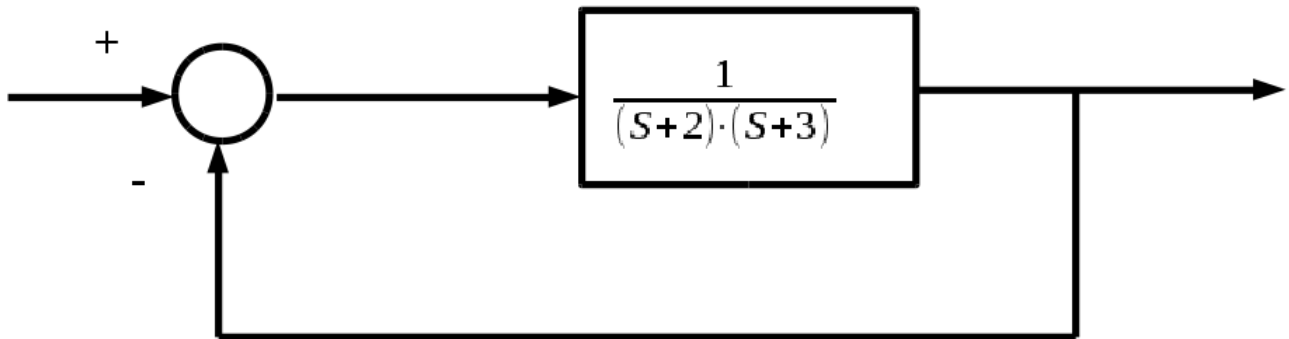


Tenemos el siguiente sistema.



- 1) Encuentre el error al escalon sin compensador.
- 2) Proponga un compensador para que el error corrija o mejorar en un 10%.

$$1.) \quad e_{ss} = \lim_{s \rightarrow 0} s \cdot \frac{1}{1 + \frac{1}{(s+2) \cdot (s+3)}} \cdot \frac{1}{s} =$$

$$= \frac{1}{1 + \frac{1}{(0+2) \cdot (0+3)}} = \frac{1}{1 + \frac{1}{6}} = 0.86$$

$$K_p = \frac{1}{0.86} - 1 = K_p = 0.16$$

Comprobacion con Octave

```
octave:1> G=tf([1],[1,5,6])
```

Transfer function 'G' from input 'u1' to output ...

$$y1: \frac{1}{s^2 + 5s + 6}$$

Continuous-time model.

