ction1.2 CENTRALESUPELEC description of the approach5 2nd year of cursus centralien Department of Mechanics



Computer aided design of a water supply network

${\bf AI\ \&\ R\ Lab}$ Laboratorio del dioporco facile del Poliminchia

Relatore: Filippo Gatti

Correlatore: Andrea Barbarulo

Authors: calvet-litzell Pere Cognetti Giovanni Marzorati Edoardo Vaccarino Marcello

Academic year 2017-2018

 $In\ remembrance\ of\ Jean\text{-}Baptiste...$

Abstract

Water supply remains a major issue in several countries. When designing a water supply network optimality is a priority. The aim of this project is to find optimal network structures using automation and machine learning. The development process is divided into several stages. During the first stage, network topology has been studied. A network has been designed using our software on real-world data.

Next stages will involve adding further parameters such as water velocity or pressure to the existing model. The project has a multidisciplinary nature. Using geographical data requires a certain level of acquaintance with different formats and software such as QGis. On the other hand, mastering a programming language like Python is required to implement the different algorithms and libraries.

Acknowledgements

Ringrazio

Introduction

Water supply remains one of the major issues in developing countries. Through this project we seek to improve the design of water supply networks. Designing water supply networks is an optimization problem in which engineers have to find the best balance between cost, transport efficiency and resistance to failure.

1.1 General Context and Objectives

This project is centered on the design of water supply networks. More specifically it focuses on the design of new networks in developing countries with no existing infrastructures. The aim is to develop a software able to design a complete network from the map of a given area. In order to do so the team examined several techniques that could be suited to solve the problem. Among these were Root Architecture and Neural Networks. Eventually, clustering techniques and a Minimum Spanning Tree (MST) algorithm were chosen given their simplicity. They enabled to draw a water supply network from geographical data. This data was downloaded from Open Street Maps (OSM) and analysed with QGis. With regard to future developments, the project could be improved by focusing on water loss management, which is one of the major issues in water supply networks.

1.2 Brief description of the approach

The first step was to gather information on possible design techniques. Biologically-inspired models were examined. Prof Chloé Arson from GeorgiaTech provided very interesting information on root growth models and their applications to network design. Another path of research were Artificial Neural Networks. The idea was to explore the possibility of using this cutting-edge technology to draw a complete water supply network. However, it proved to be rather complex to master and not fully suited to the necessities. Finally, a more simple technique was retained. It uses a clustering and a Minimum Spanning Tree algorithm. The clustering algorithm allows to identify the villages on the map and the MST links them. The algorithms were implemented on Python using two libraries: "scikit-learn" and "NetworkX". The geographical data that was used as input of the algorithms was downloaded from Open Street Maps. Maps were processed using QGis, an open-source geographical information system. QGis allowed to select the most important data from the maps and save it as a

"shapefile", a format supported by the NetworkX library.

1.3 Report Structure

The report is organised as follows. 2 covers the state-of-the-art in water supply network design. It is an overview of the current techniques. It also provides information on the current issues in this domain. 3 is a detailed description of the approach. The different techniques studied throughout the project are presented and discussed. 4 explains our solution which is based on clustering and MST algorithms. 5 gives an insight into the more technical aspects of the project. Details on the software used can be found in this section. Finally, 6 presents the results obtained with the technique described in 4.

State of the art

Nella seconda sezione si riporta lo stato dell'arte del settore, un inquadramento dell'area di ricerca orientato a portare il lettore all'interno della problematica affrontata. Bisogna dimostrare di conoscere le cose fatte fino ad ora in questo campo e il perché si sia reso necessario lo svolgimento di questo lavoro. Questa sezione deve essere grondante di citazioni bibliografiche [?].

Approach

In this chapter we would like to show the approach we followed in the solution of the problem. We will give brief explanations of the techniques we investigated and justify the reasons why finally chose to use some of them an not others.

3.1 Root architecture

Biologically inspired models can provide interesting insights. Organisms that have gone through several rounds of evolutionary selection seem to be able to deliver efficient and nearly-optimal solutions. The use of such models seems to have produced satisfactory results for transport networks.

Reading Chloé Arson's presentation on bio-inspired geomechanics, we discovered the potential advantage of using root system architecture to design water lines. Prof. Arson conducted an experiment to compare the predictions of a root growth model with real water line networks. Root growth is a gene-controlled phenomenon. Therefore, different species may present different growth patterns. In addition, soil structure has also an influence on root structures. For example the presence of physical obstacles, such as boulders, alters geotropic growth. Prof. Arson also pointed out that a rocky soil would require a different model. Other characteristics like water and nutrient gradients or bacteria play a key role in root growth. Prof. Arson's experiment consisted in growing roots on a scale plastic model of the Georgia Tech campus. The results would allow to validate the accuracy of the mathematical model. Afterwards they could be compared to the existing water network and thus assess its efficiency. Prof. Arson also introduced leaf venation systems which bear certain resemblance to water line networks. Indeed, the growth of a leaf is governed by the presence of auxin (plant hormones) sources which can be seen as the nutrient sources of the root model.

We contacted Prof. Arson who gave us a very interesting bibliography on the subject of root growth models. Prof. Pierret's article stresses the complex relationship between soil structure and soil biological activity. Soil is a habitat for many organisms and is also responsible for the movement and transport of resources which are necessary for their survival. Through their roots, plants play a key role in many soil processes. Soil properties affect root growth which in turn affects resource acquisition and therefore the plant's impact on its environment (soil). Interest for root systems architecture comes from the necessity in agriculture of increasing

productivity and minimizing water and nutrient losses. A good understanding of soil processes seems necessary to achieve this end. Moreover, Pierret points out that whereas soil biological and chemical processes have been carefully studied, physical processes need more attention. The article examines main biological factors that influence soil processes. It underlines the complex interactions between physical and chemical-biological processes and the impossibility to treat them separately. According to Pierret, roots are essential to study this complexity. In the second part of the article, the huge diversity of root classes is examined. This implies the necessity of using specific models for each species. The last part of the article discusses how modelling can provide clearer insights on the interactions between roots and soil.

Lionel Dupuy's article describes the evolution of root growth models. The first models appeared in the early 1970s and focused mainly on root length. However since the 1990s new complex models have emerged thanks to the use of more powerful computers. phenomenon has been fostered by the need for predictive technologies different scales. Dupuy suggests a new theoretical framework which takes into account individual root developmental parameters. He introduces "equations in discretized domains that deform as a result of growth". Simulations conducted by Dupuy have revealed some patterns in what seemed a complex and heterogeneous problem. More precisely, it seems that roots develop following travelling wave patterns of meristems.

