

# Switchless Class-G Power Amplifiers: Generic Theory and Design Methodology Using Packaged Transistors

Xiaohu Fang, *Senior Member, IEEE*, Ruiyuan Chen and Jie Shi, *Graduate Student Member, IEEE*

**Abstract**—This paper develops a complete theory of the Switchless Class-G (SLCG) PA and proposes a new design method that allows for operating commercial packaged transistors in high-efficiency SLCG mode over a wide frequency band. It starts with a comprehensive analysis that investigates the impact of various transistor and circuit parameters on the SLCG PA's key performances. Then, design equations are derived to produce SLCG prototypes with optimal back-off efficiency and gain flatness. Moreover, to overcome the difficulty of applying classical SLCG circuits to packaged devices, a new SLCG output combining network is developed to absorb various transistors and package parasitic while maintaining the load conditions that enable the wideband SLCG operation. This expands the applicable scope of the SLCG technique and yields packaged-transistor-based, wideband, and high-efficiency SLCG PAs. For validation, a 1-3GHz SLCG PA is designed using the proposed method with commercial packaged transistors. Measurements under continuous-wave excitations reveal that, over 1-3GHz, the proposed SLCG PA can provide saturation output power ( $P_{\text{sat}}$ ) of 36.5-38.7dBm and deliver drain efficiency (DE) of 39.2-49.1%, 45.4-51.2%, and 47.8-57.7% at power levels that are 7.5dB, 6dB and 0dB back-off from  $P_{\text{sat}}$ , respectively. Moreover, when excited by a 40MHz 64-QAM modulated signal over 1-3 GHz, the PA realizes an average DE of 39-49.2% at an average output power of 28.8-31.6dBm, and maintains an error vector magnitude of about 1.2% and adjacent channel power ratio of below -46dBc after digital pre-distortion.

**Index Terms**—Broadband, switchless class-G power amplifier, GaN, high efficiency, packaged transistor.

## I. INTRODUCTION

The endless pursuit of high-speed wireless data rate drives modern communication systems to employ new standards with spectrum-efficient modulation schemes at various continuous or non-contiguous frequency bands [1]-[2]. This requires the base station power amplifier (PA) to support efficient

amplification of signals with high peak-to-average power ratio (PAPR) over broad frequency bands [3].

As traditional Class-AB PAs can only maintain high efficiency around peak powers, it is compulsory for the base station PAs to adopt back-off efficiency enhancement (BEE) techniques which boost the average PA efficiency under high PAPR signals [4]. As the most adopted BEE technique, the Doherty power amplifier (DPA) [5]-[8] is popular due to its various merits, such as simple circuitry, RF-in-RF-out feature, excellent 6dB back-off efficiency, and moderate linearity. However, to achieve proper load modulation between the two sub-PAs, the DPA involves the quarter-wave transmission line (TL) which intrinsically limits its bandwidth. Although many attempts have been made to mitigate this problem by innovating the DPA's output combiner network or its input driving conditions [9]-[13], these techniques are still bound by the narrowband nature of the impedance inversion. Especially when dealing with signals of high PAPR of >6dB, the DPA needs to apply an enlarged impedance inversion ratio, which further reduces the available PA bandwidth [14]. Recently, new BEE techniques, such as Distributed Efficient Power Amplifier (DEPA) [15]-[16] and Load Modulated Balanced Amplifier (LMBA) [17]-[19] have been developed to boost back-off efficiency over wide operation bandwidth. However, both techniques require the corporation of more than two sub-PAs and additional combining networks, such as couplers or multi-stage distributed networks. This necessitates the phase and amplitude alignments among multi-path over wideband as well as bulky combiners with enlarged size and loss, which undoubtedly leads to higher design complexity compared to the 2-way PAs.

The switchless Class-G (SLCG) PA is a recently developed BEE technique [20]. Similar to the DPA, it adopts a very simple 2-way structure that utilizes a Class-AB biased main PA and a Class-C biased auxiliary PA. Different from the DPA, these two sub-PAs are biased under very distinctive DC drain supply voltages. This allows the main transistor to be gradually modulated from the 1<sup>st</sup> quadrant to the 3<sup>rd</sup> quadrant when the auxiliary transistor current increases from 0 (e.g. at cut-off state) in the low-power region (LPR) to large levels in the high-power region (HPR). This two-quadrant-modulation (TQM) [20] brings the following advantages: firstly, the 3<sup>rd</sup>-quadrant-operated main transistor behaves more like a load impedance instead of an active device, as it no longer delivers current to the outside but draws current inside. Therefore, the TQM helps to softly switch the power source from the main transistor to the auxiliary one when the PA operates through LPR to HPR without involving a hardware switch. This avoids the linearity issue in the conventional Class-G PA [21]-[22] due to the abrupt changes in

This Manuscript received September xx, 2023. This work was supported in part by the National Natural Science Foundation of China under Grant 62001525; in part by the Science and Technology Plan of Shenzhen under Grant JSGG20220831110804009 and JCYJ20220818095611025, and in part by NSQKJ under Grant 2023390005, and in part by the SUSTech Undergraduate Teaching Quality and Education Reform Project with Grant No. XJZLGC202213 (*Corresponding author: Xiaohu Fang*).

X. Fang, R. Chen, and J. Shi are with the School of Micro-electronics, Southern University of Science and Technology, Shenzhen 518000, China (email: [fangxh@sustech.edu.cn](mailto:fangxh@sustech.edu.cn)).

Mentions of supplemental materials and animal/human rights statements can be included here.

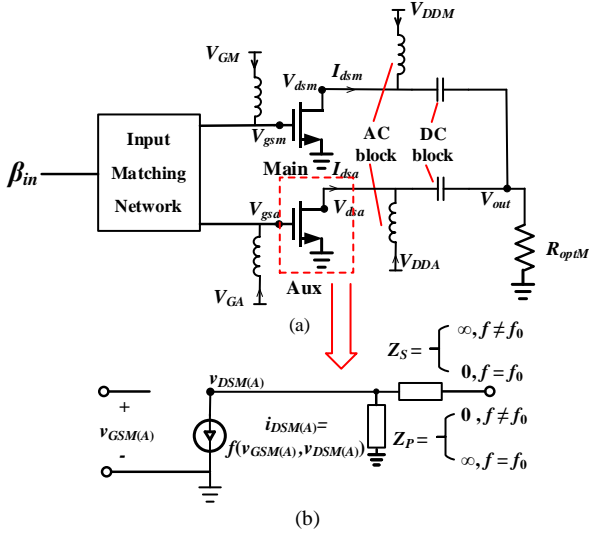


Fig. 1. Diagrams of (a) the classic SLCG circuit; and (b) transistor modeling with all harmonic impedances shorted

gain and efficiency characteristics brought by the hard switching. Secondly, since the output power ( $P_{out}$ ) delivered by SLCG PA in the HPR is entirely contributed by the auxiliary PA, henceforth the load modulation of the main transistor is no longer the top factor limiting the PA back-off efficiency and bandwidth.

The above benefits make the SLCG PA an attractive solution for realizing enhanced back-off efficiency over wideband. However, ref. [20] mainly focuses on discussing the concept of TQM, e.g. the variation of transistor characteristics during the shift from the 1<sup>st</sup> quadrant to the 3<sup>rd</sup> quadrant, and lacks the analysis of the overall SLCG circuit model. Moreover, the SLCG circuit reported in [20] requires the internal current source (CS) plane drain nodes of the main and auxiliary transistors to be AC-connected. This is difficult to fulfill for commercial packaged transistors, as such transistors usually exhibit non-negligible package parasitic inductance and capacitance which at RF frequency make the drain voltage at the external package plane significantly different from the transistor internal plane. This issue limits the applicable range of the SLCG PA proposed in [20].

This paper contributes in the following aspects: firstly, it presents a generic theory of the SLCG PA. A comprehensive analysis is given to systematically explain how the various SLCG design parameters, such as bias voltage, device periphery, load impedance, and input driving conditions, affect the key performances of the SLCG PA, e.g. the Output Back-off (OBO), efficiency,  $P_{out}$ , and gain. Through this analysis, design equations are derived to yield SLCG prototypes with optimal AM-AM characteristics. Secondly, to make the SLCG technique applicable to commercial packaged devices, this paper proposes a new SLCG output combining network (OCN) that uses 0° impedance transformers to perform impedance transformation as well as absorb the various transistor and package parasitic parameters, consequently enabling packaged-device-based, wideband and high-efficiency SLCG PAs. For validation, the proposed method is applied to design a 1-3GHz wideband SLCG PA using commercial packaged transistors CGH40006P and CG2H40010F from the Wolfspeed Inc. Measurements under Continuous Wave (CW) excitation reveals that, over 1-3GHz, the proposed SLCG PA can deliver saturation  $P_{out}$  ( $P_{sat}$ ) of 36.5-38.7 dBm and

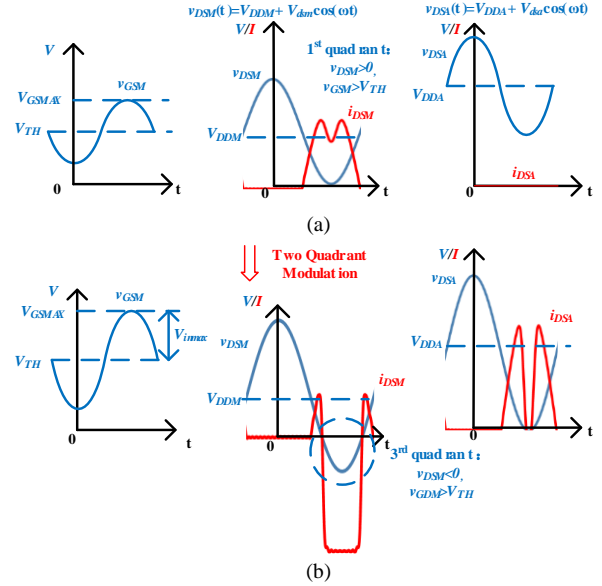


Fig. 2. Voltage and current waveforms of the main and auxiliary transistors and illustration of TQM: (a) OBO; (b) Saturation.

maintains drain efficiency (DE) of 39.2-49.1%, 45.4-51.2% and 47.8-57.7% at 7.5dB, 6dB and 0dB back-off from  $P_{sat}$ . Moreover, when excited with a 40MHz 64-QAM signal with a PAPR of 7.5dB, the proposed PA achieves an average DE of 39-49.2% at an average  $P_{out}$  of 28.8-31.6 dBm, and maintains an error vector magnitude (EVM) of about 1.2% and an adjacent channel power ratio (ACPR) of <-46dBc after applying digital pre-distortion (DPD).

