# Project

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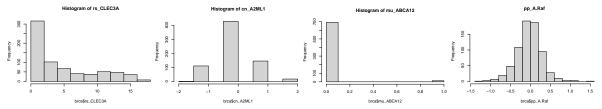
## Project Description (est. 1 page, pt. 5)

## Literature Review(est. 1 page, pt.10)

## Summary Statistics and Data Preprocessing (est. 1-2 pages, pt.10)

### **Data Overview**

The dataset has 705 observations and 1941 features (1936 predictors and 5 outcomes). There are four different kinds of predictors: rs (gene expression), cn (copy number variations), mu (mutations), and pp (protein levels). Among them, rs and pp are continuous variables, and cn and mu are categorical variables.



### Remove Missing Values

According to the instruction, we dropped vital.status, and we only considered each response variable as a binary variable. Therefore, we treated the observations that had other outcomes as missing values and removed them from our dataset.

Then the dataset sub had 507 observations and 1940 features.

## [1] 507 1940

### Deal with Multicollinearity

One of the noticeable characteristics of the data is its high dimensionality. There are 1936 predictors, almost four times as many as there are observations. Therefore, it is essential to check correlation.

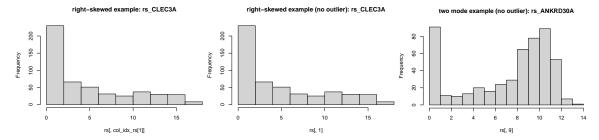
Since there are four kinds of predictors, it is unlikely that two variables that belong to different kinds would be highly correlated. Also, to reduce the computational cost, we split the data into four subsets: rs, cn, mu, and pp, each of which contained only ond kind of predictors.

Then, we created the correlation matrix for each subset, and extracted variables that are highly-correlated with at least one other variable. Take rs as an example. The dataframe idx stores all matrix indices of highly-correlated variables and the corresponding correlation coefficients. If the i-th variable is highly-correlated with the j-th variable, then we only need one of them. Thus, we removed all variables with indices i. For rs, 94 predictors were removed. We applied the same process to the other three subsets. In total, 882 predictors were removed. There are 1059 predictors remained.

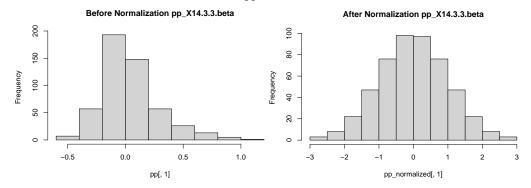
#### Continuous Predictors

As mentioned before, rs and pp are continuous variables, so we should examine if there are any outliers. We first normalized the variable, and stored row and column indices if the data point was three standard deviations away from the variable mean. For the two subsets, rs had 100 outliers, and pp had no outlier.

We further looked into rs predictors that included outliers, and we found the vast majority of them had a long tail, mostly right and some left. In addition, a number of rs predictors that did not contain outliers also had a non-standard distribution. As a result, a log transformation of rs predictors would be beneficial.



Unlike rs, pp variables were distributed quite normally. However, many of the variables would contain outliers without normalization. Therefore, we normalized pp variables.



## Categorical Predictors

## models that perform well on high-dimensional data

- SVM
- Random Forest
- Lasso (?)
- KNN regression

# PR Status (Modeling, SVM and random Forest) (est. 2-3 pages, pt.20)

```
# cleaned dataset with PR.status as response
y = as.factor(sub$PR.Status)
y = ifelse(y == "Positive", 1, 0)
# sub2 = cbind(rs, cn, mu, pp, y)
sub2 = cbind(rs_transformed, cn, mu, pp_normalized, y)
dim(sub2)
## [1] 507 1059
set.seed(651978735)
n = dim(sub)[1]
test_size = as.integer(0.25 * n)
test_idx = sample(1:n, test_size) # 25% of the sample size

Xtest = sub2[test_idx, -ncol(sub2)]
Xtrain = sub2[-test_idx, -ncol(sub2)]
```

```
ytest = sub2[test_idx, ncol(sub2)]
ytrain = sub2[-test_idx, ncol(sub2)]
library(e1071)
svm.fit = svm(ytrain ~., data=Xtrain,
              type="C-classification", kernel="linear", scale=F, cost=1)
table("fitted" = svm.fit$fitted, "actual" = ytrain) # in-sample confusion matrix
##
         actual
## fitted
            0
                1
##
        0 133
            0 248
pred = predict(svm.fit, newdata = Xtest)
confusion_table = table("fitted" = pred, "actual" = ytest)
confusion_table
##
         actual
## fitted 0 1
##
        0 30 8
##
        1 13 75
# (34 + 69) / (34 + 69 + 14 + 9)
(confusion_table[1, 1] + confusion_table[2, 2]) / test_size
## [1] 0.8333333
library(ROCR)
roc = prediction(as.numeric(pred), ytest)
performance(roc, measure = "auc")@y.values[[1]]
## [1] 0.8006444
perf = performance(roc, "tpr", "fpr")
plot(perf, colorize = T)
      0.8
                                                                                            \alphai
True positive rate
      9.0
      0.4
      0.2
      0.0
             0.0
                           0.2
                                         0.4
                                                       0.6
                                                                     8.0
                                                                                    1.0
                                        False positive rate
```

