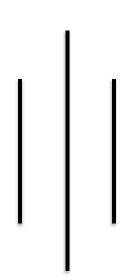
Project Work Of Artificial Intelligence Tribhuvan University

Amrit Science Campus

Thamel, Kathmandu





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INDEX

S.N	LAB Questions	Date	Signature
1.	Write a Program to Implement Breadth-First Search using Python.	2081/05/26	
2.	Write a Program to Implement Depth First Search using Python.	2081/05/26	
3.	Write a Program to Implement the Tic-Tac-Toe game using Python.	2081/05/26	
4.	Write a Program to Implement the Water-Jug problem using Python.	2081/05/26	
5.	Write a Program to Implement a Travelling Salesman Problem using Python.	2081/05/26	
6.	Write a Program to Implement the Tower of Hanoi using Python.	2081/05/26	
7.	Write a Program to Implement the Monkey Banana Problem using Python.	2081/05/27	
8.	Write a Program to Implement the N-Queens Problem using Python.	2081/05/27	
9.	Write a Program to Implement the Naïve Bayes algorithm using Python.	2081/05/27	
10.	Write a Program to Implement a Back- propagation Algorithm using Python	2081/05/28	
11.	Write a Program to Implement a Genetics algorithm using Python.	2081/05/28	
12.	Write a program to implement the A* Search Algorithm.	2081/05/28	
13.	Write a program to implement a greedy search algorithm.	2081/05/29	
14.	Write a program to implement the uniform cost search Algorithm.	2081/05/29	

1. Write a Program to Implement Breadth-First Search using Python.

Source Code:

g.BFS(2)

```
from collections import defaultdict
class Graph:
  # Constructor
  def init (self):
     self.graph = defaultdict(list)
  # Function to add an edge to the graph
  def addEdge(self, u, v):
     self.graph[u].append(v)
  # Function to perform BFS
  def BFS(self, s):
     # Mark all vertices as not visited
    visited = [False] * (max(self.graph) + 1)
     # Create a queue for BFS
     queue = []
     # Mark the source node as visited and enqueue it
     queue.append(s)
     visited[s] = True
     while queue:
       # Dequeue a vertex from the queue and print it
       s = queue.pop(0)
       print(s, end=" ")
       # Get all adjacent vertices of the dequeued vertex s
       # If an adjacent vertex has not been visited, mark it visited and enqueue it
       for i in self.graph[s]:
         if not visited[i]:
            queue.append(i)
            visited[i] = True
# Create a graph and add edges
g = Graph()
g.addEdge(0, 1)
g.addEdge(0, 2)
g.addEdge(1, 2)
g.addEdge(2, 0)
g.addEdge(2, 3)
g.addEdge(3, 3)
print("Following is Breadth-First Traversal (starting from vertex 2):")
```

Output:

```
PS D:\Arjun Mijar (160)> py .\breadthFirstSearch.py
Following is Breadth-First Traversal (starting from vertex 2):
2 0 3 1
```

2. Write a Program to Implement Depth First Search using Python.

```
from collections import defaultdict
# This class represents a directed graph using adjacency list representation
class Graph:
  # Constructor
  def init (self):
     # Default dictionary to store the graph
     self.graph = defaultdict(list)
  # Function to add an edge to the graph
  def addEdge(self, u, v):
     self.graph[u].append(v)
  # A function used by DFS
  def DFSUtil(self, v, visited):
     # Mark the current node as visited and print it
     visited.add(v)
     print(v, end=' ')
     # Recur for all the vertices adjacent to this vertex
     for neighbour in self.graph[v]:
       if neighbour not in visited:
          self.DFSUtil(neighbour, visited)
  # The function to do DFS traversal. It uses recursive DFSUtil()
  def DFS(self, v):
     # Create a set to store visited vertices
     visited = set()
     # Call the recursive helper function to print DFS traversal
     self.DFSUtil(v, visited)
# Driver code
g = Graph()
g.addEdge(0, 1)
```

```
g.addEdge(0, 2)
g.addEdge(1, 2)
g.addEdge(2, 0)
g.addEdge(2, 3)
g.addEdge(3, 3)

print("Following is DFS from (starting from vertex 2):")
g.DFS(2)
```