## II. THEORY AND PROPOSED DESIGN METHOD OF SLCG PA

### A. SLCG Basis and the Transistor and Input Condition Modeling

Fig. 1(a) shows the classic SLCG circuit reported in [20], where a DC block capacitor is used to connect the main and auxiliary transistors so that these two transistors can be biased at different DC supply voltages ( $V_{DDM}$  and  $V_{DDA}$ ,  $V_{DDM} < V_{DDA}$ ), while their drain voltage AC components can be considered exactly identical ( $v_{dsm} = v_{dsa}$ ). It is worth noting that, for the variable nomenclature, this analysis uses symbols of uppercase letters with uppercase subscripts to denote DC variables, lowercase letters with lowercase subscripts for AC variables, lowercase letters with uppercase subscripts for the superposed DC and AC variables, uppercase letters and lowercase subscripts for frequency domain components obtained from Fourier transform. For instance, as depicted in Fig. 2, the time-domain main transistor drain voltage is denoted as  $v_{DSM}$ , which exhibits a DC, AC, and fundamental component of  $V_{DDM}$ ,  $v_{dsm}$ , and  $V_{dsm}$ , respectively.

The SLCG PA and DPA operation is partially similar in the LPR, where the auxiliary transistor is turned off and only the main transistor is conducting. Henceforth, the value of the load impedance in Fig. 1(a) is set to the optimal load ( $R_{optM}$ ) of the main transistor, so that an efficiency peak is attained at a certain OBO power for average efficiency enhancement [Fig. 2(a)].

The SLCG PA behaves very differently from DPA when the auxiliary transistor turns on in the HPR. As  $v_{dsm}$  is forced identical to  $v_{dsa}$ , the increase of  $v_{dsa}$  can yield  $v_{dsm}$  with

> REPLACE THIS LINE WITH YOUR MANUSCRIPT ID NUMBER (DOUBLE-CLICK HERE TO EDIT) <

amplitude higher than  $V_{DDM}$ , thus the drain voltage of the main transistor will swing below 0. This pushes the main transistor to be modulated from the 1<sup>st</sup> quadrant ( $v_{DSM} > 0$ ,  $v_{GSM} > V_{TH}$ ) to the 3<sup>rd</sup> quadrant ( $v_{DSM} < 0$ ,  $v_{GDM} > V_{TH}$ ), which is also known as TQM. This phenomenon is shown in Fig. 2(b). Due to the large signal nature of TQM, when analyzing the SLCG PA, the main transistor cannot be considered an ideal voltage-controlled CS, and it is compulsory to consider the effects of both gate and drain voltages. In this analysis, the equations used in [20] are applied to model the transistors:

$$i_{DS}(v_{GS}, v_{DS}) = \begin{cases} I_{MAXM(A)} \psi(v_{GS}) \tanh(0.74 \cdot \frac{v_{DS}}{V_{KNEE}}), v_{DS} \geq 0 \\ I_{MAXM(A)} \psi(v_{GS} - v_{DS}) \tanh(0.74 \cdot \frac{v_{DS}}{V_{KNEE}}), v_{DS} \leq 0 \end{cases} \quad (1)$$

$$\psi(x) = \begin{cases} 1, x > 1 \\ x, 0 \leq x \leq 1 \\ 0, x < 0 \end{cases} \quad (2)$$

Where  $I_{MAXM}$  and  $I_{MAXA}$  stand for the maximum drain currents of the main and auxiliary transistors, respectively, and  $V_{KNEE}$  is the knee voltage. Note that this model can be viewed as the multiplication of two factors: (i) the hyperbolic tangent function which models the effect of  $v_{DS}$  on  $i_{DS}$  [23]; and (ii) the step function  $\varphi(x)$  which describes the effect of gate voltage on  $i_{DS}$  and eventually enables the analysis of transistor operation over both the 1<sup>st</sup> and 3<sup>rd</sup> quadrants.

To form a proper TQM, it is required that the input signals of the main and auxiliary paths are judiciously synchronized. This is very similar to the input requirements in DPA, so it is natural to borrow input models that are commonly used in DPA analysis. These models include the AB-C model [24] and the dual Class-B model [25]. Compared with the AB-C model, the dual Class-B model is relatively simple as it eliminates the cumbersome conduction angle analysis. This allows for a quick evaluation of key circuit performances. Therefore, in this theoretical study, both transistors are assumed to be operated in Class-B mode, and their fundamental gate voltages ( $V_{gsm}$  and  $V_{gsa}$ ) are expressed as:

$$V_{gsm} = \beta_{in} \cdot V_{inmax} \quad 0 \leq \beta_{in} \leq 1 \quad (3)$$

$$V_{gsa} = \begin{cases} 0 & 0 \leq \beta_{in} \leq \beta \\ \frac{\beta_{in} - \beta}{1 - \beta} e^{j\theta_A} V_{inmax} & \beta \leq \beta_{in} \leq 1 \end{cases} \quad (4)$$

Where  $V_{inmax}$  denotes the maximum fundamental input voltage of the transistor, and  $\beta_{in}$  is a unitless normalized input parameter that is between [0,1], and  $\beta$  is the value of  $\beta_{in}$  when the auxiliary transistor is turned on, and  $\theta_A$  is the phase difference between the main and auxiliary input voltage. For the classical SLCG circuit,  $\theta_A$  is equal to 0.

### B. The Analysis of the Classical SLCG PA

In this part, a comprehensive analysis of the classical SLCG circuit is performed to obtain the relationship between the SLCG circuit parameters and its key performances. A set of design equations yielding the optimal gain flatness is then derived and verified.

This analysis starts with discussing the characteristics of the main transistor in the LPR, where its drain voltage is usually much higher than  $V_{KNEE}$  ( $v_{DS} \gg V_{KNEE}$ ). Therefore, the hyperbolic tangent function in (1) is approximately equal to 1, and equation (1) can be degenerated to a basic voltage-controlled current-source relationship. Consequently, under the Class-B bias assumption, the fundamental drain current of the main transistor ( $I_{dsm}$ ) can be expressed as a linear function of the input voltage:

$$I_{dsm} = \frac{1}{2} \beta_{in} \cdot I_{MAXM} \quad (5)$$

The output voltage of the SLCG PA ( $V_{out}$ ) can then be expressed as:

$$V_{out} = V_{dsm} = \frac{1}{2} \beta_{in} \cdot I_{MAXM} \cdot R_{optM} \quad (6)$$

The amplifier gain ( $\text{Gain}_{OBO}$ ) at OBO can be viewed as the ratio between  $V_{out}$  and  $V_{gsm}$ . Based on (5)-(6),  $\text{Gain}_{OBO}$  and the value of  $I_{dsm}$  at the OBO ( $\beta_{in} = \beta$ ) takes the following form:

$$\text{Gain}_{OBO} = \left. \frac{V_{out}}{V_{gsm}} \right|_{OBO} = \frac{1}{2} \frac{I_{MAXM} \cdot R_{optM}}{V_{inmax}} \quad (7)$$

$$I_{dsm,obo} = \frac{1}{2} \beta \cdot I_{MAXM} \quad (8)$$

For the main transistor to achieve an efficiency peak at the OBO power, its fundamental drain voltage should reach  $V_{DDM} - V_{KNEE}$  which is considered as the maximum swing allowed without compressing the device. Therefore, the main transistor current and voltage and the SLCG  $P_{out}$  ( $P_{obo}$ ) at OBO should satisfy:

$$V_{DDM} - V_{KNEE} = R_{optM} \cdot \frac{1}{2} \beta \cdot I_{MAXM} \quad (9)$$

$$P_{obo} = \frac{1}{2} \frac{(V_{DDM} - V_{KNEE})^2}{R_{optM}} \quad (10)$$

At the saturation power, the auxiliary transistor is fully turned on. Consequently, as identified in Fig. 2(b), the main transistor is forced to operate in the 3<sup>rd</sup> quadrant for a considerable portion of a cycle. This generates a large amount of current flowing into the main transistor. Therefore, the main transistor absorbs fundamental power instead of delivering it to the outside, and consequently, it can be equivalent to a load impedance at the fundamental frequency. Denote this impedance as  $Z_{LM,sat}$ , and consequently, the auxiliary transistor sees an impedance of  $Z_{LM,sat} // R_{optM}$ . Meanwhile, according to (1) and (2), the fundamental drain current ( $I_{dsa}$ ) of the auxiliary transistor is equal to  $I_{MAXA}/2$  at saturation. Therefore, the auxiliary transistor drain voltage at saturation ( $V_{dsa,sat}$ ), which is also the saturation SLCG output voltage, can be written as:

$$V_{out}|_{SAT} = V_{dsa,sat} = (Z_{LM,sat} // R_{optM}) \cdot \frac{1}{2} I_{MAXA} \quad (11)$$

To maximize the  $P_{out}$  and efficiency of the auxiliary PA while avoiding compression, this voltage should meet the following conditions:

$$V_{dsa,sat} = V_{DDA} - V_{KNEE} \quad (12)$$

According to (11) and (12), the auxiliary transistor optimal load and the SLCG  $P_{sat}$  can be expressed as:

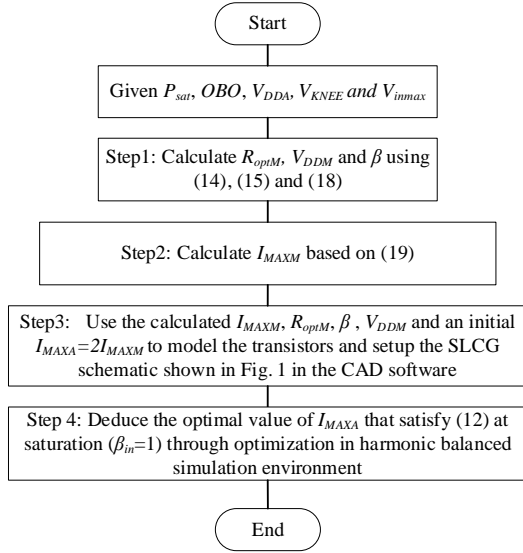


Fig. 3. Flow chart to solve the value of  $I_{MAXA}$  that maximizes the auxiliary transistor power and efficiency at saturation.

$$R_{optA} = 2 \frac{(V_{DDA} - V_{KNEE})}{I_{MAXA}} = Z_{LM,sat} // R_{optM} \quad (13)$$

$$P_{sat} = \frac{1}{2} \frac{(V_{DDA} - V_{KNEE})^2}{R_{optM}} \quad (14)$$

Combining (10)-(11) and (13)-(14), the realized OBO and saturation gain of the SLCG PA can be written as:

$$OBO = \frac{P_{sat}}{P_{obo}} = \frac{(V_{DDA} - V_{KNEE})^2}{(V_{DDM} - V_{KNEE})^2} \quad (15)$$

$$Gain_{SAT} = \frac{V_{out}}{V_{gsm}} \bigg|_{SAT} = \frac{1}{2} \frac{I_{MAXA} R_{optA}}{V_{inmax}} \quad (16)$$

Note that the OBO calculated from (15) is in the linear scale. An additional logarithm operator is required to transform it into the dB scale. Defining  $AM-AM_{obo}$  as the ratio of  $Gain_{OBO}$  to  $Gain_{SAT}$ . According to (7) and (16), we have:

$$AM - AM_{obo} = \frac{Gain_{OBO}}{Gain_{SAT}} = \frac{I_{MAXM} \cdot R_{optM}}{I_{MAXA} \cdot R_{optA}} = \frac{V_{DDM} - V_{KNEE}}{\beta(V_{DDA} - V_{KNEE})} \quad (17)$$

To reduce the SLCG gain variation in the HPR, we expect  $AM-AM_{obo} = 1$ . Combined with equations (15) and (17), this asks  $\beta$  to satisfy the below equation:

$$\beta = \frac{V_{DDM} - V_{KNEE}}{V_{DDA} - V_{KNEE}} = \sqrt{\frac{1}{OBO}} \quad (18)$$

Furthermore, substitute (18) into (9),  $I_{MAXM}$  can be expressed as (19). This equation identifies the value of  $I_{MAXM}$  for optimal gain flatness and maximized  $P_{sat}$ . Note that this value is determined by  $V_{DDA}$  (not  $V_{DDM}$ ), and is independent of OBO.

$$I_{MAXM} = \frac{2(V_{DDA} - V_{KNEE})}{R_{optM}} \quad (19)$$

Up to now, various design parameters have been obtained by targeting optimal PA power efficiency and gain flatness. However, it is worth noting that equations (13)-(19) are

TABLE I  
SLCG PARAMETERS UNDER VARIOUS OBO

Circuit parameters					
$OBO(dB)$	$\beta$	$V_{DDM}(V)$	$R_{optM}(\Omega)$	$I_{MAXM}(A)$	$I_{MAXA}(A)$
6	0.50	14.78	55.65	0.95	2.10
7	0.45	13.34	55.65	0.95	2.18
8	0.40	12.05	55.65	0.95	2.22

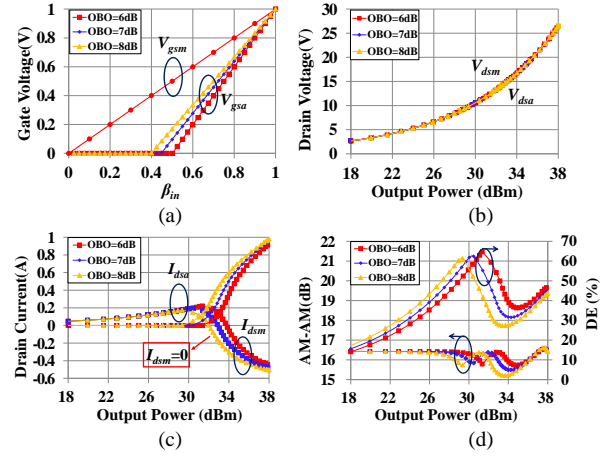


Fig. 4. HB simulation results under different OBO: (a) gate voltages; (b) drain voltages; (c) drain currents; (d) DE and AM-AM.

derived by assuming that the auxiliary transistor delivers optimal power and efficiency at saturation. This requires the satisfaction of (12) which further demands a proper  $Z_{LM,sat}$  to be presented by the 3<sup>rd</sup>-quadrant-operated main transistor. According to [20], the value of  $Z_{LM,sat}$  is greatly dependent on the injection current from the auxiliary transistor. This makes it possible to obtain optimal auxiliary transistor power efficiency by properly selecting the value of  $I_{MAXA}$  which affects the injection current and eventually controls  $Z_{LM,sat}$ . However, due to the nonlinear characteristic of the 3<sup>rd</sup>-quadrant-operated main transistor, the optimal  $I_{MAXA}$  that yields the satisfaction of (12) must be determined from large-signal simulations.

Fig. 3 shows the flow chart utilized to solve the optimal  $I_{MAXA}$ . Based on Fig. 3, for a given set of OBO,  $P_{sat}$ ,  $V_{DDA}$ ,  $V_{KNEE}$ , and  $V_{inmax}$  using (14), (15), and (18),  $R_{optM}$ ,  $V_{DDM}$ , and  $\beta$  can be obtained, and subsequently,  $I_{MAXM}$  is calculated using (19). Then, using these parameters and setting an initial  $I_{MAXA}$  to twice  $I_{MAXM}$ , the main and auxiliary transistor can be built using (1)-(2), and subsequently the SLCG PA circuit shown in Fig. 1(a) is established and simulated with a harmonic balance (HB) simulator. In the next, the value of  $I_{MAXA}$  is optimized so that the maximum output power condition shown in (12) is satisfied at  $\beta_{in}=1$ . This produces the correct value of  $I_{MAXA}$ .

Moreover, non-zero harmonic components complicate the analysis. Therefore, as shown in Fig. 1(b), when modeling the transistors, an L-shape network is involved to short-circuit all harmonic drain voltages. For this purpose, its parallel/series impedance is defined as equal to  $\infty/0$  and  $0/\infty$  at the fundamental and harmonic frequencies, respectively. Henceforth, all the harmonic components of transistor drain



> REPLACE THIS LINE WITH YOUR MANUSCRIPT ID NUMBER (DOUBLE-CLICK HERE TO EDIT) <

voltages are set to zero, and only the DC and fundamental ones are retained. This helps with a quick evaluation of the theoretical performance of the SLCG PA.

Table I shows the circuit parameters ( $\beta$ ,  $V_{DDM}$ ,  $R_{optM}$ ,  $I_{MAXM}$ ,  $I_{MAXA}$ ) obtained by applying Fig. 3 under various OBO values while setting  $P_{sat}$ ,  $V_{DDA}$ ,  $V_{KNEE}$ ,  $V_{inmax}$ , and  $\theta_A$  to 38dBm, 28V, 1.5V, 1V and  $0^\circ$ , respectively. Fig. 4 shows the HB simulation results of various SLCG circuits built using the parameters summarized in Table I.

According to Fig. 4(a), different values of OBO require  $V_{gsa}$  to increase at different rates, but in general, this rate difference is not significant. In addition, it can be seen from Table I that both  $I_{MAXM}$  and  $I_{MAXA}$  vary little with OBO. This means that the SLCG PA can present different OBO characteristics simply by adjusting  $V_{DDM}$  and  $\beta$  (bias conditions) without changing transistors and other circuit parameters. This reconfigurable feature improves the robustness of the SLCG PA to the inaccuracy issues of the transistor's large-signal model in predicting its 3<sup>rd</sup> quadrant behavior. According to Fig. 4(b),  $V_{dsm}$  and  $V_{dsa}$  remain identical for all OBO and reach  $V_{DDA}$ - $V_{KNEE}$  (26.5V) at saturation. This verifies the maximization of the auxiliary transistor power efficiency at  $P_{sat}$ . Moreover, Fig. 4(c) shows that the variation of target OBO has a strong effect on the current profiles. For instance, the increase of OBO yields the decrease of  $\beta$ , and thus forces the auxiliary transistor to turn on at lower  $\beta_{in}$ , and causes the main transistor to quickly behave as a load impedance, i.e., lower  $\beta_{in}$  for  $I_{dsm} < 0$  [see Fig. 4(c)]. As shown in Fig. 4(d), this brings more power consumption and leads to lower efficiency in the HPR region under large OBO. Meanwhile, for all OBO cases, the gain value at the OBO and saturation power are identical.

Finally, it is worth noting that the optimal gain flatness condition revealed in (18) is derived under dual Class-B and zero-transistor-parasitic assumptions. Therefore, it is merely used to simplify the prototype design and point out the possibility of realizing high-performance SLCG PAs. In the practical design, due to the input parasitic of the transistor, it is necessary to take into account various parameters, such as the transistor input impedance, the input matching network design, power divider selection, and bias conditions, to enhance the efficiency and gain characteristic of the real SLCG PAs.

