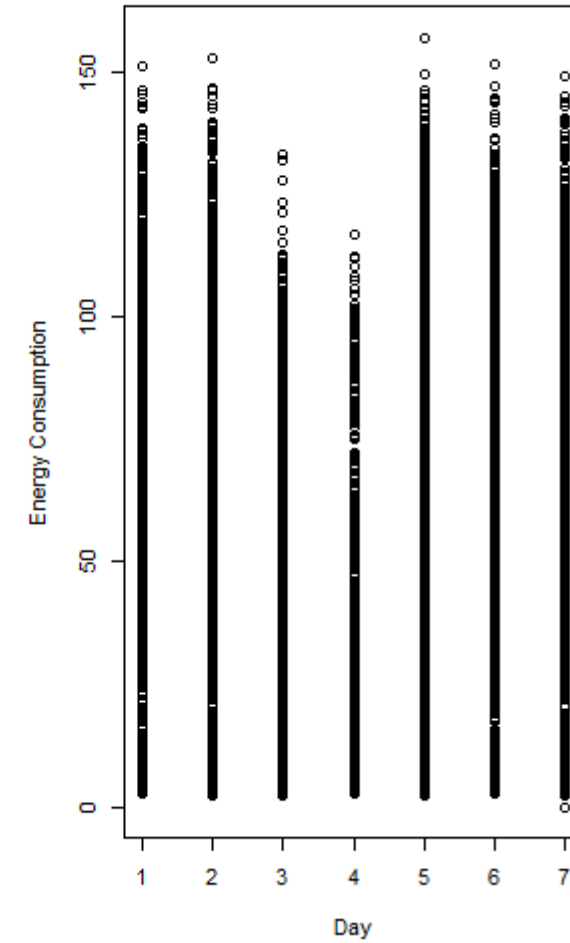
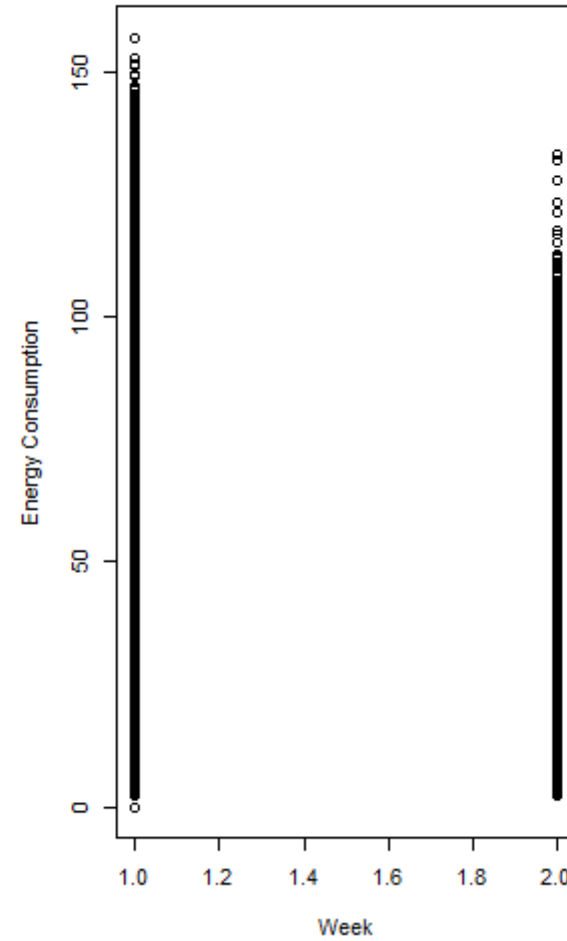
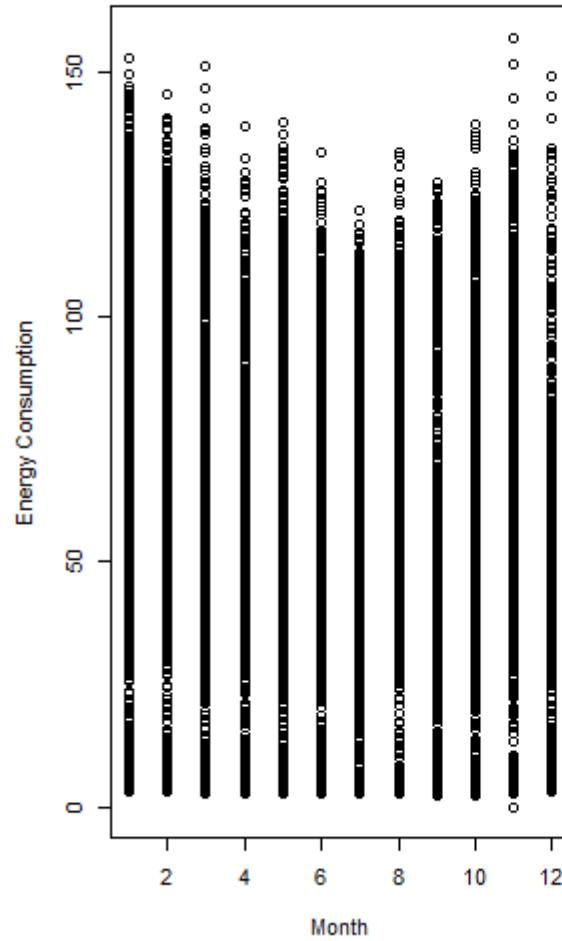
Energy Consumption vs. CO2 emmission