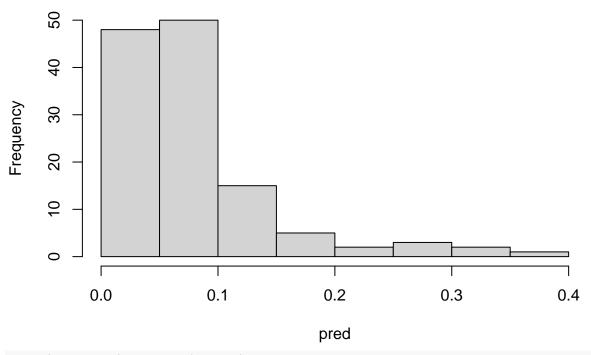
```
library(randomForest)
## randomForest 4.6-14
## Type rfNews() to see new features/changes/bug fixes.
rf.fit = randomForest(Xtrain, as.factor(ytrain),
                       ntree=500,
                       mtry=10,
                       nodesize=10,
                       samplesize=400,
                       importance=TRUE)
pred = predict(rf.fit, Xtest)
confusion_table = table("fitted" = pred, "actual" = ytest)
confusion_table
##
         actual
## fitted 0 1
##
        0 33 2
##
        1 10 81
(confusion_table[1, 1] + confusion_table[2, 2]) / test_size
## [1] 0.9047619
roc = prediction(as.numeric(pred), ytest)
performance(roc, measure = "auc")@y.values[[1]]
## [1] 0.8716727
perf = performance(roc, "tpr", "fpr")
plot(perf, colorize = T)
      0.8
                                                                                            9
True positive rate
      9.0
      0.4
      0.2
      0.0
             0.0
                           0.2
                                         0.4
                                                       0.6
                                                                     0.8
                                                                                    1.0
                                        False positive rate
```

# Histological Type (hcluster and knn regression) (est 2-3 pages, pt.20)

To establish the Modeling for histological, We first use logistical regression, However, when we build the model, we found that the logistic model's algothrim is not coverge. The reason that this error occur, because the variable x can divide the reponse variable y into 0 and 1 perfectly. The accurate will be 100%. To solve the problem we decided to use penalized regression. Thus, we choose the modle of logistic regession with ridge pentalty.

```
y = as.factor(sub$histological.type)
y = as.factor(ifelse(y == "infiltrating lobular carcinoma", 1, 0))
sub3 = cbind(rs, cn, mu, pp, y) # cleaned dataset with PR.status as response
set.seed(651978735)
n = dim(sub)[1]
test_size = as.integer(0.25 * n)
test_idx = sample(1:n, test_size) # 25% of the sample size
Xtest = sub3[test idx, -ncol(sub2)]
Xtrain = sub3[-test_idx, -ncol(sub2)]
ytest = sub3[test_idx, ncol(sub2)]
ytrain = sub3[-test_idx, ncol(sub2)]
library(glmnet)
## Loading required package: Matrix
## Loaded glmnet 4.1-2
fit1 = cv.glmnet(x = data.matrix(Xtrain), y = ytrain, nfolds = 10,
                 type.measure = "auc", family = "binomial")
fit2 = glmnet(x = data.matrix(Xtrain),y = ytrain, family = binomial,
             alpha = 0)
lam = coef(fit2, s = fit1$lambda.min)
pred = predict(fit2, newx = data.matrix(Xtest), type = "response", s = fit1$lambda.min)
hist(pred)
```

