Introduction to Communications and IOT

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1 Introduction

1.1 What a Signal is

- It's a Quantitative Representation of Information
- The most basic representation of a signal is in the form of a graph (t on X-axis and $f(t)$ on Y-axis)

1.2 Types of Communication

1.2.1 Wired / Wireless

1. **Wired**:
   - Via Coaxial cables or Fibre-Optic Cables
2. **Wireless**:

- Via Electromagnetic waves or rays

1.2.2 Unidirectional / Bidirectional

1. **Simplex**:
   - One-way
   - Eg. Broadcast, FM
2. **Half-Duplex**:
   - Two-way, but only one direction at a time
   - Eg. walkie-talkie
3. **Duplex**:
   - Two-way, and both directions are simultaneously possible

1.2.3 Analogue / Digital

1. **Analog**:
   - Both t and $f(t)$ are continuous
2. **Digital**:
   - Both t and $f(t)$ are discrete
3. **Continuous-Time**:
   - t is continuous, but $f(t)$ is discrete
4. **Discrete-Time**:
   - t is discrete and $f(t)$ is continuous

1.2.4 Transmission Technique

Before knowing this, you must know what bandwidth is:

Bandwidth:

- Range of frequencies a signal operates.
- In other words:

  Bandwidth = (Highest Frequency of the Wave/Signal)−(Lowest Frequency of the Wave/Signal)

1. **Baseband**:
   - Digital Signals which are sent via TDM (Time Division Multiplexing)
   - One signal uses the entire bandwidth
2. **Broadband**:
   - (I'll add this later)

2 Characteristics of a Signal

2.1 Standard Notation of a Standard Sinusoidal Signal

- For a graph where X-axis = θ and Y-axis = $sin(\theta)$, the measure of input is θ.
- To actually measure a signal against time, X-axis = t (time) and Y-axis = $sin(\theta)$
- Here's what we do for that: $sin(\theta + \phi) = sin(\omega t + \phi)$

2.2 Angular Frequency

- ω = Angular Frequency/Velocity
- $= \frac{Angle}{Time}$
- $= \frac{2\pi}{T}$

2.3 Frequency

- $f = \frac{1}{T}$
- So, $\omega = \frac{2\pi}{T}$ can also be written as $\omega = 2\pi f$

2.4 Phase

- θ or ωt is the X-coordinate.
- Phase ϕ is added to the X-coordinate, so the wave shifts to the left by ϕ
- In a way, it's an offset to a wave. (Check `https://www.geogebra.org/m/rzzqtx6q` for some Visualization)
- For example, if a sine wave is offset by $\frac{1}{6}th$ of a cycle, then the phase would be $\frac{1}{6} * 360^0 \Rightarrow$ Phase = 60^0

