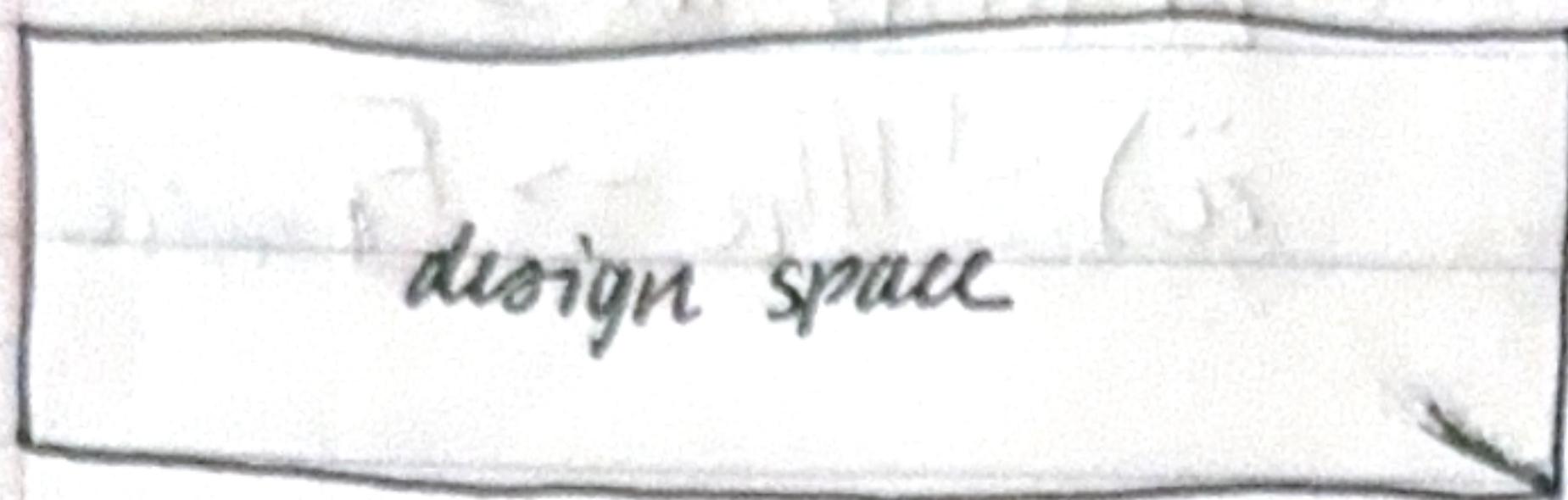


Portfolio Crain

find

lift rigid
to max height
plane



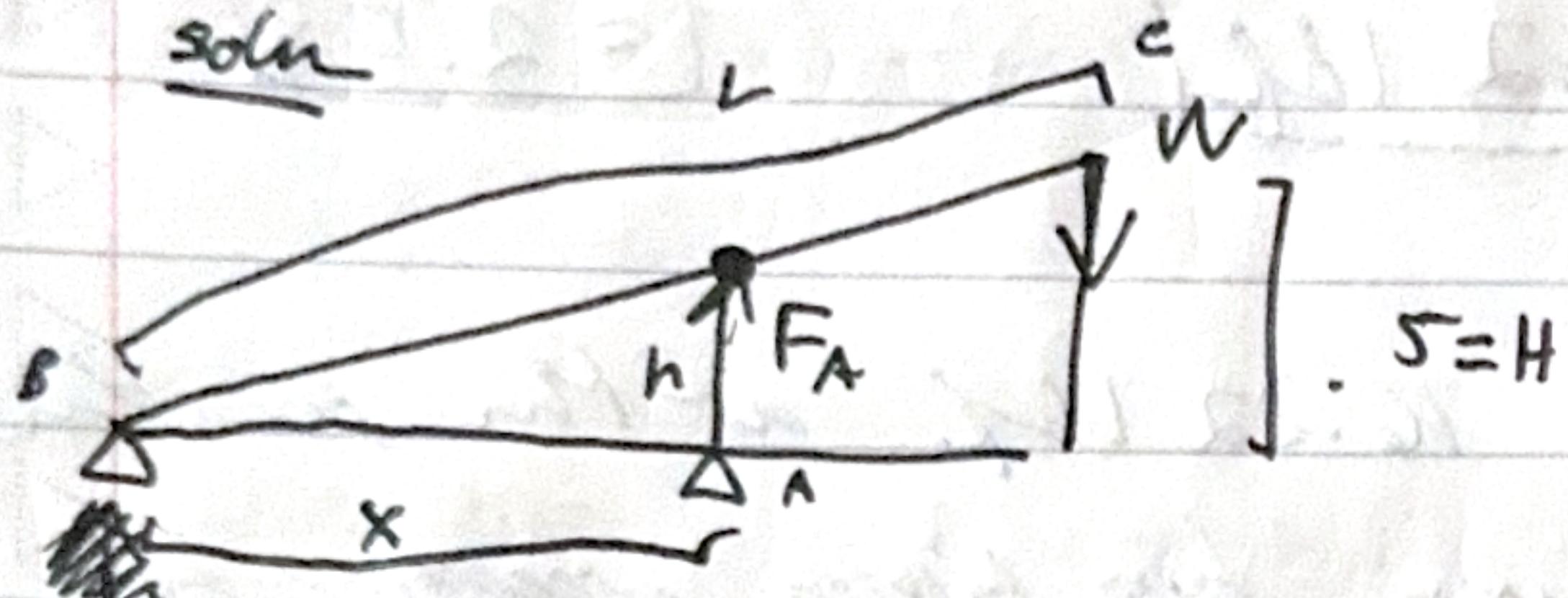
.5 m

design space

1.5 m

3 pin supports &
linear actuator

solve



$S = H$

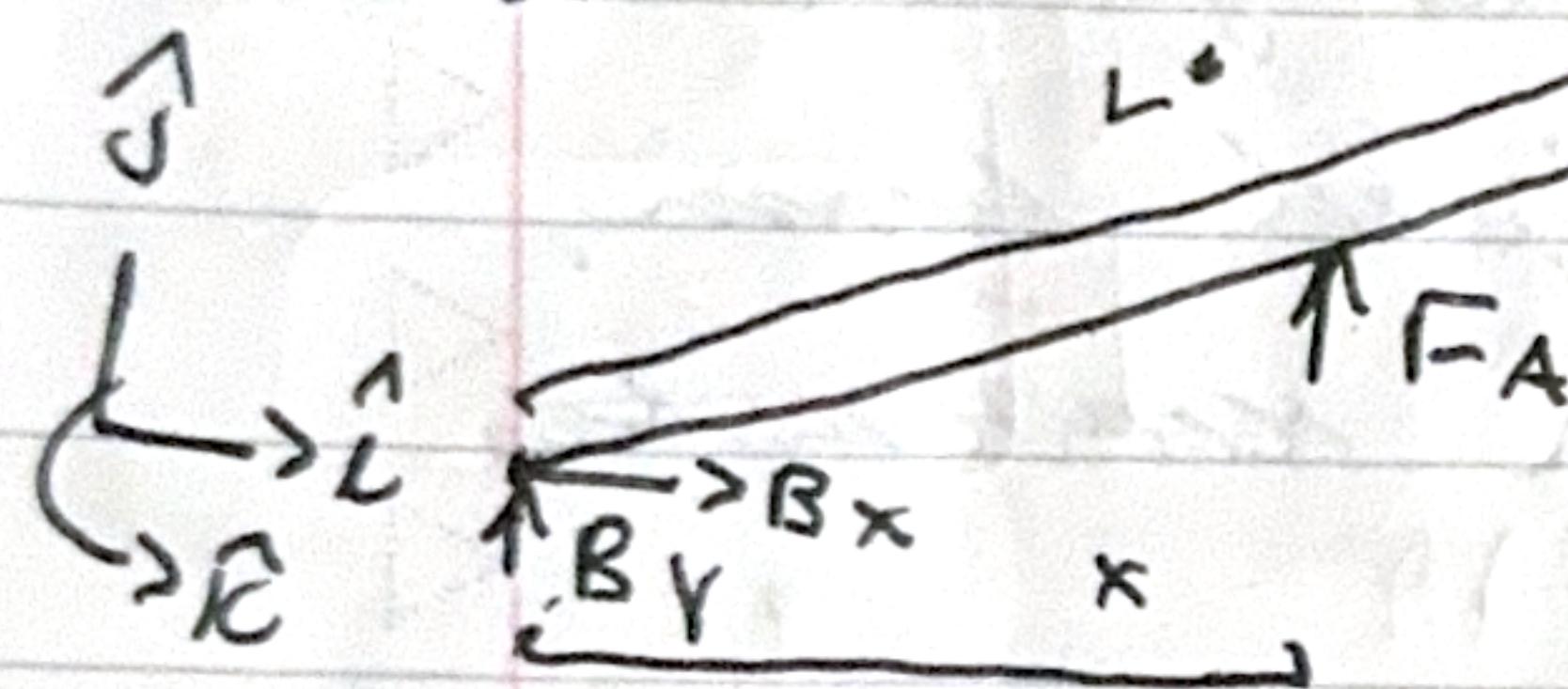
$$O = \sqrt{H^2}$$

$$O = (L^2 - x^2)^{1/2}$$

$$O = (L^2 - h^2)^{1/2}$$

$$\frac{x}{h} = \frac{\sqrt{L^2 - H^2}}{H} \quad \Rightarrow x = \frac{h\sqrt{L^2 - H^2}}{H}$$

$$xH = h\sqrt{L^2 - H^2}$$



$$\sum M = 0$$

$$F_A(x) - W(\sqrt{L^2 - x^2}) = 0$$

$$W = F_A \left(\frac{h}{H} \right)$$

RSX Linear
actuator
 $h_{max} = 1.5 \text{ m}$
 $F_A = 244 \text{ kN}$

~~So~~ W is maximized when $h = H$

Reflection

W is maximized when $h = H$. In this case, with the RSX linear actuator, the maximum stroke length is $>$ than the max height in the design space, so it is possible to place it freely under W . With no bound on height, $WH = F_A h$.

To maximize both, $W = H = \sqrt{F_A h}$. With a fixed h , you can use the first relation ($\frac{x}{h} = \frac{\sqrt{L^2 - H^2}}{H}$) to find the optimal position/value of x for any base of length L .