# НАЦІОНАЛЬНИЙ ТЕХНІЧНИЙ УНІВЕРСИТЕТ УКРАЇНИ "КИЇВСЬКИЙ ПОЛІТЕХНІЧНИЙ ІНСТИТУТ" ФАКУЛЬТЕТ ІНФОРМАТИКИ ТА ОБЧИСЛЮВАЛЬНОЇ ТЕХНІКИ Кафедра обчислювальної техніки

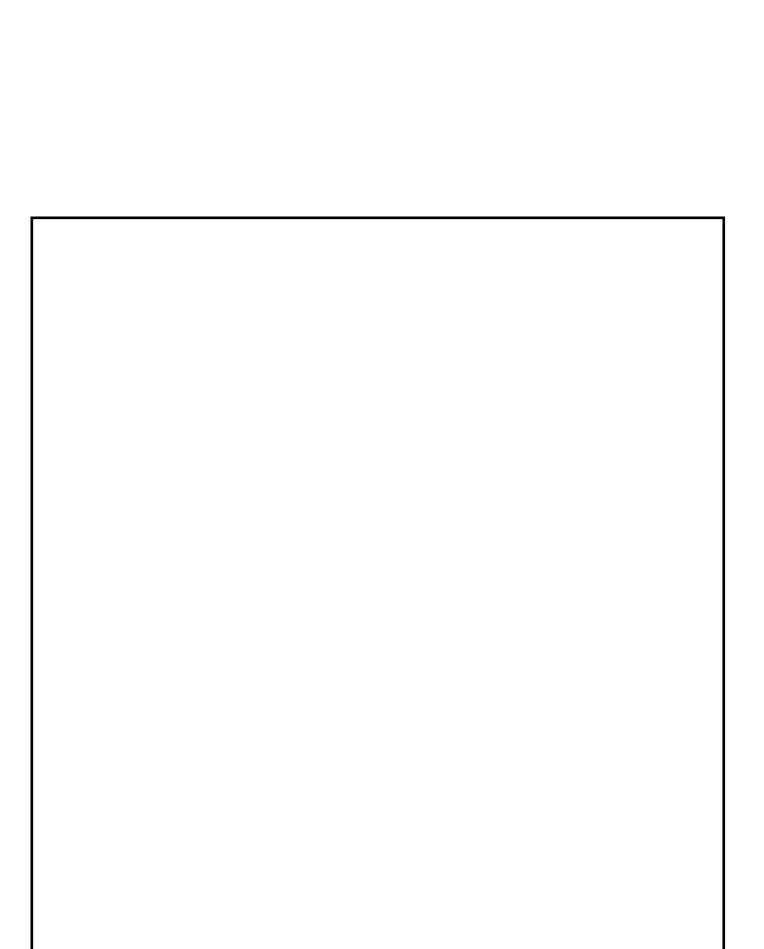
# KYPCOBA PO50TA

з дисципліні "Комп'ютерна логіка"

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Факуль	ьтет <u>ЮТ</u>
Група	<u>10–35</u>
Залікої	ва книжка № <u>3504</u>
Допущ	ений до захисту
 Inidnuc	

Опис альбому



<i>X</i> <sub>4</sub>	<i>X</i> <sub>3</sub>	<i>X</i> <sub>2</sub>	<i>X</i> <sub>1</sub>	$f_1$	$f_2$	$f_3$	$f_4$
0	0	0	0	1	1	1	0
0	0	0	1	1	1	0	1
0	0	1	0	1	1	1	0
0	0	1	1	0	0	0	0
0	1	0	0	-	0	1	0
0	1	0	1	0	0	0	1
0	1	1	0	1	_	-	0
0	1	1	1	-	_	1	1
1	0	0	0	1	0	0	0
1	0	0	1	0	0	1	1
1	0	1	0	0	0	1	1
1	0	1	1	0	0	0	0
1	1	0	0	1	_	1	1
1	1	0	1	0	1	0	1
1	1	1	0	0	1	0	0
1	1	1	1	1	1	1	1

### Алгебра Буля (І, АБО, НЕ)

 $F_{\text{LABHO}} = (\overline{X}_{\text{L}} \overline{X}_{3} \overline{X}_{2} X_{1}) \vee (\overline{X}_{\text{L}} X_{3} \overline{X}_{2} X_{1}) \vee (\overline{X}_{\text{L}} X_{3} X_{2} \overline{X}_{1}) \vee (\overline{X}_{\text{L}} X_{3} \overline{X}_{2} \overline{X}_{$ 

 $F_{4,DKHP} = (X_{4} \vee X_{3} \vee X_{2} \vee X_{1})(X_{4} \vee X_{3} \vee \overline{X_{2}} \vee X_{1})(X_{4} \vee X_{3} \vee \overline{X_{2}} \vee \overline{X_{1}})(X_{4} \vee \overline{X_{3}} \vee \overline{X_{2}} \vee \overline{X_{1}})$   $Anzeōpa Wepper \{I-HE\}$ 

