

No. of Pages	2
No. of Questions	5

**BRAC University**  
**Department of Computer Science and Engineering**  
**Midterm Examination, Spring 2019**  
**CSE422: Artificial Intelligence**

**Total Marks: 40**

**Time: 1 Hour**

- 
- Do not answer in this question paper
  - Answer any **four** of the following questions
- 

**Question No. 1**

**Marks: 4+6**

- a) What is intelligent agent? What do you understand by the AI goal of "System that think rationally"? Explain with example.

An **intelligent agent** perceives its environment via **sensors** and acts rationally upon that environment with its **actuators**.

- An ideal **rational agent** should, for each possible percept sequence, do whatever actions will maximize its expected performance measure based on
  - (1) the percept sequence, and
  - (2) its built-in and acquired knowledge.
- Rationality includes information gathering, not "rational ignorance." (If you don't know something, find out!)
- Rationality → Need a performance measure to say how well a task has been achieved.
- Types of performance measures: false alarm (false positive) and false dismissal (false negative) rates, speed, resources required, effect on environment, etc.

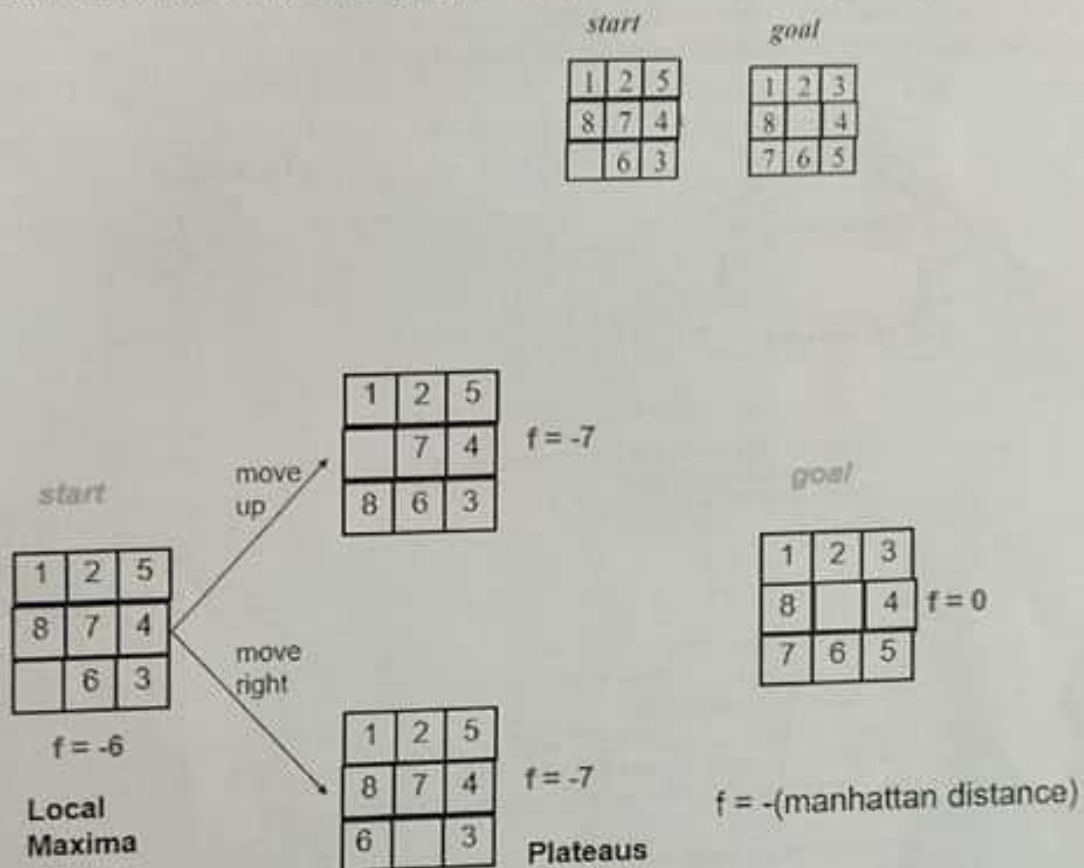
- b) Apply Uniform Cost Search (UCS) to the following graph to find out minimum cost solution path from node S to node G.



## Question No. 2

Marks: 10

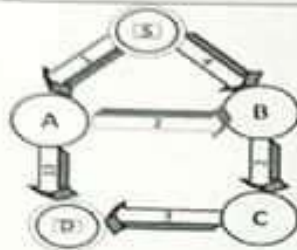
Write down drawbacks of hill climbing approach, explain with the following example.



### Question No. 3

Marks: 4+6

How A\* search algorithm always become optimal and choose the right shortest path, show it with a proof and explain. How do we reach the destination  $D$  from start node  $S$  with shortest path (i.e., low cost) using A\* search algorithm (consider the following fig).