### C. The Proposed SLCG PA Enabling the Packaged-transistor-based Implementation

The classic SLCG circuit requires the internal AC drain voltages of the two transistors to be identical. This is difficult to achieve for commercial packaged transistors as these transistors usually exhibit substantial parasitic inductance and capacitance which make the package plane drain voltage significantly different from the internal one. As a result, even if the devices are directly connected, their internal voltages differ from each other greatly. Therefore, it is difficult to apply the classic SLCG technique to commercial packaged transistors.

To mitigate this problem, this work proposes a new SLCG output combining network (OCN) which adopts matching networks ( $OMN_M$  and  $OMN_A$ ) in both main and auxiliary branches [see Fig. 5(a)]. These matching networks are deliberately constructed based on the following criterion:

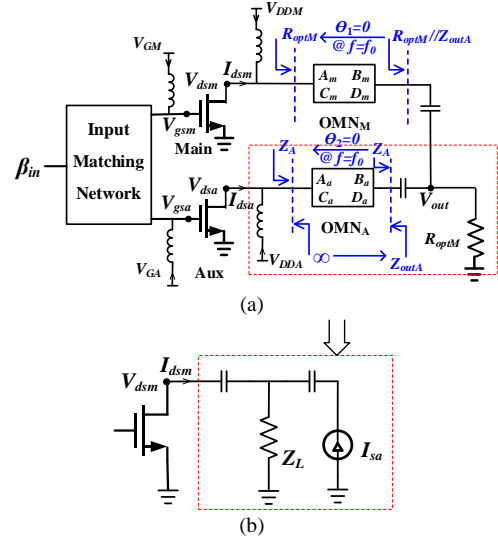


Fig. 5. Diagrams of: (a) the proposed SLCG PA and (b) its equivalent circuit in the HPR.

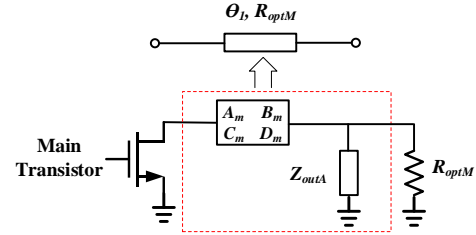


Fig. 6. Equivalent circuit of the proposed SLCG PA in the LPR.

firstly, both networks are wideband impedance transformers that fulfill specific load transformation targets required in Fig. 5(a), and at the center frequency ( $f_0$ ) they are equivalent to ideal voltage transformers with a phase shift of  $0^\circ$  and a voltage ratio of 1:1, so that the entire network is equivalent to the classical SLCG circuit at  $f_0$ . Therefore, the method given in the previous part for device selection and circuit parameter computation can be directly applied. Secondly, these networks are assumed to exhibit positive group delays, so that transistor and package parasitic parameters can be absorbed as part of the networks.

Using the above criterion, the  $OMN_A$  is firstly modeled as an artificial TL with a characteristic impedance of  $Z_A$ , an electrical length of  $\theta_2$ , a constant group delay of  $\tau_A$ , and its ABCD-Parameter takes the following form:

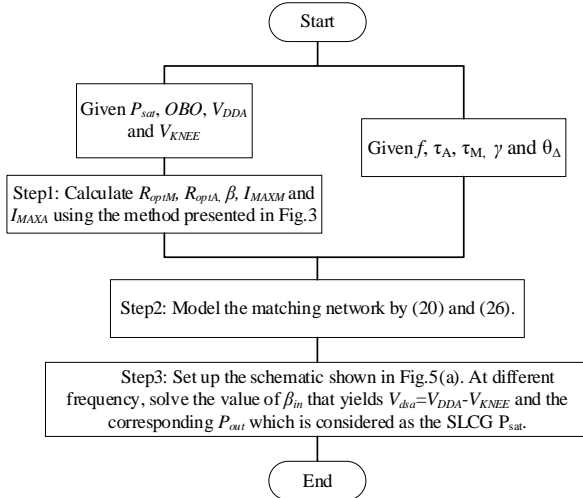
$$\begin{bmatrix} A_a & B_a \\ C_a & D_a \end{bmatrix} = \begin{bmatrix} \cos \theta_2 & jZ_A \sin \theta_2 \\ j \frac{1}{Z_A} \sin \theta_2 & \cos \theta_2 \end{bmatrix} \quad (20)$$

$$\theta_2 = (f - f_0)\tau_A \quad (21)$$

Define  $\gamma$  as the normalized characteristic impedance of  $OMN_A$  with respect to  $R_{optA}$ :

$$\gamma = \frac{Z_A}{R_{optA}} \quad (22)$$

In the LPR, the auxiliary transistor is turned off, so that the proposed SLCG circuit can be simplified to the one shown in Fig. 6, where  $Z_{outA}$  is the output impedance of the auxiliary branch. Using (20),  $Z_{outA}$  can be expressed as:



**Fig. 7.** Simulation flowchart used to determine the saturation input voltage and output power at various frequency points.

$$Z_{outA} = jZ_A \tan \theta_2 \quad (23)$$

To maintain good back-off efficiency over wideband, the main transistor should see  $R_{optM}$  over a broad frequency range in the LPR. Therefore, as shown in Fig. 6, the combination of OMN<sub>M</sub> and the parallel  $Z_{outA}$  should be equivalent to another artificial TL with a characteristic impedance of  $R_{optM}$ , an electrical length of  $\theta_1$ , and a group delay of  $\tau_M$ . Using the network theory, this equivalence can be expressed as:

$$\begin{bmatrix} \cos \theta_1 & jR_{opt} \sin \theta_1 \\ j\frac{1}{R_{opt}} \sin \theta_1 & \cos \theta_1 \end{bmatrix} = \begin{bmatrix} A_m & B_m \\ C_m & D_m \end{bmatrix} \begin{bmatrix} 1 & 0 \\ 1/Z_{outA} & 1 \end{bmatrix} \quad (24)$$

$$\theta_1 = (f - f_0)\tau_M \quad (25)$$

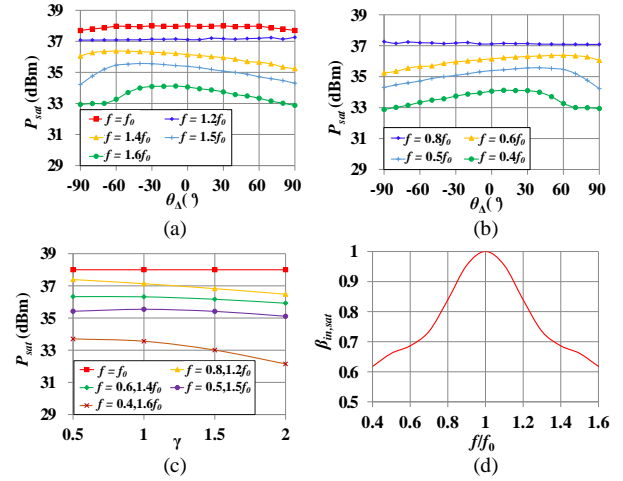
Note that both  $\theta_1$  and  $\theta_2$  from (25) and (21) are modeled to exhibit constant group delay and their value is equal to 0 at  $f_0$ . Subsequently, the ABCD-Parameters of OMN<sub>M</sub> can be solved from (24) and expressed as follows:

$$\begin{bmatrix} A_m & B_m \\ C_m & D_m \end{bmatrix} = \begin{bmatrix} \cos \theta_1 - j\frac{R_{optM}}{Z_{outA}} \sin \theta_1 & jR_{optM} \sin \theta_1 \\ j\frac{\sin \theta_1}{R_{optM}} - \frac{\cos \theta_1}{Z_{outA}} & \cos \theta_1 \end{bmatrix} \quad (26)$$

The application of (20) and (26) finishes the construction of the proposed SLCG PA. Before examining its characteristics, a brief discussion is given below to explain the relationship between the proposed SLCG circuit and the classic one. Using (20) and (26), and by treating the proposed SLCG network as a lossy two-port network, its Z-parameters can be derived:

$$\begin{bmatrix} V_{dsm} \\ V_{dsa} \end{bmatrix} = \begin{bmatrix} R_{optM} & \frac{e^{-j\theta_1} R_{optM}}{\cos \theta_2} \\ \frac{e^{-j\theta_1} R_{optM}}{\cos \theta_2} & \frac{R_{optM} (1 + \tan^2 \theta_2)}{j \tan \theta_1 + 1} + j \tan \theta_2 Z_A \end{bmatrix} \begin{bmatrix} I_{dsm} \\ I_{dsa} \end{bmatrix} \quad (27)$$

Moreover, it is worth noting that the auxiliary transistor does not enter the 3<sup>rd</sup> quadrant throughout the whole SLCG operation. Therefore, its behavior can be simplified as a linear



**Fig. 8.** HB simulation results using the flowchart of Fig. 7: (a)-(b)  $P_{sat}$  vs.  $\theta_A$  for various frequencies and  $\gamma=1$ ; (c)  $P_{sat}$  vs.  $\gamma$  for various frequencies under  $\theta_A=\theta_2-\theta_1$ . (d)  $\beta_{in,sat}$  vs. freq. under  $\theta_A=\theta_2-\theta_1$  and  $\gamma=1$ .

voltage-controlled CS, and consequently, Norton equivalence can be performed to deduce an equivalent circuit of the components inside the red box of Fig. 5(a). Fig. 5(b) depicts the resulting circuit after Norton equivalence, where  $Z_L$  and  $I_{sa}$  denote the equivalent output impedance and short-circuit CS. Based on (27),  $Z_L$  and  $I_{sa}$  can be solved as:

$$Z_L = Z_{11} = R_{optM} \quad (28)$$

$$I_{sa} = \frac{e^{-j\theta_1}}{\cos \theta_2} I_{dsa} = \frac{|I_{dsa}|}{\cos \theta_2} e^{j(\theta_A - \theta_2)} \quad (29)$$

Comparing the circuit of Fig. 5(b) and the classic SLCG in Fig. 1(a), one can find that these two are very similar, except that an equivalent CS is used as the auxiliary transistor in Fig. 5(b). Therefore, it is still possible to modulate the main transistor to the 3<sup>rd</sup> quadrant and consequently maintain wideband SLCG operation with the help of the equivalent CS. However, this CS does not stand for the real auxiliary transistor, and the real drain voltage of the auxiliary transistor must be derived backward from (27) and (29). This leads to the following expression:

$$V_{dsa,sat} = |I_{sa,sat}| e^{j(\theta_A - \theta_1)} \left[ \frac{R_{optM}}{\cos \theta_2} \left( \frac{Z_{LM,sat} \cos \theta_1 + jR_{optM} \sin \theta_1}{Z_{LM,sat} + R_{optM}} \right) + j \sin \theta_2 Z_A e^{j\theta_1} \right] \quad (30)$$

At  $f_0$ ,  $\theta_1$ ,  $\theta_2$ , and  $\theta_A$  are all equal to 0, and one can find that the value of  $V_{dsa,sat}$  is equal to  $I_{dsa,sat}(R_{optM} // Z_{LM,sat})$ , which is the same as (11) reported in the previous part. When frequency deviates from  $f_0$ ,  $\theta_1$  and  $\theta_2$  deviate from 0 for a real network. Thereby,  $V_{dsa,sat}$  is a function of frequency,  $Z_{LM,sat}$ ,  $\theta_A$ , and  $Z_A$ , and consequently, the evaluation of the proposed SLCG PA relies on large signal HB simulations.

