

$$\Sigma \vec{M}_F = \vec{0} = (-2\text{in.} \cdot F_{\text{hands}}) \vec{k} + (-25\text{in.} \vec{i} + 1\text{in.} \vec{j}) \times F_{TS} (-.98\vec{i} - .17\vec{j})$$

$$\vec{0} = -2F_{\text{hands}} \vec{k} + (.04373, 1716\text{in} + .98 \cdot 1716\text{in.}) \vec{k}$$

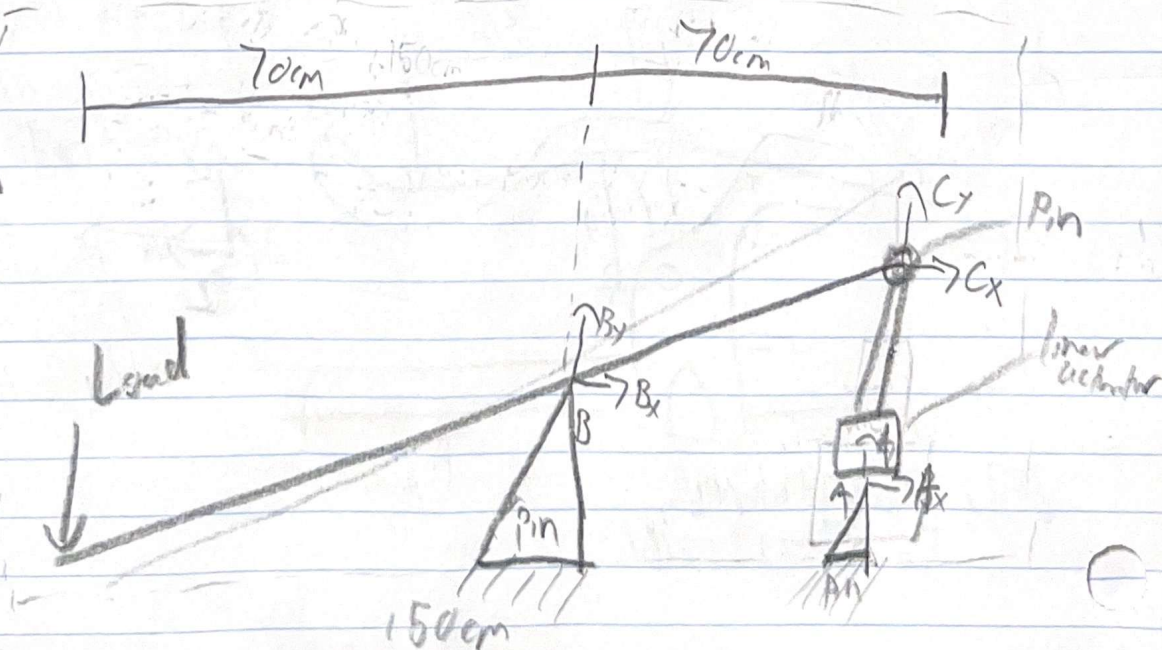
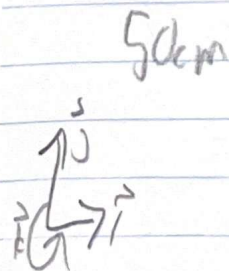
$$F_{\text{hands}} = 6.7716\text{F}$$

$$\frac{F_{\text{out}}}{F_{\text{in}}} = \frac{N}{F_{\text{hands}}} = \frac{23216\text{F}}{6.7716\text{F}} = 3.43$$

