Proyecto 1, Modelos de Gestión Financiera

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Punto 1

```
In [13]: from simulador_S import grafico_valor_activo
import numpy as np
inport matplotlib.pyplot as plt
import time
%matplotlib inline
```

Función para simulación

```
In [11]: grafico_valor_activo(S0 = 100, mu = 0.02, sig = 0.07, dt = 0.001, Dt = 1, N = 10, graficar = True, pts = 0, txtad = "")
                                      Valor Simulado del precio del Activo (S) con
                                                        \mu = 0.02, \sigma = 0.07
              Precio $5$/$ respecto al precio inicial S_0 = 100
                   105
                   100
                    95
                    90
                    85
                ap %
                    80
Out[11]: (array([0.000e+00, 1.000e-03, 2.000e-03, ..., 9.998e+00, 9.999e+00,
                        1.000e+01]),
              array([100.
                                         , 100.24523978, 100.21872879, ..., 100.16475906,
                        100.11972553, 100.46219539]))
 In [2]: def est_precis(ddt, mmu = 0.9, Ene = 48):
                  start = time.time() ts, Ss = grafico_valor_activo(S\theta = 1, mu = mmu, sig = 0, dt = ddt, Dt = 3, N = Ene, graficar = False)
                   t = ts[-1]
                  exCalc = Ss[-1]
                  exReal = np.exp(mmu*t)
                   error = np.abs(exCalc/exReal - 1)
                  print("Para dt =", ddt, ", e**(", mmu, t, ") calculado:\t", exCalc)
print("Para dt =", ddt, ", e**(", mmu, t, ") real:\t", exReal)
print("Asi que, para dt =", ddt, " hubo un error de:", error*100, "%")
print("Tiempo: ", time.time() - start, "\n")
            est_precis(ddt = 0.0001)
est_precis(ddt = 0.0005)
est_precis(ddt = 0.001)
             est_precis(ddt = 0.01)
            Tiempo: 10.732323408126831
            Para dt = 0.0005 , e**( 0.9 144.0 ) calculado: 1.8702713688723112e+56 Para dt = 0.0005 , e**( 0.9 144.0 ) real: 1.9255945791484567e+56 Asi que, para dt = 0.0005 hubo un error de: 2.8730455971999413 %
             Tiempo: 2.2553927898406982
            Para dt = 0.001 , e**( 0.9 144.0 ) calculado: 1.816569369920! Para dt = 0.001 , e**( 0.9 144.0 ) real: 1.925594579148: Asi que, para dt = 0.001 hubo un error de: 5.661898429115553 % Tiempo: 1.14546537399292
                                                                                  1.816569369920516e+56
                                                                                  1.9255945791484567e+56
            1.0784345960075816e+56
             Tiempo: 0.10913729667663574
```

```
In [3]: # Mes
_ = grafico_valor_activo(mu = 0.031, sig = 0, Dt = 1, N = 24, txtad = "(24 'meses')") # mu y sigma de amazon de septiembre de 2017 a septiembre de 20
_ = grafico_valor_activo(mu = 0.031, sig = 0, Dt = 1, N = 24*3, txtad = "(72 'meses')")
```



Valor Simulado del precio del Activo (S) con μ = 0.031, σ = 0 (72 'meses') 800 - (72 'meses') 10 10 20 30 40 50 60 70 Tiempo t

 $\sigma = 0.03$





































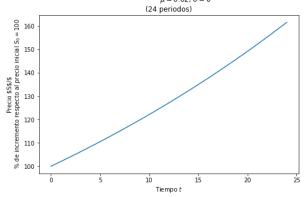
Otros μ 's

```
In [20]: def plot_texto(texto, taman):
    plt.figure(figsize = (3,1))
    plt.axis('off')
    plt.text(0, 0, texto, fontsize=taman)
```