Energy Consumption vs. Leading_Current_Power_Factor

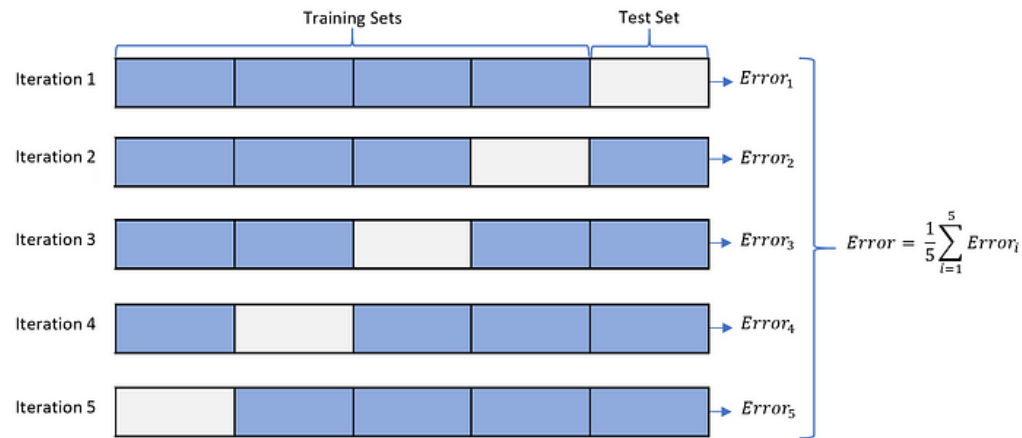


2. Data Visualization



3. Evaluation methods/criteria

1. *K-folds Cross Validation*



2. *Test MSE*

$MSE = (1/n) * \sum (y_i - \hat{y}_i)^2$, where y_i is the actual observed values, and \hat{y}_i is the predicted values

3. *Test R-squared*

$R^2 = 1 - \frac{SSR}{SST}$, where SSR is the sum of the squared residuals, and SST is the total sum of squares.

