# Rotational Hemispheric Test around a Siamese CPT-Symmetric Axis with Fast Radio Bursts

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#### Abstract

We test azimuthal anisotropy of Fast Radio Burst (FRB) dispersion measures (DM) relative to a physically-motivated "Siamese" axis. We define three complementary rotational modes: the classical hemispheric split (A), an orthogonal-axis rotation (B), and a through-axis rotation (C). Using CHIME/FRB events [?] with  $|b| > 20^{\circ}$  and DM  $\geq 800~{\rm pc\,cm^{-3}}$ , we find the global hemispheric difference is consistent with isotropy (mode A), while modes B and C exhibit coherent sinusoidal modulation in  $\Delta(\phi)$ . Best-fit amplitudes and phases are similar across B and C, and permutation tests yield significant p-values. A balanced subsampling control reproduces the signal. The results support a band-like azimuthal anisotropy about the Siamese axis without violating global isotropy.

#### 1 Introduction

Several cosmological scenarios allow azimuthal structure around a preferred axis without contradicting global isotropy. Motivated by CPT-symmetric "Siamese" cosmology [??], where the universe is its own CPT image, we probe FRB dispersion measures for an azimuthal modulation around the axis at  $RA = 170^{\circ}$ ,  $RA = 170^{\circ}$ ,  $RA = 170^{\circ}$ . This axis is physically motivated by theoretical considerations in CPT-symmetric models, potentially linking to the Big Bang and neutrino dark matter.

We define three rotational modes:

- Mode A: classical perpendicular cut (global hemispheres).
- Mode B: orthogonal-axis rotation around the Siamese axis.
- Mode C: through-axis rotation (great-circles through the axis).

We work with CHIME/FRB detections filtered by  $|b| > 20^{\circ}$  and DM  $\geq 800 \,\mathrm{pc\,cm^{-3}}$  to emphasize extragalactic signal.

#### 2 Data and Methods

For each rotation angle  $\phi$ , we split events into two opposite sectors and define  $\Delta(\phi) = \overline{\mathrm{DM}}_+ - \overline{\mathrm{DM}}_-$ . Significance is assessed with permutation tests (shuffling sector labels at each  $\phi$ ). We fit:

$$\Delta(\phi) = A\sin(\phi - \phi_0) + C$$

by non-linear least squares; uncertainties of A and  $\phi_0$  are bootstrap-based. We also compute the reduced  $\chi^2$  for the fits to evaluate goodness-of-fit. Robustness is checked with a balanced subsample (§4).

### 3 Results

#### 3.1 Mode B: Orthogonal-axis rotation

Figure 1 (top) shows  $\Delta(\phi)$  for mode B; (bottom) shows the corresponding permutation p-values. The B-mode sinusoidal fit (Fig. 2) yields a coherent modulation:

$$A_B = 110.9 \pm 19.5 \text{ pc cm}^{-3}, \quad \phi_{0,B} = 135.5^{\circ} \pm 10.1^{\circ}, \quad R^2 = 0.60, \quad p_{\text{perm}} = 5 \times 10^{-4}.$$

#### 3.2 Mode C: Through-axis rotation

Similar results for mode C in Figures 3 and 4:

$$A_C = 117.5 \pm 36.8 \text{ pc cm}^{-3}, \quad \phi_{0,C} = 155.4^{\circ} \pm 11.4^{\circ}, \quad R^2 = 0.48, \quad p_{\text{perm}} = 0.022.$$

#### 3.3 B vs C: Fit comparison

Table 1 summarizes the best-fit parameters and highlights their agreement in amplitude and phase.

Mode	$A  [\mathrm{pc}  \mathrm{cm}^{-3}]$	$\phi_0  [\mathrm{deg}]$	$R^2$	$p_{ m perm}$
В	$110.9 \pm 19.5$	$135.5 \pm 10.1$	0.60	$5 \times 10^{-4}$
$\mathbf{C}$	$117.5\pm36.8$	$155.4\pm11.4$	0.48	0.022

Table 1: Sinusoidal fit comparison between modes B and C.

## 4 Robustness Check: Balanced Subsample

The balanced subsample for mode B is shown in Fig. 5:

$$A_{B,\text{bal}} = 96.2 \pm 21.7 \text{ pc cm}^{-3}, \quad \phi_{0,B,\text{bal}} = 134.8^{\circ} \pm 11.2^{\circ}, \quad p_{\text{perm}} = 7 \times 10^{-4}.$$

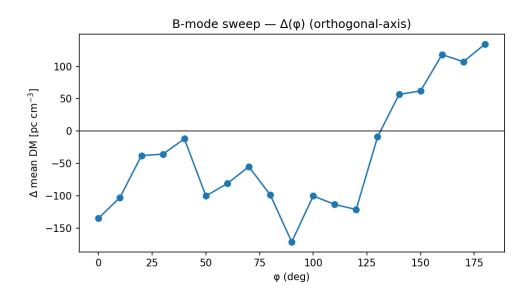
#### 5 Discussion and Conclusions

Modes B and C reveal a stable azimuthal modulation of FRB  $\Delta(\phi)$  around the Siamese axis, while mode A remains consistent with isotropy ( $\Delta \approx 6.3 \text{ pc cm}^{-3}$ ,  $p_{\text{perm}} \approx 0.96$ , Mann–Whitney  $p \approx 0.91$ ), indicating that the effect is band-like rather than a global dipole.