 $F_{k} = (\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/X_{1})/(\overline{X_{k}}/X_{3}/\overline{X_{2}}/X_{1})/(\overline{X_{k}}/X_{3}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{3}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{2}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{1}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{1}}/\overline{X_{1}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{1}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{1}}/\overline{X_{1}})/(\overline{X_{k}}/\overline{X_{1}$ 

# Алгебра Пірса (АБО-НЕ)

 $F_{\downarrow} = (X_{\downarrow} \downarrow X_{3} \downarrow X_{2} \downarrow X_{1}) \downarrow (X_{\downarrow} \downarrow X_{3} \downarrow \overline{X_{2}} \downarrow X_{1}) \downarrow (X_{\downarrow} \downarrow X_{3} \downarrow \overline{X_{2}} \downarrow \overline{X_{1}}) \downarrow (X_{\downarrow} \downarrow \overline{X_{3}} \downarrow \overline{X_{2}} \downarrow \overline{X_{1}})$ 

## Алгебра Жегалкіна (ВИКЛЮЧНЕ АБО, I, const 1).

 $F_{i_{1}} = ((X_{i_{1}} \oplus ((X_{i_{2}} \oplus ((X_{i_{1}} \oplus ((X_{i_{2}} \oplus ($ 

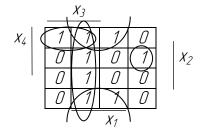
0001(1)	0X01(1)	XX01/1/
0101(1)	X001(1)	XX01(1)
0111(1)	01X1(1)	X1X1/1/
1001(1)	X101(1)	X1X1/1/
1010(1)	X111(1)	
1100(1)	1X01(1)	
1101(1)	110X(1)	
1111(1)	11X1(1)	

	0001	0101	0111	1001	1010	1100	1101	1111
1010 (1)					+			
110X (1)						+	+	
XX01 (1)	+	+		+			+	
X1X1 (1)		+	+				+	+

F<sub>4</sub>= 1010 v 110X v XX01 v X1X1

<i>X</i> <sub>4</sub>	<i>X</i> <sub>3</sub>	<i>X</i> <sub>2</sub>	<i>X</i> <sub>1</sub>	$X_4X_3$	$X_4X_2$	$X_4X_1$	$X_3X_2$	X <sub>3</sub> X <sub>1</sub>	X <sub>2</sub> X <sub>1</sub>	$X_4X_3X_2$	$X_4X_3X_1$	$X_4X_2X_1$	X <sub>3</sub> X <sub>2</sub> X <sub>1</sub>	X <sub>4</sub> X <sub>3</sub> X <sub>2</sub> X <sub>1</sub>	$f_4$
0	0	0	0	00	00	00	0	00	00	000	000	000	000	0000	0
0	0	0	1	00	00	01	00	01	01	000	001	201	001	0001	1
0	0	1	0	00	01	00	01	00	10	001	000	010	010	0010	0
0	0	1	1	00	01	01	01	01	11	001	001	011	011	0011	0
0	1	0	0	01	00	00	10	10	00	010	010	000	100	0100	0
0	1	0	1	01	00	01	10	11	01	010	011	001	101	0101	1
0	1	1	0	01	01	00	11	10	10	011	010	010	110	0110	0
0	1	1	1	01	01	01	11	11	11	011	011	011		0111	1
1	0	0	0	10	10	10	00	00	00	100	100	100	000	1000	0
1	0	0	1	10	10	11	00	01	01	100	101	101	_001	1001	1
1	0	1	0	10	11	10	01	00	10	101	100	110	010	1010	1
1	0	1	1	10	11	11	01	01	11	101	101	111	011	1011	0
1	1	0	0	11	10	10	10	10	00	110	110	100	100	1100	1
1	1	0	1	11	10	11	10	11	01	110	111	101	101	1101	1
1	1	1	0	11	11	10	11	10	10	111	110	110	110	1110	0
1	1	1	1	11	11	11	11	11	11	111		111		1111	1

F<sub>4</sub>= 1010 v 110X v XX01 v X1X1



 $F_{4} = \overline{X_{2}} X_{1} \vee X_{4} X_{3} \overline{X_{2}} \vee X_{3} X_{1} \vee X_{4} \overline{X_{3}} X_{2} \overline{X_{1}}$ 

0000 (1,2,3)	000X (1,2)	OXXO (1,3)
0001 (1,2)	00X0 (1,2,3)	OXXO (1,3)
0010 (1,2,3)	OXOO (1,3)	XX00 (1)
0100 (-1,3)	X000 (1)	XX00 (1)
0110 (1,-2,-3)	OX10 (1,2,3)	X11X (2)
0111 (-1,-2,3)	X010 (3)	X11X (2)
1000 (1)	01X0 (1,3)	11XX (2)
1001 (3)	X100 (1,3)	11XX (2)
1010 (3)	011X (1,2,3)	
1100 (1,-2,3)	X110 (2)	
1101 (2)	X111 (1,2,3)	
1110 (2)	1X00 (1)	
1111 (1,2,3)	110X (2)	
	11X0 (2)	
	11X1 (2)	
	111X (2)	