Output:

```
PS D:\Arjun Mijar (160)> py .\depthFirstSearch.py
Following is DFS from (starting from vertex 2):
2 0 1 3
```

3. Write a Program to Implement Tic-Tac-Toe game using Python.

```
# Tic-Tac-Toe Program using random numbers in Python
# Importing all necessary libraries
import numpy as np
import random
from time import sleep
# Creates an empty board
def create board():
  return np.array([[0, 0, 0],
             [0, 0, 0],
             [0, 0, 0]]
# Check for empty places on the board
def possibilities(board):
  1 = \lceil \rceil
  for i in range(len(board)):
     for j in range(len(board)):
       if board[i][j] == 0:
          1.append((i, j))
  return 1
# Select a random place for the player
def random place(board, player):
  selection = possibilities(board)
  current loc = random.choice(selection)
```

```
board[current_loc] = player
  return board
# Checks whether the player has three of their marks in a horizontal row
def row win(board, player):
  for x in range(len(board)):
     win = True
     for y in range(len(board)):
       if board[x, y] != player:
          win = False
          break
     if win:
       return win
  return False
# Checks whether the player has three of their marks in a vertical row
def col win(board, player):
  for x in range(len(board)):
     win = True
     for y in range(len(board)):
       if board[y][x] != player:
          win = False
          break
     if win:
       return win
  return False
# Checks whether the player has three of their marks in a diagonal row
def diag win(board, player):
  # Check for first diagonal
  win = True
  for x in range(len(board)):
     if board[x, x] != player:
       win = False
       break
  if win:
     return True
  # Check for second diagonal
  win = True
  for x in range(len(board)):
     if board[x, len(board) - 1 - x] != player:
       win = False
       break
  return win
# Evaluates whether there is a winner or a tie
def evaluate(board):
  winner = 0
  for player in [1, 2]:
     if row win(board, player) or col win(board, player) or diag win(board, player):
```

```
winner = player
       break
  if np.all(board != 0) and winner == 0:
     winner = -1 # Tie
  return winner
# Main function to start the game
def play game():
  board, winner, counter = create board(), 0, 1
  print(board)
  sleep(2)
  while winner == 0:
     for player in [1, 2]:
       board = random place(board, player)
       print(f"Board after {counter} move:")
       print(board)
       sleep(2)
       counter += 1
       winner = evaluate(board)
       if winner != 0:
         break
  return winner
# Driver Code
print("Winner is: " + str(play_game()))
```

```
PS D:\Arjun Mijar (160)> py .\ticTacToeGame.py
[[0 0 0]]
[0 0 0]
[0 0 0]]
Board after 1 move:
[[0 1 0]
[0 0 0]
[0 0 0]]
Board after 2 move:
[[0 1 0]
[2 0 0]
[0 0 0]]
Board after 3 move:
[[0 1 0]
[2 1 0]
[0 0 0]]
Board after 4 move:
[[0 1 0]
[2 1 0]
[2 0 0]]
Board after 5 move:
[[0 1 0]
[2 1 0]
[2 1 0]]
Winner is: 1
```