Fig. 7 shows the flow chart used in evaluating the proposed SLCG PA. Firstly, various design parameters are calculated according to the method presented in the previous part for given  $P_{sat}$ , OBO,  $V_{DDA}$ ,  $V_{KNEE}$ ,  $V_{inmax}$ , and  $f_0$ . Then, the proposed SLCG OCN of Fig. 5(a) was established using (20) and (26), and the whole circuit was simulated using the HB simulator to solve the value of  $V_{dsa}$  and the SLCG  $P_{out}$  at a specified  $\beta_{in}$  under the given  $\tau_A$ ,  $\tau_M$ ,  $\gamma$ ,  $\theta_A$ , and frequency. To avoid the compression of the auxiliary transistor, in the simulation, the

&gt; REPLACE THIS LINE WITH YOUR MANUSCRIPT ID NUMBER (DOUBLE-CLICK HERE TO EDIT) &lt;

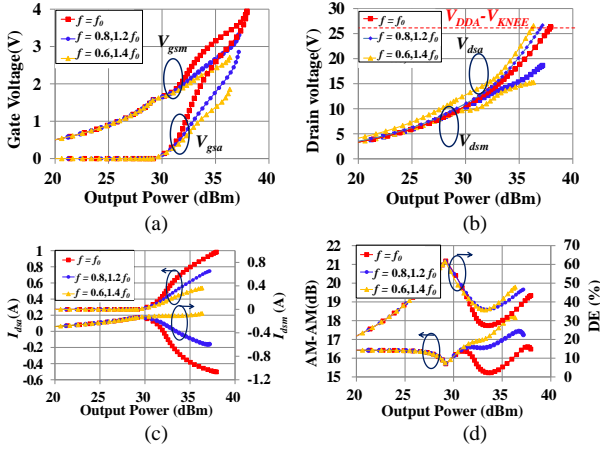


Fig. 9. HB simulation results of the proposed SLCG PA at different frequency points: (a) gate voltages; (b) drain voltages; (c) drain currents; (d) DE and AM-AM.

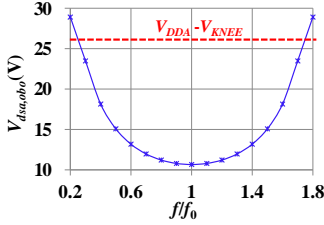


Fig. 10. Calculated  $V_{dsa,obo}$  vs. frequency.

$\beta_{in}$  value that yields  $V_{dsa}$  equal to  $V_{DDA} - V_{KNEE}$  is recorded and marked as the saturation input voltage  $\beta_{in,sat}$ , and the corresponding  $P_{out}$  is treated as the  $P_{sat}$ . Meanwhile, the values of group delay also have an important impact on the circuit bandwidth. Considering that the TL network in the main branch is the combination of OMN<sub>M</sub> and the shunt  $Z_{outA}$ ,  $\tau_M$  should be higher than  $\tau_A$ . Therefore,  $\tau_M$  is set to twice  $\tau_A$  in this analysis, and  $\tau_A$  is set equal to  $\pi/2f_0$ , which is the group delay value of  $90^\circ$  TL. These settings make the analysis more realistic.

Using the above settings and flow chart shown in Fig. 7, the value of  $\beta_{in,sat}$  and  $P_{sat}$  is solved at various frequencies for different  $\gamma$  and  $\theta_A$  combinations under target OBO of 8dB,  $P_{sat}$  of 38dBm,  $V_{DDA}$  of 28V,  $V_{KNEE}$  of 1.5V and  $V_{inmax}$  of 1V. Fig. 8(a)-(b) shows the computed  $P_{sat}$  vs.  $\theta_A$  at various frequencies under  $\gamma=1$ . It can be found that the available SLCG  $P_{sat}$  decreases as the frequency deviates from  $f_0$ . When the frequency is lower than  $0.5f_0$ , or higher than  $1.5f_0$ ,  $P_{sat}$  degrades by more than 2.5dB compared to the maximum  $P_{sat}$  at  $f_0$ . However, this degradation is lower than 1.6dB in the range of  $0.6f_0 \leq f \leq 1.4f_0$ . Therefore, it is reasonable to state that the SLCG PA functions normally in  $[0.6f_0, 1.4f_0]$ . Secondly, the effect of  $\theta_A$  on the available  $P_{sat}$  manifests at edge frequencies, such as at  $0.6f_0$  and  $1.4f_0$ . Since the implementation of  $\theta_A$  depends on the design of the input matching network (IMN), and the relative phase between the two paths of a real IMN is usually approximately linear with frequency, thereby  $\theta_A$  is chosen equal to  $\theta_2 - \theta_1$  for preliminary analysis.

Fig. 8(c) shows calculated  $P_{sat}$  vs.  $\gamma$  at various frequencies under  $\theta_A = \theta_2 - \theta_1$ . It can be found that  $P_{sat}$  decreases with the

TABLE II  
THEORETICAL PARAMETERS OF THE SLCG PROTOTYPE

Circuit parameters				
$V_{DDM}$	$R_{optA}$	$R_{optM}$	$I_{maxM}$	$I_{maxA}$
12.7V	24.1 $\Omega$	55.65 $\Omega$	0.95A	2.2A

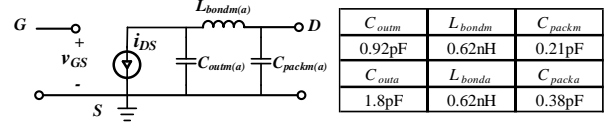


Fig. 11. Transistor parasitic model and its extracted parameter values.

increase of  $\gamma$ , but the overall variation is not large, thereby  $\gamma=1$  can be used as the initial choice for prototyping. Fig. 8(d) shows the calculated  $\beta_{in,sat}$  vs. frequency under  $\theta_A = \theta_2 - \theta_1$  and  $\gamma=1$ . It is obvious that the auxiliary transistor enters saturation at lower  $\beta_{in}$  when the frequency is offset from  $f_0$ .

Using the above observations, the proposed SLCG PA of Fig. 5(a) is simulated with the HB simulator at various frequencies while setting the range of  $\beta_{in}$  to  $[0, \beta_{in,sat}]$  and selecting  $\gamma$  and  $\theta_A$  as 1 and  $\theta_2 - \theta_1$ , respectively. Fig. 9 shows the obtained large signal simulation results. As the frequency deviates from  $f_0$ , the saturation value of the  $V_{gsa}$  and  $V_{gsm}$  decreases [see Fig. 9(a)] due to the reduction of the  $\beta_{in,sat}$  [see Fig. 8(d)], and the value of  $V_{dsa}$  in Fig. 9(b) reaches  $V_{DDA} - V_{KNEE}$  at lower  $P_{out}$ . Moreover, the main transistor gradually changes from behaving as a load impedance to behaving as an active device in the HPR. For instance, as shown in Fig. 9(c), when the frequency is equal to  $0.8f_0$  or  $1.2f_0$ , although the transistor still operates with  $I_{dsm} < 0$  in part of the  $P_{out}$  range, but this range is less than the one at  $f=f_0$ . Moreover, at  $f=0.6f_0$  or  $1.4f_0$ ,  $I_{dsm}$  is maintained higher than 0 for all power levels. This translates into better efficiency in the HPR at edge frequencies [see Fig. 9(d)].

Finally, if the frequency greatly deviates from  $f_0$  (e.g.,  $f=0.4, 1.6f_0$ ), one can find from Fig. 8(a)-(c) that the choice of  $\theta_A$  and  $\gamma$  help little in raising the  $P_{sat}$ . This limitation is related to the value of auxiliary drain voltage ( $V_{dsa,obo}$ ) at the OBO power, which can be derived from (27) and expressed as follows:

$$V_{dsa,obo} = \frac{e^{-j\theta_1} (V_{DDM} - V_{KNEE})}{\cos \theta_2} \quad (31)$$

According to (31), it is obvious that  $V_{dsa,obo}$  is a function of  $\theta_2$  and consequently strongly dependent on the frequency. Fig. 10 plots the  $V_{dsa,obo}$  vs. frequency. One can find that, for  $f < 0.4f_0$  or  $f > 1.6f_0$ , the resulted  $V_{dsa,obo}$  amplitude is already very close to  $V_{DDA} - V_{KNEE}$ , thereby the further driving of the auxiliary transistor leads to its compression and contributes little to the overall  $P_{out}$ . For the frequency inside  $[0.6f_0, 1.4f_0]$ , which corresponds to a  $\theta_2$  range of  $[-36^\circ, 36^\circ]$ , the amplitude of  $V_{dsa,obo}$  is relatively small. This implies that there is still enough voltage margin for the auxiliary transistor to generate substantial output power. Therefore, in the practical design, it is extremely important to keep  $\tau_A$  as small as possible, so that the variation of  $\theta_2$  is low enough to maintain sufficient output power.