V. M. Dunbabin also mentions the progress accomplished in the area of root growth modelling. The early models did not take into account the root growth in response to a heterogeneous soil environment. Nowadays, models must include soil properties and accurate descriptions of plant function. The aim of these simulations is again to provide a better understanding of the efficient acquisition of water and nutrients by plants. Resource availability has a clear impact on both the roots and the stem of the plan. For example, a low nutrient concentration diminishes shoot growth and therefore leaf and stem mass fractions as well. It has been observed that roots respond locally to soil properties. This characteristic allows the plant to forage with more precision and reduce metabolic cost. Three-dimensional models are able to seize the complexity of the problem. Previous models were rather simple and relied upon one-dimensional functions of rooting depth vs. time.

One of the most interesting articles is Atsushi Tero's "Rules for Biologically Inspired Adaptive Network Design". In order to solve the problem of transport networks efficiency, Tero created a mathematical model based on organisms that build biological networks. He explains that these biological networks have been honed by many rounds of evolutionary selection and that they can provide inspiration to design new networks. He praises their good balance between cost, transport efficiency and, above all, fault tolerance. One of such organisms is physarum polycephalum, a type of slime mold. Tero let physarum grow on a map of the Tokyo area where major cities were marked by food sources. A first network was obtained. In order to improve the results, the experiment was carried out a second time. However, illumination was used to introduce the real geographical constraints such as coastlines or mountains (illumination reduces physarum's growth). The results were very satisfactory and the biological network was very similar to the existing Tokyo transport network. Tero developed a mathematical model that tried to reproduce Physarum's behavior. The principle of the model is that tube thickness depends on the internal flow of nutrients. Thus a high

rate tends thickens a tube and a low rate leads to its decay. As shown by Prof. Arsons' paper "Bio-inspired fluid extraction model for reservoir rocks", slime mold growth can also be used to study the flow in a porous medium. The use of Root Architecture Models was abandoned in order to investigate the use of artificial intelligence techniques

3.2 Artificial intelligence

The growth of network usage and their increasing complexity, in particular for communication technologies application, drives towards the improvement of routing technique. One track of this research is the development of smarttechniques for network design and management.

For our project we chose to follow this direction, combine sub-optimal AI algorithms to develop a possibly innovative solution. Lead by example, we will give an overview of the most edge braking applications in this field. This will allow us to introduce the main concepts and get down to the techniques we focused on.

AI is applied to many complex routing problems: one example is very large-scale integration (VLSI). The process of designing integrated circuits is hard due to the large number of often conflicting factors that affect the routing quality such as minimum area, wire length. Rostam Joobbani, a knowledge-based routing expert from Carnegie-Mellon University (1986), proved that an AI approach to the subject could dramatically improve performances.

A more recent example is the use of AI in Wireless Sensor Networks. WSNs are spatially distributed autonomous sensors to monitor physical or environmental conditions, such as temperature, sound, pressure, etc. and to cooperatively pass their data through the network to other locations. Management of those networks is particularly challenging because of the dynamic environmental conditions. J. Barbancho and al. (2007) wrote a review about the use of artificial intelligence techniques for WSNs for path discovery and other purposes. The study shows the potential of Artificial Neural Networks.

3.2.1 Artificial Neural Networks

ANNs learn to do tasks by considering examples, generally without task-specific programming. An ANN is based on a collection of connected units called artificial neurons. Each connection (synapse) between neurons can transmit a signal to another neuron. The receiving (postsynaptic) neuron can process the signal(s) and then signal downstream neurons connected to it.

N. Ahad, J. Quadir, N. Ahsan (2016) published a review focused on techniques and applications of artificial neural networks for wireless networks. The advantage of using ANN is that can make the network adaptive and able to predict user demand.

Concerning shortest path problems Michael Turcanik (2012) used a Hopfield neural network as a content-addressable memory for routing table look-up. A routing table is a database that keeps track of paths in a network. Whenever a node needs to send data to another node on a network, it must first know where to send it. If the node cannot directly connect to the destination node, it has to send it via other nodes along a proper route to the destination

node. Most nodes do not try to figure out which route(s) might work; instead, a node will send the message to a gateway in the local area network, which then decides how to route the package data to the correct destination. Each gateway will need to keep track of which way to deliver various packages of data, and for this it uses a Routing Table. Turcanik replaced the table with an ANN. His study shows the performance of routing table look-up in terms of speed and adaptability.

This excursus gives an idea of the incredibly various applications of ANN in routing problems. We would like now to focus on the use of Hopfield Neural Network, which is the most classical solution for routing problems with ANN's. To finish we will explain the conclusions we came to regarding neural networks.

Hopfield (1984) proposed the use of his algorithm to give heuristic solutions to the travel salesman problem. TSP is a well known NP-hard minimization problem. As defined by Karl Menger the TSP is "the task to find, for finitely many points whose pairwise distances are known, the shortest route connecting the points". So having n cities, our travel salesman has to associate to each city X a position k in the tour so that:

$$\sum_{X} \sum_{Y \neq X} \sum_{j} d_{XY} y_{Xj} (y_{Y,j+1} + y_{Y,j-1})$$

is minimal, where dXY is the distance between city X and Y.

E. Wacholder and al. (1989) developed a more efficient implementation of the Hopfield NN for the travel sales-man problem. The algorithm was successfully tested on many problems with up to 30 cities and five salesmen. For comparison a non-optimized brute-force approach would take billions of billions of years to return but optimal algorithms with record breaking performance can solve problems with more than 3000 cities.

Mustafa K. Mehmet Ali and Faouzi Kamoun (1993) considered modelling shortest path problem with Hopfield Neural Network for the first time. The researchers asserted that HNN can find shortest path effectively and sometimes it would be better to use such a network instead of classic algorithms such as Dijkstra. Please find in section ?? a theorical explanation on how the Hopfield Neural Networks works, with particular attention to the TSP application

After a wide research in the field of Artificial Neural Networks and besides all the encouraging proofs we collected we concluded that are not the best suited tool to solve routing problems. ANN alone are less efficient in solving routing problems than optimal approaches. In addition, it is not possible to know whether the ANN will deliver a solution that will converge and whether this solution is optimal. Thus ANNs as a poorly efficient way to solve the problem. Nonetheless, machine learning can still be useful. Indeed, the interpretation of geographical information files can be done through clustering algorithms.

3.2.2 Clustering

Progetto logico della soluzione del problema

4.1 Problem staterment and modelisation

The overall idea of our software solution is to connect water sources and consumers to a network of pipes in the most efficient way possible. Indeed the definition of the best net is a key problem. Factors that makes an aqueduct the optimal one are not easily modeled. We can suppose that variables such length, height, water speed and pressure, viscosity ecc should be taken into account.

