## THSTRUCCIONES DE LA MÁQUINA-P

Instr.	Meaning	Cond	Resu
add /	$STORE[SP-1] := STORE[SP-1] +_N STORE[SP]$ SP := SP-1		
sub A	STORE[SP-1] := STORE[SP-1]N STORE[SP] $SP := SP-1$	: (N, N)	(N)
mul A	$STORE[SP-1] := STORE[SP-1] *_{N} STORE[SP];$ $SP := SP-1$	(N, N)	(N)
div N	$STORE[SP-1] := STORE[SP-1] /_N STORE[SP];$ SP := SP-1	(N, N)	(N)
neg N	STORE[SP] :=N STORE[SP]	(N)	(N)
and	STORE[SP-1] := STORE[SP-1] and $STORE[SP]$ ; SP := SP-1	(b, b)	(b)
or	STORE[SP-1] := STORE[SP-1]  or  STORE[SP]; SP := SP-1	(b. b)	(b)
not	STORE[SP] := not STORE[SP]	(b)	(b)
equ T	$STORE[SP-1] := STORE[SP-1] =_T STORE[SP];$ SP := SP-1	(T, T)	(b)
geq T	$STORE[SP+1] := STORE[SP+1] \ge_T STORE[SP];$ SP := SP+1	(T, T)	(b)
leq T	$STORE[SP-1] := STORE[SP-1] \le_T STORE[SP];$ SP := SP-1	(T, T)	(b)
les T	$STORE[SP-1] := STORE[SP-1] <_T STORE[SP];$ SP := SP-1	(T, T)	(b)
grt T	$STORE[SP-1] := STORE[SP-1] >_T STORE[SP];$ SP := SP-1	(T, T)	(b)
neq T	$STORE[SP-1] := STORE[SP-1] \neq_T STORE[SP];$ SP := SP-1	(T, T)	(b)

Instr.	Meaning	Cond.	Result
ldo T q	SP := SP+1; STORE[SP] := STORE[q]	$q \in [0, maxstr]$	(T)
ldc T q	SP := SP+1; STORE[SP] := q	Type $(q) = T$	(T)
ind T	STORE[SP] := STORE[STORE[SP]]	(a)	(T)
sro T q	STORE[q] := STORE[SP]; SP := SP-1	$(T)$ $q \in [0, maxstr]$	
sto T	STORE[STORE[SP-1]] := STORE[SP]; SP := SP-2	(a, T)	

eq PRE[SP] = false	Unconditional branch Conditional branch		
ORE[SP] = false			
	Committee of an en	[ (b)	
${}^{o}C := q$	1	$a \in [0]$ codemax	
		1 - ( neonimiz)	
SP-1			
	•		$q \in [0, Codemax]$

Instr.	Meaning	Cond.	Result -
ixj q	PC := STORE[SP] + q;	(i)	~
	SP := SP - 1	į	!

Instr.	Meaning	Cond.	Results
ixa q	STORE[SP-1] := STORE[SP-1] +	(a.i)	   (a)
į į	STORE[SP] *q		
	SP := SP - 1		í

Instr. Meaning	Cond.	Resul
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	Instr.	Meaning	Cond.	Result
	chk p q	<b>if</b> $(STORE[SP] < p)$ <b>or</b> $(STORE[SP] > q)$	(i,i).	(i)
The state of the s		then error('value out of range')	,	
Total Comment		fi		ĺ
E.	······································			

Instr.	Meaning	Cond.	Result
dpl T	SP := SP + 1:	( <i>T</i> )	(T, T)
	STORE[SP] := STORE[SP-1]		
ldd q	SP := SP + 1:	$(a, T_1, T_2)$	$(a, T_1, T_2, i)$
* discussion	STORE[SP] := STORE[STORE][SP - 3] + q		
sli T <sub>2</sub>	STORE[SP-1] := STORE[SP];	$(T_1, T_2)$	$(T_2)$
	SP := SP - 1		-

Instr.	Meaning	Cond.	Result
new	if $NP - STORE[SP] \le EP$	(a,i)	
	then error('store overflow')		
	else $NP := NP - STORE[SP];$		
	STORE[STORE[SP-1]] := NP;		
or each	SP := SP - 2		
	fi;		

Instr.	Meaning
lod T p q	SP := SP + 1;
in distribution common	STORE[SP] := STORE[base(p, MP) + q]
lda p q	SP := SP + 1;
	STORE[SP] := base(p, MP) + q
str T p q	STORE[base(p, MP) + q] := STORE[SP];
and a second	SP := SP - 1

Instr.	Meaning	Comments
mst p	STORE[SP+2] := base(p,MP);	Static link
	STORE[SP+3] := MP;	Dynamic link
	STORE[SP + 4] := EP;	Save EP
	SP := SP + 5	The parameters can now be evaluated starting from STORE[SP +1]
cup p q	MP := SP - (p+4);	p is the storage requirement for the parameters
	STORE[MP + 4] := PC;	Save return address
	PC := q	Branch to procedure start address $q$
ssp p	SP = MP + p - 1	p size of static part of data area
sep p	EP := SP + p;	p max. depth of local stack
Annual An	if $EP \ge NP$ then <i>error</i> ('store overflow')	Check for collision of stack and heap
	fi	

Instr.	Meaning	Comments
retf	SP := MP:	Function result in the local stack
	PC := STORE[MP + 4];	Return branch
	EP := STORE[MP + 3];	Restore EP
	if $EP \geq NP$	
	then error('store overflow')	
	fi	
and the same of th	MP: STORE[MP+2]	Dynamic link
retp	SP := MP - 1;	Proper procedure with no results
American	PC := STORE[MP + 4];	Return branch
**	EP := STORE[MP + 3];	Restore <i>EP</i>
	if $EP \ge NP$	
***************************************	then error('store overflow')	,
	fi	A Manager of the Control of the Cont
	MP := STORE[MP + 2]	Dynamic link

Instr.	Meaning	Cond.	Result
movs q	for $i := q - 1$ down to $0$ do	(a)	
	STORE[SP + I] := STORE[STORE[SP] + i]		
	od;		
	SP := SP + q - 1	The second secon	į į
movd q	for $i = 1$ to $STORE[MP + q + 1]$ do		
	STORE[SP+i] :=		vi venerali di
	STORE[STORE[MP+q]]	T. Jakoba	1
	+ STORE[MP+q+2]+i-1]		
	od:	Pod Andrewson	
A Commission of the Commission	STORE[MP+q] := SP+1-STORE[MP+q+2]		1
and the same of th	SP := SP + STORE[MP + q + 1]		A TO COMPANY OF THE PARTY OF TH