# Histogram of pred

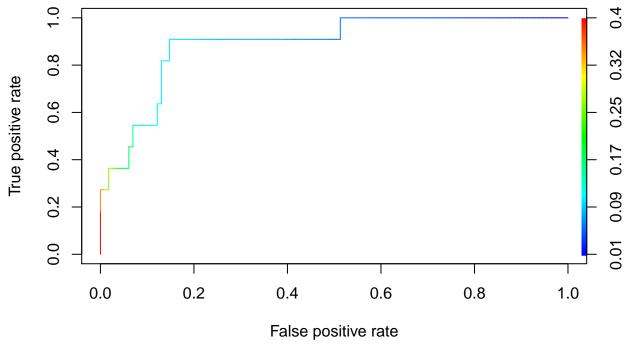


```
table(as.factor(pred > 0.2),ytest)
```

```
## ytest
## 0 1
## FALSE 111 7
## TRUE 4 4
acc = (111+4)/(97+1+18+10)
acc
```

```
## [1] 0.9126984
```

```
roc2 <- prediction(pred, ytest)
# calculates the ROC curve
perf2 <- performance(roc2,"tpr","fpr")
plot(perf2,colorize=TRUE)</pre>
```



```
performance(roc2, measure = "auc")@y.values[[1]]
## [1] 0.8916996
sub4 = sub3[,-1099]
kmeanfit <- kmeans(sub4, 2)</pre>
table((kmeanfit$cluster - 1),sub3$y)
##
##
         0
              1
##
     0 162
     1 295
            41
##
acc = (394 + 2) / nrow(sub4)
acc
```

# Variable Selection for All Outcomes (random forest?) (est. 2-3 pages. pt.20)

## [1] 0.7810651

Using Random Forest, select the most important 50 variables, and make predictions based on these variables.

```
impt = importance(rf.fit)[order(importance(rf.fit)[,3], decreasing=TRUE),][1:50,]
vars = rownames(impt)

# sub4 is the cleaned dataset with all four response variables
sub4 = subset(sub, select = vars)
sub4 = cbind(sub4, sub[1937:1940])
sub4$PR.Status = as.factor(sub4$PR.Status)
sub4$histological.type = as.factor(sub4$histological.type)
sub4$ER.Status = as.factor(sub4$ER.Status)
sub4$HER2.Final.Status = as.factor(sub4$HER2.Final.Status)
```

```
Xtest = sub4[test_idx, 1:50]
Xtrain = sub4[-test_idx, 1:50]
ytest = sub4$ER.Status[test_idx]
ytrain = sub4$ER.Status[-test_idx]
svm.fit = svm(ytrain ~., data=Xtrain,
              type="C-classification", kernel="linear", scale=F, cost=1)
table("fitted" = svm.fit$fitted, "actual" = ytrain)
##
             actual
## fitted
              Negative Positive
##
     Negative
                     80
     Positive
                     10
                             283
##
pred = predict(svm.fit, newdata = Xtest)
table("fitted" = pred, "actual" = ytest)
##
             actual
## fitted
              Negative Positive
##
                     28
     Negative
##
     Positive
                              85
# library(ROCR)
roc = prediction(as.numeric(pred), ytest)
performance(roc, measure = "auc")@y.values[[1]]
## [1] 0.8737212
perf = performance(roc, "tpr", "fpr")
plot(perf, colorize = T)
      0.8
                                                                                            9
True positive rate
      9.0
                                                                                            \sim
      0.4
      0.2
      0.0
             0.0
                           0.2
                                         0.4
                                                        0.6
                                                                      8.0
                                                                                    1.0
                                        False positive rate
rf.fit = randomForest(Xtrain, ytrain,
                       ntree=500,
                       mtry=7,
```

```
nodesize=10,
                        samplesize=400,
                        importance=TRUE)
pred = predict(rf.fit, Xtest)
table("fitted" = pred, "actual" = ytest)
##
              actual
## fitted
               Negative Positive
##
                     30
     Negative
     Positive
                               89
                      4
##
roc = prediction(as.numeric(pred), ytest)
performance(roc, measure = "auc")@y.values[[1]]
## [1] 0.9248721
perf = performance(roc, "tpr", "fpr")
plot(perf, colorize = T)
                                                                                              က
      0.8
                                                                                              2.6
True positive rate
      9.0
      0.4
      0.2
      0.0
             0.0
                           0.2
                                                        0.6
                                                                       8.0
                                                                                      1.0
                                          0.4
                                         False positive rate
```