



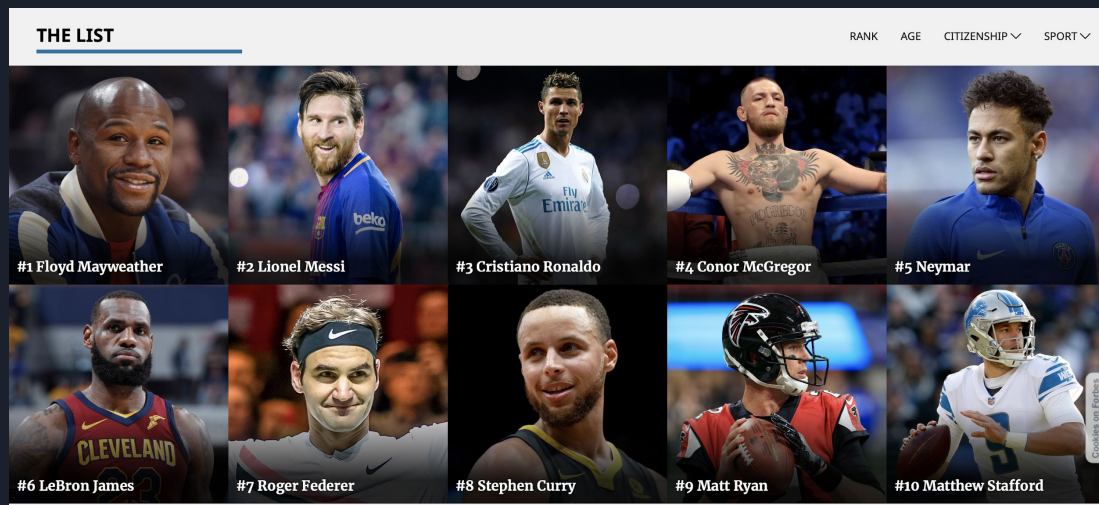
NHL Players Salary Prediction

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QUICK INTRODUCTION

At a professional level, certain sports are witnessing extreme variations in player salaries. The question that interested us was the following : **To what extent are these salaries based on historical performance ?**



Our focus : **NHL**

GOALS



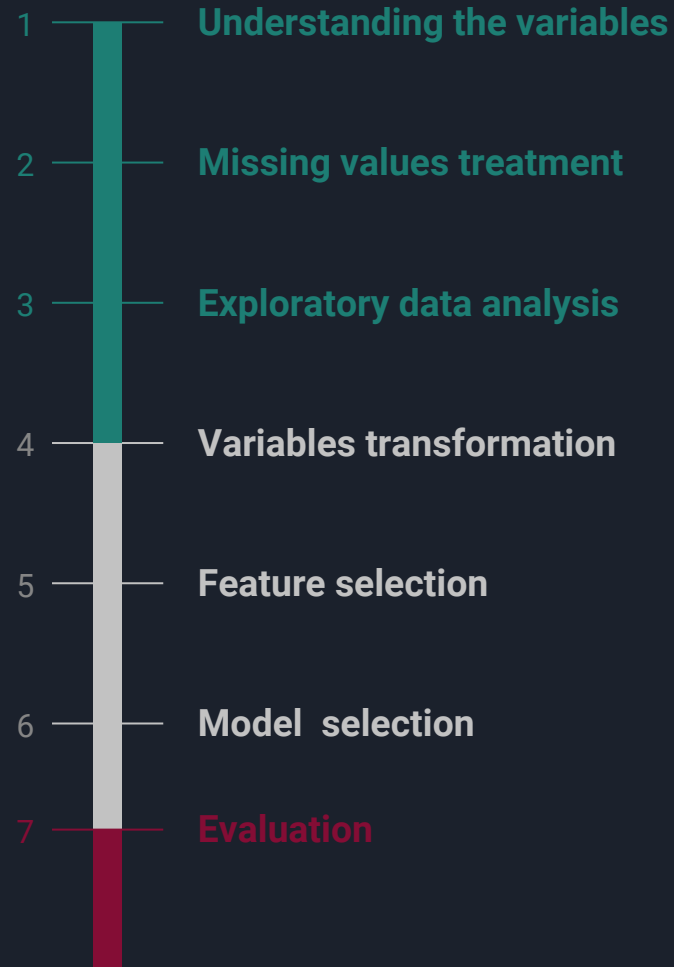
BUILD A MODEL THAT CAN PREDICT NHL PLAYER SALARIES



UNDERSTAND THE VARIABLES IMPACTING THE SALARY



Methodology





1. VARIABLE UNDERSTANDING

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Example 1

iCF - Shot attempts (Corsi, SAT) taken by this individual

$$\text{Corsi} = \text{shots on goal} + \text{missed shots} + \text{blocked shots}$$

