## cs113 Lab3: By Amuldeep Dhillon

Bourne Shell

| chmod 777 build.sh |./build.sh

## cs113 Lab3: Conditional

p	q	$(p \rightarrow q)$
F	F	Т
F	$\mid T \mid$	T
T	F	F
T	$\mid T \mid$	Т

```
| val truth Values2 = [(false,false),(false,true),(true,false),(true,true)]; | fun COND(false,q) = true | COND(true,q) = q; | map COND truth Values2; | val f1 = man COND truth Values2: | val truthValues2 = [(false,false),(false,true),(true,false),(true,true)]; | fun COND(false,q) = true | COND(true,q) = q; | map COND truthValues2; | val truthValues2 = [(false, false), (false, true), (true, false), (true, true)]: | (bool * bool) list | val COND = fn: bool * bool -> bool | val it = [true, true, false, true]: bool list | val it = [true, true, false, true]: bool list | val it = [true, true, false, true]: bool list | val it = [true, true, false, true]: bool list | val it = [true, true, false, true]: bool list | val it = [true, true, false, true]: bool list | val it = [true, true, false, true]: bool list | val it = [true, true, false, true]: bool list | val it = [true, true, false, true]: | val it =
```

## cs113 Lab3: Conditional

• Use ttgen to show equivalence of  $p \to q$  and  $\neg p \lor q$ 

> val it = [true, true, false, true]: bool list

p	q	$(\sim p \lor q)$	p	q	$((p \to q) \leftrightarrow (\sim p \lor q))$
F	F	T	F	F	T
F	$\mid T \mid$	T	$\mathbf{F}$	Т	T
T	F	F	$\mathbf{T}$	F	T
T	$\mid T \mid$	T	T	T	T

```
| val truth Values2 = [(false,false),(false,true),(true,false),(true,true)]; | fun COND(false,q) = true | COND(true,q) = q; | > val truthValues2 = [(false,false),(false,true),(true,false),(true,true)]; | fun COND(false,q) = true | COND(true,q) = q; | map COND truthValues2; | val truthValues2 = | (false, false), (false, true), (true, false), (true, true)]: | (bool * bool) list | > val COND = fn: bool * bool -> bool
```

## cs113 Lab3: DeMorgan's Theorem for Conditionals

$$\bullet \ \sim (p \to q) \equiv p \land \sim q$$

$$\sim (p \to q) \equiv \sim ((\sim p) \lor q)$$
$$\equiv (\sim (\sim p)) \land \sim q$$
$$\equiv p \land \sim q$$

(1)