4. Write a Program to Implement the Water-Jug problem using Python.

```
from collections import defaultdict
# Jug capacities and the target amount
jug1, jug2, aim = 4, 3, 2
# Initialize dictionary with default value as False to track visited states
visited = defaultdict(lambda: False)
# Recursive function to solve the water jug problem
def waterJugSolver(amt1, amt2):
  # If we reach the goal, print the solution and return True
  if (amt1 == aim and amt2 == 0) or (amt2 == aim and amt1 == 0):
     print(amt1, amt2)
     return True
  # If this state has already been visited, skip to avoid infinite recursion
  if visited[(amt1, amt2)] == False:
     # Print the current state
     print(amt1, amt2)
     # Mark the current state as visited
     visited[(amt1, amt2)] = True
     # Explore all possible moves:
     return (waterJugSolver(0, amt2) or
                                              # Empty jug1
          waterJugSolver(amt1, 0) or
                                           # Empty jug2
          waterJugSolver(jug1, amt2) or
                                             # Fill jug1
          waterJugSolver(amt1, jug2) or
                                             # Fill jug2
          waterJugSolver(amt1 + min(amt2, jug1 - amt1), amt2 - min(amt2, jug1 - amt1)) or #
Pour jug2 into jug1
          waterJugSolver(amt1 - min(amt1, jug2 - amt2), amt2 + min(amt1, jug2 - amt2))) #
Pour jug1 into jug2
  # Return False if no solution is found
  else:
     return False
# Driver code
print("Steps: ")
waterJugSolver(0, 0)
```

Output:

```
PS D:\Arjun Mijar (160)> py .\waterJugProblem.py
Steps:
0 0
4 0
4 3
0 3
3 0
3 3
4 2
0 2
```

5. Write a Program to Implement a Travelling Salesman Problem using Python

```
from sys import maxsize
from itertools import permutations
# Number of vertices in the graph (cities)
V = 4
# Implementation of the Travelling Salesman Problem
def travellingSalesmanProblem(graph, s):
  # Store all vertices except the source vertex
  vertex = []
  for i in range(V):
    if i != s:
       vertex.append(i)
  # Store the minimum weight of the Hamiltonian Cycle
  min path = maxsize
  # Generate all permutations of the vertices (except the start vertex)
  next permutation = permutations(vertex)
  # Check each permutation
  for i in next permutation:
    # Store current path weight (cost)
    current pathweight = 0
    # Compute the current path weight
    k = s
    for j in i:
```

```
current_pathweight += graph[k][j]
       k = j
     # Add the cost to return to the starting point
     current pathweight += graph[k][s]
     # Update the minimum path cost
     min_path = min(min_path, current pathweight)
  return min path
# Driver Code
if __name__ == "__main__":
  #Matrix representation of the graph
  graph = [[0, 10, 15, 20],
        [10, 0, 35, 25],
        [15, 35, 0, 30],
       [20, 25, 30, 0]]
  # Starting vertex (source city)
  s = 0
  # Output the minimum path cost
  print("Minimum path cost:", travellingSalesmanProblem(graph, s))
```

```
PS D:\Arjun Mijar (160)> py .\travelSalesManProblem.py
Minimum path cost: 80
```

6. Write a Program to Implement the Tower of Hanoi using Python.

Source Code:

```
# Recursive Python function to solve Tower of Hanoi
def TowerOfHanoi(n, from_rod, to_rod, aux_rod):
    if n == 1:
        print("Move disk 1 from rod", from_rod, "to rod", to_rod)
        return

# Move n-1 disks from the source to auxiliary rod
        TowerOfHanoi(n-1, from_rod, aux_rod, to_rod)

# Move nth disk from source to destination rod
        print("Move disk", n, "from rod", from_rod, "to rod", to_rod)

# Move the n-1 disks from auxiliary rod to destination rod
        TowerOfHanoi(n-1, aux_rod, to_rod, from_rod)

# Driver code
n = 3 # Number of disks
TowerOfHanoi(n, 'A', 'C', 'B') # A, C, B are the names of the rods
```

```
PS D:\Arjun Mijar (160)> py .\towerOfHonai.py
Move disk 1 from rod A to rod C
Move disk 2 from rod A to rod B
Move disk 1 from rod C to rod B
Move disk 3 from rod A to rod C
Move disk 1 from rod B to rod A
Move disk 2 from rod B to rod C
Move disk 1 from rod A to rod C
```

