### **DataSet features**

The Dataset: Albuquerque House Pricing

- PRICE (Target Variable): House Selling Price in dollars

SquareFeet : Square feet of living space

- **AgeYear :** The age of the house (years)

- **NumberFeatures**: Sort the of 11 features (dishwasher, refrigerator, microwave, disposer, washer, intercom, skylight(s), compactor, dryer, handicap fit, cable TV access)

Northeast: If the building is located in the northeast sector of city (Yes or No)

- **CustomBuild**: Custom built (Yes or No)

- **CornerLot**: If the building is located in a Corner location (Yes or No)

There are 117 rows and 7 variables in this data set.

Please note the 49 null-values in the AgeYear column

#### **Objectives and Issues**

I wanna try to highlight an eventual relation between the target Price and the features. I will look for linear regression models to fit the data.

Missing Data: I will fill the missing data with a simple linear interpolation

**Categorical Variables:** I will perform one-hot encoding for the categorical variables (Northeast, CustomBuild, CornerLot)

#### **Summary Statistics**

Of the 7 variables, Northeast, CustomBuild, CornerLot are categorical variables, Price, SquareFeet and NumberFeatures are Int, AgeYear is a float.

# After the linear interpolation to fill the missing values and a change in the dytpe of AgeYear:

Data	columns (total	7 co.	lumns):	
#	Column	Non-	-Null Count	Dtype
0	Price	117	non-null	int64
1	SquareFeet	117	non-null	int64
2	AgeYear	117	non-null	int64
3	NumberFeatures	117	non-null	int64
4	Northeast	117	non-null	object
5	CustomBuild	117	non-null	object
6	CornerLot	117	non-null	object
	1			

dtypes: int64(4), object (3)

memory usage: 6.5+ KB

### After the one-hot encoding:

	0	1	2	3	4
Northeast	Yes	Yes	Yes	Yes	Yes
CustomBuild	Yes	Yes	Yes	Yes	Yes
CornerLot	No	No	No	No	No

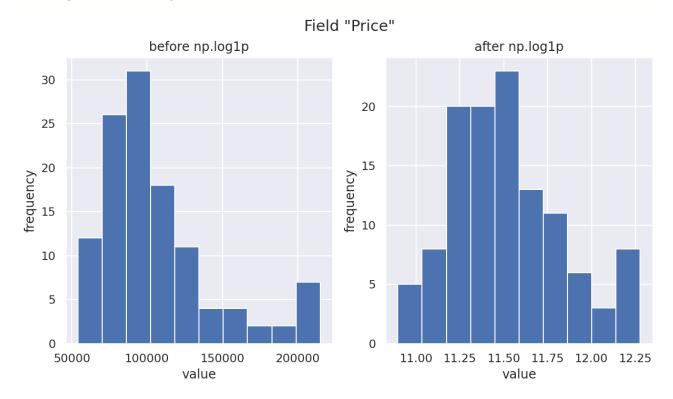
#### Let's see the common statistics values:

	coun	mean	std	min	25%	50%	75%	max
Price	117. 0	106273.50427 4	38043.69854 3	54000. 0	78000. 0	96000. 0	120000. 0	215000. 0
SquareFeet	117. 0	1653.854701	523.722802	837.0	1280.0	1549.0	1894.0	3750.0
AgeYear	117. 0	18.068376	13.370533	1.0	6.0	15.0	27.0	53.0
NumberFeature s	117. 0	3.529915	1.405486	0.0	3.0	4.0	4.0	8.0
Northeast_Yes	117. 0	0.666667	0.473432	0.0	0.0	1.0	1.0	1.0
CustomBuild_Y es	117. 0	0.230769	0.423137	0.0	0.0	0.0	0.0	1.0
CornerLot_Yes	117. 0	0.188034	0.392420	0.0	0.0	0.0	0.0	1.0

# Regarding skewed values (with a skew limit 0.75):

	Skew
Price	1.375404
SquareFeet	1.187560
AgeYear	0.765807

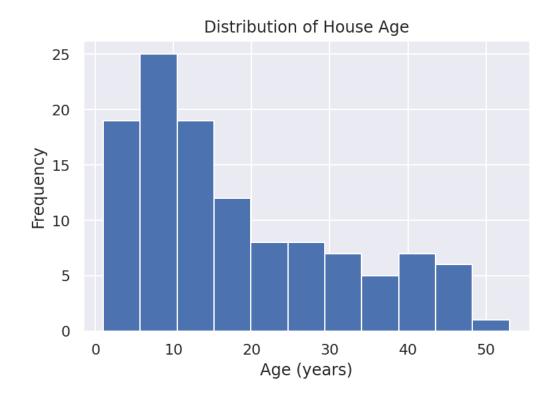
Let's perform a log transformation for the field Price.