	00000/F1/	0001/F1/	0010/F1/	0110IF1)	1000/F1/	1100/F1/	1111/F1/	00000(F2)	0001/F2/	0010IF2J	11011F21	1110IF2)	1111/F2/	00000(F3)	0010lF3J	0100IF3J	0111/F3/	1001/F3/	1010IF3/	1100IF3/	1111/F3/
1001 (3)																		+			
1100 (1,2,3)						+														+	
000X(1,2)	+	+						+	+												
00X0 (1,2,3)	+		+					+		+				+	+						
OX10 (1,2,3)			+	+						+					+						
X010 (3)															+				+		
X100 (1,3)						+										+				+	
011X (1,2,3)				+													+				
X111 (1,2,3)							+						+				+				+
OXXO(1,3)	+		+	+										+	+	+					
XX00 (1)	+				+	+															
X11X (2)												+	+								
11XX (2)											+	+	+								

F<sub>1</sub> = 000X v X111 v 0XX0 v XX00 F<sub>2</sub> =000X v 00X0 v X11X v 11XX F<sub>3</sub> =1001 v X010 v X100 v X111 v 0XX0

Заперечення

0001 (3)	00X1 (3)	01XX (2)
0011 (1,2,3)	OXO1 (3)	01XX (2)
0100 (-1,2)	OX 11 (1,2)	10XX (2)
0101 (1,2,3)	X011 (1,2,3)	10XX (2)
0110 (-2,-3)	010X (1,2)	
0111 (-1,-2)	01X0 (2)	
1000 (2,3)	X100 (2)	
1001 (1,2)	01X1 (1,2)	
1010 (1,2)	X101 (1,3)	
1011 (1,2,3)	011X (2)	
1100 (-2)	X110 (3)	
1101 (1,3)	100X (2)	
1110 (1,3)	10X0 (2)	
	1X00 (2)	
	10X1 (1,2)	
	1X01 (1)	
	101X (1,2)	
	1X10 (1)	

	0011/F1/	11/-11	1001/F1/	1010/F1/	/F1/	IF1)	(F1)	0011/F2J	0100IF2J	01011F2J	10000F2J	1001F2J	1010IF2J	1011/F2/	0001/F3/	0011/F3J	01011F3J	10000F3/	1011/F3J	(F3)	(F3)
	001;	0101/F1/	100	JI ()I	1011/F1/	1101/F1/	1110/F1/	001;	010	010	1001	1001	JO 10	1101	000	001;	010	1001	1011	1101(F3)	1110(F3)
0101 (1,2,3)		+								+							+				
0110 (-2,-3)																					
1000 (2,3)											+							+			
1110 (1,3)							+														+
00X1 (3)															+	+					
0X01 (3)															+		+				
OX11 (1,2)	+							+													
X011 (1,2,3)	+				+			+						+		+			+		
010X (1,2)		+							+	+											
X100 (2)									+												
01X1 (1,2)		+								+											
X101 (1,3)		+				+											+			+	
X110 (3)																					+
1X00 (2)											+										
10X1 (1,2)			+		+							+		+							
1X01 (1)			+			+															
101X (1,2)				+	+								+	+							
1X10 (1)				+			+														
01XX (2)									+	+											
10XX (2)											+	+	+	+							

 $F_1 = (XvOv1v1) (Xv1vOv1) (1vOvXv1) (1vXv1v0)$ 

 $F_2 = \langle XvOv1v1 \rangle \langle Ov1vXvX \rangle \langle (1vOvXvX) \rangle$ 

 $F_3 = (1v0v0v0) (0v0vXv1) (Xv0v1v1) (Xv1v0v1) (Xv1v1v0)$ 

 $P_1 = 000X$ 

 $P_2' = X111$ 

 $P_3 = OXXO$   $P_4 = XXOO$ 

 $P_5 = 00X0$   $P_6 = X11X$ 

 $P_7 = 11XX$ 

 $P_8 = 1001$  $P_9 = X010$ 

 $P_{10} = X100$ 

Шина		Вх	оди		1	Виход	של
	$X_1$	$X_2$	$X_3$	$X_4$	Y <sub>1</sub>	Y <sub>2</sub>	<i>Y</i> <sub>3</sub>
$P_1$	0	0	0	_	1	1	0
$P_2$	-	1	1	1	1	0	1
$P_3$	0	-	_	0	1	0	1
$P_4$	-	_	0	0	1	0	0
$P_5$	0	0	-	0	0	1	0
$P_6$	1	1	1	_	0	1	0
$P_7$	1	1	-	-	0	1	0
$P_{8}$	1	0	0	1	0	1	1
$P_{9}$	-	0	1	0	0	0	1
P <sub>10</sub>	_	1	0	0	0	0	1

