```
Input: Initial path X_0
X^{o} \leftarrow X_{o}
for trial < n trials do
       Draw uniform direction s \in \{-1,1\}: return s
       Draw uniform \hat{k}^{\circ} \in [1, L(X^{\circ})]: return \hat{k}^{\circ}
       x^{\text{SP}} \leftarrow X^{\text{o}} \text{ at } \hat{k}^{\text{o}}
       if s == -1 then
             X^{\text{fwd}} \leftarrow \text{IntegrateToState}(x^{\text{SP}})
             X^{\mathrm{n}} \; \leftarrow \mathtt{ConcatenatePath}(X^{\mathrm{o}}.X^{\mathrm{fwd}},)
       else
          \left| \begin{array}{c} X^{\text{rv}} \; \leftarrow \texttt{IntegrateToState}(\bar{x}^{\text{SP}}) \\ X^{\text{n}} \; \leftarrow \texttt{ConcatenatePath}(\bar{X}^{\text{rv}}, X^{\text{o}}) \end{array} \right| 
       end
       p_{\rm acc}(X^{\rm o} \to X^{\rm n}) \leftarrow H_{\rm AB}(X^{\rm n}) \min[1, \frac{L(X^{\rm o})}{L(X^{\rm n})}]
       if rand() < p_{\tt acc}(X^{\tt o} \to X^{\tt n}) then
             X^{o} \leftarrow X^{n}
       end
       Add X^{o} to the ensemble
       trial \leftarrow trial+1
```