

Lab 3

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Part 1 - Simple Cipher Attack

1. 1-20-20-1-3-11 1-20 4-1-23-14 23-9-20-8 4-18-15-14-5-19

- **Type:** Letter-Numbers
- **Message:** ATTACK AT DAWN WITH DRONES

2. y. Tshoem eE yteo obfe Pervoivdiednecnec eo,f oar ctohnes
pailrla-csye eiinnvgo levyien go ft hGeo df,o usnedeer sh eorfe
tohne tUhnei tUeSd \$S1t abtielsl ,a nhda st hbee eInl ltuaamkienna
tbi

- **Type:** Railfence, or Rotate, depending on parameters
 - We tried different strategies for this one. We noticed that we could take one alternate the letters and end up with two halves of the whole message, but some words were still scrambled.
 - After some fiddling, and looking it up, we found both Railfence and Rotate work, with two columns, rotated left/shift of 2.
- **Message:** The Eye of Providence, or the all-seeing eye of God, on the US bill, has been taken by some to be evidence of a conspiracy involving the founders of the United States and the Illuminati.

3. .-- .-.. . -... . / .-.. . -/ -.... . / --.---. . - / -...
---.---/ -.... .- / .. / .-.. .-.. .-.. / -.. .-.-. .- ---/
---.---/ -.... . / --.. ----. / .-.-. -.-. ---. ---
... --. / ----/ - / .-.. -.-.-/ - /
... .-.. -.... .- .-.-. / - .-.-. ---.---/ -.-

- **Type:** Morse Code

- **Message:** PLEASE LET THE QUEEN KNOW THAT I WILL CARRY OUT THE MISSION ACCORDING TO HER WISH, HER FAITHFUL SERVANT, X
4. QW4gdW5pZGVudGlmaWVkiGZseWluZyBvYmplY3Qgb3IgVUZPLCBpcyBkZWZpbmVkIGFzIGEgcGV yY2Vpd mVkiG9iamVjdCBpb iB0aGUgc2t5LCBub3QgaWRlbnRpZmlhYmxlIGJ5IHNOYW5kYXJkIGNyaXRlcmlhLiBNb3N0IFVGVT3MgYXXJlIGxhdGV yI GlkZW50aWZpZWQgYXMgY29udmVudGlvb mFsIG9iamVjdHMgb3IgcGhlbm9tZW5 hLiBUaGUgdGVybSBpcyB3aWRlbHkgdXNlZCBmb3I gY2xhaW1lZCBvYnNlcnZhdGl vbnMgb2YgZXh0cmF0ZXJyZXN0cmlhbCBj cmFmdC4=
- **Type:** Base64
 - **Message:** An unidentified flying object or UFO, is defined as a perceived object in the sky, not identifiable by standard criteria. Most UFOs are later identified as conventional objects or phenomena. The term is widely used for claimed observations of extraterrestrial craft.
5. Tn'tnh teotrdn a kr iur evoero yact lseen n, ncciaraaee fmo urZcp re0s e7 sh sh.ahpweerno ee mhhy ttleftg
- **Type:** Ubchi 14325. Took a lot of guessing.
 - We knew that it used this cipher because it had a Z in it, and found this cipher would put a Z in a pseudo-random spot in the ciphered text.
 - The only other capital letter was T, at the beginning, so the first value would have to be 1.
 - One of the most common words in the english alphabet is "the" so we attempted to force the first word in the cipher to be "The". After that, we just got lucky, and 14325 happened to work.
 - There are several words that could match, including bleep, alley, Sheep and Trees (assuming case-sensitive, duplicating backwards). Profx also works.
 - **Message:** The oceans cover more than 70 percent of the earth's surface, yet their depths remain largely unknown.

Part 2: AES, RSA practice

1. RSA: $n = 899$ $e = 47$ $d = 143$

Bob(public, private, N) = Bob(47, 143, 899)

Message to send = "1 7 3 5 1"

$$\begin{aligned} \text{Ek}(m) &= \text{text}^{47} \bmod 899 \\ &= 1^{47} \bmod 899 = 1 \\ &= 7^{47} \bmod 899 = 886 \\ &= 3^{47} \bmod 899 = 859 \\ &= 5^{47} \bmod 899 = 428 \\ &= 1^{47} \bmod 899 = 1 \end{aligned}$$

- Message Alice Sends to Bob = "1 886 859 428 1"

$$\begin{aligned} \text{Dk}(c) &= \text{cipher}^{143} \bmod 899 \\ &= 1^{143} \bmod 899 = 1 \\ &= 886^{143} \bmod 899 = 7 \\ &= 859^{143} \bmod 899 = 3 \\ &= 428^{143} \bmod 899 = 5 \\ &= 1^{143} \bmod 899 = 1 \end{aligned}$$

- Bob's Decrypted Message = "1 7 3 5 1"

2. AES: Probability of guessing the AES-128 key in single try = $1/(2^{128})$

How many times in a row must you win the lotto to have better chances of guessing AES-128?

To win lotto: 7 different numbers ranging from 1-36

- Since the numbers must be different, These are the number of choices for each number:

$$\begin{array}{ccccccc} _ & _ & _ & _ & _ & _ & _ \\ 36 & * & 35 & * & 34 & * & 33 & * & 32 & * & 31 & * & 30 & = & 42,072,307,200 \end{array}$$

- Only 1 ticket wins, so odds are $1/42,072,307,200$
This is approximately $1/(2^{35})$ to win once
- Since winning each time is a separate event, to find the odds, multiply:
 $1/(2^{35}) * 1/(2^{35}) * 1/(2^{35}) * 1/(2^{35}) = 1/(2^{140})$
- $1/(2^{128}) < 1/(2^{140})$
- Therefore, you would have better odds guessing the AES-128 key than winning the lottery 4 times in a row.