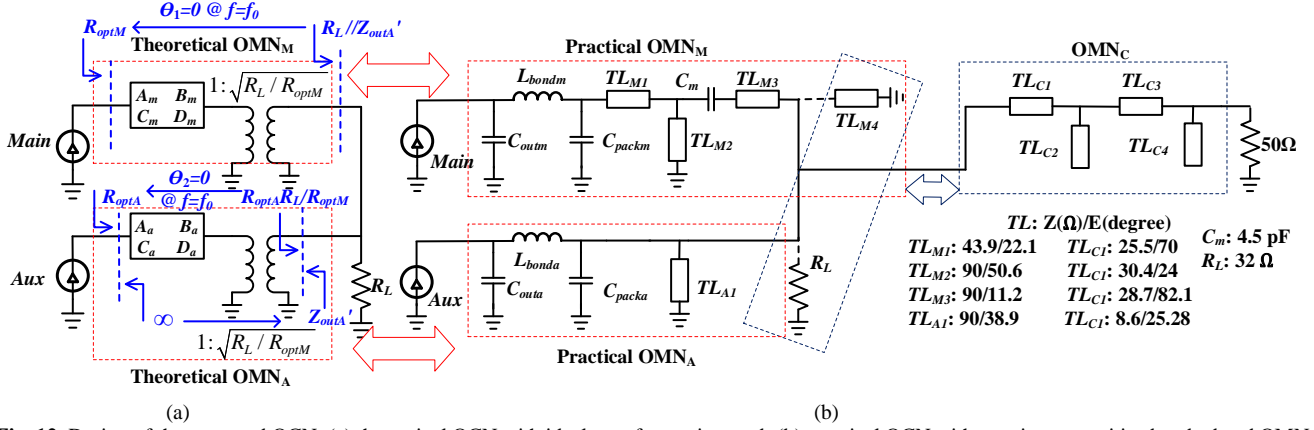


Fig. 12. Design of the proposed OCN: (a) theoretical OCN with ideal transformer inserted; (b) practical OCN with transistor parasitic absorbed and OMN<sub>C</sub> added.

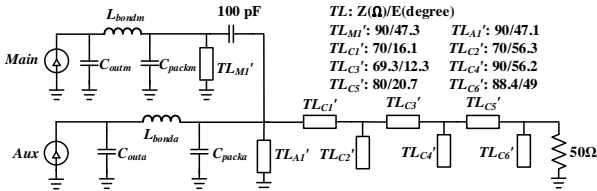


Fig. 13. Diagram of the classical OCN

### III. CIRCUIT DESIGN AND SIMULATION

#### A. The Design of the Proposed OCN

This chapter applies the proposed theory to design a 1-3 GHz high-efficiency SLCG PA with a target  $P_{sat}$  of 38dBm and OBO of 7.5dB. Using these targets and Fig. 3, various SLCG parameters can be calculated while setting  $V_{DDA}$  and  $V_{KNEE}$  to 28V and 1.5V, respectively. Table II summarizes the calculation results, where the obtained  $I_{MAXM}$  and  $I_{MAXA}$  are used as references to determine the main and auxiliary transistors. As there is no flexibility to adjust the maximum drain current of a packaged transistor, one can only pick up the closest. After careful selection, Wolfspeed transistors CGH40006P and CG2H40010P are utilized as the main and auxiliary active devices, respectively. The maximum drain currents of these two transistors at  $V_{DD}=3V$  and  $V_G=0.5V$  are 1.06A and 1.96A, which are close to the theoretical values in Table II.

In addition, to improve efficiency at the back-off, the drain supply voltage ( $V_{DDM}$ ) of the main amplifier is slightly reduced to 12V. Furthermore, by load-pulling the main and auxiliary transistors at the back-off power and saturation power, their optimal impedances,  $R_{optM}$  and  $R_{optA}$ , are determined as 57Ω and 28 Ω, respectively, which are also close to the theoretical ones in Table II. The transistors' parasitic parameters are also extracted and summarized in Fig. 11. These parasitic parameters include the transistor output parasitic capacitance  $C_{outm(a)}$ , the package inductance  $L_{bondm(a)}$ , and the package capacitor  $C_{packm(a)}$ .

With the above parameters obtained, the impedance transformation targets required for the theoretical OCN in Fig. 5(a) can be clearly identified. However, when implementing Fig. 5(a), it is possible to add ideal transformers with the same

voltage ratio to both main and auxiliary branches. This is shown in Fig. 12(a). Note that this operation does not vary the network parameters seen by the two transistors and consequently does not affect the SLCG PA large signal performance. Meanwhile, it brings an additional degree of freedom, i.e. the combining load of the OCN ( $R_L$ ) does not have to be fixed to  $R_{optM}$ , but can be freely selected to boost the SLCG bandwidth. Henceforth, the practical OCN is developed based on the theoretical prototype shown in Fig. 12(a) instead of Fig. 5(a). Such a design strategy has been widely adopted in many broadband Doherty PAs [11], [14].

Applying the above design strategy, the practical OMN<sub>M</sub> and OMN<sub>A</sub> now need to absorb the corresponding transistor parasitic parameters and fulfill the impedance and phase transformation targets marked in Fig. 12(a). Note that these targets are essentially obtained by cascading the requirements in Fig. 5(a) with the additional transformers in Fig. 12(a). When designing the practical OMN<sub>A</sub>, according to Fig. 10, the group delay of this network should be kept as small as possible to avoid the early compression of the auxiliary transistor. Therefore, in this design, only one parallel TL ( $TL_{A1}$ ) is incorporated in the auxiliary branch to minimize the network group delay. By adjusting the electrical length and characteristic impedance of  $TL_{A1}$  and selecting the appropriate  $R_L$ , the combination of parasitic parameters and  $TL_{A1}$  in Fig. 12(b) is made equivalent to the theoretical OMN<sub>A</sub> shown in Fig. 12(a). This realizes wideband impedance matching and the goal of minimal auxiliary phase shift.

After completing the design of OMN<sub>A</sub> and obtaining the values of  $R_L$  and the output impedance of the auxiliary branch ( $Z_{outA}$ ), the high-pass-component-based circuit shown in Fig. 12(b) ( $TL_{M1-4}$ ,  $C_m$ ) is applied to realize the practical OMN<sub>M</sub> by achieving the parasitic absorption and the target impedance matching and phase transmission highlighted in Fig. 12(a).

Finally, to reduce the complexity of the layout routing around the combining node, a fourth-order ladder network ( $TL_{C1-4}$ ) is used to realize the parallel combination of  $R_L$  and  $TL_{M4}$ , so  $TL_{M4}$  does not exist in the designed OCN. In other words, the designed OCN only includes the components connected with the solid line in Fig. 12(b).

For comparison purposes, a reference SLCG OCN is designed using the classical method presented in [20]. Fig. 13



> REPLACE THIS LINE WITH YOUR MANUSCRIPT ID NUMBER (DOUBLE-CLICK HERE TO EDIT) <

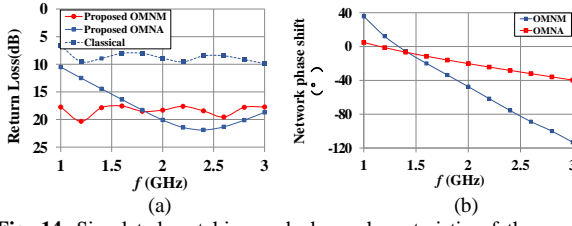


Fig. 14. Simulated matching and phase characteristic of the proposed and classical OCNs: (a) return loss; (b) phase shift.

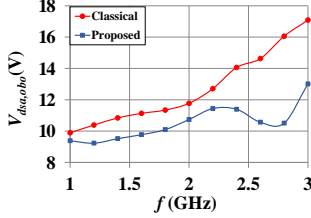


Fig. 15. Simulated  $V_{dsa,obo}$  of the proposed and classical OCNs

shows the diagram and circuit parameter of the designed classical OCN, where a 100pF DC-block capacitor is used to directly connect the external drain terminals of the two transistors together, and two short stubs ( $T_{LM1}'$  and  $T_{LA1}'$ ) are adopted to provide the drain bias, and a sixth-order ladder network is utilized for post-matching. The circuit parameters of this classical OCN are selected to provide the optimal matching to  $R_{optM}$  over 1-3GHz.

Fig. 14 shows the simulated return loss and phase shift of the OMNM and OMNA, where the return losses are calculated from the reflection coefficients of the main transistor drain impedance at LPR and the auxiliary drain impedance when OMNA terminates with the matched load, with reference to their optimal impedances, i.e.  $R_{optM}$  and  $R_{optA}$ , respectively. Based on Fig. 14(a), over 1-3GHz, the proposed OMNM can provide good matching to  $R_{optM}$  in LPR with a return loss of < -18dB, while the classical OCN can only maintain a return loss of about -10dB. This is mainly due to the direct connection of the main and auxiliary transistors in the classical method. As a result, no matching element can be applied in the main amplifier branch to compensate for the finite OFF-state auxiliary transistor output impedance generated by the significant transistor parasitic parameters, and consequently, the matching capacity of the classical OCN is limited.

