#### Introduction to Business Cycle Data

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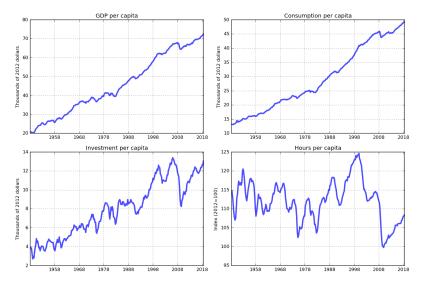
# Business Cycle Data

- The *business cycle* is the fluctuation of many macroeconomic quantities that last for about 1.5 to 8 years.
- Business cycle fluctuations are costly:
  - Misallocations of capital and labor.
  - Particularly painful for workers that become unemployed and for the families of workers who become unemployed.

# Business Cycle Data

- We will examine two historically-competing schools of thought:
  - Real Business Cycle (RBC) theory: fluctuations in real quantities are primarily due to TFP shocks; i.e., shocks to the production function.
  - New-Keynesian (NK) theory: fluctuations are largely driven by aggregate demand and affect real quantities because of nominal rigidities (e.g., sticky prices).
- Both approaches have merits and shortcomings and elements of both are integrated into contemporary business cycle theory.

Figure 1: **GDP**, **consumption**, **investment**, **and hours** for the US from April 1948 to July 2018. Source: FRED.



### Trend and Cycle Components

 Suppose that the value of a time series process X<sub>t</sub> can be decomposed into two components: a trend component and a cyclical component.

$$X_t = X_t^{trend} + X_t^{cycle} \tag{1}$$

- The trend component is the long-run path about which the series fluctuates.
- The cyclical component is the difference between the value of a time series and the trend:

$$X_t^{cycle} = X_t - X_t^{trend} \tag{2}$$

# Trend and Cycle Components

 Often it's useful to express the cyclical component of a time series as the difference between the (natural) log of the series and the log of the trend:

$$\hat{x}_t = \log(X_t) - \log(X_t^{trend}) \approx \frac{X_t - X_t^{trend}}{X_t^{trend}}$$
 (3)

 The log-deviation from trend is approximately equal to the percent deviation of the series from trend (divided by 100).

# Trend and Cycle Components

#### Example: Compounding Interest

Suppose:

$$X_t = 220 (4)$$

$$X_t = 220$$
 (4)  
 $X_t^{trend} = 215$  (5)

Then:

$$\frac{X_t - X_t^{trend}}{X_t} = \frac{220 - 215}{215} = 0.0233 \tag{6}$$

and:

$$\log X_t - \log X_t^{trend} = \log 220 - \log 215 = 0.0230 \quad (7)$$

Figure 2: **GDP**, **consumption**, **investment**, **and hours** per capita for the US from April 1948 to July 2018. Source: FRED.

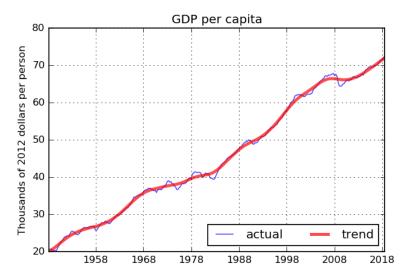


Figure 3: **US GDP per capita:** actual, trend, and cycle from April 1948 to July 2018. Source: FRED.

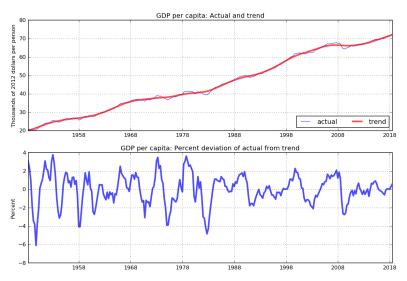


Figure 4: Business cycle components of GDP, consumption, investment, and hours for the US from April 1948 to July 2018. Source: FRED.

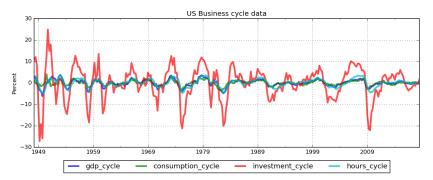


Table 1: **Standard deviations of real business cycle data** from April 1948 to July 2018. Units are percent deviations from trend. Source: FRED.

| GDP         | 1.613 |
|-------------|-------|
| Consumption | 1.167 |
| Investment  | 7.489 |
| Hours       | 1.889 |

Table 2: **Correlations of real business cycle data** from April 1948 to July 2018. Units are percent deviations from trend. Source: FRED.

|             | GDP   | Consumption | Investment | Hours |
|-------------|-------|-------------|------------|-------|
| GDP         | 1.000 | 0.794       | 0.845      | 0.874 |
| Consumption | 0.794 | 1.000       | 0.671      | 0.705 |
| Investment  | 0.845 | 0.671       | 1.000      | 0.786 |
| Hours       | 0.874 | 0.705       | 0.786      | 1.000 |