4. Statistical Learning Methods

1. Linear Regression Model
2. Subset Selection
3. LASSO Regression Model
4. Ridge Regression Model
5. Principal Component Analysis (PCA)
6. Random Forest Model
7. Random Forest Model with CV (Proposed Method)

Results

1. Linear Regression Model

- From the summary table, all features are significant as their p-value is greater than 0.05.
- Achieved MSE of 22.85 and R-squared value of 0.97 on test data.

```
> summary(lm_model)
```

```
Call:
```

```
lm(formula = Usage_kwh ~ ., data = train_data)
```

```
Residuals:
```

```
      Min       1Q   Median       3Q      Max
-16.201  -0.958   0.062   1.224  118.706
```

```
Coefficients:
```

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	-1.191e+01	4.749e-01	-25.075	< 2e-16 ***
Lagging_Current_Reactive.Power_kvarh	3.011e-01	4.635e-03	64.980	< 2e-16 ***
Leading_Current_Reactive.Power_kvarh	1.185e-01	1.263e-02	9.382	< 2e-16 ***
CO2.tCO2.	1.687e+03	5.764e+00	292.705	< 2e-16 ***
Lagging_Current_Power_Factor	1.229e-01	3.024e-03	40.642	< 2e-16 ***
Leading_Current_Power_Factor	6.917e-02	3.264e-03	21.191	< 2e-16 ***
NSM	9.684e-06	1.476e-06	6.560	5.49e-11 ***
WeekStatus	-1.601e-01	7.281e-02	-2.199	0.02788 *
Day_of_week	4.158e-02	1.505e-02	2.764	0.00572 **
Month	-9.822e-02	8.880e-03	-11.061	< 2e-16 ***

```
---
```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 4.655 on 24518 degrees of freedom
```

```
Multiple R-squared:  0.9807,    Adjusted R-squared:  0.9807
```

```
F-statistic: 1.384e+05 on 9 and 24518 DF,  p-value: < 2.2e-16
```

```
> cat(" Mean Squared Error (MSE):", mse, "\n")
```

```
Mean Squared Error (MSE): 22.85371
```

```
> cat("R-squared:", r_squared, "\n")
```

```
R-squared: 0.979435
```

2. Subset Selection

- Applied Forward subset selection
- Based on adjusted R-squared, the minimum number of variables is 8.

```
> coef(best_subsets, 8)
      (Intercept) Lagging_Current_Reactive_Power_kVarh Leading_Current_Reactive_Power_kVarh
      -1.230485e+01      3.023797e-01      1.222028e-01
      CO2.tCO2.      Lagging_Current_Power_Factor      Leading_Current_Power_Factor
      1.686720e+03      1.230232e-01      7.064882e-02
      NSM      Day_of_week      Month
      9.862332e-06      4.662592e-02      -9.775445e-02
```

- Achieved MSE of 22.85 and R-squared value of 0.97 on test data using LR on selected subsets.

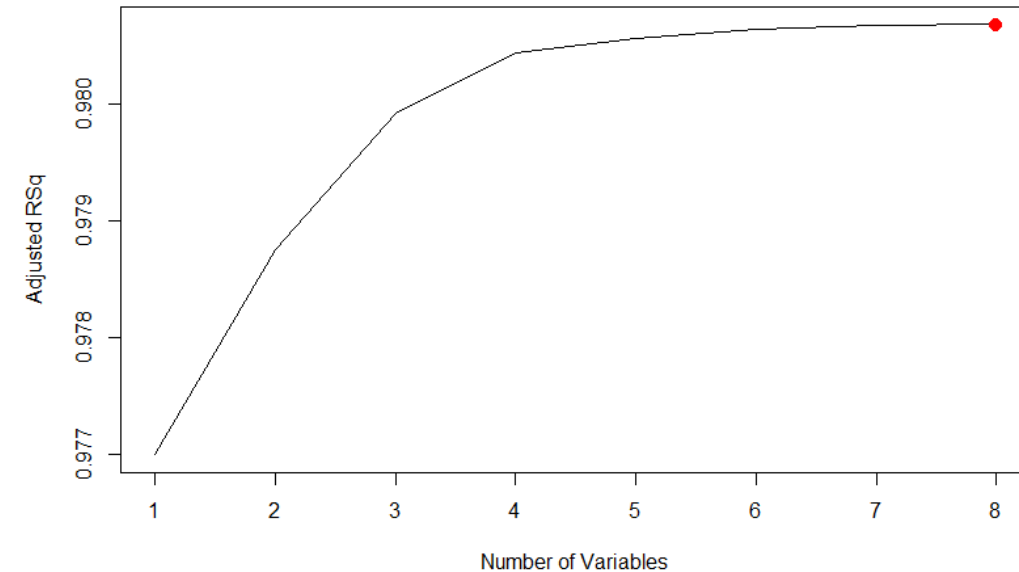


Fig. Adjusted R-squared curve