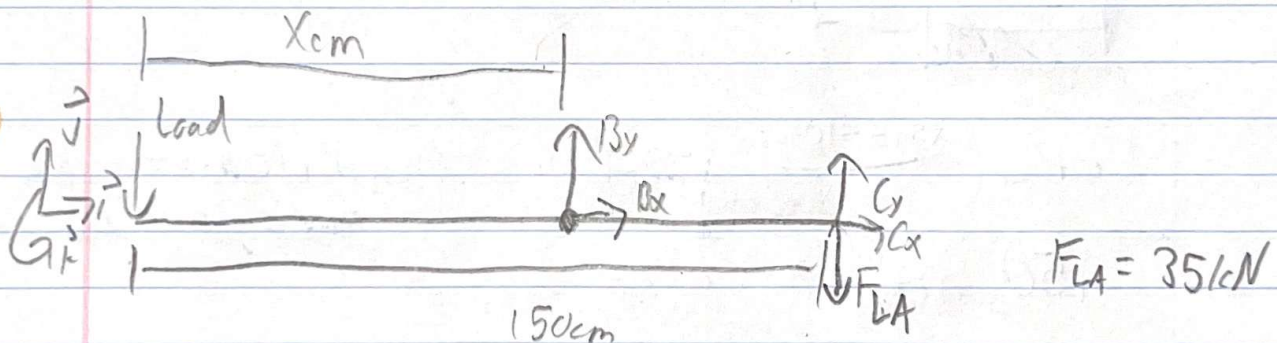
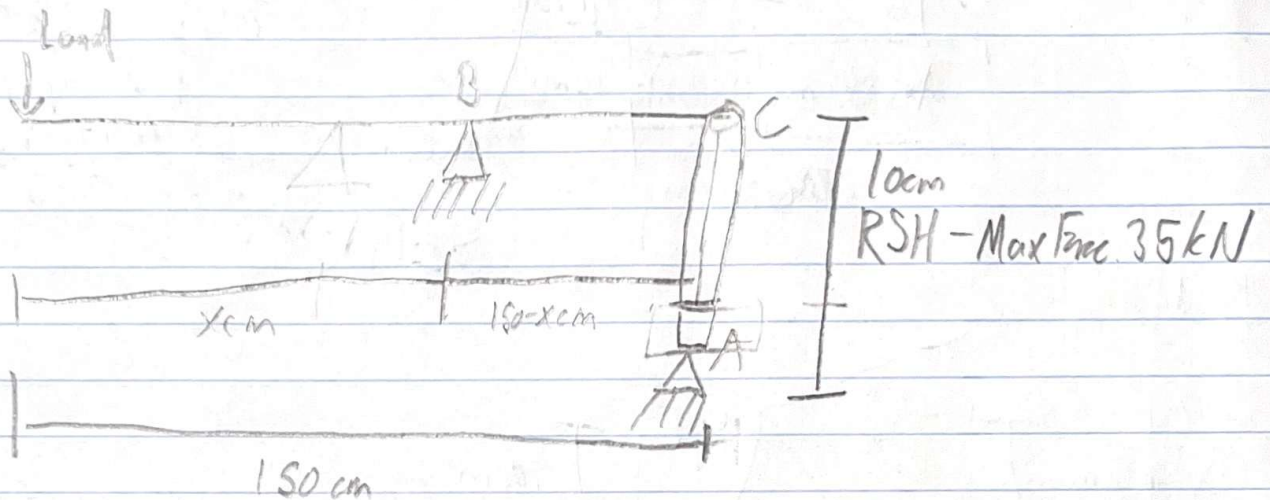
Discuss: This seems to make sense as it is much less force than is put in. It makes sense that this force is less than the tension due to mount arms,

Portfolio

Sketch



Using the ERD, with a max force of 2 kN



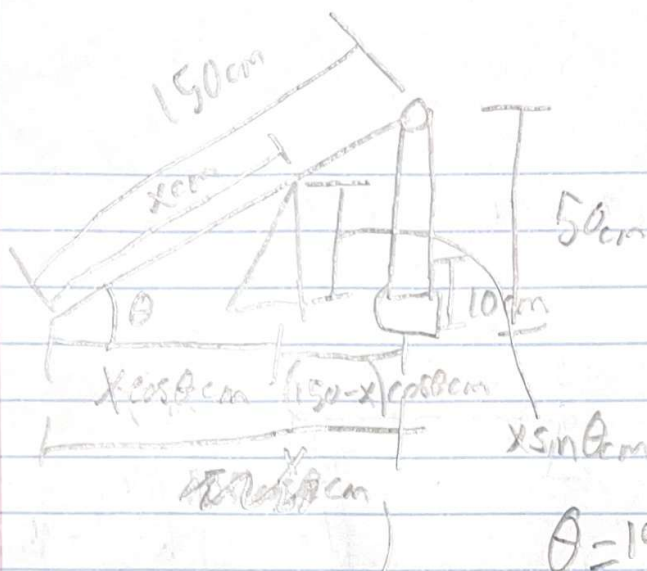
$$\sum M_B = x \text{ cm} \cdot F_{\text{load}} - F_{LA} \cdot (150 - x) \text{ cm}$$

Assume $B_x = C_x = 0 \text{ kN}$ due to no horizontal load

$$5250 \text{ kN cm} = x \text{ cm} \cdot F_{\text{load}} + 35 \text{ kN} \cdot x \text{ cm}$$

Based on this, when $x = 0 \text{ cm}$, 0 kN can be held, when $x = 150 \text{ cm}$, 0 kN can be held. Assuming a 10 cm retractor, the

Start



$$50^2 + y^2 = 150^2$$

$$y = 141.4 \text{ cm}$$

$$\arcsin\left(\frac{141.4}{150}\right) = \theta$$

$$\theta = 19.5^\circ$$

End



$$\arcsin\left(\frac{x \sin \theta' = 10 \text{ cm}}{(150 - x) \cos \theta' \text{ cm}}\right) = \theta'$$

$$150 \sin \theta' + 10 \text{ cm} = \text{max height}$$

max height at 50cm is possible.

$$150 \sin \theta' = \text{max height}$$

At ~~82.7cm~~, the max height of 50cm is achieved at $x = 82.7 \text{ cm}$, which it can hold a max of 28.50 kN. This gets the max height of 50cm with the max load, while the max load given least height is 0cm of height but infinite load.

So, given this design, to lift a load 50cm, the pin would need to be 82.7cm from the left of the bar when it is horizontal, allowing this 28.50 kN load to be lifted all the way.

This is all given the assumption of a 10cm retracted length of the linear actuator.