Chapter 2 Tutorial 4

The purpose of this tutorial is to teach you about arithmetic operations involving vectors and matrices

```
% Always clear workspace variables before a new tutorial or program. clear
```

Edit the code below and update the variable named **name** with your name for this tutorial in the code below.

```
name="";
fprintf("Output for Tutorial_02_4 run by %s.\n", name)
Output for Tutorial_02_3 written by .
```

Addition and Subtraction

Let's create two simple vectors

```
vectorA=1:5 % A row vector 1 through 5

vectorA = 1x5
    1    2    3    4    5

vectorB=10:10:50 % A row vector 10 through 50 incrementing by 10s

vectorB = 1x5
    10    20    30    40    50
```

Addition and subtraction of vectors does not require any special notation. Notice that element (1,1) of vectorA is added to element(1,1) of vectorB and so on for each corresponding element.

```
vectorA+vectorB

ans = 1×5
    11    22    33    44    55

vectorA-vectorB

ans = 1×5
    -9    -18    -27    -36    -45
```

Multiplication and Division

Multiplication of vectors requires a dot. operator to signify that we want each element to be multiplied to the corresponding element from each vector. This is referred to as **element-wise arithmetic**. If we do not use the dot operator, MATLAB will perform a matrix multiplication which is a very different thing altogether, we will discuss matrix math later in the course.

```
vectorA.*vectorB

ans = 1x5
   10   40   90   160   250

vectorA./vectorB
```

```
ans = 1×5
0.1000 0.1000 0.1000 0.1000 0.1000
```

1.5000

2.0000

There is an exception where matrix and element-wise math overlap. That is when we have a scalar and a matrix. When of the operands is a scalar, both element-wise and matrix multiplication and division will result in the same outcome.

```
% The outcome here will be the same for matrix and non-matrix math vectorA*2

ans = 1×5
```

```
ans = 1x5

vectorA/2

ans = 1x5
```

2.5000

is the same as...

0.5000

1.0000

Tip: It is always better to be safe than sorry, since adding the dot operator does not inhibit functionality, it not only ensures the right outcome but allows someone reading your code to determine your intentions. Additionally, using the dot operator when a scalar is *expected* will still function properly if a matrix was used instead for some reason.

Exponents

Exponentiation requires the dot operator for element-wise exponentiation.

```
vectorA.^2 % Square each element in vectorA
```

Example:

Let's create a time table giving the velocity and position of a falling object over time.

```
% Declare the initial data
initialVel=19.6;
initialPos=0;
GRAVITY=9.81;
% Let's plot the velocity and position every 1/4 second for 4 seconds
% starting at t=0
timeInc=0:0.25:4;
```

```
% Compute the velocity over the time increments.
velocityY=initialVel - GRAVITY*timeInc.^2;
% Compute the position over the time increments. Remember, we don't NEED
% the dot operator on the multiplication since initialVel and (1/2) are
% scalar values but hopefully you can see how it makes it clearer by using it.
position=initialPos + initialVel.*timeInc + (1/2).*timeInc.^2;
% Create a table for displaying the output (again, we could do this right
% in the disp() function later, but let's keep it separate until you become
% more proficient.
dispTable=[timeInc', velocityY', position'];
% Display a nice output
disp('Analysis of a falling object') % Title for the table
Analysis of a falling object
disp(' ')
                                          % Prints a blank line
                              Pos(m)')
disp('
         Time(s) Vel(m/s)
                                          % Column headings
  Time(s) Vel(m/s)
                   Pos(m)
disp(dispTable)
                                          % Disp the table
           19.6000
   0.2500
           18.9869
                    4.9313
           17.1475
                    9.9250
   0.5000
   0.7500
          14.0819
                   14.9813
   1.0000
           9.7900
                   20.1000
   1.2500
           4.2719
                   25.2812
   1.5000
          -2.4725
                   30.5250
   1.7500 -10.4431
                   35.8313
                   41.2000
   2.0000 -19.6400
   2.2500 -30.0631
                   46.6313
   2.5000 -41.7125
                   52.1250
   2.7500 -54.5881
                   57.6813
   3.0000 -68.6900
                   63.3000
   3.2500 -84.0181
                   68.9813
   3.5000 -100.5725
                   74.7250
                   80.5312
   3.7500 -118.3531
   4.0000 -137.3600
                   86.4000
```

Additional Notes:

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