7. Write a Program to Implement the Monkey Banana Problem using Python.

```
from poodle import Object, schedule
from typing import Set
class Position(Object):
  def __str__(self):
    if not hasattr(self, "locname"):
       return "unknown"
    return self.locname
class HasHeight(Object):
  height: int
class HasPosition(Object):
  at: Position
class Monkey(HasHeight, HasPosition):
  pass
class PalmTree(HasHeight, HasPosition):
  def init (self, *args, **kwargs):
    super(). init (*args, **kwargs)
     self.height = 2
class Box(HasHeight, HasPosition):
  pass
class Banana(HasHeight, HasPosition):
  owner: Monkey
  attached: PalmTree
class World(Object):
  locations: Set[Position]
# Create locations
p1 = Position()
p1.locname = "Position A"
p2 = Position()
```

```
p2.locname = "Position B"
p3 = Position()
p3.locname = "Position C"
# Create world and add positions
w = World()
w.locations = set() # Initialize the set
w.locations.add(p1)
w.locations.add(p2)
w.locations.add(p3)
# Create objects
m = Monkey()
m.height = 0 \# Ground level
m.at = p1
box = Box()
box.height = 2
box.at = p2
p = PalmTree()
p.at = p3
b = Banana()
b.attached = p
# Define functions for monkey actions
def go(monkey: Monkey, where: Position):
  assert where in w.locations
  assert monkey.height < 1, "Monkey can only move while on the ground"
  monkey.at = where
  return f"Monkey moved to {where}"
def push(monkey: Monkey, box: Box, where: Position):
  assert monkey.at == box.at
  assert where in w.locations
  assert monkey.height < 1, "Monkey can only move the box while on the ground"
  monkey.at = where
  box.at = where
  return f"Monkey moved box to {where}"
def climb up(monkey: Monkey, box: Box):
  assert monkey.at == box.at
```

```
monkey.height += box.height
  return "Monkey climbs the box"
def grasp(monkey: Monkey, banana: Banana):
  assert monkey.height == banana.height
  assert monkey.at == banana.at
  banana.owner = monkey
  return "Monkey takes the banana"
def infer owner at(palmtree: PalmTree, banana: Banana):
  assert banana.attached == palmtree
  banana.at = palmtree.at
  return "Remembered that if the banana is on the palm tree, its location is where the palm tree
is"
def infer banana height(palmtree: PalmTree, banana: Banana):
  assert banana.attached == palmtree
  banana.height = palmtree.height
  return "Remembered that if the banana is on the tree, its height equals the tree's height"
# Plan execution
print('\n'.join(x()) for x in schedule(
  [go, push, climb up, grasp, infer banana height, infer owner at],
  [w, p1, p2, p3, m, box, p, b],
  goal=lambda: b.owner == m
)))
```

```
PS D:\Arjun Mijar (160)> py .\monkeyBananaProblem.py

Monkey moved to Position B

Remembered that if banana is on the tree,
its height equals tree's height Remembered that if banana is on palm tree,
its location is where palm tree is Monkey moved box to Position C

Monkey climbs the box Monkey takes the banana
```