For our first approach, we decided to consider only the pipeline length so that we simplify acqueduct design to a classical routing problem. On this base, we will then be able to add complexity. We can now more formally define our poblem. Being a topography a graph representing the meshed surface of a region, the problem of designing an acqueduct as the one of finding the recovering-graph on the topograpy graph connecting water consumers and sources. We will use the euclidian metric on a space with tree dimensions.

Graph initialistaion

Topograpy graph

Aqueduc

Routing

Clustering

Water network

4.2 Data reading

In ?? is shown to procedure followed by our software. The input is composed of three geographical files: mesh represent the topology of the studied region, source-sinks contains the locations for each water source and consumer (called sink from now on). The last file describes the roads network in the area as the pipes should preferably run along roads for is cheaper to place them. For more information about the geographical data format, please refer to 5.1 Reading those input two graphs can be initialised: the topography and the aqueduct describing graphs. The first is a graph where nodes represent positions and edges the possible transitions between them. Transitions on roads will be preferable. The aqueduct graph is initialised with source and sinks as nodes and no edges. An insight of the data structure we used to represent graph is given in section 5.2

4.3 Clustering

Running classical algorithms such a brute-force TSP or a minimum spanning tree to link the nodes in the sink-source graph would not be feasible for computational reasons. Thanks to the particular nature of our problem a simplification is possible: we divide the aqueduct system in two layers: adduction and distribution nets. The adduction layer brings water from the source to the inhabited areas whereas the distribution segment is in charge of the "last kilometre" distribution. This two layer solution is commonly used in aqueduct design and network design in general: internet is an example. To achieve this need to recognise group of buildings such as villages or neighbourhoods. Those sets are called sink clusters. This approach caries multiple advantages. From the computational point of view reduce the dimension of the sets on which we run the routing algorithms. On the other side, once the two layers are identified we can use different strategies to connect the nodes, as we will se in the next paragraph. Efficient implementations of clusterings algorithms are provided in scikit-learn. Scikit-learn is a well-known machine learning library for Python and it features various classification, regression and clustering algorithms. After this operation sinks are labeled as part of they respective cluster. A more detailed explanation can be found at 5.3.

4.4 Routing

We now can design the water systems connecting the sinks. Let's first consider the distribution layer, which is to say the problem of connecting the sinks of a cluster. This operation is broken down in two tasks. First, find all the paths connecting sinks, than chose the smallest recovering graph, i.e. the smallest aqueduct satisfying the specifics.

To find the path connecting the sinks an optimal approach is used on the topography graph, in our case the Dijstrak algorithm. The length of those path and the traversed nodes are saved as attributes of edges of the aqueduct graph. Please pay attention to the fact that edges on the aqueduct graph are paths on the topography graph. This operation creates a complete graph for each cluster. Note that the set of those graph is a partition of the aqueduct graph.

The second stage consists in eliminating the redundant edges: to do this we run the Kruskal algorithm and calculate the minimum spanning tree. For more information read section 5.3. An other approach, favoured in classical aqueducts

design would be to calculate a partially connected graph where certain nodes are connected to exactly one other node whereas others are connected to two or more other nodes. This makes possible to have some redundancy without the expense and complexity required for a connection between every node in the network. At this first stage of the project this part is left for further investigation. Considering now the adduction system a very similar approach can be used: the clusters should be interlinked and connected to a source. Each distribution network, as is a tree, has a root node. We can initialise the adduction graph with all the cluster's roots nodes and the water sources. Finally this graph is connected with the technique previously used.

Technical aspects

5.1 Geographical Data

The overall idea is to take maps and automatically trace an aqueduct on it, in order to do that, we start from the map's shapefile. Shapefile is a popular geospatial vector data format for geographic information systems software. It spatially describes geometries: points, polylines and polygons. These, for example, could represent water wells, roads or buildings. As those primitive geometrical data types come without any attributes to specify what they represent, a table of records to store attributes is provided. Websites like osm2shp or Geofabrik provide an immense database of shapefiles available for download. Moreover desktop software like Qgis provides shapefile editing tools. This way we can both download real-world maps and create our own. Then through Qgis' meshing plug-in Gmsh we can mesh the surfaces of the map and export the result in vtk format as seen in Fig. 3.1 However, shapefiles seldom have information on the elevation (that is the Z coordinate) of the objects they represent. It is therefore necessary to use another format: the Digital Elevation Model (DEM). Digital Elevation Models provide this missing piece of information that can subsequently be added to the shapefile's attribute table. DEMs can be converted into meshes thanks to software such as SAGA. Meshes saved as vtk files can easily be used in Python. Vtk files are a simple and efficient way to describe mesh-like data structures. The vtk file boils down to those two elements: points and cells. Points have 3D coordinates while cells are surfaces, expressed by the points delimiting them. Point and cell data (scalar or vector) can also be assigned. We have therefore a file representing a graph, a classical mathematical model on which many operations can be performed: routing and clustering among others. We now come to our software. Python has been chosen as easy to use, widespread programming language, good for rapid prototyping and rich in package and libraries. The problem is divided in two main tasks: modelling the data structure that represents the graph and the algorithmic part, the aqueduct design.

5.2 Data Structure

To implement the data-structure we chose to use NetworkX. NetworkX is a Python package for the creation, manipulation, and study of complex networks. The package provides classes for graph objects, generators to create standard graphs, IO routines for reading in existing

datasets, algorithms to analyze the resulting networks and some drawing tools. The software takes as input two shape files: the first describes the topology, the second the source and sinks. The topology is either a mesh, representing the geography of the region or a polyline with just the road network of the region. The roads are particularly important because aqueducts are built along roads for logistical reasons. The second file is a polygon file containing the buildings that should be served by the aqueduct and the water sources. From these data, a first graph is obtained. The graph has as nodes the points described in topology file plus the buildings. The coordinates of binding-representing nodes are the average of the coordinates that also have the metadata associated. The edges are the edges described in the topology file plus the edges connecting the building to the nearest node of the network in order to obtain a connected graph.

5.3 Hopfield neural network

We will now explain what Hopfield Neural Networks are, with particular attention to the TSP application, although the definition we will give is general. It is a recurrent ANN, as opposed to feed forward NN, which means neurons interconnections forms a directed cycle, so neurons are both input and output. Hopfield nets are sets n2 nodes where X [1, n] and k [1, n] and the state is characterized by the binary activation values y = (yXj) of the nodes. A TSP problem with n cities can be modeled as an Hopfield net of dimension n2, where yXj is 1 if the city X is in the k-position of the tour.