Meanwhile, based on Fig.14(b), the proposed OMNA exhibits a low phase shift within  $[-40, 8^\circ]$ . This low phase variation yields small  $V_{dsa,obo}$ , which is depicted in Fig. 15 and evaluated as the drain voltage of the OFF-state auxiliary transistor while setting  $V_{dsm}$  equal to  $V_{DDM} - V_{KNEE}$ . Note that the deduced  $V_{dsa,obo}$  is much smaller than  $V_{DDA} - V_{KNEE}$  over the entire frequency band, thus the early compression of the auxiliary transistor can be avoided. Moreover, Fig. 15 also illustrates the calculated  $V_{dsa,obo}$  of the classical OCN. By comparison, the  $V_{dsa,obo}$  in the classical design becomes larger than the proposed one at higher frequencies. This implies early compression of the auxiliary transistor and degradation of  $P_{sat}$  in the classical SLCG PA at upper edge frequencies. These comparisons clearly illustrate the effectiveness of the proposed method in the packaged transistor scenario.

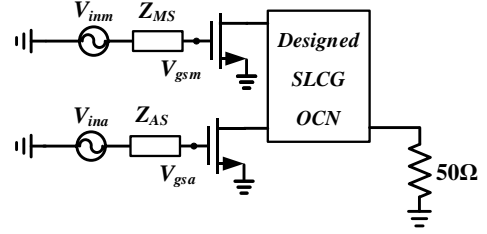


Fig. 16. Dual input circuitry used to extract the target input gate voltages and source impedances.

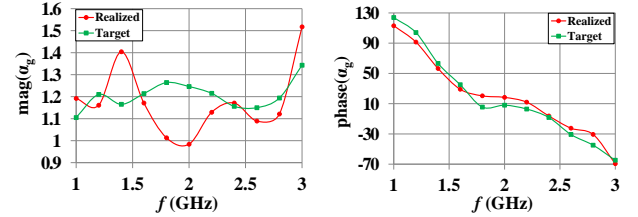


Fig. 17. Comparison of the realized voltage ratio and the target one: (a) magnitude; (b) phase.

The above results imply that sufficient  $P_{sat}$  and high back-off efficiency can be obtained over 1-3 GHz, which corresponds to an FBW of 100%. Note that this FBW is slightly higher than the theoretical one (80%) predicted by Fig. 10. This discrepancy is mainly due to the simplicity of the designed OMNA. For instance, the designed OMNA only adopts one short stub outside the transistor so that its group delay value is lower than the  $90^\circ$  TL one which is used as the basis in calculating Fig.10. Therefore, the realized FBW becomes slightly higher than the theoretical prediction.

#### B. The Design of the IMN and Simulation of the Proposed SLCG PA

Based on the analysis in Section II, the main and auxiliary input signal must exhibit appropriate phase differences to enhance the  $P_{sat}$  at the edge frequencies. This is similar to those required in many wideband DPA designs. Therefore, the dual-input method [11], [14] which is commonly used in DPA designs can be applied. Fig. 16 shows the diagram of this method that uses the designed OCN and adjustable input sources to extract the input voltage ratio ( $\alpha_g = V_{gsa}/V_{gsm}$ ) and the main and auxiliary source impedances ( $Z_{MS}$ ,  $Z_{AS}$ ) that yield optimal  $P_{sat}$  at various frequency points.

The IMN is then designed to provide the extracted voltage ratios (see Fig. 17) and source impedances. Fig. 18 shows the overall circuit diagram of the designed SLCG PA. With reference to Fig. 18, a third-order Wilkinson Divider is used to achieve equal power distribution from 1-3GHz. The parallel RC pairs are connected in series with the transistor gate to enhance the stability at high frequencies, and the 50Ω resistor is added in the DC gate bias path to enhance the PA stability at the low-frequency band. In addition, band-pass matching networks are used in both the main and auxiliary paths to realize wideband matching between the 50Ω source impedances and the transistor gate impedances. Moreover, a high-pass  $\pi$ -network is used in the auxiliary branch, and 50Ω delay lines are added to both paths. These elements facilitate phase control as well as layout routing. Fig. 17 compares the realized voltage ratio obtained from layout simulations and the target one extracted by using Fig. 16. Based on Fig. 17, it can

> REPLACE THIS LINE WITH YOUR MANUSCRIPT ID NUMBER (DOUBLE-CLICK HERE TO EDIT) <

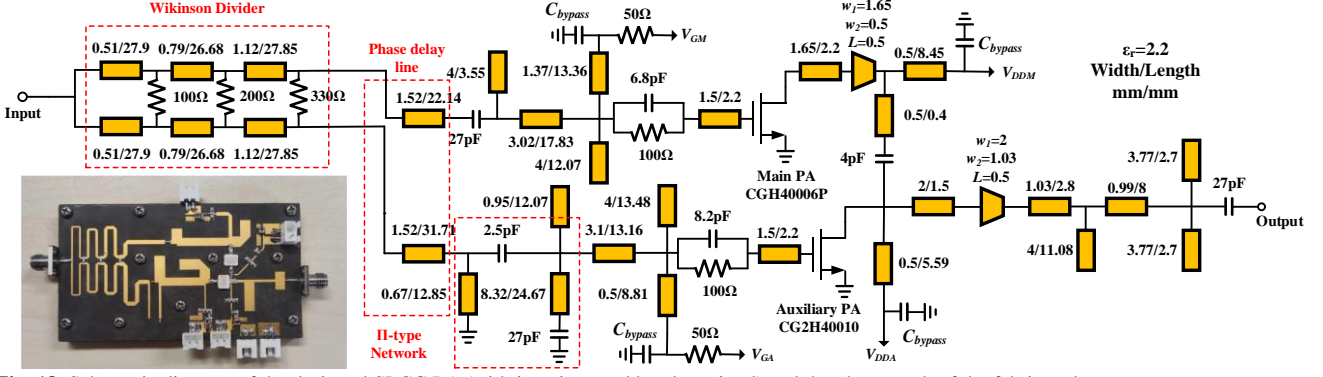


Fig. 18. Schematic diagram of the designed SLCG PA (with junctions and bends omitted) and the photograph of the fabricated one.

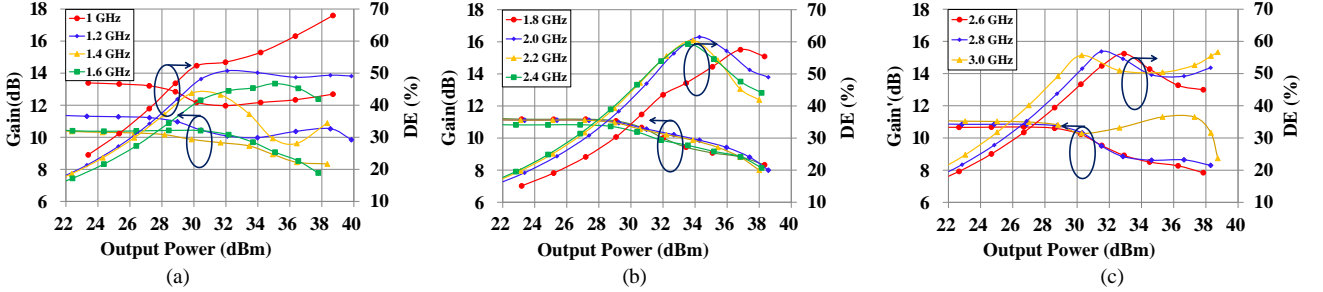


Fig. 19. Simulated DE and gain vs.  $P_{out}$  for: (a) 1-1.6GHz (b) 1.8-2.4GHz (c) 2.6-3.0GHz

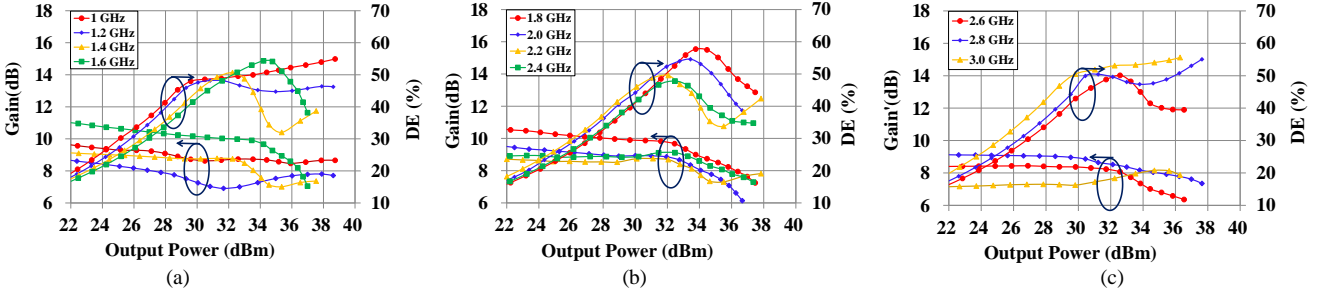


Fig. 20. Measured DE and gain vs.  $P_{out}$  for: (a) 1-1.6GHz (b) 1.8-2.4GHz (c) 2.6-3.0GHz.

be found that the designed IMN well fulfills the required phase and amplitude control conditions.

Fig. 19 shows the large-signal simulation results of the designed SLCG PA. Based on Fig. 19, over the frequency range of 1-3GHz, the PA is capable of delivering  $P_{sat}$  of 37.8-40 dBm, low power gain of 10.5-13.3dB and DE of 43.5-53%, 40-56.4%, and 43.8-68% at 7.5dB, 6dB and 0dB back-off from  $P_{sat}$ , respectively.

#### IV. MEASUREMENT RESULTS

Fig. 18 depicts the photograph of the fabricated PA which occupies an overall PCB area of  $9.3 \times 5.2 \text{ cm}^2$ . In the measurement, the drain supply voltages of the main and auxiliary transistors were 12V and 28V, respectively, and the quiescent drain current of the main transistor and the gate bias voltage of the auxiliary transistor were set to 30mA and -4.8V, respectively.