8. Write a Program to Implement the N-Queens Problem using Python.

```
# Python program to solve N Queen Problem using backtracking
# Global variable for the size of the board
N = 4
def printSolution(board):
  for i in range(N):
     for j in range(N):
       print(board[i][j], end=' ')
     print()
def isSafe(board, row, col):
  # Check this row on left side
  for i in range(col):
     if board[row][i] == 1:
       return False
  # Check upper diagonal on left side
  for i, j in zip(range(row, -1, -1), range(col, -1, -1)):
     if board[i][j] == 1:
       return False
  # Check lower diagonal on left side
  for i, j in zip(range(row, N, 1), range(col, -1, -1)):
     if board[i][j] == 1:
       return False
  return True
def solveNQUtil(board, col):
  # Base case: If all queens are placed, return true
  if col >= N:
     return True
  # Consider this column and try placing this queen in all rows one by one
  for i in range(N):
     if isSafe(board, i, col):
       # Place this queen in board[i][col]
       board[i][col] = 1
       # Recur to place rest of the queens
       if solveNQUtil(board, col + 1):
          return True
       # If placing queen in board[i][col] doesn't lead to a solution, then backtrack
       board[i][col] = 0
```

```
# If the queen cannot be placed in any row in this column, return false

def solveNQ():
    # Initialize the board
    board = [[0 for _ in range(N)] for _ in range(N)]

if not solveNQUtil(board, 0):
    print("Solution does not exist")
    return False

printSolution(board)
return True

# Driver program to test the above function
solveNQ()
```

```
PS D:\Arjun Mijar (160)> py .\nQueensProblem.py
0 0 1 0
1 0 0 0
0 0 0 1
0 1 0 0
```

9. Write a Program to Implement the Naïve Bayes algorithm using Python.

```
import numpy as np
class NaiveBayes:
  def init (self):
     self.class probs = {}
     self.feature probs = {}
     self.classes = []
     self.feature count = 0
  def fit(self, X, y):
     Fit the Naive Bayes model using training data.
     :param X: 2D numpy array of shape (n samples, n features) representing the feature matrix
     :param y: 1D numpy array of shape (n samples,) representing the class labels
     self.classes = np.unique(y)
     self.feature count = X.shape[1]
     # Calculate prior probabilities
     self.class probs = \{c: np.mean(y == c) \text{ for } c \text{ in self.classes} \}
     # Calculate likelihoods
     self.feature probs = {}
     for c in self.classes:
        X c = X[y == c]
        # Use Laplace smoothing
        class feature probs = (\mathbf{np.sum}(X c, axis=0) + 1) / (X c.shape[0] + 2)
        self.feature probs[c] = class feature probs
  def predict(self, X):
     Predict the class labels for the provided data.
     :param X: 2D numpy array of shape (n samples, n features) representing the feature matrix
     :return: 1D numpy array of shape (n samples,) representing the predicted class labels
     predictions = []
     for x in X:
        class probs = \{\}
        for c in self.classes:
          # Calculate log-probabilities to avoid numerical issues with small numbers
          \log \text{ prob} = \text{np.log(self.class probs[c])}
          \log \text{ prob} += \text{np.sum}(x * \text{np.log}(\text{self.feature probs}[c]) + (1 - x) * \text{np.log}(1 - x)
self.feature probs[c]))
          class probs[c] = log prob
        # Predict the class with the highest probability
```

```
predicted_class = max(class_probs, key=class_probs.get)
       predictions.append(predicted class)
     return np.array(predictions)
# Example usage
if __name__ == "__main__":
  # Sample data: 4 samples, 2 features
  X train = np.array([
     [1, 0],
     [1, 1],
     [0, 1],
     [0, 0]
  ])
  y_{train} = np.array([1, 1, 0, 0]) # Binary classification
  # Create and train the Naive Bayes classifier
  nb = NaiveBayes()
  nb.fit(X_train, y_train)
   # Test data
  X \text{ test} = np.array([
     [1, 0],
     [0, 1]
  ])
  # Predict the class labels
  predictions = nb.predict(X test)
  print("Predictions:", predictions)
```

```
PS D:\Arjun Mijar (160)> py .\naiveBayes.py Predictions: [1 0]
```

