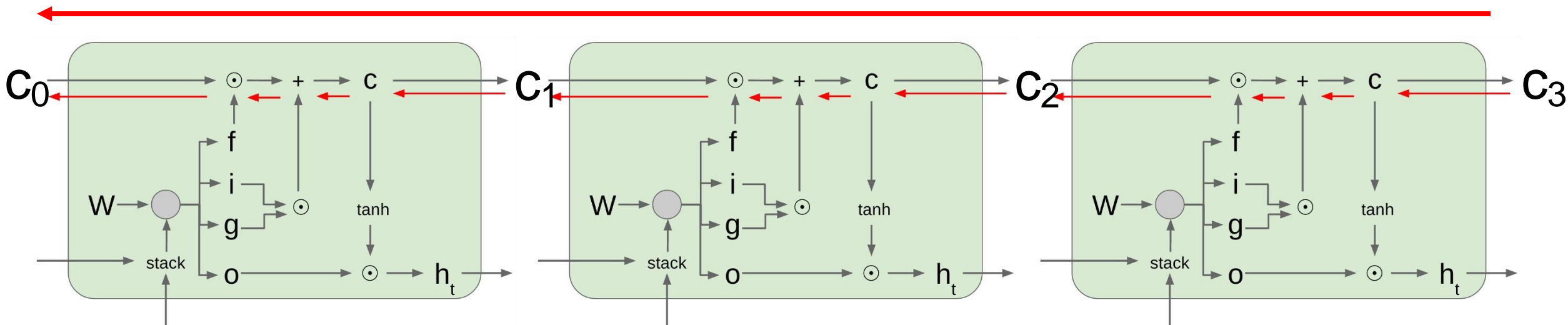


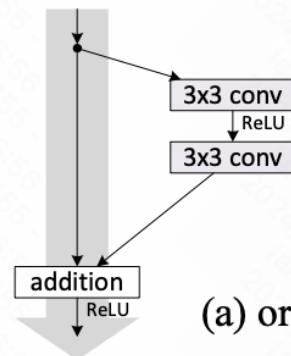
## ■ 为什么 LSTM 可以缓解梯度消失问题？

**连续的梯度流!** 与 ResNet 很相似!

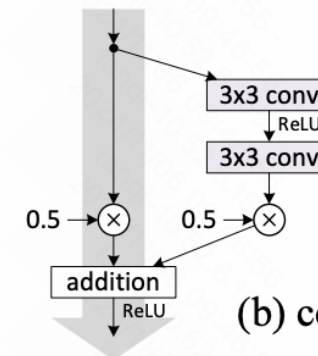


## ResNet Shortcuts

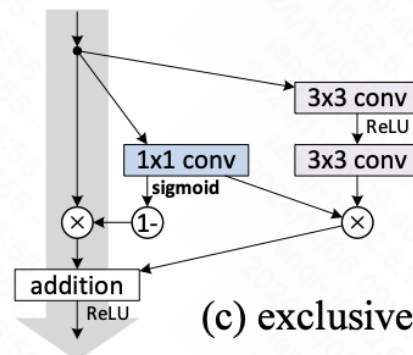
case	Fig.	on shortcut	on $\mathcal{F}$	error (%)	remark
original [1]	Fig. 2(a)	1	1	<b>6.61</b>	
constant scaling	Fig. 2(b)	0	1	fail	This is a plain net
		0.5	1	fail	
		0.5	0.5	12.35	frozen gating
exclusive gating	Fig. 2(c)	$1 - g(\mathbf{x})$	$g(\mathbf{x})$	fail	init $b_g = 0$ to $-5$
		$1 - g(\mathbf{x})$	$g(\mathbf{x})$	8.70	init $b_g = -6$
		$1 - g(\mathbf{x})$	$g(\mathbf{x})$	9.81	init $b_g = -7$
shortcut-only gating	Fig. 2(d)	$1 - g(\mathbf{x})$	1	12.86	init $b_g = 0$
		$1 - g(\mathbf{x})$	1	6.91	init $b_g = -6$
$1 \times 1$ conv shortcut	Fig. 2(e)	$1 \times 1$ conv	1	12.22	
dropout shortcut	Fig. 2(f)	dropout 0.5	1	fail	



