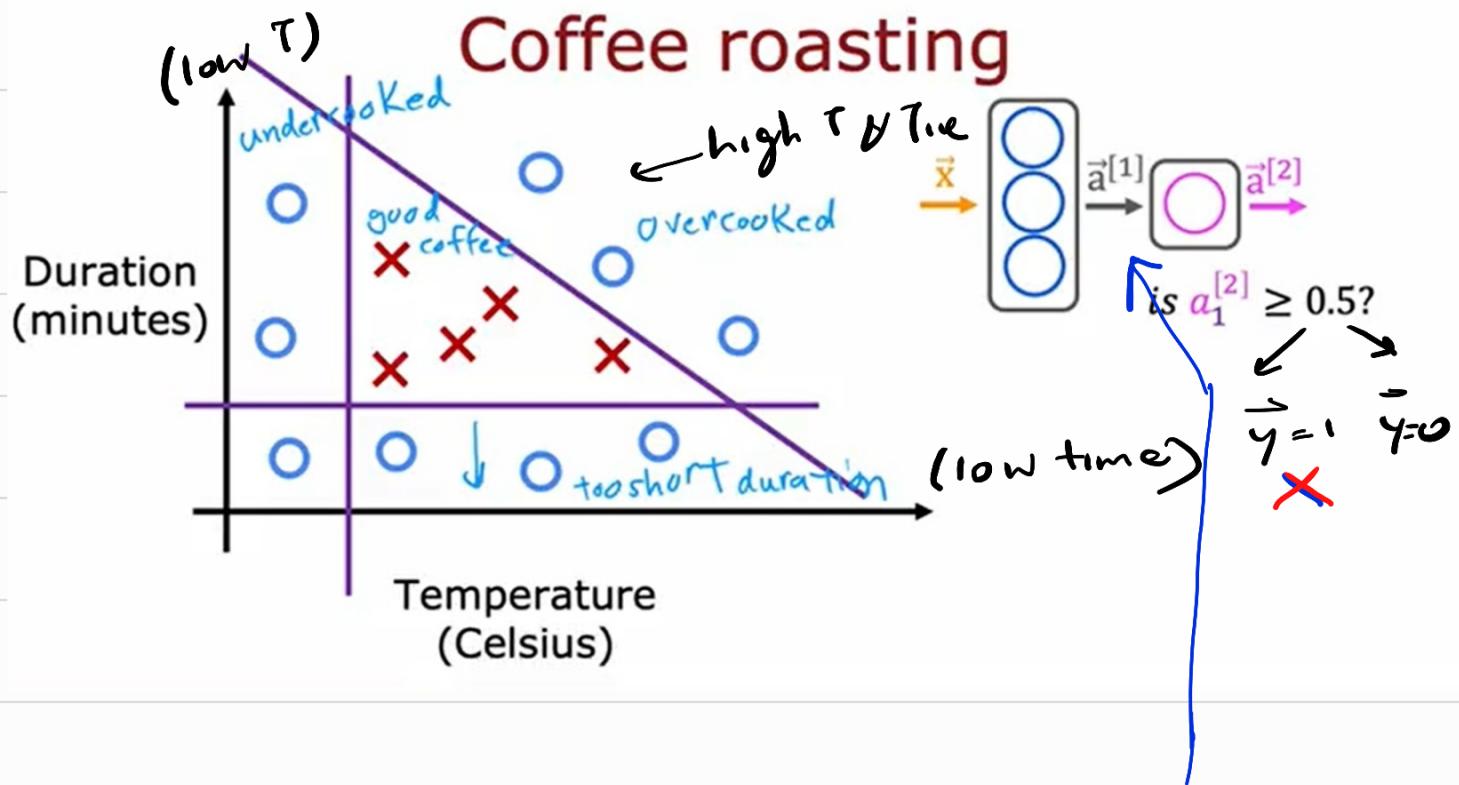


Tensorflow;

eg to understand coffee roasting



$$x = np.array([200.0, 17.0])$$

layer_1 = Dense (units = 3, activation = 'sigmoid')

$a_1 = layer_1(x) \rightarrow \text{tensor(list of 3 numbers)}$

layer_2 = Dense (units=1, activation='sigmoid')

$$a_2 = \text{layer}_2(a_1)$$

$$\hat{y} = \begin{cases} 1 & \text{if } a_2 > 0.5 \\ 0 & \text{otherwise} \end{cases}$$

Digit classification;

↙ hexadecimal values

$x = np.array([0.0, \dots, 245, \dots])$

layer_1 = Dense (units=25, activation='sigmoid')

$$a_1 = \text{layer}_1(x)$$

layer_2 = Dense (units=2, activation='sigmoid')

$$a_2 = \text{layer}_2(a_1)$$

layer_3 = Dense (units=1, activation='sigmoid')

$$a_3 = \text{layer}_3(a_2)$$

$$\hat{y} = \begin{cases} 1 & \text{if } a_3 > 0.5 \\ 0 & \text{otherwise} \end{cases}$$

Data in Tensorflow ;

$x = np.array([[200.0, 17.0]])$

Note about numpy arrays

$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix}$
2 rows
3 columns
 2×3 matrix