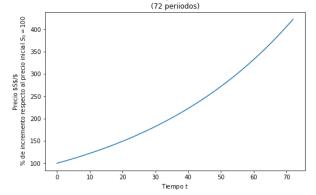


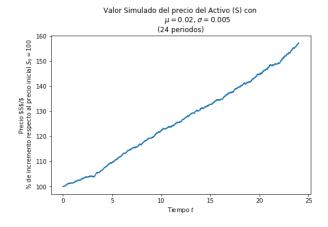
Valor Simulado del precio del Activo (S) con $\mu=0.02,\,\sigma=0$ (24 periodos)





Valor Simulado del precio del Activo (S) con $\mu=0.02,\,\sigma=0$ (72 periiodos)





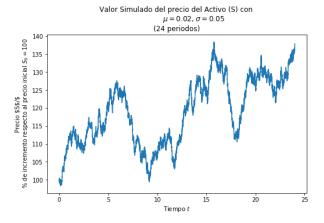
Valor Simulado del precio del Activo (S) con $\mu=0.02, \sigma=0.005$ (24 periodos)

Tiempo t

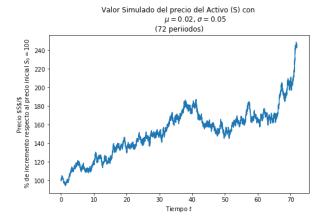






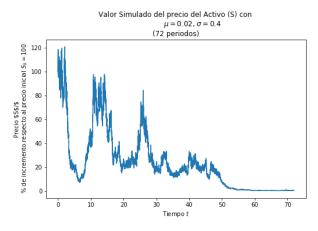
















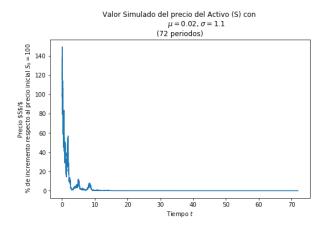








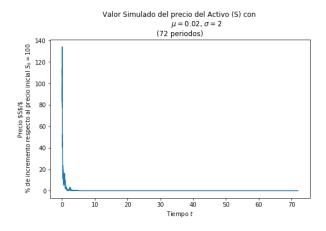










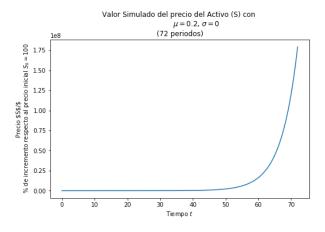




$$\mu = 0.2$$





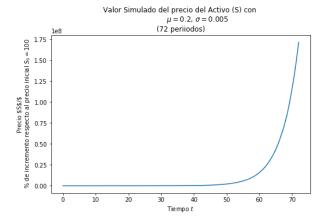


















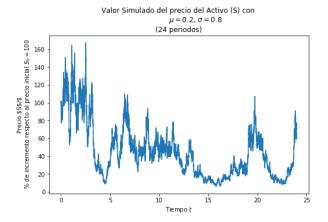




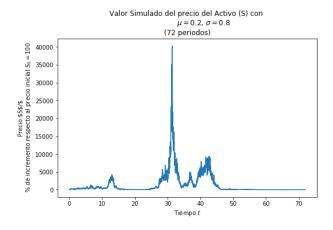


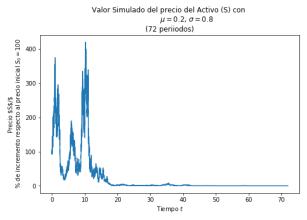






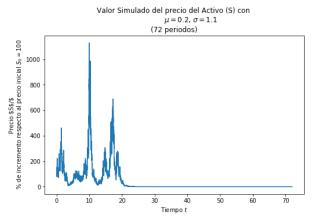




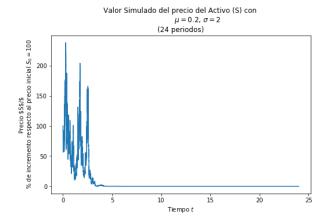


















$\mu = 1$

