# CS 5060 HWK 4

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#### 1 Part 1

The topic for this question is ice hockey goalies.

#### 1.1 Hypothesis

The introduction of math, geometry, and probability in goal tending has greatly improved the consistency and performance of goalies.

#### 1.2 Expertise

My current expertise informs me that my hypothesis is likely correct because the act of covering the most area of a goal is highly dependent on geometry and consistency is largely tied with save probability.

#### 2 Part 2

B - vampires exist A - Sparkle like a diamond

$$P(B) = 0.05 \tag{1}$$

$$P(B^c) = 0.95 \tag{2}$$

$$P(A|B) = 0.7 \tag{3}$$

$$P(A|B^c) = 0.03 \tag{4}$$

$$P(B|A) = \frac{P(A|B)P(B)}{P(A|B)P(B) + P(A|B^c)P(B^c)}$$
(5)

$$P(B|A) = \frac{P(A|B)P(B)}{P(A|B)P(B) + P(A|B^c)P(B^c)}$$

$$P(B|A) = \frac{(0.7)(0.05)}{(0.7)(0.05) + (0.03)(0.95)} = 0.5512$$
(6)

# 3 Part 3

### 3.1 1

The information in the question relates to a prior model of the form:

$\pi$	0.15	0.25	0.5	0.75	0.85
$f(\pi)$	0.15	0.15	0.4	0.15	0.15

## 3.2 2

This calculation was done using the the Bayesian Update python file.

$\pi$	0.15	0.25	0.5	0.75	0.85
$f(\pi)$	0.4544	0.4685	0.0770	0.00002	0.00000008

## 3.3 3

The prior of this problem essentially said the bus is most likely late 50% of the time with a relatively even chance of being other percentages. However, after the data was introduced, the Bayesian update concluded the late percentage was either 15% or 25%. This is because data showed the bus was late roughly 23% (3 over 13) of the time. As a result of data falling between the 15 and 25 percent  $\pi$  values, Li Qiang can assume with a relatively high degree of certainty that the bus is late between 15-25% of the time.