

2). Calc. intrinsic conductivity of Si at room temp

if $n = 1.41 \times 10^{16} \text{ m}^{-3}$, $\mu_e = 0.145 \text{ m}^2/\text{V}\cdot\text{s}$, $\mu_h = 0.05 \text{ m}^2/\text{V}\cdot\text{s}$,

$e = 1.6 \times 10^{-19} \text{ C}$. What are the indiv contributions

(or) made by e^- & holes.

$$\sigma = q n \mu_n + q p \mu_p$$

Conductivity of intrinsic sc is $\sigma = q n \mu_n + q p \mu_p$ $e = q$

$$\sigma_i = n_i e \mu_e + n_i e \mu_h$$

$$= 1.41 \times 10^{16} \times 1.6 \times 10^{-19} \times 0.145 + 1.41 \times 10^{16} \times 1.6 \times 10^{-19}$$

$$= 0.325 \times 10^{-3} + 1.112 \times 10^{-3} \text{ S/m} = 0.437 \times 10^{-3} \text{ S/m} \times 0.05$$

$$\mu_e = \frac{e}{kT} D_e \quad \& \quad \mu_h = \frac{e}{kT} D_h$$

$$\text{or } \frac{D_e}{\mu_e} = \frac{D_h}{\mu_h} = \frac{kT}{e} = \frac{T}{11,600}$$

\Rightarrow Einstein Eq.

+ 27.1k

At 23°C , $T = 300^\circ\text{K}$

$$\frac{D}{\mu} = \frac{300}{11,600} = \frac{1}{39}$$

or

mobility

$$\mu = 39D$$

diff const.

$$\mu = 8.62 \times 10^{-5} \text{ eV}$$

Calc diffusion constants for e^- & holes at 300°K in Si. $\mu_e = 0.15 \text{ m}^2/\text{V-s}$ & $\mu_h = 0.05 \text{ m}^2/\text{V-s}$

Einst. eq. $D = \mu kT/e$ or $D = \mu/39 \text{ m}^2/\text{s}$ - at 300°K

$$D_e = \mu_e/39 = 0.15/39 = 3.85 \times 10^{-3} \text{ m}^2/\text{s}$$

$$D_h = \mu_h/39 = 0.05/39 = 6.4 \times 10^{-5} \text{ m}^2/\text{s}$$

6. Mobilities of free e^- & holes in pure Ge are 0.38 &
 $0.18 \text{ m}^2/\text{V}\cdot\text{s}$. Corresp values for pure Si are 0.13 & $0.05 \text{ m}^2/\text{V}\cdot\text{s}$,
resp.
Find values of intrinsic conductivity for both materials.

Assume $n_i = 2.5 \times 10^{19}/\text{m}^3$ for Ge & $n_i = 1.5 \times 10^{16}/\text{m}^3$ at
room temp. $q = 1.6 \times 10^{-19} \text{ C}$

Soln

for Ge, $\mu_n = 0.38 \text{ m}^2/\text{Vs}$, $\mu_p = 0.18 \text{ m}^2/\text{Vs}$

$$n_i = n = p = 2.5 \times 10^{19} / \text{m}^3$$

for Si, $\mu_n = 0.13 \text{ m}^2/\text{Vs}$, $\mu_p = 0.05 \text{ m}^2/\text{Vs}$, $n_i = n = p$

Intrinsic conductivity for germanium,

$$\begin{aligned}\sigma_i &= q \cdot n_i (\mu_n + \mu_p) = (1.6 \times 10^{-19}) \times (2.5 \times 10^{19}) \times (0.38 + 0.18) \\ &= 2.24 \text{ (2.4)} \text{ } (\Omega \cdot \text{m})^{-1}\end{aligned}$$