The input sk(t+1) of the neuron k is:

$$s_k(t+1) = \sum_{i \neq k} y_i(t) w_{jk} + \theta_k$$

where wjk is the weight of the connection between j and k and is the bias The forward function is applied to the node input to obtain the new activation value at time t+1:

$$y_k(t) = sqn(s_k(t-1))$$

The energy function is as follow so that the optimal solution will minimize it:

$$E = \frac{A}{2} \sum_{X} \sum_{j} \sum_{k \neq j} y_{Xj} y_{Xk} + \frac{B}{2} \sum_{j} \sum_{X} \sum_{X \neq Y} y_{Xj} y_{Yj} + \frac{C}{2} \left(\sum_{X} \sum_{j} y_{Xj} - n \right)^{2} + \frac{D}{2} \sum_{X} \sum_{Y} \sum_{j} d_{XY} y_{Xj} (y_{Y,j+1} + y_{Y,j-1})$$

The first two terms are null if and only if the there is a maximum of one active neuron for each row and column respectively. The third term is null if and only if there are n active neurons. The last term takes in account the distance of the path, that should be minimized as well.

The Hebbian rule to update the weights is deduced from the energy function:

$$w_{X_{i}Y_{k}} = -A\delta_{XY}(1-\delta_{iK}) - B\delta_{ik}(1-\delta_{XY}) - C - Dd_{XY}(\delta_{k,i+1} + \delta_{k,i-1})$$

where kj = 1 if j = k and zero otherwise. As in the energy function the first term inhibits connection within each row, the second within columns, the third is the global inhibition and the last term takes into account the distance between the cities.

Under the hypothesis $w_{Xj,Yk} = w_{Yk,Xj}$ the method can be proved to have stable points. At each iteration the net updates his parameters according to the Hebbian rule and the evolution of the state can be proved to be monotonically nonincreasing with respect of the energy function. Performing then a gradient descent, after a certain number of repetition the state converge to a stable point that is a minima of the energy function.

5.4 Clustering

In this section we will explain the different routing techniques used. Dijstrak

Dijkstra's algorithm is an algorithm for finding the shortest paths between two nodes in the graph. Here is the pseudo-code

function Dijkstra(Graph, source): 2 3 create vertex set Q 4 5 for each vertex v in Graph: // Initialization 6 dist[v] INFINITY // Unknown distance from source to v 7 prev[v] UNDE-FINED // Previous node in optimal path from source 8 add v to Q // All nodes initially in Q (unvisited nodes) 9 10 dist[source] 0 // Distance from source to source 11 12 while Q is not empty: 13 u vertex in Q with min dist[u] // Node with the least distance 14 // will be selected first 15 remove u from Q 16 17 for each neighbor v of u: // where v is still in Q. 18 alt dist[u] + length(u, v) 19 if alt | dist[v]: // A shorter path to v has been found 20 dist[v] alt 21 prev[v] u 22 23 return dist[], prev[]

5.5 Travelling salesman problem

Presentation and validation of experimental results

The clustering algorithm and the MST were executed on a shapefile obtained from a map of Limitone, near Potenza in southern Italy. The network obtained is shown in Fig??. Several sub-networks can be distinguished. The main one is the adduction network which carries the water to every village. The other ones are distribution networks which distribute water within every village. This test showed that the clustering algorithm was able to identify villages from a shapefile that only displayed the buildings of the area. In addition, it also showed that it was possible to build a MST linking linking all the villages and buildings. [ADD PHOTO]

Conclusions

7.1 Summary of Thesis Achievements

Si mostrano le prospettive future di ricerca nell'area dove si è svolto il lavoro. Talvolta questa sezione può essere l'ultima sottosezione della precedente. Nelle conclusioni si deve richiamare l'area, lo scopo della tesi, cosa è stato fatto, come si valuta quello che si è fatto e si enfatizzano le prospettive future per mostrare come andare avanti nell'area di studio.

7.2 Applications

7.3 Future wok

Appendix A

Documentazione del progetto logico

Documentazione del progetto logico dove si documenta il progetto logico del sistema e se è il caso si mostra la progettazione in grande del SW e dell'HW. Quest'appendice mostra l'architettura logica implementativa (nella Sezione 4 c'era la descrizione, qui ci vanno gli schemi a blocchi e i diagrammi).

Appendix B

Documentazione della programmazione

Documentazione della programmazione in piccolo dove si mostra la struttura ed eventualmente l'albero di Jackson.