→ measures how well a player is generating scoring opportunities

→ means a player is keeping the play far away from its own net

Example 2

RelF% - Fenwick percentage relative to his team

$$\text{Fenwick} = (\text{given shots on goal} + \text{given missed shots}) - (\text{received shots on goal} + \text{received missed shots})$$

→ measures how well a team controls the puck over a game

→ means a player more often in a offensive zone (if positive) than in the negative



2. MISSING VALUES TREATMENT

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Both our datasets contained missing values, which needed to be treated for the next step of our project.

```
train_sample = head(train, 20)
sum(is.na(train))
```

```
## [1] 426
```

```
sum(is.na(test))
```

```
## [1] 103
```

→ Method chosen for missing values :

- replacement (mean)
- deleting observation

```
for(i in 1:ncol(train_num)){
  train_num[is.na(train_num[,i]), i] <- mean(train_num[,i], na.rm = TRUE)
}
```

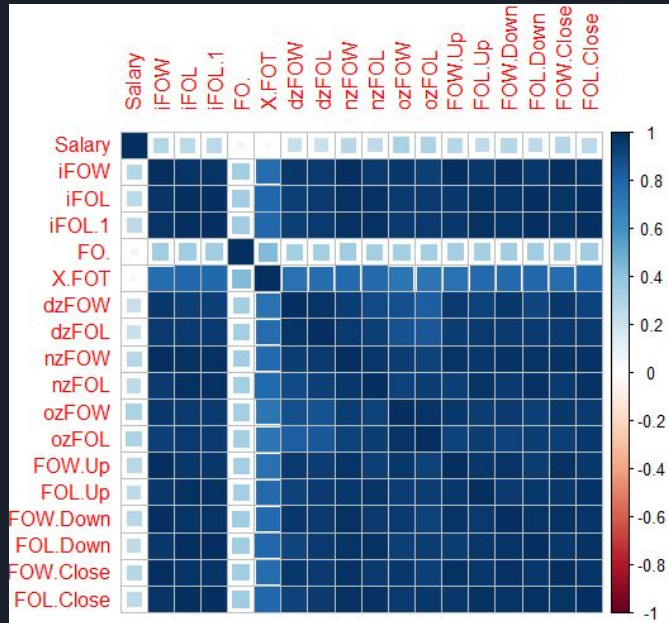
```
train<-train[!(train$First.Name=="Dan" & train$Last.Name=="Renouf"),]
```




3. EXPLORATORY DATA ANALYSIS

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We carried out Univariate and Bivariate Analysis on the raw data to understand more about the variables. After having plotting the correlation matrix, we eliminated the highly correlated variables manually



```
chosen = train[,  
c(1,7,8,10:12,15:17,22,24:25,29,32:35,38,40,42,43,44,45,46,49,50,52,55,60,61,  
67,68,72,73,85:96,98:107,110,114:116,120,146,147,150:156)]
```

```
# chosen = train
```

```
tokeep <- which(sapply(chosen,is.numeric))  
train_num = chosen[ , tokeep]
```

The same process was repeated for the test dataset



4. VARIABLES TRANSFORMATION

4. VARIABLES TRANSFORMATION (1/2)

Some of our variables were in format that was not proper for our analysis or in a format that could be improved .

```
train$Prefix = ifelse(as.numeric(substr(train$Born, start = 1, stop = 2)) <= 5, 20, 19)

train$Age = round(age_calc(as.Date(paste(train$Prefix, train$Born, sep = "")), as.Date("2016-10-01"), units = 'years'))

train$Prefix = NULL
```

→ **variable conversion** : convert “**Born**” into an appropriate format → numeric “**Age**”

```
test$Experience = round(2017 - test$DftYr , 1)
test$Experience[is.na(test$Experience)] <- 0

test$DftRd[is.na(test$DftRd)] <- 10
test$Ovrl[is.na(test$Ovrl)] <- 0
```