3 Time Domain vs Frequency Domain

In both cases, Y-Axis = *Amplitude*. Only X-Axis changes

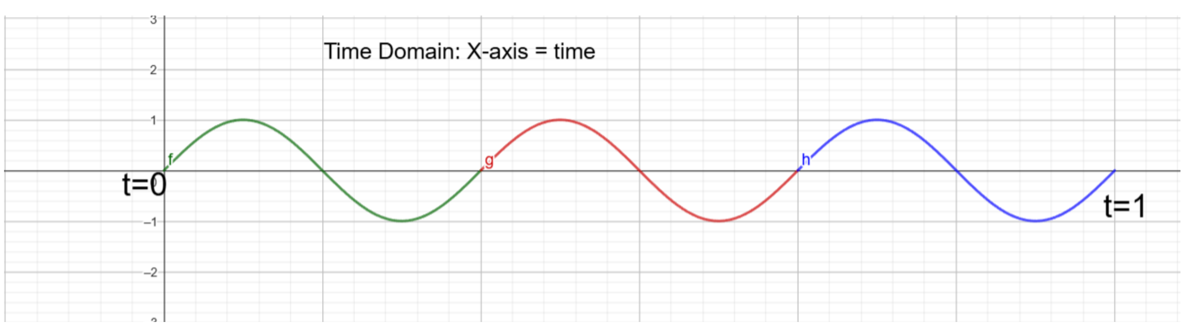

Figure 1: Time Domain

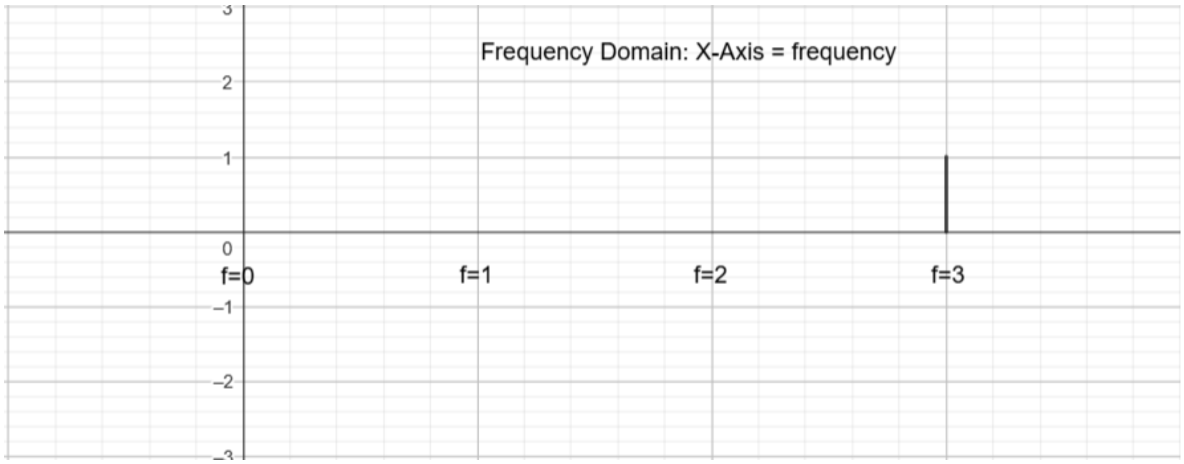

Figure 2: Frequency Domain

4 Odd Signals vs Even Signals

- **Odd Signals/Functions**: $y(-x) = y(x)$
- **Even Signals/Functions**: $y(-x) = -y(x)$

5 Energy and Power of a Signal

5.1 Prerequisite knowledge

- Let's assume we have a sinusoidal voltage and current
- $P = \frac{V^2}{R} = I^2R$
- This means that the power of a signal is some **constant** times **voltage squared** or **current squared**
- Let us have a general signal $x(t)$ which can either be sinusoidal voltage or sinusoidal current

$$x(t) = V \textbf{ or } x(t) = I$$

- So Instantaneous Power $= P = (x(t))^2$

5.2 Energy

- Energy $=$ Power $*$ time
- But the above formula is only applicable for discrete values.
- So the energy of a signal would be the area of the Power-Time Graph

$$\text{Energy} = \int \text{P}dt = \int_{\frac{-T}{2}}^{\frac{T}{2}} (x(t))^2 dt$$

- The limits are actually from 0 to T, but having them from $\frac{-T}{2}$ to $\frac{T}{2}$ simplifies calculations.

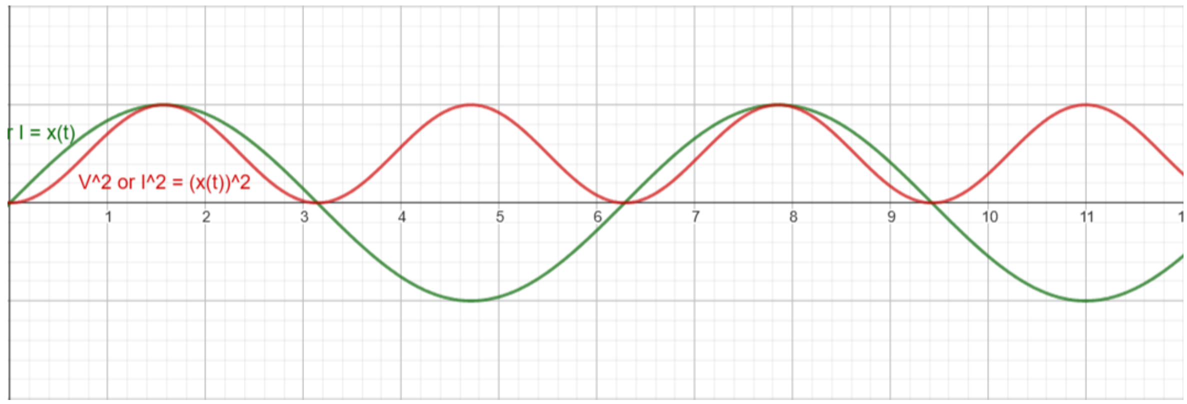

Figure 3: Green Curve showing V or I and the Red Curve showing P

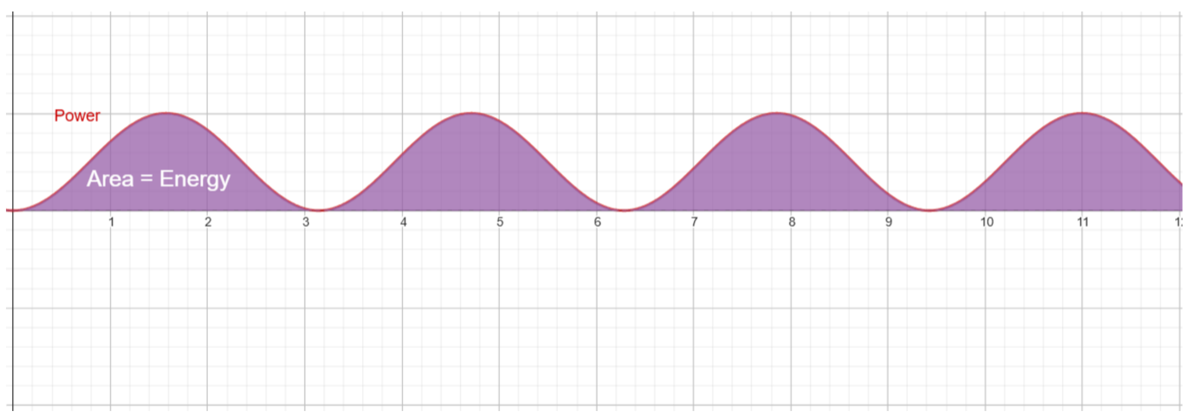

Figure 4: Area under the Red Curve

5.3 Power

- Power is just $\frac{\text{Energy}}{\text{Time}}$.
- Power $= \frac{\int_{\frac{-T}{2}}^{\frac{T}{2}} (x(t))^2 dt}{T}$