Appendix C

Listato

Il listato (o solo parti rilevanti di questo, se risulta particolarmente esteso) con l'autodocumentazione relativa.

```
\# -*- coding: utf-8 -*-
3 import networks as nx
  import math
5 import sys
7 # sys.setdefaultencoding('utf8')
  Created on Mon Dec 4 22:57:30 2017
  @author: Conrad
13
  class Router(object):
17
      \# — CLASS ATTRIBUTES
19
      # Class description
21
      CLASS_NAME = "Router"
      CLASS_AUTHOR = "Marcello Vaccarino"
23
      # Attributes
25
      graph = nx.Graph()
      sinksource_graph = nx.Graph()
      acqueduct = nx.Graph()
29
      # -- INITIALIZATION
```

```
def __init__(self , topo_file=None, building_file=None):
           if topo_file != None and building_file != None:
35
               try:
37
                   # [TODO] this function does not read building but single points
                    self.read_shp(topo_file, building_file)
               except Exception as e:
39
                   raise e
           elif building_file != None:
41
               try:
                    self.read_shp_bilding(building_file)
43
               except Exception as e:
                    raise e
4.5
           elif topo_file != None:
               try:
47
                    self.read_vtk(topo_file)
               except Exception as e:
49
                   raise e
51
      #
      # --- CLASS ATTRIBUTES
53
      #
      def avg(self, node_list):
           x = 0
           y = 0
57
           for node in node_list:
               x += node[0]
59
               y += node[1]
           x /= len(node_list)
61
           y /= len(node_list)
           return (x, y)
63
      def read_shp_bilding(self, file_name):
65
67
           try:
               import shapefile
           except ImportError:
69
               raise ImportError("read_shp requires pyshp")
71
           sf = shapefile.Reader(file_name)
           fields = [x[0] \text{ for } x \text{ in } sf.fields]
           for shapeRecs in sf.iterShapeRecords():
75
               shape = shapeRecs.shape
               for cell in self.row_chuncker(shape.points, shape.parts):
77
                    center_coord = self.avg(cell)
                    attributes = dict(zip(fields, shapeRecs.record))
                    attributes ['pos'] = center_coord
```

```
self.graph.add_node(center_coord)
81
       # chuncker: see commpresed row storage
83
       def row_chuncker(self, array, p_array):
           p_array.append(len(array))
85
           return [array[p_array[i]:p_array[i+1]]
                   for i in range (len(p_array)-1)
       def read_shp(self, file_name, point_file=None):
89
           """Generates a networkx.DiGraph from shapefiles. Point geometries are
           translated into nodes, lines into edges. Coordinate tuples are used as
           keys. Attributes are preserved, line geometries are simplified into
           start and end coordinates. Accepts a single shapefile or directory of
9.9
           many shapefiles.
95
           "The Esri Shapefile or simply a shapefile is a popular geospatial
           vector data format for geographic information systems software."
97
           Parameters
99
           path: file or string
              File, directory, or filename to read.
           simplify: bool
               If "True", simplify line geometries to start and end coordinates.
105
               If "False", and line feature geometry has multiple segments, the
               non-geometric attributes for that feature will be repeated for each
               edge comprising that feature.
           Returns
           G: NetworkX graph
113
           Examples
115
           >>> G=nx.read_shp('test.shp') # doctest: +SKIP
117
           References
119
              [1] http://en.wikipedia.org/wiki/Shapefile
           try:
               import shapefile
           except ImportError:
               raise ImportError("read_shp requires pyshp")
           sf = shapefile.Reader(file_name)
127
           fields = [x[0] \text{ for } x \text{ in } sf. fields]
129
           for shapeRecs in sf.iterShapeRecords():
131
               shape = shapeRecs.shape
                                            # point
               if shape.shapeType == 1:
                    attributes = dict(zip(fields, shapeRecs.record))
                    attributes ["pos"] = shape.points[0]
135
```

```
self.graph.add_node(shape.points[0], attributes)
137
                if shape.shapeType == 3:
                                              # polylines
                    attributes1 = dict(zip(fields, shapeRecs.record))
                    attributes2 = dict(zip(fields, shapeRecs.record))
                    for i in range (len (shape.points) - 1):
141
143
                        attributes1 ["pos"] = shape.points[i]
                        n1 = self.add_node_unique(shape.points[i], attributes1)
                        attributes2 ["pos"] = shape.points[i + 1]
145
                        n2 = self.add\_node\_unique(shape.points[i + 1], attributes2)
                        attribute = {'dist': self.distance(n1, n2)}
147
                        print '{0}: {1}, {2}'.format(i, n1, n2)
                        self.graph.add\_edge(n1,\ n2,\ attribute) \ \ ,,,
149
                        attributes1 ["pos"] = shape.points[i]
                        n1 = shape.points[i]
                        self.graph.add_node(n1, attributes1)
                        attributes2 ["pos"] = shape.points[i + 1]
                        n2 = shape.points[i + 1]
                        self.graph.add_node(n2, attributes2)
                        attribute = { 'dist': self.distance(n1, n2)}
                        self.graph.add_edge(n1, n2, attribute)
157
                if shape.shapeType == 5:
                                             # polygraph
                    # chuncker: see commpresed row storage
                    def chuncker(array, p_array):
161
                        p_array.append(len(array))
                        return [array [p_array [i]: p_array [i+1]]
163
                                 for i in range (len(p_array)-1)
165
                    # given a cell returns the edges (node touple) implicitely
       defined in it
                    def pairwise(seq):
167
                        return [seq[i:i+2] \text{ for } i \text{ in } range(len(seq)-1)]
                    for cell in chuncker(shape.points, shape.parts):
                        for n1, n2 in pairwise (cell):
171
                             attributes1 = dict(zip(fields, shapeRecs.record))
                             attributes1 ["pos"] = n1
173
                             attributes2 = dict(zip(fields, shapeRecs.record))
                             attributes 2 ["pos"] = n2
                            # add nodes of the shape to the graph
                            n1 = self.add\_node\_unique(n1, attributes1)
                            n2 = self.add_node_unique(n2, attributes2)
                             attribute = { 'dist' : self.distance(n1, n2) }
                            # add edge
                             self.graph.add_edge(n1, n2, attribute)
181
            if point_file != None:
183
                sf = shapefile.Reader(point_file)
                new\_fields = [x[0] \text{ for } x \text{ in } sf.fields]
185
                nodes2attributes = {node: data \
                                     for node, data in self.graph.nodes(data=1)}
187
                for shapeRecs in sf.iterShapeRecords():
                    shape = shapeRecs.shape
189
```

```
if shape.shapeType != 1:
                                                  # point
                         raise ValueError("point_file must be of type 1: points")
191
                    new_attributes = dict(zip(new_fields, shapeRecs.record))
                    nodes = [tuple(point) for point in shape.points]
                    for node in nodes:
                        # print node in nodes2attributes, new_attributes
195
                        nodes2attributes [node].update(new_attributes)
197
                for node, data in self.graph.nodes(data=1):
                    data.update(nodes2attributes[node])
               # nx.set_node_attributes(self.graph, nodes2attributes)
199
       def write2shp(self, G, filename):
201
           trv:
                import shapefile
           except ImportError:
                raise ImportError("read_shp requires pyshp")
205
           w = shapefile.Writer(shapeType=3)
207
           #w.field("DC_ID", "LENGHT", "NODE1", "NODE2", "DIAMETRE", "ROUGHNESS",
       "MINORLOSS", "STATUS", "C")
            w. \ fields \ = \ [ \ ("\ Deletion Flag", "C", 1, 0) \ , \ ["\ DC LD", "N", 9, 0] \ , 
                ["LENGHT", "N", 18, 5], ["NODE1", "N", 9, 1], ["NODE2", "N", 9, 0],
211
                ["DIAMETRE", "N", 18, 5], ["ROUGHNESS", "N", 18, 5], ["MINORLOSS",
      "N", 18, 5],
                ["STATUS", "C", 1, 0]]
213
215
           lenghts = nx.get_edge_attributes(G, 'dist')
           print(lenghts)
217
           for edge in lenghts:
                line = [edge[0], edge[1]]
219
               w. line (parts=[line])
               w.record(i, lenghts[(edge[0], edge[1])],
                          1, 2, 100, 0.1, 0, "1"
                i+=1
223
           w.save(filename)
       def write2vtk(self, G):
227
           # import sys
           \# \text{ sys.path} = ['...'] + \text{ sys.path}
           import pyvtk
231
           points = [list (node) for node, data in G. nodes (data=True)]
           line = []
233
           for edge in G. edges():
                for i, node in enumerate(G.nodes()):
                    if node == edge[0]:
                        n1 = i
237
                for i, node in enumerate(G.nodes()):
                    if node == edge [1]:
239
                        n2 = i
                line.append([n1, n2])
241
```

```
vtk = pyvtk.VtkData(pyvtk.UnstructuredGrid(points, line=line))
243
           vtk.tofile('example1', 'ascii')
245
       def add_node_unique(self, new_node, new_attributes):
247
           grants that the node added is unique with respect to the pos
249
           attribute equality relationship
           for node in self.graph.nodes(True):
251