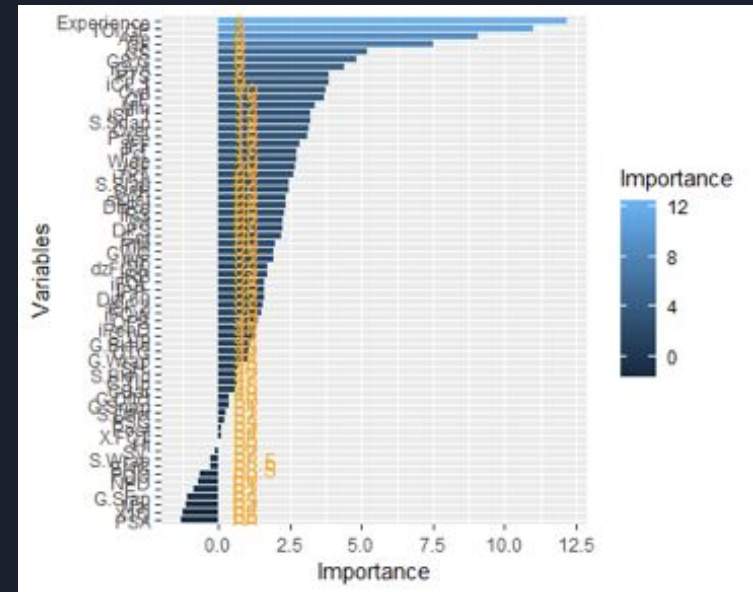
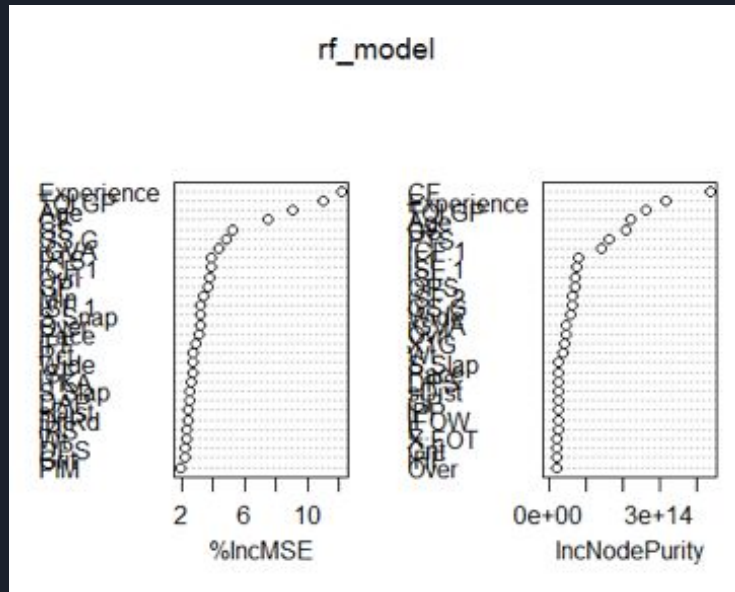
→ **variable conversion** : convert “**DftYr**” (draft year) into “**Experience**”.



5. FEATURE SELECTION

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A more strict unsupervised feature selection was applied using random forest model. Higher value refers to a more important variable.





6. MODEL SELECTION



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1. Linear regression model

Based on the importance of variables, we trained the linear regression model. Although a good value for multiple R^2 obtained, the value of MAPE was high :

```
mean(sm$r.squared)
## [1] 0.6985202
```

```
MAPE(y_pred, y_test$Salary)
## [1] 0.8345729
```

2. Random forest model

Comparing the MAPE, random forest model gives better accuracy

→ Our data is difficult to fit into a linear model

→ It does not show clear trend in its regression curve

```
% Var explained: 63.3
```

```
MAPE(y_rf, y_test$Salary)
## [1] 0.5034676
```




7. EVALUATION



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Can we explain NHL hockey player's salary by their performance?

Significant metrics

- ❑ Proportion of time spent on ice
- ❑ Experience
- ❑ Team's shot attempts while player on the ice


Limitations

- Performance doesn't explain everything
- Significant information not taken into account



APPENDIX

LITERATURE REVIEW



Gomez, 2002		Prediction made based on 26 NHL teams over 5 seasons, richer dataset needed
Fullard, 2012		Multiple linear regression model & least square
Peck, 2012		Confirmed multiple linear regression model & important performance variables found
Louivion, 2017		Multiple regression model
Farrar, 1967		Multicollinearity should also be studied