Intrinsic conductivity for Si,

$$\sigma_i = q \cdot n_i (\mu_n + \mu_p)$$

$$= (1.6 \times 10^{-19}) \times (1.5 \times 10^{16}) \times (0.13 + 0.05) \text{ (2 m)}^{-1}$$

$$= 4.32 \times 10^{-4} (\Omega \cdot \text{m})^{-1}$$

resistivity = $\frac{\text{V.S. m}}{\text{Coulomb}}$

Cond. $\rightarrow \frac{\text{Coulomb}}{\text{V.S. m}}$

~~$\frac{\text{m}^2}{\text{Vs}} \times \frac{1}{\text{A.S. V.S}^2} = \frac{1}{\text{A.S. V.S}^2}$~~

7. Find intrinsic carrier conc of Ge. if its intrinsic resistivity at 300K is $0.47 \Omega \cdot m$. Electronic charge is $1.6 \times 10^{-19} \text{ coulomb}$.
 e- & hole mobilities at 300K are 0.398 $0.19 \text{ m}^2/\text{Vs}$ resp.

$\rho_i = 0.47 \Omega \cdot m$, $q = 1.6 \times 10^{-19} \text{ C}$; $\mu_n = 0.39 \text{ m}^2/\text{Vs}$

$\mu_p = 0.19 \text{ m}^2/\text{Vs}$

n_i - intrinsic carrier conc of Ge.

conductivity

12.

$$\sigma = \frac{1}{\rho} = \frac{1}{0.47} = 2.13 \text{ (S/m)}$$

$$\sigma = qn(\mu_n + \mu_p)$$

$$2.13 = q \cdot n(\mu_n + \mu_p) = 1.6 \times 10^{-19} \times n_i(0.39 + 0.19)$$
$$= 0.93 \times 10^{-19} n_i$$

$$n_i = 2.3 \times 10^{19} / \text{m}^3$$

8) A sample of Si is doped with phosphorus to a density of $10^{21}/\text{m}^3$ as well as with boron to a density of $5 \times 10^{20}/\text{m}^3$. What will be conductivity of Si sample. e^- mobility in Si is $0.18 \text{ m}^2/\text{V}\cdot\text{s}$.

$$N_D = 10^{21}/m^3 \quad ; \quad N_A = 5 \times 10^{20}/m^3$$

Phos-donor, boron - acceptor.

$$\therefore \text{net donor density} = N_D^+ = N_D - N_A = 10^{21} - 5 \times 10^{20} \\ = 5 \times 10^{20}/m^3$$

$$\text{no of free } e^- \quad n = N_D^+ = 5 \times 10^{20}/m^3$$

$$\text{Conductivity of Si} \quad \sigma = q \cdot n \cdot \mu_n = (1.6 \times 10^{-19}) \times (5 \times 10^{20}) \\ = 14.4 \text{ (2mS)} \quad \quad \quad 0.18 \text{ (2mS)}$$

9). A germanium PN junction at 300K has foll param.

$N_D = 5 \times 10^{18} / \text{cm}^3$, $N_A = 6 \times 10^{16} / \text{cm}^3$, $n_i = 1.5 \times 10^{10} / \text{cm}^3$. Calc minority e^- density in p region & minority hole density in n region.

$$N_D = 5 \times 10^{18} / \text{cm}^3, N_A = 6 \times 10^{16} / \text{cm}^3, n_i = 1.5 \times 10^{10} / \text{cm}^3$$

$n \rightarrow e^-$ density (no) in p region
 $p \rightarrow$ hole " in n region

no of e^- in P region

$$n = \frac{n_i^2}{N_A} = \frac{(1.5 \times 10^{10})^2}{6 \times 10^{16}} = 0.375 \times 10^4 = 3750$$

no of holes in N region

$$p = \frac{n_i^2}{N_D} = \frac{(1.5 \times 10^{10})^2}{5 \times 10^8} = 0.45 \times 10^{12} \text{ conc, mobility}$$