               if node[1]["pos"] = new_attributes["pos"]:
                   return node [0]
           self.graph.add_node(new_node, new_attributes)
           return new_node
       def read_vtk(self, file_name):
257
           import numpy as np
           try:
259
               from mesh import Mesh
           except ImportError:
261
               raise ImportError("read_vtk requires pymesh")
           # initialize the vtk reader
           reader = Mesh()
265
           # read the vtk
267
           reader.ReadFromFileVtk(file_name)
269
           # add nodes to the graph
           for index , node in enumerate(reader.node_coord):
271
               self.graph.add_node(index, pos=reader.node_coord[index])
           chuncker
           Principe bas sur le stockage CSR ou CRS (Compressed Row Storage)
           dont voici une illustration :
277
           Soient six n uds num rotes de 0
                                                 5 et quatre
                                                                el
                                                                      ements
                                                                              form
           par
           les n uds (0, 2, 3) pour l'element 0, (1, 2, 4) pour l'element,
           (0, 1, 3, 4) pour 1
                                  el e - ment 2 et (1, 5) pour 1
        ement 3.
           Deux tableaux sont utilis es , l un pour stocker de fa con
                                                                            contigu
           les listes de n uds qui composent les
                                                                   (table 1),
                                                      el
                                                           ements
        l autre
           pour indiquer la position, dans ce tableau, ou' commence chacune de
           ces listes (table 2).
           Ainsi, le chiffre 6 en position 2 dans le tableau p elem2node indique
285
           que le premier n ud de l el ement 2 se trouve en position 6 du
           tableau elem2node. La derni 'ere valeur dans p elem2node correspond au
287
           nombre de cellules (la taille) du tableau elem2node.
289
           elem2node
           0 \mid 2 \mid 3 \mid 1 \mid 2 \mid 4 \mid 0 \mid 1 \mid 3 \mid 4 \mid 1 \mid 5
                                    7 8 9 10 11 12
                       4
                                6
                           5
```

```
p_elem2node
295
             0 | 3 | 6 | 10 | 12
                  2
                       3
                              4
299
             def chuncker(array, p_array):
301
                   return [array[p_array[i]:p_array[i+1]]
                             for i in range (len(p_array)-1)]
303
             # given a cell returns the edges implicitely defined in it
             def pairwise (seq):
305
                   return [seq[i:i+2] for i in range(len(seq)-2)] + 
                        [[\operatorname{seq}[0], \operatorname{seq}[\operatorname{len}(\operatorname{seq})-1]]]
             datas = np.asarray([data['pos']
309
                                       for _, data in self.graph.nodes(data=True)])
311
             def distance3D(u, v, datas):
                   xi = datas[u][0]
313
                   yi = datas[u][1]
                   zi = datas[u][2]
                   xj = datas[v][0]
                   yj = datas[v][1]
                   zj = datas[v][2]
                   {\color{return} \textbf{return}} \hspace{0.2cm} \textbf{math.sqrt} \hspace{0.1cm} (\hspace{0.1cm} (\hspace{0.1cm} \textbf{xi} \hspace{-0.1cm} - \hspace{-0.1cm} \textbf{xj} \hspace{0.1cm}) \hspace{0.1cm} * \hspace{0.1cm} (\hspace{0.1cm} \textbf{xi} \hspace{-0.1cm} - \hspace{-0.1cm} \textbf{xj} \hspace{0.1cm}) \hspace{0.1cm} + \hspace{0.1cm} 
319
                                         (yi-yj)*(yi-yj) + (zi-zj)*(zi-zj))
321
             # add edges to the graph
             for cell in chuncker (reader.elem2node, reader.p_elem2node):
323
                   for u, v in pairwise (cell):
                        if u not in self.graph[v]:
325
                             self.graph.add_edge(u, v, weight=distance3D(u, v, datas))
        def distance (self, nodei, nodej):
              xi = nodei[0]
329
             yi = nodei[1]
             xj = nodej[0]
             yj = nodej[1]
              if len(nodei) = 3 and len(nodej) = 3:
333
                   zi = nodei[2]
                   zj = nodej[2]
                   337
                                         (zi-zj)*(zi-zj)
             return math.sqrt ((xi-xj)*(xi-xj)+(yi-yj)*(yi-yj))
339
        # cartesian norme in 2D
        def distance2D(self, nodei, nodej):
              xi = self.graph.nodes(data=True)[nodei][1]['pos'][0]
             yi = self.graph.nodes(data=True)[nodei][1]['pos'][1]
343
             xj = self.graph.nodes(data=True)[nodej][1]['pos'][0]
             yj = self.graph.nodes(data=True)[nodej][1]['pos'][1]
345
             return math.sqrt ((xi-xj)*(xi-xj)+(yi-yj)*(yi-yj))
347
        # cartesian norme in 3D
```

```
def distance3D(self, nodei, nodej):
349
           xi = self.graph.nodes(data=True)[nodei][1]['pos'][0]
           yi = self.graph.nodes(data=True)[nodei][1]['pos'][1]
35
           zi = self.graph.nodes(data=True)[nodei][1]['pos'][2]
           xj = self.graph.nodes(data=True)[nodej][1]['pos'][0]
           yj = self.graph.nodes(data=True)[nodej][1]['pos'][1]
           zj \ = \ self.graph.nodes(data=True)[nodej][1]['pos'][2]
355
           return math.sqrt((xi-xj)*(xi-xj) + (yi-yj)*(yi-yj) + (zi-zj)*(zi-zj))
357
       # returns 2D coordinates of the nodes of self.graph
       def coord2D (self, G):
           coord2D = \{\}
           for key, value in nx.get_node_attributes(G,
361
                                                       'pos').iteritems():
               coord2D[key] = [value[0], value[1]]
363
           return coord2D
365
       # display the mesh using networkx function
       def display_mesh(self):
367
           nodelist = []
           node\_color = []
           for node in self.graph.nodes(data=1):
               node_type = node[1]['FID']
371
               if not node_type == '':
                    nodelist.append(node[0])
373
                    node_color.append('r' if node_type = 'sink' else 'b')
           try:
               nx.draw_networkx(self.graph, pos=self.coord2D(), nodelist=nodelist,
                                 with_labels=0, node_color=node_color)
37
           except:
               pass
       # display the mesh with a path marked on it
381
       def display_path(self, path):
           nodelist = []
383
           node\_color = []
           for node in self.graph.nodes(data=1):
385
               node_type = node[1]['FID']
               if not node_type == '':
387
                    nodelist.append(node[0])
                    node_color.append('r' if node_type == 'sink' else 'b')
           color = {edge: 'b' for edge in self.graph.edges()}
391
           # returns an array of pairs, the elements of seq two by two
           def pairwise (seq):
               return [seq[i:i+2] for i in range(len(seq)-2)]
           # colors the edges
395
           for u, v in pairwise (path):
               if (u, v) in color:
397
                    color[(u, v)] =
399
               if (v, u) in color:
                    color[(v, u)] = r'
401
           # makes an array of the dictionary, the order is importatant!
           array = []
403
```

```
for edge in self.graph.edges():
                array += color [edge]
405
           nx.draw_networkx(self.graph, pos=self.coord2D(),
                                    nodelist=nodelist, with_labels=0,
                                    node_color=node_color, edge_color=array)
409
       def shortest_path(self, node1, node2):
411
           Calculates the shortest path on self.graph.
           Path is a sequence of traversed nodes
413
           try:
415
                path = nx.shortest_path(self.graph, source=node1, target=node2,
                                         weight="weight")
           except:
419
               pass
           return path
421
       def path_lenght(self, path):
423
           given a path on the graph returns the lenght of the path in the
           unit the coordinats are expressed
425
           if path is None:
427
                return float ("inf")
           lenght = 0.0
429
           # given the path (list of node) returns the edges contained
           path\_edges = [path[i:i+2] for i in range(len(path)-2)]
431
           # itereate to edges and calculate the weight
           for u, v in path_edges:
433
                lenght += self.distance(u, v)
           return lenght
435
       def TSP(self, cities):
437
           declaring the adjacency matrix
439
           T = numpy.empty(shape=(len(cities),len(cities)))
           for u, i in cities:
                for v, j in itertools (cities):
                    uv_path = shortest_path(u, v)
443
                    T[i][j] = path_lenght(shortest_path)
445
                start = timeit.default_timer() #start timer
                paths = []
447
                for combo in itertools.permutations(range(1,len(T[0])):
                    lenght = 0
449
                    prev = 0
                    path = []
                    path += [0]
                    for elem in combo:
453
                        lenght += T[prev][elem]
                        prev = elem
455
                        path += [elem]
                    lenght += T[combo[len(combo) - 1]][0]
457
                    path += [0]
```

```
paths.append((path, lenght))
               stop = timeit.default_timer() # stop timer
                time = stop - start
461
                return paths, time
463
465
       def is_sourcesink(self, node):
            ''', given a node as in the networkx.Graph.nodes(data=1)
           returns 1 if the node is a sink or a source, 0 elsewhere'',
467
           if not node [1]['FID'] = '':
                return 1
           return 0
471
       def compute_source_matrix(self):
           for node in self.graph.nodes(data=1):
473
                if self.is_sourcesink(node):
