

Image Dynamics Theory: A Unified Dynamical Framework for Consciousness

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Abstract

Image Dynamics Theory models consciousness as the continuous evolution of a high-dimensional representational system projected into low-dimensional slices. Slice orientation encodes dominant cognitive mode; radial extension encodes available computational resources. Microslices are millisecond-level prediction-driven updates. A single control parameter — liminality (L) — modulates attractor depth, prior rigidity, transition variance, and reachable state space. The system behaves as a dynamical manifold with attractor basins and entropy-driven cascade transitions. This framework generates testable predictions about brain-state entropy, reconfiguration kinetics, and latent structure.

Unified Dynamical Equation

We define an augmented state vector

$$z(t) = [x(t) \ \mu_1(t) \ \dots \ \mu_M(t)]^T$$

Potential landscape:

$$V(x, \mu; L) = \sum_{i=1}^M a_i(L) \|x - \mu_i\|^2$$

Unified dynamics (boxed):

$$dz/dt = F(z; L, y(t)) + \Xi(t)$$

with the expanded form exactly as:

$$d/dt [x \ \mu_1 \ \dots \ \mu_M] = [-\nabla_x V + G \varepsilon \ I_1 \gamma(L)(x - \mu_1) \ \dots \ I_M \gamma(L)(x - \mu_M)] + \text{noise terms}$$

$$\gamma(L) = \gamma_0 e^{\alpha L}, \ \varepsilon = y - \mu, \text{ etc.}$$

Slices & Microslices

$$s(t) = W x(t)$$

$$r(t) = \lVert s(t) \rVert \text{ (resources)}$$

$$u(t) = s(t)/r(t) \text{ (mode/orientation)}$$

Microslices: discrete s_n at ~1–10 ms intervals.

Testable Predictions

- Entropy peaks precede slice reorientations
- Radial extension shrinks with fatigue
- Liminality expands manifold volume (psychedelics, meditation)
- Microslice destabilization rate predicts subjective flicker

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