Hall \Rightarrow If a specimen of SC carrying I is placed in a transverse mag B, then electric field induced in dir \perp to both I & B has hall coeff of $160 \text{ cm}^3/\text{columb}$

mobility in sample

$$R_H = 160 \text{ cm}^3/\text{columb}, \rho = 0.16 \Omega \text{ cm}$$

$$\mu_H = \sigma R_H = \frac{1}{\rho} R_H = \frac{1}{0.16} \times 160 = 1000 \text{ cm}^2/\text{Vs}$$

Hall effect - to determine nature of SC mater. p/n, mobile carrier

in to

2) A Si diode has forward V drop of $1.2V$ for a forward d.c. I $100mA$. It has a rev. I of $1\mu A$ for a rev V of $10V$.
Calc.

a. bulk & reverse R of diode

b. ac resistance at forward d.c. I of i) $2.5mA$ & ii) $25mA$

$$a) r_B = \frac{V_F - V_B}{I_F} = \frac{1.2V - 0.7V}{100mA} = 5\Omega$$

$$R_R = V_R / I_R = 10V / 1\mu A = 10M.$$

$$b i) r_j = 25mV / 2.5mA = 10\Omega.$$

$$ii) r_j = 25mV / 25mA = 1\Omega.$$

$$V_{ac} = V_B + V_J = 5 + 10 = 15V$$

$$V_{ac} = 5 + 1 = 6\Omega$$

3) Using analytical exp. for diode I , calc dynamic slope R of a Ge diode at $290^\circ K$ when V_F at I of i) $10 \mu A$ & $5 mA$.

$$I = I_0 \exp(eV/kT)$$

$$dI = \frac{e}{kT} I_0 \left(\exp\left(\frac{eV}{kT}\right) \right) dV = \frac{e}{kT} I dV$$

$$r_d = \frac{dV}{dI} = \frac{kT}{eI} = \frac{25 \times 10^{-3}}{I} \rightarrow I \text{ in ampere.}$$

i) Now $I = 10 \mu A = 10 \times 10^{-6} = 10^{-5} A$

$$r_d = 25 \times 10^{-3} / 10^{-5} = 2500 \Omega$$

ii) $I = 5 mA = 5 \times 10^{-3} A$

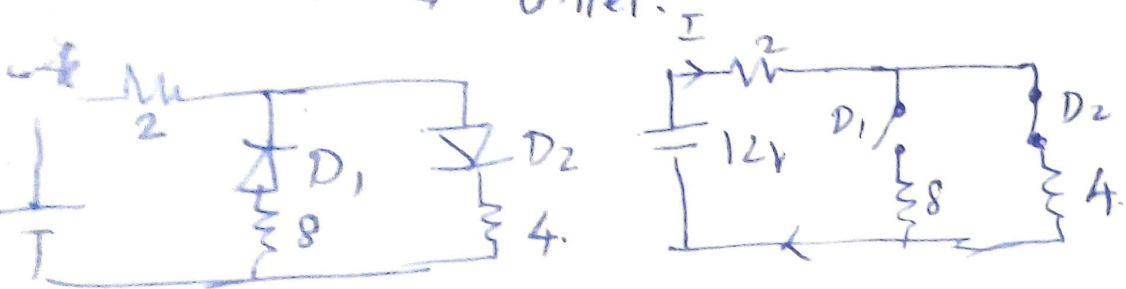
$$r_d = 25 \times 10^{-3} / 5 \times 10^{-3} = 5 \Omega$$

5) A germanium diode draws 40 mA with a FB 0.25V
The jn is at room temp of 293°K. Calc. rev. sat. I of diode

$$I = I_0 (e^{40V} - 1) \quad \text{or} \quad 40 \times 10^{-3} = I_0 (e^{40 \times 0.25} - 1).$$

$$I_0 = 40 \times 10^{-3} / (22.027 - 1) = 1.82 \mu A$$

Find I if any circuit which uses 2 opp. connected ideal diodes in parallel.