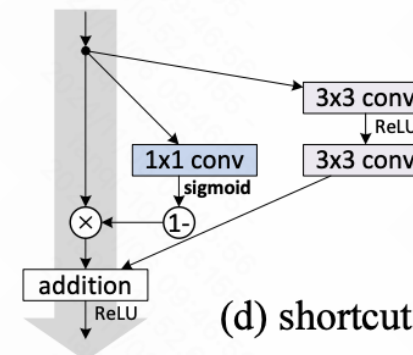
(a) original



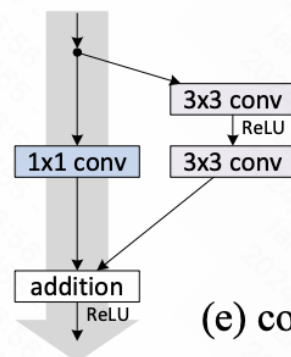
(b) constant scaling



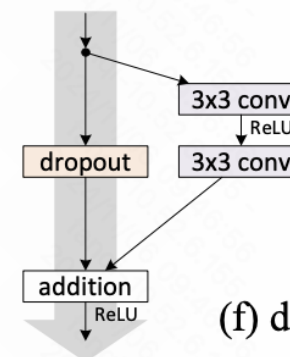
(c) exclusive gating



(d) shortcut-only gating



(e) conv shortcut

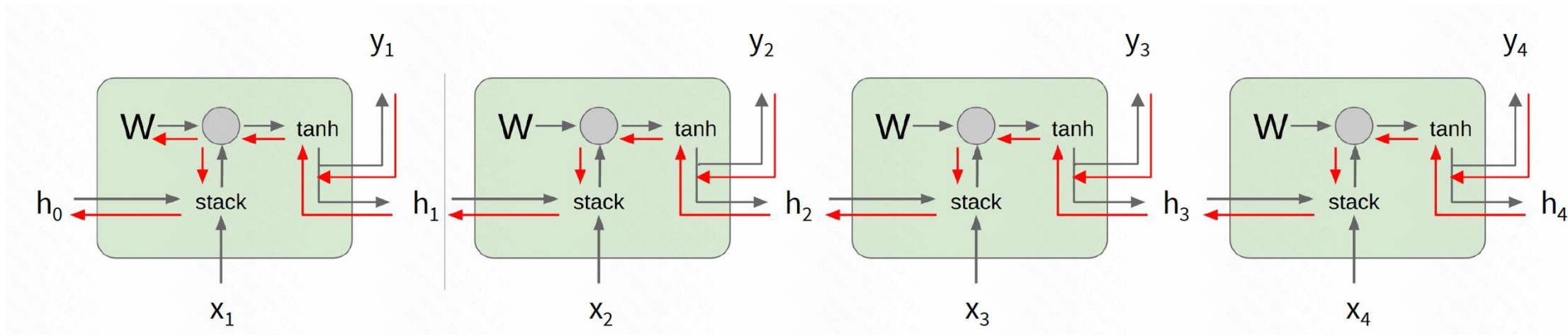


(f) dropout shortcut

## ■ ResNet Shortcuts

**Shortcut-only gating.** In this case the function  $\mathcal{F}$  is not scaled; only the shortcut path is gated by  $1 - g(\mathbf{x})$ . See Fig 2(d). The initialized value of  $b_g$  is still essential in this case. When the initialized  $b_g$  is 0 (so initially the expectation of  $1 - g(\mathbf{x})$  is 0.5), the network converges to a poor result of 12.86% (Table 1). This is also caused by higher training error (Fig 3(c)).

When the initialized  $b_g$  is very negatively biased (*e.g.*,  $-6$ ), the value of  $1 - g(\mathbf{x})$  is closer to 1 and the shortcut connection is nearly an identity mapping. Therefore, the result (6.91%, Table 1) is much closer to the ResNet-110 baseline.



**连续的梯度流!** 与 ResNet 很相似!