10. Write a Program to Implement a Back-propagation Algorithm using Python

```
import numpy as np
# Define activation functions and their derivatives
def sigmoid(x):
  return 1/(1 + np.exp(-x))
def sigmoid derivative(x):
  return x * (1 - x)
# Define the neural network class
class NeuralNetwork:
  def init (self, input size, hidden size, output size):
    # Initialize weights
    self.input size = input size
    self.hidden size = hidden size
    self.output size = output size
    self.weights input hidden = np.random.rand(self.input size, self.hidden size)
    self.weights hidden output = np.random.rand(self.hidden size, self.output size)
    self.bias hidden = np.random.rand(self.hidden size)
    self.bias output = np.random.rand(self.output size)
  def forward(self, X):
    # Forward pass
    self.hidden\ layer\ input = np.dot(X, self.weights\ input\ hidden) + self.bias\ hidden
    self.hidden layer output = sigmoid(self.hidden layer input)
    self.output layer input = np.dot(self.hidden layer output, self.weights hidden output) +
self.bias output
    self.output = sigmoid(self.output layer input)
    return self.output
  def backward(self, X, y, learning rate):
    # Backward pass
    output error = y - self.output
    output delta = output error * sigmoid derivative(self.output)
    hidden error = np.dot(output delta, self.weights hidden output.T)
    hidden delta = hidden error * sigmoid derivative(self.hidden layer output)
    # Update weights and biases
    self.weights input hidden += np.dot(X.T, hidden delta) * learning rate
    self.weights hidden output += np.dot(self.hidden layer output.T, output delta) * learning rate
    self.bias hidden += np.sum(hidden delta, axis=0) * learning rate
    self.bias output += np.sum(output delta, axis=0) * learning rate
  def train(self, X, y, epochs, learning rate):
    for epoch in range(epochs):
       output = self.forward(X)
```

```
self.backward(X, y, learning rate)
       if (epoch + 1) \% 1000 == 0:
          loss = np.mean(np.square(y - output))
          print(f'Epoch {epoch + 1}, Loss: {loss}')
# Example usage
if name = " main ":
  # Example data: XOR problem
  X train = np.array([
     [0, 0],
     [0, 1],
    [1, 0],
    [1, 1]
  1)
  y train = np.array([
     [0],
     [1],
     [1],
    [0]
  1)
  # Initialize and train the neural network
  input size = 2
  hidden size = 4
  output size = 1
  nn = NeuralNetwork(input size, hidden size, output size)
  nn.train(X train, y train, epochs=10000, learning rate=0.1)
  # Test the neural network
  print("Predictions:")
  for x in X train:
     print(f"Input: \{x\}, Prediction: \{nn.forward(x)\}")
```

```
PS D:\Arjun Mijar (160)> py .\backPropagation.py
Epoch 1000, Loss: 0.24761079780630108
Epoch 2000, Loss: 0.23157685457336868
Epoch 3000, Loss: 0.1722873043472424
Epoch 4000, Loss: 0.0832199777563821
Epoch 5000, Loss: 0.02748595956189996
Epoch 6000, Loss: 0.012049187995551575
Epoch 7000, Loss: 0.006865991836196638
Epoch 8000, Loss: 0.004570427392398989
Epoch 9000, Loss: 0.003341437219462063
Epoch 10000, Loss: 0.0025960529135158495
Predictions:
Input: [0 0], Prediction: [0.03587493]
Input: [0 1], Prediction: [0.94301913]
Input: [1 0], Prediction: [0.95295258]
Input: [1 1], Prediction: [0.06028717]
```