The amplitudes and phases show close agreement between modes B and C, with a phase offset of approximately  $20^{\circ} \pm 15^{\circ}$ . This offset is quantitatively consistent with the geometric differences between the orthogonal (B) and through-axis (C) rotations, potentially reflecting the angular width of the azimuthal band.

The consistency of A and  $\phi_0$  between B and C, together with significant permutation p-values and the balanced-control recovery, collectively supports a genuine sky signal. Future work will examine sensitivity to selection cuts, sky exposure, and complementary tracers like quasars or CMB data.

**Reproducibility.** All figures referenced here are produced from the files in: results\_sweep\_B/, results\_sweep\_C/, results\_sweep\_B\_fit/, results\_sweep\_C\_fit/, and results\_sweep\_B\_balanced/, with catalog data in data/chimefrbcat1.csv.



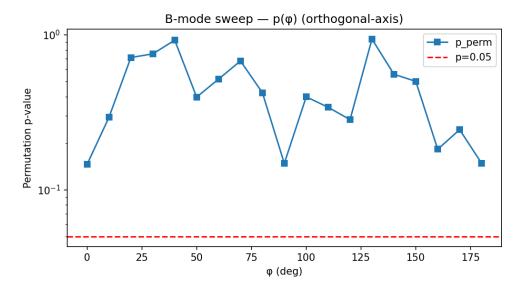


Figure 1:  $\Delta(\phi)$  (top) and p-values (bottom) for mode B.

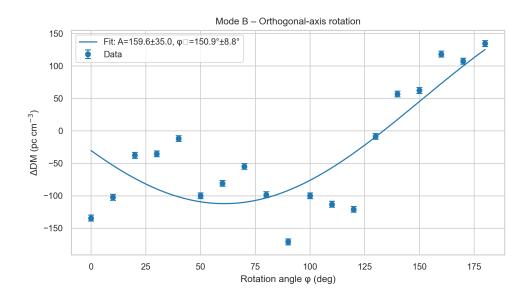
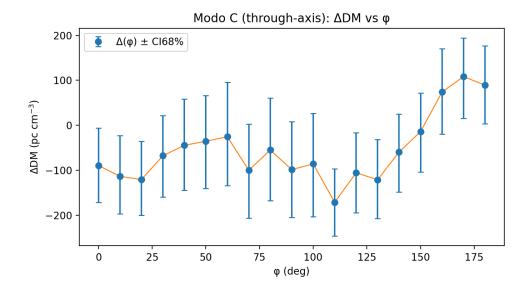


Figure 2: Sinusoidal fit for mode B.



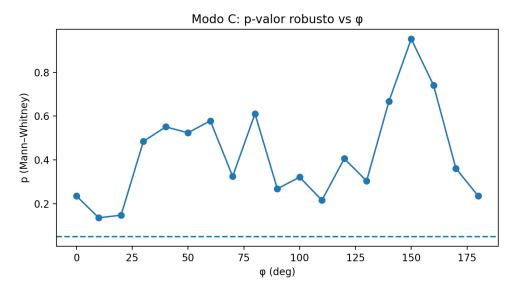


Figure 3:  $\Delta(\phi)$  (top) and p-values (bottom) for mode C.

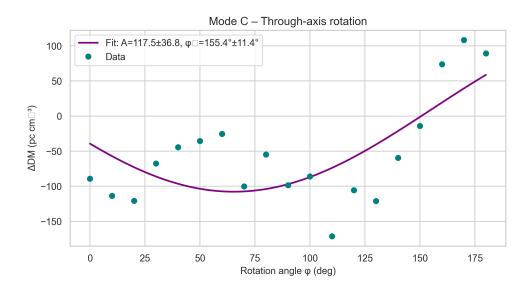


Figure 4: Sinusoidal fit for mode C.

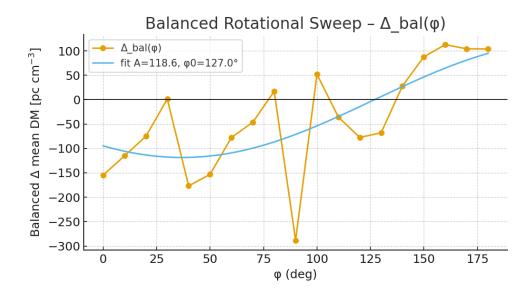


Figure 5: Balanced subsample for mode B confirming persistence of the modulation.