```
> # Calculate Mean Squared Error (MSE)
> mse_subset_lr <- mean((actual_Y - Y_pred)^2)
> mse_subset_lr
[1] 22.85903

> R_squared_subset_lr
[1] 0.9794302
```

3. LASSO and Ridge Regression Models

- Achieved MSE of 21.124 using Lasso model with best lambda of 0.078
- Got Zero coefficients for two features using Lasso

```
> lasso.coef1[lasso.coef1==0]
Leading_Current_Reactive_Power_kvarh      Day_of_week
0                                           0
```

- Achieved MSE of 30.145 using Ridge model with best lambda of 3.3096

```
> lasso_best_lambda      > ridge_best_lambda
[1] 0.07825612             [1] 3.309641

> mse_lasso <- mean((y_test - lasso_predictions)^2)
> cat("MSE for LASSO Regression:", mse_lasso, "\n")
MSE for LASSO Regression: 21.12467

> rmse_ridge <- sqrt(mean((y_test - ridge_predictions)^2))
> cat("RMSE for Ridge Regression:", rmse_ridge)
RMSE for Ridge Regression: 5.490532
```

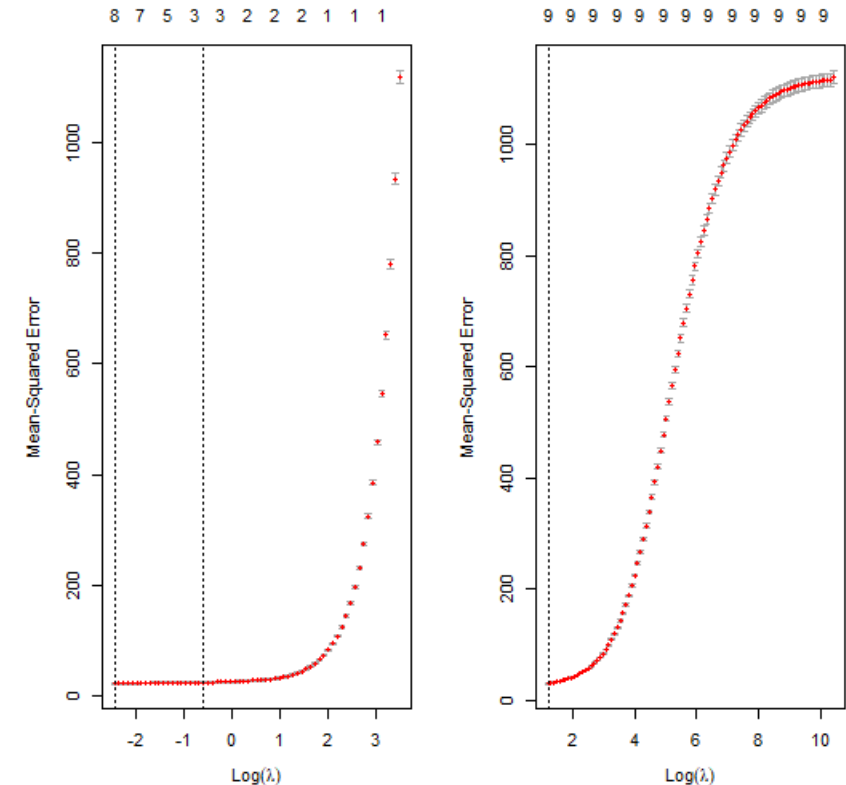


Fig. MSE Vs Log(λ) for Lasso and Ridge model

4. Principal Component Analysis (PCA)

- From summary table, all features sorted by their contribution using PCA.
- Selected top 7 features and applied LR model.
- Achieved MSE of 22.86914 adjusted R-squared of 0.9794 on test data.