11. Write a Program to Implement a Genetics algorithm using Python.

```
import numpy as np
# Parameters
population size = 10
genome length = 10
mutation rate = 0.01
n generations = 100
# Create initial population
def create population(size, length):
  return np.random.randint(2, size=(size, length))
# Fitness function: count the number of 1's
def fitness(genome):
  return np.sum(genome)
# Selection function: select parents based on fitness
def select parents(population, fitness scores):
  probabilities = fitness scores / np.sum(fitness scores)
  parents indices = np.random.choice(range(population size), size=2, p=probabilities)
  return population[parents indices]
# Crossover function: create offspring from parents
def crossover(parent1, parent2):
  point = np.random.randint(1, genome length-1)
  offspring1 = np.concatenate((parent1[:point], parent2[point:]))
  offspring2 = np.concatenate((parent2[:point], parent1[point:]))
  return offspring1, offspring2
# Mutation function: flip bits in genome
def mutate(genome, rate):
  for i in range(len(genome)):
    if np.random.rand() < rate:
       genome[i] = 1 - genome[i]
# Main genetic algorithm function
def genetic algorithm():
  population = create population(population size, genome length)
  for generation in range(n generations):
    fitness scores = np.array([fitness(genome) for genome in population])
    parents = select_parents(population, fitness_scores)
    offspring1, offspring2 = crossover(parents[0], parents[1])
    mutate(offspring1, mutation rate)
    mutate(offspring2, mutation rate)
    # Replace the worst two individuals with the new offspring
    worst indices = np.argsort(fitness scores)[:2]
```

```
population[worst_indices[0]] = offspring1
population[worst_indices[1]] = offspring2

# Print summary every 10 generations
if generation % 10 == 0:
    best_fitness = np.max(fitness_scores)
    best_individual = population[np.argmax(fitness_scores)]
    print(f"Generation {generation}: Best Fitness = {best_fitness}")

# Print final result
final_fitness_scores = np.array([fitness(genome) for genome in population])
best_fitness = np.max(final_fitness_scores)
best_individual = population[np.argmax(final_fitness_scores)]
print(f"Final Best Individual: {best_individual}")
print(f"Final Best Fitness: {best_fitness}")

# Run the genetic algorithm
genetic_algorithm()
```

```
PS D:\Arjun Mijar (160)> py .\geneticAlgorithm.py
Generation 0: Best Fitness = 8
Generation 10: Best Fitness = 9
Generation 20: Best Fitness = 9
Generation 30: Best Fitness = 9
Generation 40: Best Fitness = 9
Generation 50: Best Fitness = 10
Generation 60: Best Fitness = 10
Generation 70: Best Fitness = 10
Generation 80: Best Fitness = 10
Final Best Individual: [1 1 1 1 1 1 1 1 1]
Final Best Fitness: 10
```

12. Write a program to implement the A* Search Algorithm.

```
import heapq
class Node:
  def init (self, position, parent=None):
     self.position = position
     self.parent = parent
     self.g = 0 \# Cost from start to current node
     self.h = 0 # Heuristic cost from current node to end
     self.f = 0 # Total cost
  def lt (self, other):
     return self.f < other.f
def a star search(start, end, grid):
  open list = []
  closed list = set()
  start node = Node(start)
  end node = Node(end)
  heapq.heappush(open list, start node)
  while open list:
     current node = heapq.heappop(open list)
     closed list.add(current node.position)
     if current node.position == end node.position:
        path = []
        while current node:
          path.append(current node.position)
          current node = current node.parent
        return path[::-1]
     neighbors = [(0, 1), (1, 0), (0, -1), (-1, 0)] # Adjacent squares: right, down, left, up
     for neighbor in neighbors:
        node position = (current node.position[0] + neighbor[0], current node.position[1] +
neighbor[1])
        if (0 \le \text{node position}[0] \le \text{len}(\text{grid}) \text{ and } 0 \le \text{node position}[1] \le \text{len}(\text{grid}[0]) \text{ and } 0 \le \text{node position}[1] \le \text{len}(\text{grid}[0]) 
          grid[node position[0]][node position[1]] == 0):
          if node position in closed list:
             continue
          neighbor node = Node(node position, current node)
          neighbor node.g = current node.g + 1
          neighbor node.h = ((end node.position[0] - neighbor node.position[0]) ** 2 +
                       (end node.position[1] - neighbor node.position[1]) ** 2) ** 0.5
          neighbor node.f = neighbor node.g + neighbor node.h
```

```
PS D:\Arjun Mijar (160)> py .\aSearchAlgorithm.py
Path found: [(0, 0), (1, 0), (2, 0), (2, 1), (2, 2), (2, 3), (2, 4), (3, 4), (4, 4)]
```