Heuristic Value	
S	7
A	6
B	3
C	2
D	0

- Suppose some suboptimal goal  $G_2$  has been generated and is in the fringe. Let  $n$  be an unexpanded node in the fringe such that  $n$  is on a shortest path to an optimal goal  $G$ .
  - $f(G_2) = g(G_2) + h(G_2)$   
 $f(G_2) = g(G_2)$  [since  $h(G_2) = 0$ ] ..... (1)  
 Again,  $f(G) = g(G) + h(G)$   
 $f(G) = g(G)$  [since  $h(G) = 0$ ] ..... (2)  
 But,  $g(G_2) > g(G)$  [since  $G_2$  is suboptimal] ..... (3)  
 Therefore,  $f(G_2) > f(G)$  [ from equation (1), (2) and (3)] ..... (4)
  - Suppose some suboptimal goal  $G_2$  has been generated and is in the fringe. Let  $n$  be an unexpanded node in the fringe such that  $n$  is on a shortest path to an optimal goal  $G$ .
  - Therefore,  $f(G_2) > f(G)$  ..... (4) [ from equation (1), (2) and (3)]
  - Again,  $h(n) \leq h^*(n)$  ..... (5) [since  $h$  is admissible; Here,  $h^*(n)$  is the true cost to reach the goal state from  $n$ ]
  - $g(n) + h(n) \leq g(n) + h^*(n)$  ..... (6) [ Adding  $g(n)$  in both sides of equation (5)]
  - $f(n) \leq f(G)$  ..... (7) [Because,  $f(n) = g(n) + h(n)$ ; and  $f(G) = g(n) + h^*(n)$ ; Here,  $h^*(n)$  is the true cost to reach the goal state from  $n$ ]
  - $f(n) \leq f(G) < f(G_2)$  [From equation (4) and (7)]
- Therefore,  $f(G_2) > f(n)$ , and  $A^*$  will never select  $G_2$  for expansion before expanding  $n$  to reach at optimal goal  $G$ .

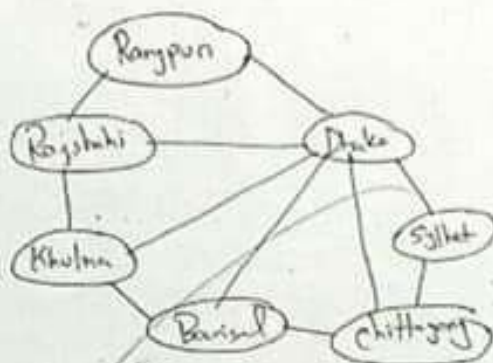
$$\begin{array}{ll}
 S \rightarrow A & 1+5=6 \\
 S \rightarrow B & 4+2=6 \\
 S \rightarrow A \rightarrow B & (1+2)+2=5 \\
 S \rightarrow A \rightarrow D & (1+1)+0=2 \\
 S \rightarrow A \rightarrow B \rightarrow C \rightarrow D & 8
 \end{array}
 \quad
 \begin{array}{ll}
 S \rightarrow A \rightarrow B \rightarrow C & (1+2)+1=4 \\
 S \rightarrow B \rightarrow C & (4+2)+1=7 \\
 S \rightarrow A \rightarrow B \rightarrow C \rightarrow D & (1+2+1)+0=4 \\
 S \rightarrow B \rightarrow C \rightarrow D & (4+2+1)+0=7
 \end{array}$$



### Question No. 4

**Marks: 2+8**

Consider the following map of Bangladesh. Construct a constraint graph considering the divisions of Bangladesh. Color the map using only 3 colors (Red, Green, and Blue) where adjacent divisions should not be the same color. Apply backtracking with forward checking algorithm for solving this constraint satisfaction problem.

[illegible]

**Question No. 5****Marks: 6+4**

Suppose a genetic algorithm uses chromosomes of the form  $x = abcdefgh$  with a fixed length of eight genes. Each gene can be any digit between 0 and 9. Let the fitness of individual  $x$  be calculated as:

$f(x) = (a + b) - (c + d) + (e + f) - (g + h)$ , and let the initial population consist of four individuals with the following chromosomes:

$$x_1 = 6\ 5\ 4\ 1\ 3\ 5\ 3\ 2$$

$$x_2 = 8\ 7\ 1\ 2\ 6\ 6\ 0\ 1$$

$$x_3 = 2\ 3\ 9\ 2\ 1\ 2\ 8\ 5$$

$$x_4 = 4\ 1\ 8\ 5\ 2\ 0\ 9\ 4$$

- Evaluate the fitness of each individual, showing all your workings, and arrange them in order with the fittest first and the least fit last.
- Perform the following crossover operations:
  - Cross the fittest two individuals using one-point crossover at the middle point.
  - Cross the second and third fittest individuals using a two-point crossover (points b and f).

- Evaluate the fitness of each individual, showing all your workings, and arrange them in order with the fittest first and the least fit last.

**Answer:**

$$f(x_1) = (6 + 5) - (4 + 1) + (3 + 5) - (3 + 2) = 9$$

$$f(x_2) = (8 + 7) - (1 + 2) + (6 + 6) - (0 + 1) = 23$$

$$f(x_3) = (2 + 3) - (9 + 2) + (1 + 2) - (8 + 5) = -16$$

$$f(x_4) = (4 + 1) - (8 + 5) + (2 + 0) - (9 + 4) = -19$$

The order is  $x_2$ ,  $x_1$ ,  $x_3$  and  $x_4$ .

- Perform the following crossover operations:

- Cross the fittest two individuals using one-point crossover at the middle point.

**Answer:** One-point crossover on  $x_2$  and  $x_1$ :

$$\begin{array}{l} x_2 = 8\ 7\ 1\ 2\ 6\ 6\ 0\ 1 \\ x_1 = 6\ 5\ 4\ 1\ 3\ 5\ 3\ 2 \end{array} \Rightarrow \begin{array}{l} O_1 = 8\ 7\ 1\ 2\ 3\ 5\ 3\ 2 \\ O_2 = 6\ 5\ 4\ 1\ 6\ 6\ 0\ 1 \end{array}$$

---Good Luck---

$$\begin{array}{c|c|c} 6\ 5 & 4\ 1\ 3\ 5 & 3\ 2 \\ 2\ 3 & 9\ 2\ 1\ 2 & 8\ 5 \end{array} \Rightarrow \begin{array}{c} 6\ 5\ 9\ 2\ 1\ 2\ 3\ 2 \\ 2\ 3\ 4\ 1\ 3\ 5\ 8\ 5 \end{array}$$