```
> summary(model_pcr)

Call:
lm(formula = Usage_kwh ~ ., data = selected_data)

Residuals:
    Min       1Q   Median       3Q      Max
-16.201  -0.958   0.062   1.224  118.706

Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept)  -1.191e+01  4.749e-01  -25.075  < 2e-16 ***
NSM           9.684e-06  1.476e-06    6.560  5.49e-11 ***
Leading_Current_Power_Factor  6.917e-02  3.264e-03  21.191  < 2e-16 ***
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Lagging_Current_Reactive_Power_kVarh  3.011e-01  4.635e-03  64.980  < 2e-16 ***
Month        -9.822e-02  8.880e-03  -11.061  < 2e-16 ***
CO2.tCO2     1.687e+03  5.764e+00  292.705  < 2e-16 ***
Day_of_week   4.158e-02  1.505e-02   2.764  0.00572 **
Weekstatus    -1.601e-01  7.281e-02  -2.199  0.02788 *
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 4.655 on 24518 degrees of freedom
Multiple R-squared:  0.9807,    Adjusted R-squared:  0.9807
F-statistic: 1.384e+05 on 9 and 24518 DF,  p-value: < 2.2e-16
```

Fig. Summary table for PCA model

```
> cat("MSE:", mse, "\n")
MSE: 22.86914
> # Print the R-squared value
> cat("R-squared:", R_squared_pcr, "\n")
R-squared: 0.9794211
```

5. Random Forest

- We applied RF model on train data and evaluated trained model on test data.
- We achieved MSE of 2.7521 and R-squared of 0.9975 on test data.

```
> summary(rf_model)
```

	Length	Class	Mode
call	3	-none-	call
type	1	-none-	character
predicted	24528	-none-	numeric
mse	500	-none-	numeric
rsq	500	-none-	numeric
oob.times	24528	-none-	numeric
importance	9	-none-	numeric
importanceSD	0	-none-	NULL
localImportance	0	-none-	NULL
proximity	0	-none-	NULL
ntree	1	-none-	numeric
mtry	1	-none-	numeric
forest	11	-none-	list
coefs	0	-none-	NULL
y	24528	-none-	numeric
test	0	-none-	NULL
inbag	0	-none-	NULL
terms	3	terms	call

```
> cat(" Mean Squared Error (MSE):", mse, "\n")
Mean Squared Error (MSE): 2.752177
> cat("R-squared:", r_squared, "\n")
R-squared: 0.9975234
```


6. Random Forest with CV

- Applied 5-folds CV on training dataset to train RF model.
- Evaluated cross-validated model on test data.
- We achieved MSE of 1.148884 and R-squared of 0.999082 on test data

```
> print(rf_model_cv)
```

```
Random Forest
```

```
24528 samples
  9 predictor
```

```
No pre-processing
```

```
Resampling: Cross-Validated (5 fold)
```

```
Summary of sample sizes: 19623, 19622, 19621, 19623, 19623
```

```
Resampling results across tuning parameters:
```

mtry	RMSE	Rsquared	MAE
2	2.508023	0.9945965	1.3459579
5	1.412755	0.9982218	0.5911387
9	1.250788	0.9985849	0.4118057

```
RMSE was used to select the optimal model using the smallest value.
The final value used for the model was mtry = 9.
```

