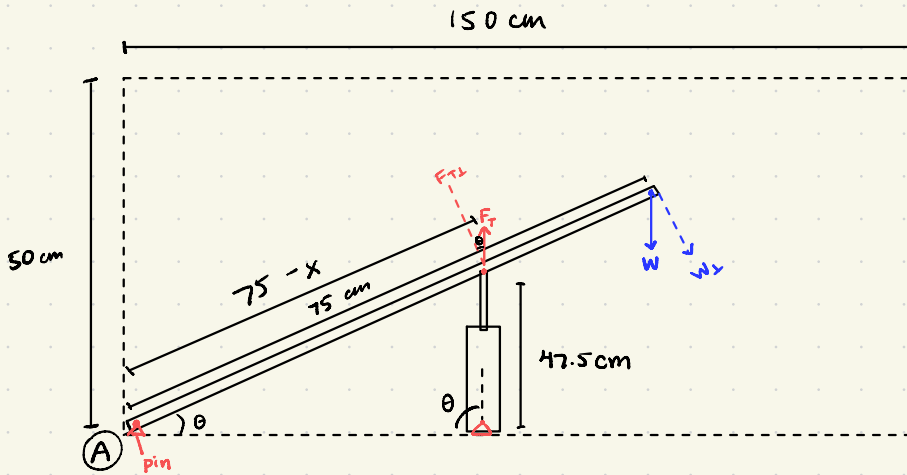


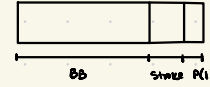
Portfolio



$l = \text{length of rod} = 75 \text{ cm}$

Actuator: IMA22 (MV23/43)

Thrust $\leq 1446 \text{ N}$



total = 128.6 + 304.8 + 41.2 = 474.6 mm

75 - x = position of actuator

$$\vec{M}_A = 0 = (75 - x) \left(\frac{F_r}{\cos \theta} \right) + (75) \left(-\frac{W}{\cos \theta} \right)$$

$$0 = 75 \left(\frac{1446}{\cos \theta} \right) - \frac{1446}{\cos \theta} x - \frac{75W}{\cos \theta}$$

$$0 = 108450 - 1446x - 75W$$

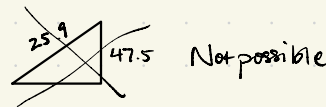
$$75W = 108450 - 1446x$$

hypothetical max values:

if $W = 500$:

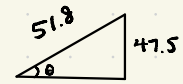
$$75(500) = 108450 - 1446x$$

$$x = 49.1$$

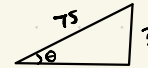


if $W = 1000$:

$$x = 23.1$$



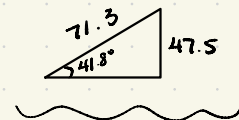
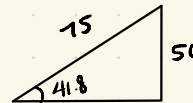
$$\theta = 66.5^\circ$$



$h = 68.8 \text{ cm}$
not possible
w/in constraints

max h: 50 cm

max θ : 41.8°



If θ can change and L is not fixed to 75 cm:

(base) michellexie@dhcp-vl2041-27251 a3_files % python portfolio.py
The optimal weight is 2311.907573208449, theta is 89.03284632873374, L is 50.056
94914323081, and x is 0.013014764216138432

where $F_{\text{thrust}} = 1446 \text{ N}$;

$$W_{\text{max}} = 2311.9$$

$$\theta = 89.0^\circ$$

$$L = 50.06 \text{ cm}$$

$$x = 0.013 \text{ cm}$$

```
1 import random
2 import math
3
4 F = 1446
5 weightmax = 0
6 thetamax = 0
7 Lmax = 0
8 xmax = 0
9
10 for i in range(100000):
11     theta = random.uniform(0, (math.pi)/2)
12     Ly = 50 * math.sin(theta)
13     Lx = 150 * math.cos(theta)
14     L = math.sqrt(Lx**2 + Ly**2)
15     x = L * random.random()
16
17     weight = (F * math.sin(math.pi - theta) * (L - x) * math.cos(theta) -
18             F * math.cos(math.pi - theta) * (math.sin(math.pi - theta) * 30)) /
19             (L * math.cos(theta))
20
21     if weight > weightmax:
22         weightmax = weight
23         thetamax = theta * (180 / math.pi)
24         Lmax = L
25         xmax = x
26
27 print("The optimal weight is " + str(weightmax) + ", theta is " + str(thetamax) +
28       ", L is " + str(Lmax) + ", and x is " + str(xmax))
```