13. Write a program to implement a greedy search algorithm.

```
import heapq
class Node:
  def init (self, position, parent=None):
     self.position = position
     self.parent = parent
     self.h = 0 # Heuristic cost
  def lt (self, other):
     return self.h < other.h
def greedy best first search(start, end, grid):
  open list = \prod
  closed list = set()
  start node = Node(start)
  end node = Node(end)
  heapq.heappush(open list, start node)
  while open list:
     current node = heapq.heappop(open list)
     closed list.add(current node.position)
     if current node.position == end node.position:
       path = []
       while current node:
          path.append(current node.position)
          current node = current node.parent
       return path[::-1]
     neighbors = [(0, 1), (1, 0), (0, -1), (-1, 0)] # Adjacent squares: right, down, left, up
     for neighbor in neighbors:
       node position = (current node.position[0] + neighbor[0], current node.position[1] +
neighbor[1])
       if (0 \le \text{node\_position}[0] \le \text{len}(\text{grid}) and 0 \le \text{node\_position}[1] \le \text{len}(\text{grid}[0]) and
          grid[node position[0]][node position[1]] == 0):
          if node position in closed list:
             continue
          neighbor node = Node(node position, current node)
          neighbor node.h = ((end node.position[0] - neighbor node.position[0]) ** 2 +
                      (end node.position[1] - neighbor node.position[1]) ** 2) ** 0.5
          if any(node.position == neighbor node.position and node.h <= neighbor node.h for
node in open list):
             continue
```

```
heapq.heappush(open_list, neighbor_node)

return None # No path found

# Example grid: 0 is walkable, 1 is blocked
grid = [[0, 0, 0, 0, 0],
        [0, 1, 1, 1, 0],
        [0, 0, 0, 0, 0],
        [0, 1, 1, 1, 0],
        [0, 0, 0, 0, 0]]

start = (0, 0) # Start position
end = (4, 4) # End position

path = greedy_best_first_search(start, end, grid)
print("Path found:", path)
```

```
PS D:\Arjun Mijar (160)> py .\greedySearchAlgorithm.py
Path found: [(0, 0), (0, 1), (0, 2), (0, 3), (0, 4), (1, 4), (2, 4), (3, 4), (4, 4)]
```

14. Write a program to implement the uniform cost search Algorithm.

```
import heapq
class Node:
  def init (self, position, cost=0, parent=None):
     self.position = position
     self.cost = cost
     self.parent = parent
  def lt (self, other):
     return self.cost < other.cost
def uniform cost search(start, goal, graph):
  open list = []
  closed list = set()
  start node = Node(start, 0)
  heapq.heappush(open list, start node)
  while open list:
     current node = heapq.heappop(open list)
     current position = current node.position
    if current position in closed list:
       continue
     closed list.add(current position)
     if current position == goal:
       path = []
       total cost = current node.cost
       while current node:
          path.append(current node.position)
          current node = current_node.parent
       return path[::-1], total cost
     for neighbor, cost in graph.get(current position, {}).items():
       if neighbor in closed list:
          continue
       neighbor node = Node(neighbor, current node.cost + cost, current node)
       heapq.heappush(open list, neighbor node)
  return None, float('inf') # No path found
# Example graph represented as an adjacency list with costs
graph = {
  'A': {'B': 1, 'C': 4},
  'B': {'A': 1, 'C': 2, 'D': 5},
  'C': {'A': 4, 'B': 2, 'D': 1},
```

```
'D': {'B': 5, 'C': 1}
}

start = 'A'
goal = 'D'

path, cost = uniform_cost_search(start, goal, graph)
print("Path found:", path)
print("Total cost:", cost)
```

```
PS D:\Arjun Mijar (160)> py .\uniformCostSearchAlgo.py
Path found: ['A', 'B', 'C', 'D']
Total cost: 4
```