```
> # Print the metrics
```

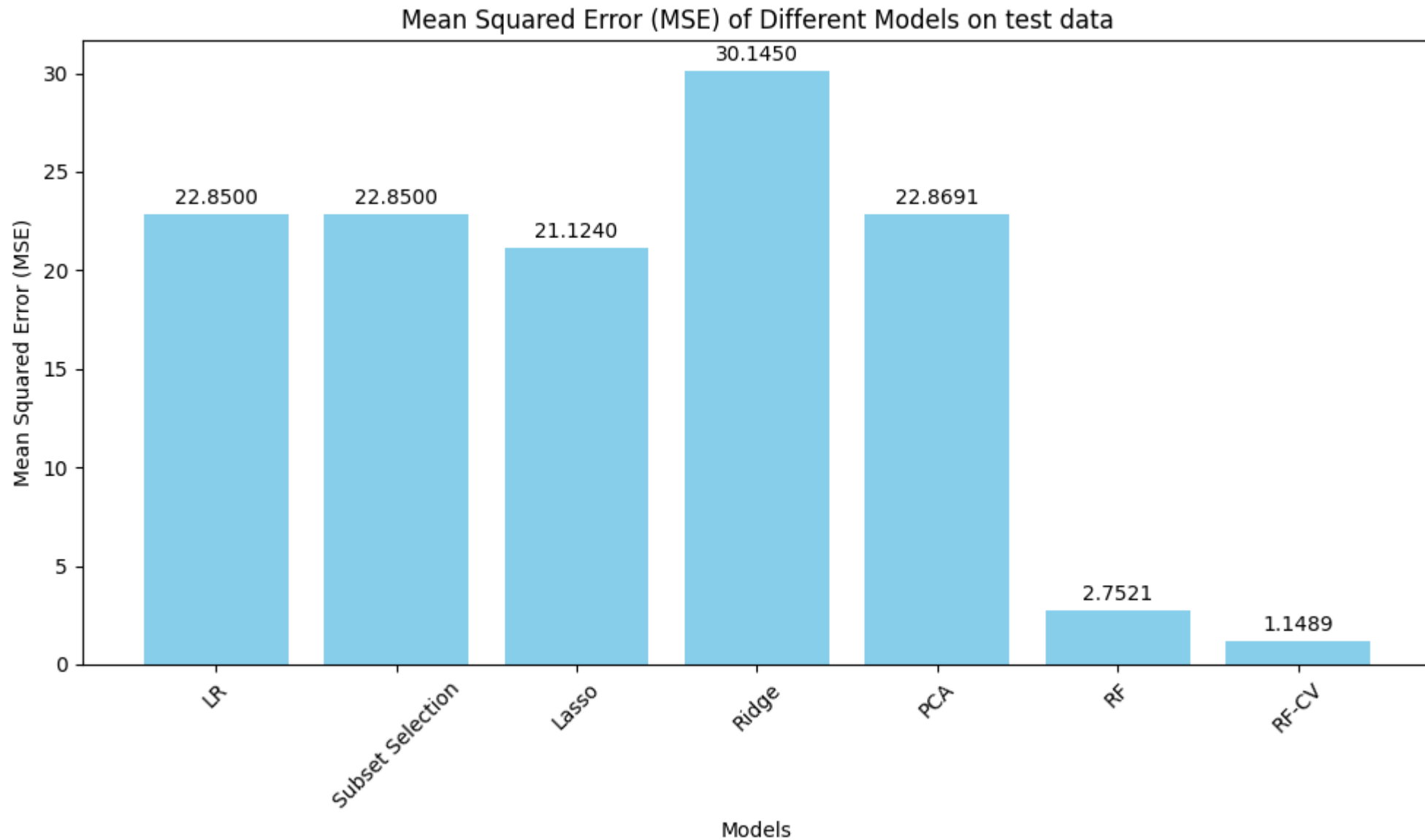
```
> cat("MSE for RF-Cv model on test data:", mse_cv, "\n")
```

```
MSE for RF-Cv model on test data: 1.148884
```

```
> cat("R-squared for RF-Cv model on test data on test data:", r_squared_cv, "\n")
```

```
R-squared for RF-Cv model on test data on test data: 0.9989662
```

Comparison



Conclusion

- In this project, we have successfully explored various statistical learning methods on the *Steel Industry Energy Consumption dataset*. our proposed model emerged as the top-performing solution.
- Among the various models used for detecting power consumption, RF with CV achieved higher R-squared of 0.999082 and lower test MSE of 1.148884.
- Hence, the success of the model in accurately predicting energy consumption signifies a significant step toward achieving enhanced efficiency and cost reduction in energy consumption within the steel industry.