$x = np.array([[1, 2, 3], [4, 5, 6]])$
[[1, 2, 3],
 [4, 5, 6]]
matrix
2D array

$\begin{bmatrix} 0.1 & 0.2 \\ -3 & -4 \\ -0.5 & -0.6 \\ 7 & 8 \end{bmatrix}$
4x2 matrix

$x = np.array([[0.1, 0.2], [-3.0, -4.0], [-0.5, -0.6], [7.0, 8.0]])$
[[0.1, 0.2],
 [-3.0, -4.0],
 [-0.5, -0.6],
 [7.0, 8.0]]
2D array
matrix

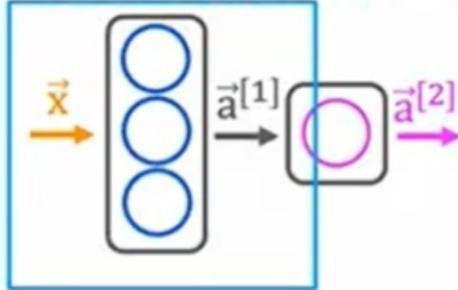
If written

$x = np.array([200, 17])$

1D array
linear vector

* tensorflow we use 2D (matrix) arrays

Activation vector



```
x = np.array([[200.0, 17.0]])
layer_1 = Dense(units=3, activation='sigmoid')
a1 = layer_1(x)
→ [[0.2, 0.7, 0.3]] 1 x 3 matrix
→ tf.Tensor([[0.2 0.7 0.3]], shape=(1, 3), dtype=float32)

a1.numpy() ← numpy way
array([[0.2, 0.7, 0.3]], dtype=float32)
```

if print shows
this

```
→ layer_2 = Dense(units=1, activation='sigmoid')
→ a2 = layer_2(a1)
```

```
tf.Tensor([[0.8]], shape=(1, 1), dtype=float32)
a2.numpy()
array([[0.8]], dtype=float32)
```

← 1x1 matrix

* w, b are automatically created
in dense layer

w, b = layer.get_weights()

parameters ;

\vec{x} e.g:- 400

$X \times \text{neurons}$

W_i ↓
parameters + B
parameters

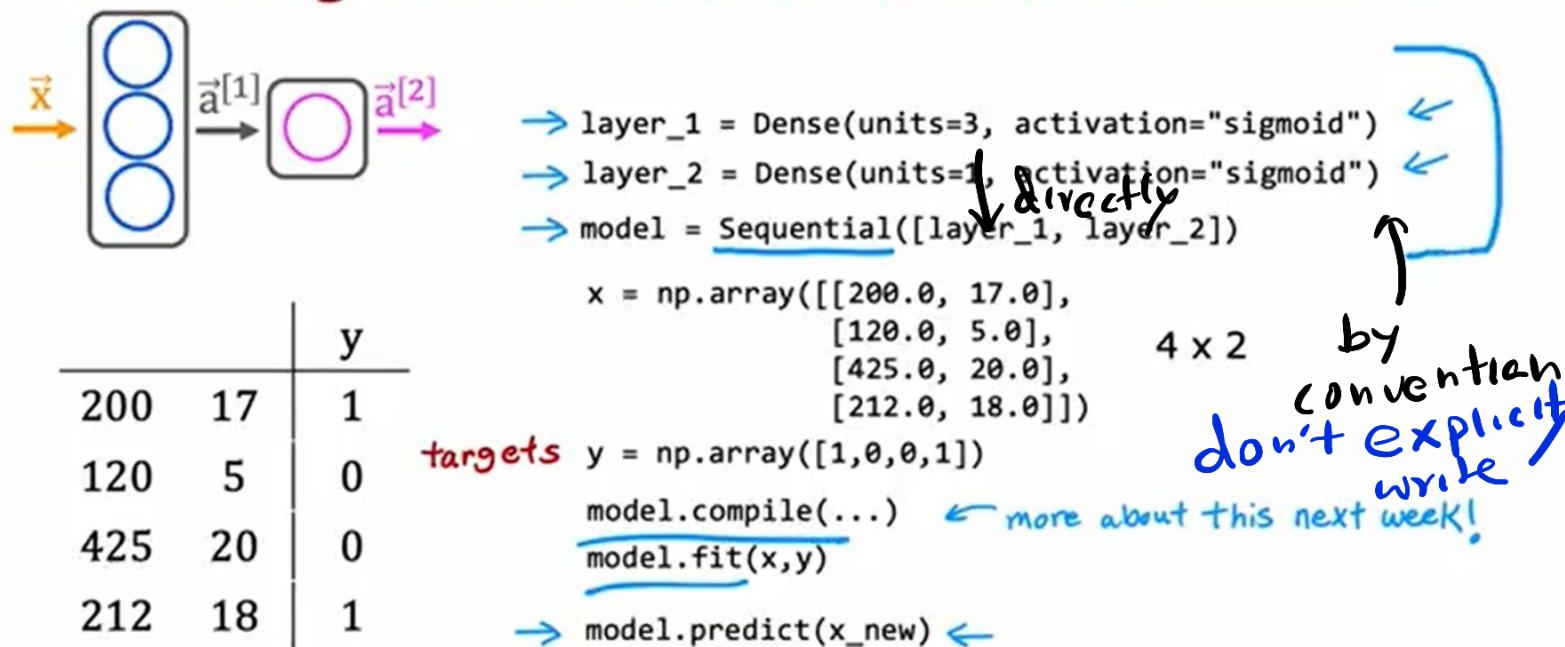
Building a neural network architecture

before $a_2 = \text{layer_1}(a_1) \dots$

Now;

model = Sequential(
[layer_1, layer_2]
)