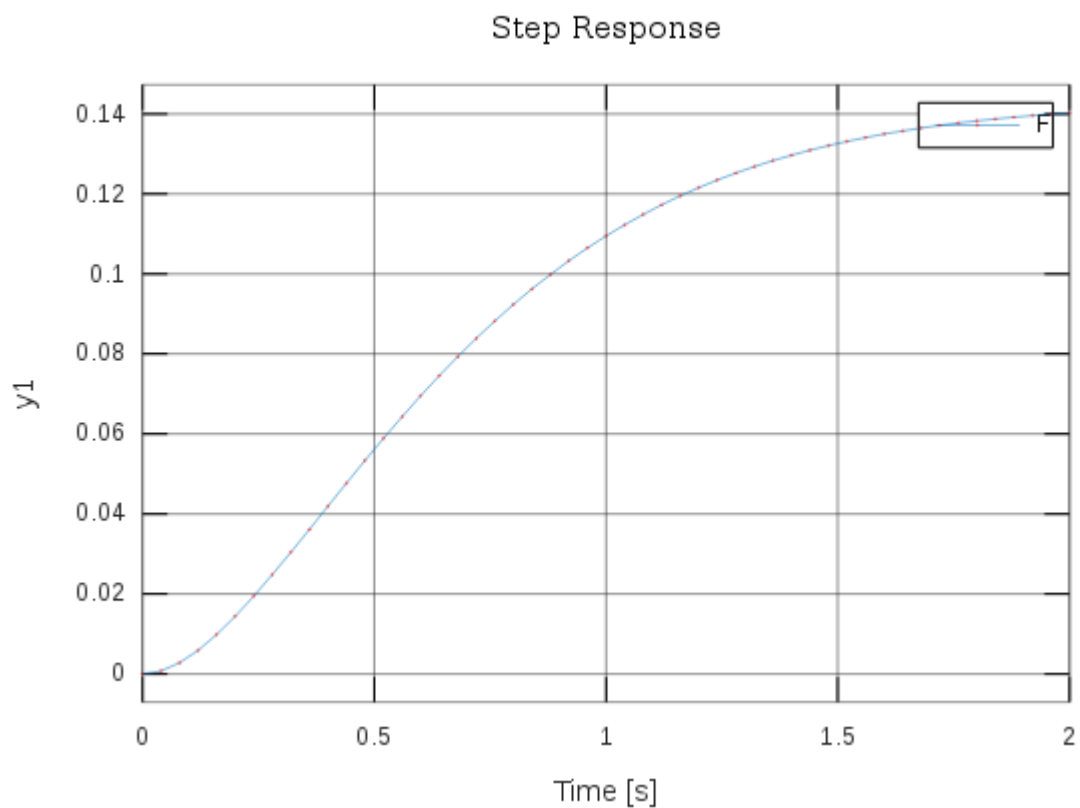
```
octave:2> F=feedback(G,1)
```

Transfer function 'F' from input 'u1' to output ...

$$y1: \frac{1}{s^2 + 5s + 7}$$

Continuous-time model.

```
octave:3> step(F)
```

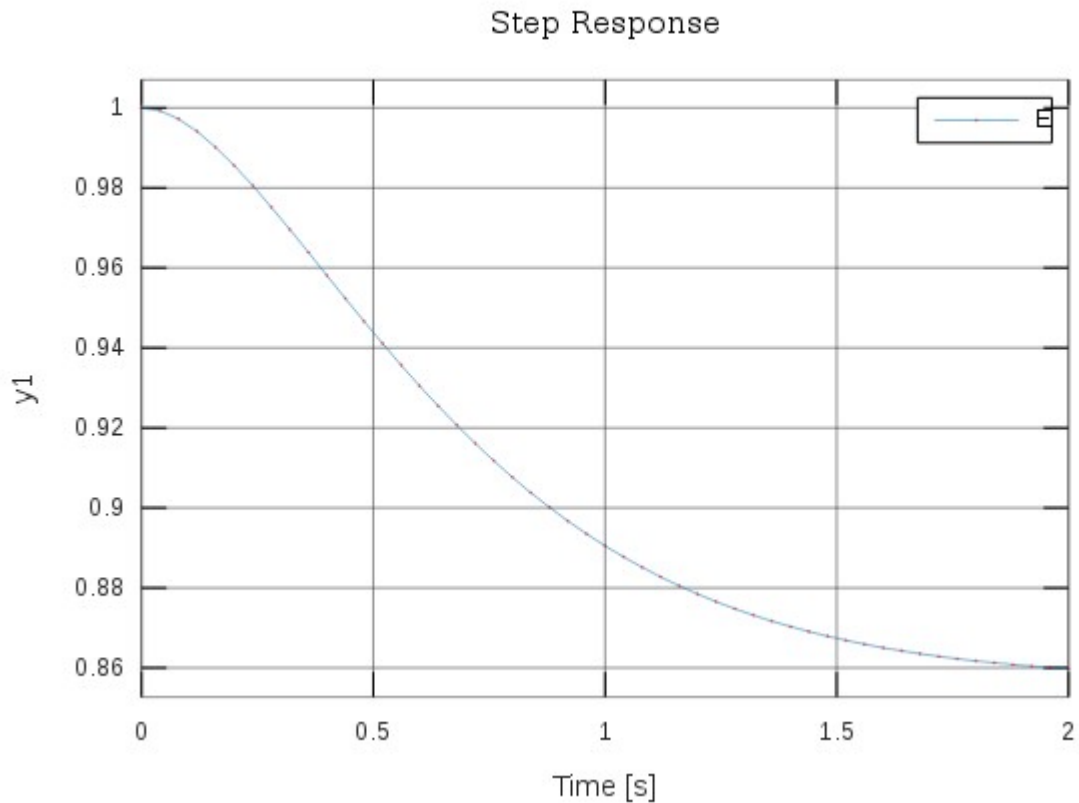


```
octave:4> E=feedback(1,G)
```

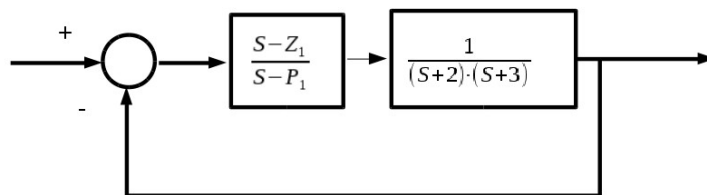
Transfer function 'E' from input 'u1' to output ...

