Lecture November &

In ML we deal with Samples of data $E[G] = \frac{1}{m} \sum_{i=1}^{m-1} g_{i}^{i} = M_{G}$ (Sample mean) var [9] = 1 \(\sigma\) (5\(\hat{n} - \bar{m}_g\) True mean mg + mg In order to estimate My and vai [9], we use resampling me that

- Boctstrap
- Crass-validation

 $BoctsTnq_{N}$ $D = \int x_{n}x_{1} - \dots \times x_{m-1}$

(i) Select new D"

by selecting

randomly (with

replacement) m-

point in D

· · · · · ·

• ')

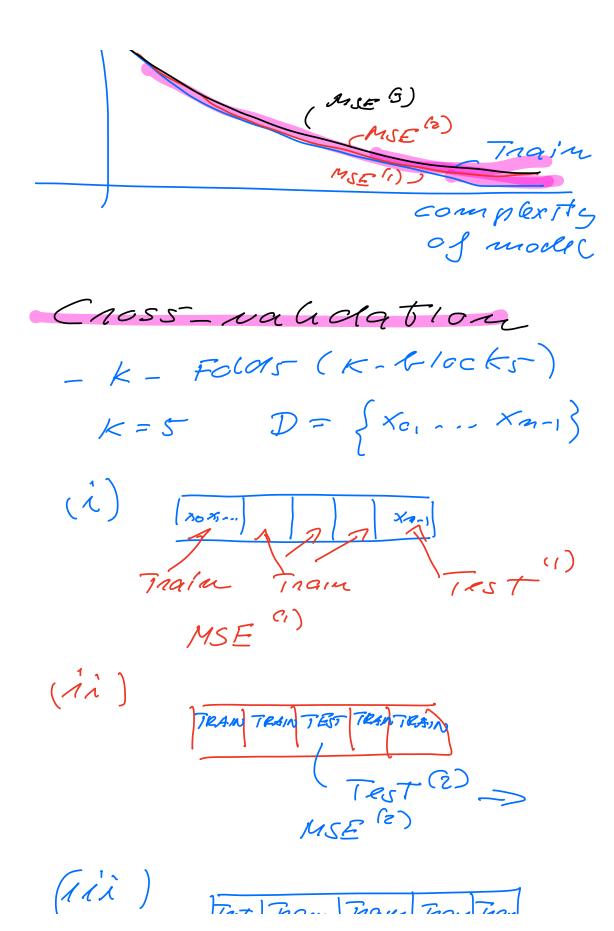
 $D^{(i)} = \left\{ x_{0,1}^{*} x_{1}^{*} - \dots x_{m-1}^{*} \right\}$

((ii) compate $\mu_{X}^{(i)}$, $MSE^{(i)}$

(1/1) Repeat (i)-(ii) for a Sivier mumber of Boots Traps- M

(10) Compute for example MSE on ether quantities $MSE = \frac{1}{M} \sum_{J=0}^{M-1} MSE_{J}$

MSE



(V)MSE = [S MSE] k= 5~10 LOOCV = Leave one out CV m=100 => K=100 only one point at data set. m=10 | Xc | X1 | X2 | X3 | X4 | . . . | X9

Xo, Ki, - . XZ, Xg lowe out xg

$$X = \left\{ x_{0}(x_{1}) \right\}$$

$$5 = \left\{ 5_{0}(5_{1}) \right\}$$

$$2 = \int (x_{0}y) = Fnanke function$$

$$Model (: \int (x_{1}s) = Fot F_{1}x + Fey$$

$$+ \int (x_{0}y_{0}) = Fnanke function$$

$$+ \int (x_{0}y_{0}) = Fnanke$$