                    self.sinksource\_graph.add\_node(node[0], node[1])
475
           for n1 in self.sinksource_graph.nodes():
477
                for n2 in self.sinksource_graph.nodes():
                    if n1 is not n2:
                        path = self.shortest_path(n1, n2)
                        if path is not None:
481
                             self.sinksource_graph.add_edge(n1, n2,
                                                  { 'dist ': self.path_lenght(path),
483
                                                   'path': path})
485
       def design_minimal_aqueduct(self, G):
           minimal = nx.minimum_spanning_tree(G, weight='dist')
487
           return minimal
489
       def display_recouvring_graph(self, G):
           path = []
491
           for edge in G. edges (data=True):
                path += edge [2] ['path']
493
           self.display_path(path)
495
       def complete_graph(self, G):
           for n1 in G.nodes():
497
                for n2 in G.nodes():
                    if n1 != n2:
499
                        # attributes = {'path': [n1, n2], 'dist': self.distance(n1,
       n2)}
                        G.add_edge(n1, n2)
501
                        G. edges[n1, n2]['dist'] = self. distance(n1, n2)
                        G. edges[n1, n2]['path'] = [n1, n2]
503
       def mesh_graph(self, G, weight):
           """ complexity (len(G.nodes))^3"""
           distances = nx.get_edge_attributes(G, weight)
507
           # condition to create the gabriel relative neighbour graph
           def neighbors(p, q):
                for r in G. nodes:
                    if r != q and r != p:
511
                        def dist(n1, n2):
```

```
if (n1, n2) in distances:
                                  return distances [(n1,n2)]
                              else:
515
                                  return distances [(n2,n1)]
                         if \max(\operatorname{dist}(p,r), \operatorname{dist}(q,r)) < \operatorname{dist}(p,q):
                              return False
                return True
           # connect graph
            gabriel_graph = nx.Graph()
            for n1 in G.nodes():
                for n2 in G. nodes():
                     if n1 != n2:
                         if neighbors (n1, n2):
                              gabriel_graph.add_edge(n1, n2)
            return gabriel_graph
       def graphToEdgeMatrix(self, G):
            node_dict = {node: index for index, node in enumerate(G)}
           # Initialize Edge Matrix
            edgeMat = [[0 \text{ for } x \text{ in } range(len(G))] \text{ for } y \text{ in } range(len(G))]
           # For loop to set 0 or 1 ( diagonal elements are set to 1)
            for i, node in enumerate(G):
                tempNeighList = G. neighbors (node)
                for neighbor in tempNeighList:
539
                    edgeMat[i][node_dict[neighbor]] = 1
                edgeMat[i][i] = 1
            return edgeMat
       def clusters (self, G):
545
            Finds the clusters
           # imports from a machine learning package skit-learn
540
            from sklearn.cluster import MeanShift, estimate_bandwidth
551
           # creates a array with the 2D coordinats for each node
           X = [[node[0], node[1]]  for node in G.nodes()]
           # extimates the dimensions of single clusters
            bandwidth = estimate_bandwidth(X, quantile=0.1,
                                              random_state=0, n_jobs=1)
           # find clustes
           ms = MeanShift (bandwidth=bandwidth)
           ms. fit (X)
           # labels is an array indicating, for each node, the cluster number
561
            labels = {node: ms.labels_[i] for i, node in enumerate(G.nodes())}

    ADDUCTION –

            , , ,
565
           # add cluster centers to the graph
            for node in cluster_centers:
```

```
attribute = { 'label ': 'water tower', 'pos': node}
                G. add_node (node, attribute)
569
                attribute = {'type' : 'sink'}
                self.sinksource_graph.add_node(node, attribute)
            adduction = nx.Graph()
            cluster\_centers = [(node[0], node[1]) \ for node \ in \ ms.cluster\_centers\_]
            for node in cluster_centers:
                adduction.add_node(node)
            self.complete_graph(adduction)
577
            adduction = self.mesh_graph(adduction, weight='dist')
            print(len(adduction.edges()))
            nx.draw_networkx(adduction)
            \# coord = {elem [0]: [elem [0][0], elem [0][1]] for elem in adduction.
583
       nodes (data=True)}
           # nx.draw_networkx(adduction, pos=coord, label=False)
            self.write2shp(adduction, "adduction_network")
585
            self.acqueduct.add_edges_from(adduction.edges())
            # --- DISTRIBUTION
            # add label info to the graph
580
            nx.set_node_attributes(G, labels, 'label')
            # initialize distribution graphs
591
            distribution = [nx.Graph() for cluster in cluster_centers]
            for node in labels:
593
                cluster = labels [node]
                distribution [cluster].add_node(node)
            # connect each node with his the cluster center
597
            node_list = []
            for index, node in enumerate(G):
                node_list.append(node)
                labels = nx.get_node_attributes(G, 'label')
60
                label = labels [node]
                if label is not 'water tower':
                    G.add_edge(node, cluster_centers[label])
605
            for dist_graph in distribution:
                self.complete_graph(dist_graph)
                dist_graph = nx.minimum_spanning_tree(dist_graph, weight='dist')
                self.acqueduct.add_edges_from(dist_graph.edges())
609
       def route_vesuvio(self, n1, n2):
611
            try:
                import shapefile
613
            except ImportError:
                raise ImportError("read_shp requires pyshp")
615
            # route
            path = self.shortest_path(n1, n2)
617
            # turn path into acqueduct graph
619
            datas = [\,data\,[\,\,{}^{\backprime}pos\,\,{}^{\backprime}\,] \quad for \quad {}_{-}, \quad data \quad in \quad self\,.\,graph\,.\,nodes\,(\,data = True\,)\,]
            path_coord = [tuple(datas[node]) for node in path]
621
```

```
path\_edges = [path\_coord[i:i+2] \text{ for i in } range(len(path\_coord) - 2)]
           self.acqueduct.add_edges_from(path_edges)
623
           # write shp
           def write2shape():
               w = shapefile.Writer(shapeType=3)
               w. field ("name", "C")
               line = path_edges
               w.line(parts=line)
               w.record('path')
631
               w.save('path')
633
   def render_vtk(file_name):
       import vtk
637
       # Read the source file.
       reader = vtk.vtkUnstructuredGridReader()
       reader.SetFileName(file_name)
       reader.Update() # Needed because of GetScalarRange
       output = reader.GetOutput()
       scalar_range = output.GetScalarRange()
643
       # Create the mapper that corresponds the objects of the vtk.vtk file
645
       # into graphics elements
       mapper = vtk.vtkDataSetMapper()
647
       mapper.SetInputData(output)
       mapper. SetScalarRange (scalar_range)
649
       # Create the Actor
651
       actor = vtk.vtkActor()
       actor.SetMapper(mapper)
653
       # Create the Renderer
       renderer = vtk.vtkRenderer()
       renderer. AddActor(actor)
       renderer. SetBackground (1, 1, 1) # Set background to white
       # Create the RendererWindow
       renderer_window = vtk.vtkRenderWindow()
661
       renderer_window.AddRenderer(renderer)
663
       # Create the RendererWindowInteractor and display the vtk_file
       interactor = vtk.vtkRenderWindowInteractor()
665
       interactor.SetRenderWindow(renderer_window)
       interactor. Initialize()
667
       interactor.Start()
   def tsp_example():
       return 0
671
   def clustering_example():
673
       return 0
   def template_clustering(path_sample, eps, minpts, amount_clusters=None,
```

```
visualize=True, ccore=False):
       sample = read_sample(path_sample);
       optics_instance = optics(sample, eps, minpts, amount_clusters, ccore);
       (ticks , _) = timedcall(optics_instance.process);
68
       print("Sample: ", path_sample, "\t\tExecution time: ", ticks, "\n");
       if (visualize is True):
           clusters = optics_instance.get_clusters();
685
           noise = optics_instance.get_noise();
687
           visualizer = cluster_visualizer();
           visualizer.append_clusters(clusters, sample);
680
           visualizer.append_cluster(noise, sample, marker = 'x');
           visualizer.show();
           ordering = optics_instance.get_ordering();
           analyser = ordering_analyser(ordering);
695
           ordering_visualizer.show_ordering_diagram(analyser, amount_clusters);
691
   def vesuvio_example():
       router = Router(topo_file="vtk/Vesuvio")
       router.route_vesuvio(32729, 31991)
      # write to vtk
701
       router.write2vtk(router.acqueduct)
      # render_vtk("vtk/Vesuvio")
703
   def paesi_example():
705
       router = Router(building_file="geographycal_data/paesi_elev/paesi_elev")
       router.clusters(router.graph)
707
       router.write2shp(router.acqueduct, "acqueduct1")
   def cluster_simple_example():
       import random;
711
       from pyclustering.cluster import cluster_visualizer;
713
       from pyclustering.cluster.optics import optics, ordering_analyser,
      ordering_visualizer;
       from pyclustering.utils import read_sample, timedcall;
717
       from pyclustering.samples.definitions import SIMPLE_SAMPLES, FCPS_SAMPLES;
719
       template_clustering (SIMPLE_SAMPLES.SAMPLE_SIMPLE1, 0.5, 3);
721
   paesi_example()
  # National_Hydrography_Dataset_NHD_Points_Medium_Resolution/
      National_Hydrography_Dataset_NHD_Points_Medium_Resolution
  # National_Hydrography_Dataset_NHD_Lines_Medium_Resolution/
      National_Hydrography_Dataset_NHD_Lines_Medium_Resolution
725 # Railroads / Railroads
  # Routesnaples/routesnaples
727 # "shapefiles/Domain", "shapefiles/pointspoly"
```

