# RNA-seq differential expression analysis

Dario Righelli

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#### What we will cover

We will cover differential expression analysis of RNA-seq data in R/Bioconductor.

We will start from a matrix of gene-level read counts.

We will cover the two most popular packages, DESeq2 and edgeR.

I will also show you how to deal with unwanted variation using the RUVSeq package.

### What we will not cover

We will not talk about the preprocessing of RNA-seq data, i.e., what we do to obtain the gene-level read counts.

These steps are usually done with stand-alone software outside R.

We will not talk about isoform-level analysis and alternative splicing.

We will focus on gene-level differential expression.

Where to find these slides

https://github.com/drighelli/rnaseq\_meetup

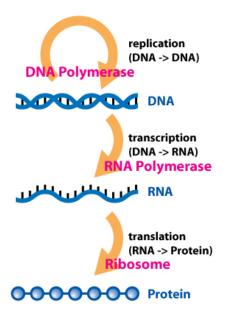
### Where to find additional resources

- The edgeR user guide https://bioconductor.org/packages/edgeR
- ► The DESeq2 vignette https://bioconductor.org/packages/DESeq2
- ► The F1000 Research Bioconductor gateway https://f1000research.com/gateways/bioconductor
- https://support.bioconductor.org

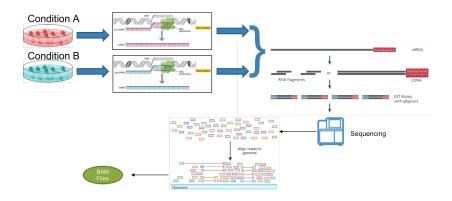
### Where to find me

- ▶ Istituto per le Applicazioni del Calcolo "M. Picone" Consiglio Nazionale delle Ricerche, via P. Castellino 111, Napoli
- email: d.righelli@na.iac.cnr.it
- github: https:://github.com/drighelli

## From RNA to gene-level read counts



## From RNA to gene-level read counts



## From RNA to gene-level read counts

```
##
                              CC5
                                   CC6
                                        CC7
                                             CC8
                                                   FC3
                                                        FC5
                                                              FC6
                                                                   FC7
                                                                        FC8
                        CC3
                                                                              RT3
  ENSMUSG00000000001 2034 2232 1253 2024 1510
                                                   994 1703 1796 1502 2145
                                                                             1600
   ENSMUSG00000000028
                         81
                               93
                                    77
                                         91
                                               85
                                                   106
                                                         81
                                                               84
                                                                    70
                                                                          95
                                                                              121
   ENSMUSG00000000037
                         52
                               59
                                    28
                                         52
                                               36
                                                    12
                                                         40
                                                               34
                                                                               26
                                                                    41
                                                                          56
  ENSMUSG000000000049
                                    15
                         15
                               32
                                          18
                                               14
                                                    49
                                                          10
                                                               18
                                                                    11
                                                                          24
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  ENSMUSG00000000056 3125 3256 2175 3283 2553 1638 2276 2900 2223 3179
  ENSMISG00000000058 1412 1324
                                   819 1243
                                             668
                                                   446
                                                        821
                                                              815
                                                                   786 1646
                                                                              817
                              RT6
                                   RT7
                                        RT8
##
                        RT5
   ENSMUSG00000000001 1734 1834 1982 1316
   ENSMUSG000000000028
                              102
                                   102
                         92
                                         60
   ENSMUSG00000000037
                         44
                               46
                                    40
                                         45
   ENSMUSG00000000049
                         22
                               17
                                    11
   ENSMUSG00000000056 3045 3106 3441 1940
  ENSMUSG00000000058
                        945 1031 1170
```

### The Poisson Model

When statisticians see counts, they immediately think about Simeon Poisson.



### The Poisson Model

The Poisson distribution naturally arises from binomial calculations, with a large number of trials and a small probability.

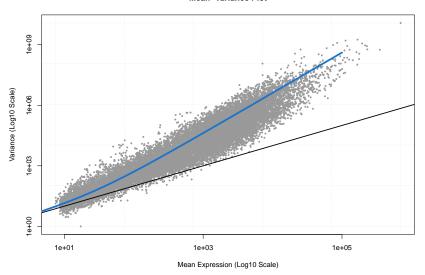
It has a rather stringent assumption: the variance is equal to the mean!

$$Var(Y_{ij}) = \mu_{ij}$$

In real datasets the variance is greater than the mean, a condition known as **overdispersion**.

# A real example





## The Negative Binomial Model

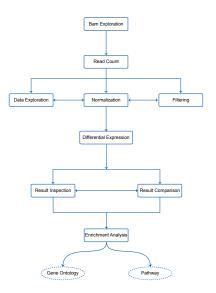
A generalization of the Poisson model is the negative binomial, that assumes that the variance is a quadratic function of the mean.

$$Var(Y_{ij}) = \mu_{ij} + \phi_j \mu_{ij}^2$$

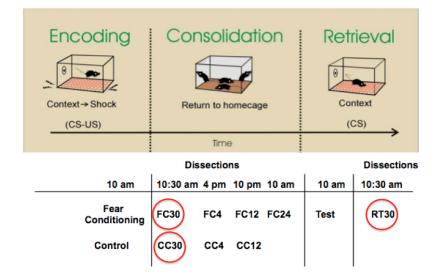
where  $\phi$  is called the **dispersion parameter**.

Both edgeR and DESeq2 assume that the data is distributed as a negative binomial.

# A typical analysis workflow



## An example dataset



## An example dataset

- ► C57BL/6J adult male mice (2 months of age).
- ► Five animals per group: fear conditioning (FC), memory retrieval (RT), and controls (CC).
- Illumina 100bp paired-end reads mapped to the mouse genome (mm9) using GMAP/GSNAP.
- Ensembl (release 65) gene counts obtained using HTSeq.