$$y1: \frac{s^2 + 5s + 6}{s^2 + 5s + 7}$$

```
octave:5> step(E)
```



Proponga un compensador para que el error corrija o mejorar en un 10%.



$$Error = 0,9 \cdot 0,86 = 0,774$$

$$K_{nueva} = \frac{1}{0,774} - 1 = 0,29$$

$$\frac{0,29}{0,16} = \frac{Z}{P}$$

$$1,81 = \frac{Z}{P}$$

$$Z = -1,81, P = -1$$

Comprobacion con Octave

```
octave:6> C=tf([1,1.81],[1,1])
```

Transfer function 'C' from input 'u1' to output ...

```
      s + 1.81
y1:  -----
      s + 1
```

Continuous-time model.

```
octave:7> H=series(C,G)
```

Transfer function 'H' from input 'u1' to output ...

```
      s + 1.81
y1:  -----
    s^3 + 6 s^2 + 11 s + 6
```

Continuous-time model.

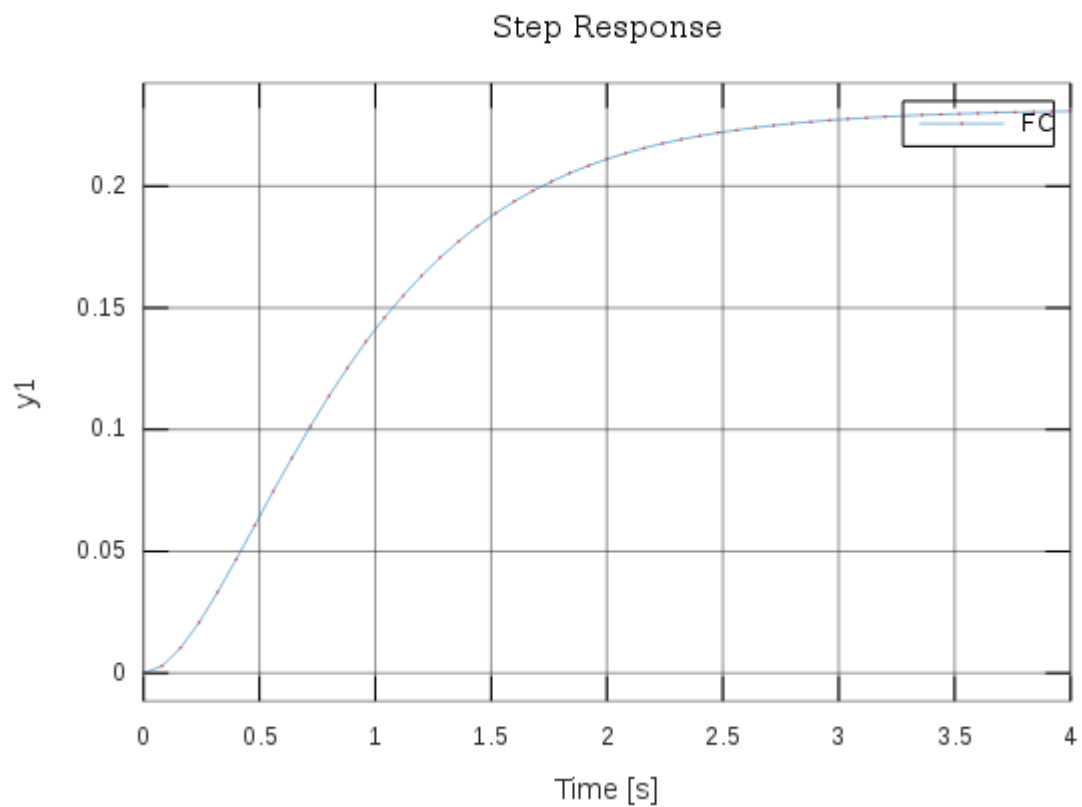
```
octave:8> FC=feedback(H,1)
```

Transfer function 'FC' from input 'u1' to output ...

```
      s + 1.81
y1:  -----
    s^3 + 6 s^2 + 12 s + 7.81
```

Continuous-time model.

```
octave:9> step(FC)
```



```
octave:10> EC=feedback(1,H)
```

Transfer function 'EC' from input 'u1' to output ...

$$\text{y1: } \frac{s^3 + 6 s^2 + 11 s + 6}{s^3 + 6 s^2 + 12 s + 7.81}$$

Continuous-time model.

```
octave:11> step(EC)
```

