# Journal Template

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#### Abstract

Abstract goes here...

### 1 Declarations

variable; variable description; variable domain and range, if applicable

#### 2 Rule

#### 3 Pre-Derivation and Theorems

**Theorem 1.** General  $n^{th}$  order differential equation:

$$a_n y^{(n)} + a_{n-1} y^{(n-1)} + \dots + a_2 y'' + a_1 y' + a_0 y = g(x)$$
$$(a_n, a_{n-1}, \dots a_1, a_0) \in k$$

If g(x) = 0, differential equation is homogeneous.

If  $g(x) \neq 0$ , differential equations is not homogeneous.

**Theorem 2.** Let  $y_1, y_2, \ldots, y_k$  be solutions of the  $n^{th}$  order equation on I. Then, per linear combination,  $y = c_1y_1 + C_2y_2 + \cdots + c_ky_k$  is also a solution where  $c_1, c_2, \ldots c_k$  are arbitrary constants.

Linear Dependence and Independence

Set theory here

Id Est:

 $f_1, f_2, \ldots, f_n$  are said to be linearly dependent on I, if there exists a set of constants  $k_1, k_2, \ldots, k_n$ , that aren't all zero, such that  $k_1 f_1 + k_2 f_2 + \cdots + k_n f_n = 0$  for all x in I.

 $f_1, f_2, ... f_n$  are linearly independent if they are not linearly dependent.

# 4 Derivation

Derivation goes here

# 5 Exempli Gratia

Examples of important instances