Appendix D

Il manuale utente

Manuale utente per l'utilizzo del sistema

D.1 Instructions for installation

The following instructions allow to install the environment to run our applications. First open in terminal the folder in which you wish to create the dedicated environment: cd $/path/to/folder/folder_name$

Then create a virtual environment using venv, python –version i=3 is required python -m venv my-virtualenv

Activate the environment source my-virtualenv/bin/activate

Finally install all the requested packages pip install -r requirements.txt

Appendix E

Use case scenario

In this section will be presented a couple of use case scenarios, from the easier to the more complex ones.

E.1 Simple 3D routing

In this example a simple 3D routing is computed and rendered. Calling the command vesuvio_example() in the python shell will execute the following instructions

```
router = Router(topo_file="vtk/Vesuvio")
router.route_vesuvio(32729, 31991)
router.write2vtk(router.acqueduct)
render_vtk("vtk/Vesuvio")
```

The topography of the Vesuvio and surrounding areas is loaded from a vtk file into a networkx graph data structure of the router python class. The shortest path is computed using the Dijstrak algorithm between two points. This path is then exported as a vtk file. Finally the two vtk, the topography and the path are rendered using the vtk library. The result is shown in figure

- E.2 Clustering
- E.3 Travel Salesman Problem
- E.4 Minimum Spanning Tree
- E.5 Automatic design

Executing the command paesi_example() will reproduce the case studied in 4.4. The following instructions are executed. A shape file representing the buildings position

are loaded. Then clusters and paths are computed as above. The result is exported as shape file, named "aqueduct".

Appendix F

Datasheet

Eventuali Datasheet di riferimento.