Building a neural network architecture



Why normalize data in tensorflow

* norm = tf.keras.layers.Normalization
(axis = -1)

norm - adapt(x)
 $x_n = \text{norm}(x)$

↳ because data was unover
Now g-d works faster &
no dominating features

* np.tile($x_n, (1000, 1)$)
np.tile($Y, (1000, 1)$)

↳ Repeat data so the data set gets much bigger

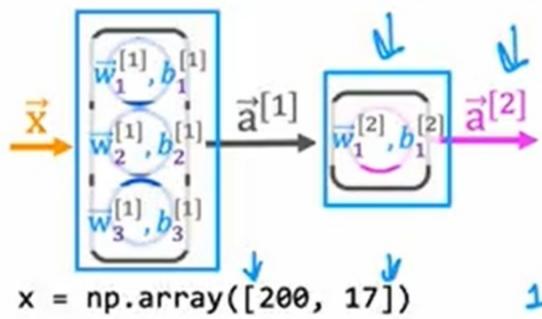
- teaching practice not real w..

After training weights
↳ large num.
— sharp decisions

Build own dense layer using Numpy

Forward Propagation in a Single Layer ;

forward prop (coffee roasting model)



$x = np.array([200, 17])$

$$a_1^{[1]} = g(\vec{w}_1^{[1]} \cdot \vec{x} + b_1^{[1]})$$

$$w1_1 = np.array([1, 2])$$

$$b1_1 = np.array([-1])$$

$$z1_1 = np.dot(w1_1, x) + b1_1$$

$$a1_1 = \text{sigmoid}(z1_1)$$

→

1D arrays

$$a_2^{[1]} = g(\vec{w}_2^{[1]} \cdot \vec{x} + b_2^{[1]})$$

$$w1_2 = np.array([-3, 4])$$

$$b1_2 = np.array([1])$$

$$z1_2 = np.dot(w1_2, x) + b1_2$$

$$a1_2 = \text{sigmoid}(z1_2)$$

→

$$a_3^{[1]} = g(\vec{w}_3^{[1]} \cdot \vec{x} + b_3^{[1]})$$

$$w1_3 = np.array([5, -6])$$

$$b1_3 = np.array([2])$$

$$z1_3 = np.dot(w1_3, x) + b1_3$$

$$a1_3 = \text{sigmoid}(z1_3)$$

→

$$a1 = np.array([a1_1, a1_2, a1_3])$$

$$w_1^{[2]} \quad w_2^{[2]}$$

in Numpy ;

def dense(a_in, w, b) :

$w = np.array([$

$[$

$[$

$(1, 1, 1)$

$(1, 4, 6)$

$]])$

$w_1 \quad w_2 \quad w_3$

$b = np.array([-1, 1, 2])$

$$\vec{a}^{(0)} = \vec{x} \quad a_{-in} = np.\text{arr}(L)$$

def dense(a_in, w, b);

$$\text{units} = W.\text{shape}[1] \rightarrow 3$$

$\nwarrow (2 \times 3 \text{ mat})$

$$a_{-out} = np.zeros(\text{units})$$

for j in range(units):

$$w = W[:, j]$$

$$z = np.dot(w, a_{-in}) + b[j]$$

$$a_{-out}[j] = g(z)$$

return a_out

now def seq(x);

$$a_1 = \text{dense}(x, w_1, b_1)$$

$$a_2 = \dots (a_1, w_2, b_2)$$

$$f_{\bar{x}} = \bar{a}_4$$

return f_x

For loops vs. vectorization

```
x = np.array([200, 17])  
W = np.array([[1, -3, 5],  
             [-2, 4, -6]])  
b = np.array([-1, 1, 2])
```

```
def dense(a_in, W, b):  
    units = W.shape[1]  
    a_out = np.zeros(units)  
    for j in range(units):  
        w = W[:,j]  
        z = np.dot(w, a_in) + b[j]  
        a_out[j] = g(z)  
    return a_out
```

[1,0,1] ↗

```
X = np.array([[200, 17]]) 2D array  
W = np.array([[1, -3, 5], same  
             [-2, 4, -6]])  
B = np.array([-1, 1, 2]) 1x3 2D array
```

```
def dense(A_in, W, B):  
    Z = np.matmul(A_in, W) + B  
    A_out = g(Z) matrix multiplication  
    return A_out  
[[1,0,1]]
```

$$z = \vec{a} \cdot \vec{w} = \vec{a}^T \vec{w}$$

Numpy broadcasting

Vector $b \rightarrow$ resized in a way that can be added to the A_{-mxn}

