

# CS3061 Artificial Intelligence

Submit to Blackboard by Monday, March 5th (23:59)

Recall from lecture<sup>1</sup> that Sam is either fit or unfit

$$S = \{\text{fit}, \text{unfit}\}$$

and has to decide whether to exercise or relax

$$A = \{\text{exercise}, \text{relax}\}$$

on the basis of the following (probability, reward)-matrices  $(p(s, a, s'), r(s, a, s'))$  for row  $s$ , column  $s'$  in table with corner  $a$

exercise	fit	unfit	relax	fit	unfit
fit	.99, 8	.01, 8	fit	.7, 10	.3, 10
unfit	.2, 0	.8, 0	unfit	0, 5	1, 5

The  $\gamma$ -discounted value of  $(s, a)$  is

$$\lim_{n \rightarrow \infty} q_n(s, a)$$

where

$$q_0(s, a) := p(s, a, \text{fit})r(s, a, \text{fit}) + p(s, a, \text{unfit})r(s, a, \text{unfit})$$

$$V_n(s) := \max(q_n(s, \text{exercise}), q_n(s, \text{relax}))$$

$$q_{n+1}(s, a) := q_0(s, a) + \gamma(p(s, a, \text{fit})V_n(\text{fit}) + p(s, a, \text{unfit})V_n(\text{unfit})).$$

In particular,  $\gamma = 0.9$  leads to the following  $q_n(s, a)$  for  $n = 0, 1, 2$

	exercise	relax	$\pi$
fit	8, 16.955, 23.812	10, 17.65, 23.685	relax, relax, exercise
unfit	0, 5.4, 10.017	5, 9.5, 13.55	relax, relax, relax

Your task is to write a program that given

a positive integer  $n$ , a  $\gamma$ -setting  $G$  ( $0 < G < 1$ ), and a state  $s$

returns the values

$$q_n(s, \text{exercise}) \text{ and } q_n(s, \text{relax})$$

for  $\gamma = G$ . You may use any of the following programming languages

Prolog, Java, Python

but be prepared to demonstrate your program on Tue, March 6 (noon-1, LG 12, O'Reilly) or Wed, March 7 (10-11, LB04; on your machine).

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<sup>1</sup>It may help to read Poole & Mackworth, 9.5 Decision Processes.