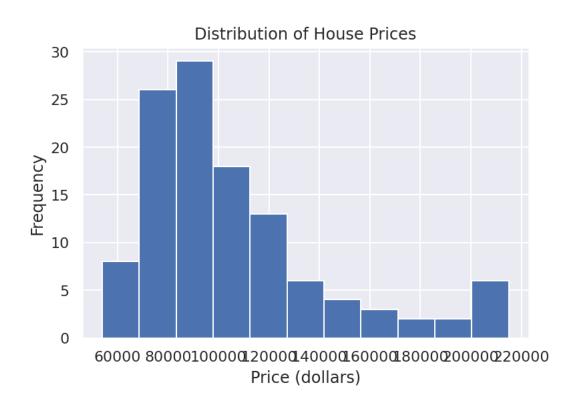


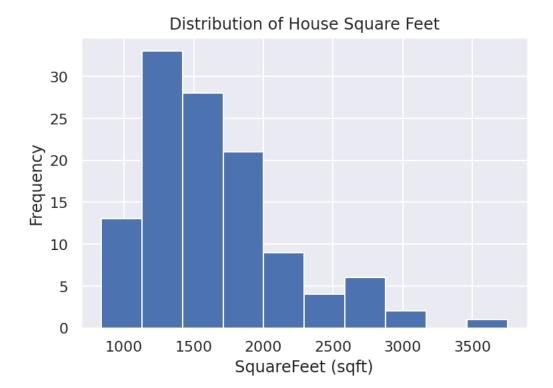
And after the other 2 log transformations, let's see the statistics for the cleaned and transformed dataset

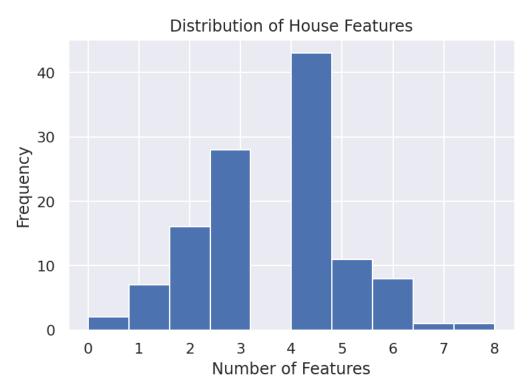
	coun	mean	std	min	25%	50%	75%	max
Price	117. 0	11.51967 5	0.31982 5	10.89675 8	11.26447 7	11.47211 4	11.69525 5	12.27839 8
SquareFeet	117. 0	7.366834	0.29458	6.731018	7.155396	7.346010	7.546974	8.229778
AgeYear	117. 0	2.670314	0.79398 5	0.693147	1.945910	2.772589	3.332205	3.988984
NumberFeature s	117. 0	3.529915	1.40548 6	0.000000	3.000000	4.000000	4.000000	8.000000
Northeast_Yes	117. 0	0.666667	0.47343	0.000000	0.000000	1.000000	1.000000	1.000000
CustomBuild_Y es	117. 0	0.230769	0.42313 7	0.000000	0.000000	0.000000	0.000000	1.000000
CornerLot_Yes	117. 0	0.188034	0.39242 0	0.000000	0.000000	0.000000	0.000000	1.000000

Let's see the Histograms for each feature:





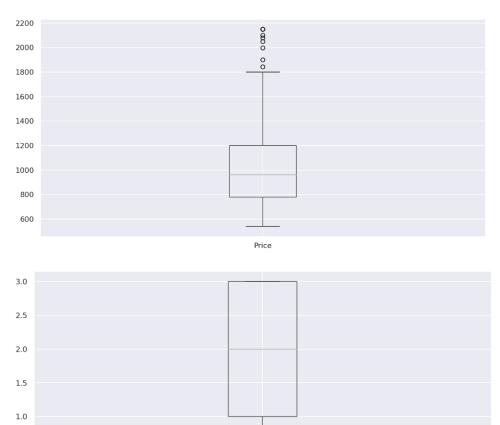


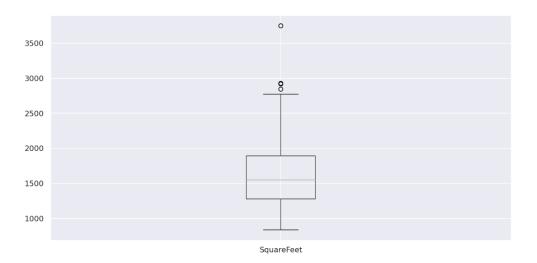


### And now the BoxPlot

0.5

0.0

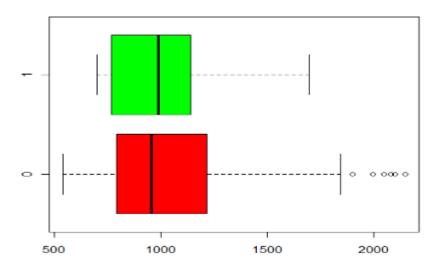




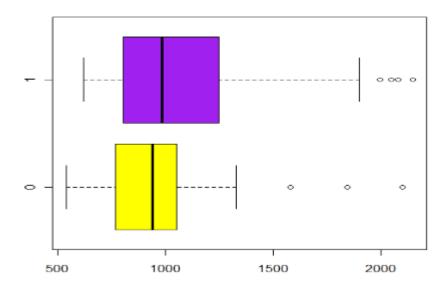
AgeYear

We can see Outliers in Price and SquareFeet Variables.

### Here we can see the Price Vs NorthEast Esposition BoxPlot



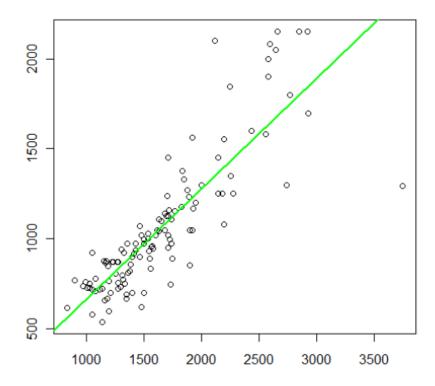
#### And here Price Vs Corner Position



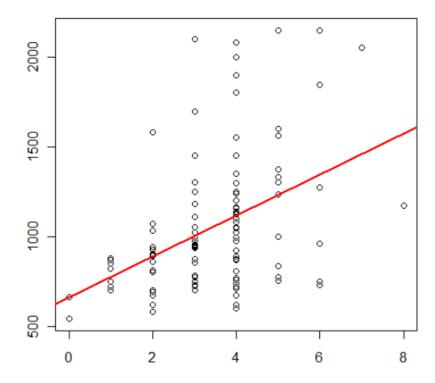
So far we've seen from the histograms none variables have a recognizable distribution (i.e gaussian)

From the boxplots we can se a relation between Price vs NorthEast position and Price vs Corner location.

### I've tried to fit a linear regression between **Price and SquareFeet**



And a linear regression between **Price and NumberFeatures** 



In conclusion we can't say the linear model is a proper model to describe the relations between our dataset variables. Maybe this due to the fact that the outliers are not normally distributes.

## Hypothesis:

(H\_0) for 3 linear regressions:

Linear Regressions with H\_0:

- Price Vs SquareFeet
- Price Vs NumberFeatures
- Price Vs Age

H\_0 = the data can be modeled by setting all our Betas to zero.

In a linear regression usually Betas are the coefficients for each one of our features. We will reject the null Hypo if the p-value is small enough.

We will use F-Statistic to test the Hypos.

I wil try to test null H for Price Vs Surface

=======================================			=======================================
Dep. Variable:	Price	R-squared:	0.714
Model:	OLS	Adj. R-squared:	0.711
Method:	Least Squares	F-statistic:	286.6
Date:	Sun, 22 Nov 2020	Prob (F-statistic)	: 5.15e-33
Time:	15:10:31	Log-Likelihood:	-787.49
No. Observations:	117	AIC:	1579.
Df Residuals:	115	BIC:	1584.
Df Model:	1		
Covariance Type:	nonrobust		
============	===========		
coe	f std err	t P> t	[0.025 0.975]
Intercept 47.819	3 62.855	0.761 0.448	-76.684 172.323
SquareFeet 0.613		16.931 0.000	
======================================	30.950	======================================	1.536
Prob(Omnibus):	0.000		216.286
Skew:	-0.540	1 , ,	1.08e-47
Kurtosis:	9.573	` '	5.77e+03

P-value very very low, so we reject the Null Hypothesis.

#### Conclusion

Overall's data set is, in my opinion, poor. We should have more data.

The linear model doesn't fit very well our data, this is due to the non-normal distribution of the data and outliers, even with a log transformation. We can't find a linear regression just in the case of relation between Price and Number of Features. We should try with a multiple regression model.