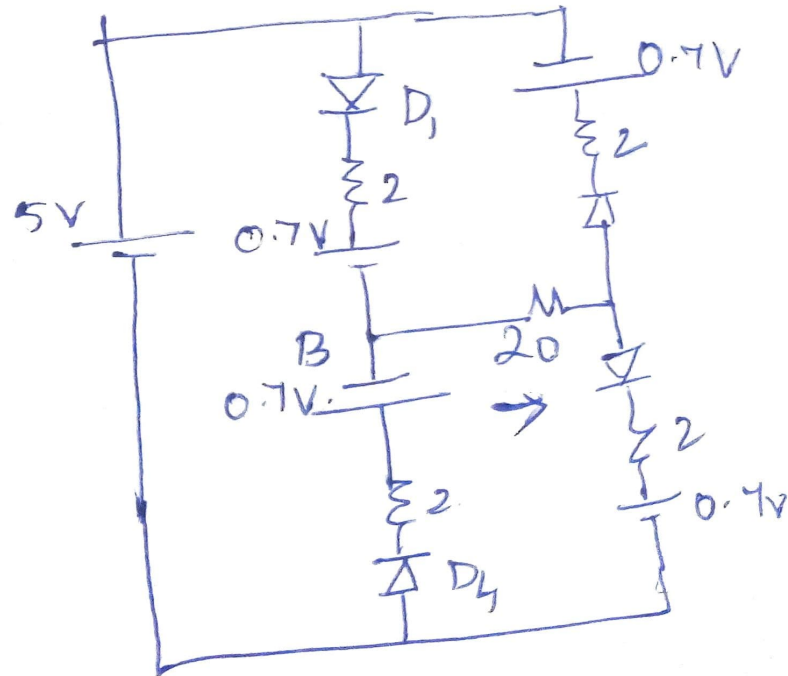
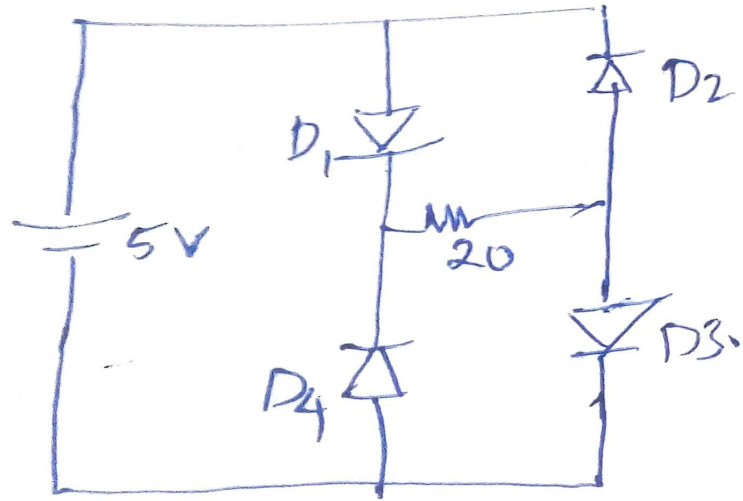
D_1 - R.B. - act as open switch.

\therefore no I thru D_1 & 8 ohm resistor.

D_2 - F.B. - short ckt or closed switch. I drawn is

$$I = 12 / (2 + 4) = 2A$$

Q. Find I thru $20\Omega R$ in fig. Each Si diode has a barrier pot $0.7V$ & a dynamic R of 2Ω Use diode eqvt ckt technique



Each diode - rep by eqvt ckt.

D_1, D_3 - FB by 5V battery.

I flow from pt A to B ~~then~~ C, D_2, D_4 - RB, via 20 Ω R, then back to pt of 5V battery.

Net v in eqvt ckt is

$$V_{net} = 5 - 0.7 - 0.7 = 3.6V.$$

Tot R seen by this net v is

$$R_T = 2 + 20 + 2 = 24 \Omega.$$

Ckt I $I = V_{net} / R_T = 3.6 / 24 = 0.15A.$