In the CW-signal measurement, the RS signal generator SMW200A and power meter NRPZ-86 were used to generate input excitation and detect the output, respectively. Fig. 20 shows the measured DE and gain vs.  $P_{out}$  of the proposed PA at various

frequency points. As can be seen from Fig. 20, the PA can provide a  $P_{sat}$  of 36.5-38.7dBm, a low power gain of 8.2-11.2dB. At 7.5dB OBO, 6dB OBO, and saturation power, the PA delivers DE of 39.2-49.1%, 45.4-51.2%, and 47.8-57.7%, over 1-3GHz. When compared with the simulation results [see Fig. 21(a)], the measured  $P_{sat}$  and DE are about 1-2dBm and 5-10% lower. This is mainly due to the large signal model's inaccurate prediction of the transistor behavior in the 3<sup>rd</sup> quadrant. For instance, the modeling of the 3<sup>rd</sup> quadrant transistor behavior may partly come from replicating the 1<sup>st</sup> quadrant one rather than from real testing. This leads to model inaccuracy and yields discrepancies between simulation and measurement as the real GaN HEMT transistor usually does not exhibit symmetry between the drain and source terminals.

In addition, it can be found that both simulated and measured gain characteristics exhibit compressions of about 2-3 dB in the HPR. This deviates from the theoretical results with optimal gain behaviors presented in Section II-B. This is mainly because that the theoretical results in Section II-B are based on the harmonic-short condition which is practically difficult to realize in a broadband design. Therefore, the

&gt; REPLACE THIS LINE WITH YOUR MANUSCRIPT ID NUMBER (DOUBLE-CLICK HERE TO EDIT) &lt;

TABLE III  
COMPARISON TO RECENTLY REPORTED PCB-BASED GAN WIDEBAND AND HIGH BACK-OFF EFFICIENCY PAS

Ref. (Year)	Technique	Transistor type	Freq/FBW GHz/%	P <sub>sat</sub> (dBm)	Gain (dB)	OBO (dB)	DE@OBO (%)	DE@P <sub>sat</sub> (%)	Modulation	Center Freq(GHz)	PAPR (dB)	P <sub>avg</sub> (dBm)	Average DE(%)	ACPR w. DPD(dBc)	ACPR w/o DPD(dBc)
[12]2018	DPA	Package Device	1.5-3.8 /87	42.3-43.4	10-13.8	6	33-55	42-63	7M WiMAX	2.6	9	34	33	-48	-42
[13]2023	DPA	Package Device	1.4-2.5 /56	43.6-45	12-13.1	6 /7.5	49-58 /43-50 <sup>a</sup>	62-71	20M 64QAM	1.4/2/2.5	6.5	37	48/55/51	<-45	<-30
[17]2023	LMBA	Package Device	2.05-3.65 /56.1	45.2-46.8	7.8-10.8	6 /8	51.2-65.8 /50.5-66.2	61.2-79.2	60M /100M LTE	2.25/2.75 /3.25	8	36.2-38.5 /36.1-38.3	50.7-64.7 /49-63.5	-45.2~-59.1 /-40.3~-49.2	-22.3~-24.6 /-21.4~-24.2
[18]2021	LMBA	Package Device	0.55-2.2 /120	41-43	8-15	6 /7.5	40-60 /45-67 <sup>a</sup>	49-82	20M LTE	0.55-2.2	10	31-34	51-62	N/A	-22~-34
[15]2018	DEPA	Bare Die	1.8-3.8 /71.5	44.3-46.5	7.6-10.8	6 /8	35-56 <sup>a</sup> /41-51	42-62	20M LTE	1.8-3.8	8	36.5-37.5	38-52	<-50	<-20
[20]2021	SLCG	Bare Die	0.7-2.8 /120	43.1-45	8-12	6 /7.5	45-57.5 /40-53 <sup>a</sup>	56-70.3	40M LTE	0.7-2.8	7.7	36.3-37.8	47.8-50	-47~-48.8	N/A
[7]2017	Current Bias	Bare Die	0.8-2.2 /93.3	39.7-40.7	10.5-14.2	6 /7.5	37-45 /36-47 <sup>a</sup>	36-48	5M LTE	0.8-2.2	7.2	33.1-34.5	36.9-48.8	-48.1~-54.4	N/A
<b>This Work</b>	<b>SLCG</b>	<b>Package Device</b>	<b>1.0-3.0 /100</b>	<b>36.5-38.7</b>	<b>8.2-11.2</b>	<b>6 /7.5</b>	<b>45.4-51.2 /39.2-49.1</b>	<b>47.8-57.7</b>	<b>40M 64QAM</b>	<b>1.0-3.0</b>	<b>7.5</b>	<b>28.8-31.6</b>	<b>39-49.2</b>	<b>-45.9~-48.4</b>	<b>-27~-35.3</b>

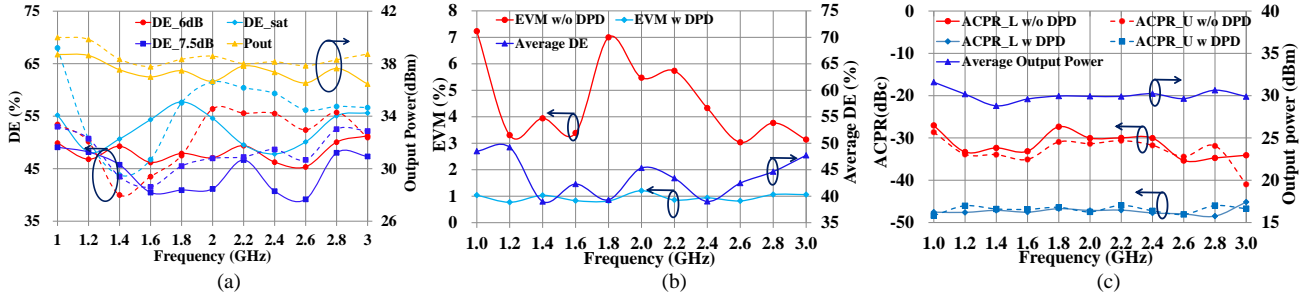
<sup>a</sup> read from graph

Fig. 21. Summary of measurement results under CW and modulated signals: (a) comparison of the measured (solid line) and simulated (dotted line) large signal CW results; (b) measured average DE and EVM before and after DPD; (c) measured  $P_{avg}$  and ACPR before and after DPD

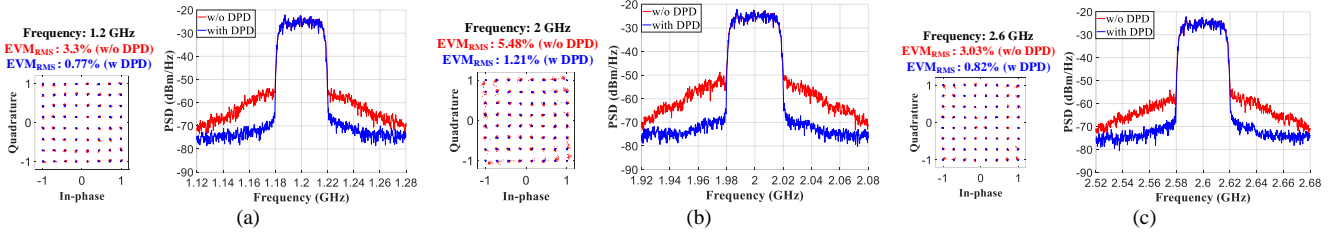


Fig. 22. Measured output spectrum and constellation diagram before and after DPD at: (a) 1.2GHz; (b) 2GHz; (c) 2.6GHz.

non-zero harmonic impedances, especially the 2<sup>nd</sup> one, may generate additional compression in the HPR and leads to degraded gain characteristics compared to the theoretical ones.

In the modulated signal measurement, the PA is fed with a 64QAM signal with a PAPR of 7.5dB and a modulation bandwidth of 40MHz, and the RS spectrum analyzer FSW43 was used to detect the PA output signal. From 1GHz to 3GHz with a step of 0.2GHz, a complexity-reduced Volterra series based DPD technique [26] is applied to linearize the PA at an average  $P_{out}$  ( $P_{avg}$ ) that is about 7.5dB back-off from  $P_{sat}$ . Fig. 21(b)-(c) summarizes the results of this measurement. According to Fig. 21(b)-(c), before DPD, the PA delivers an average DE of 39-49.2% at  $P_{avg}$  of 28.8-31.6 dBm while providing an ACPR of -27~-35.3dBc and an EVM of 3.1-7.2%. After DPD, the ACPR and EVM can be improved to -46~-48.4dBc and about 1.2%, respectively, while the same levels of  $P_{avg}$  and average DE can be retained.

Fig. 22 shows the measured PA output spectrum and constellation diagram at 1.2/2.6 GHz. As can be seen, PA can provide a DE of 49.2/45.3/42.5% at an average  $P_{out}$  of 30.2/30/29.7dBm and a center frequency of 1.2/2.6GHz. With DPD, ACPR can be improved from -33.5/-30.8/-35dBc to -47/-47.3/-48dBc, while EVM is enhanced from 3.3/5.48/3.03% to 0.77/1.21/0.82%. This demonstrates good linearizability.

Table III compares this work with other recently reported PCB-based wideband and high back-off efficiency PAs. It can be found that the proposed SLCG PA can achieve excellent fractional bandwidth (FBW) and back-off efficiency. When compared to the classical SLCG PA [20] that applies bare die devices, the proposed one realizes slightly lower FBW and comparable efficiency using packaged transistors that exhibit better compatibility and reliability. This verifies the capacity of the proposed method in expanding the application range of the SLCG technique.



## V. CONCLUSION

In this paper, a comprehensive theory and a novel design methodology of the SLCG PA are presented. A set of SLCG design equations that can bring optimal gain and back-off efficiency characteristics are derived by studying the relationship between SLCG circuit parameters and its key metrics. A new SLCG OCN that absorbs various transistor parasitic and performs wideband impedance transformation with specific phase shifts is proposed to generalize the SLCG operating mode to the scenarios with commercial packaged transistors. The proposed methodology is then applied to design a wideband SLCG PA operating over 1-3GHz using commercial packaged transistors. The measurement results under both CW and modulated signal stimuli verify the excellent capability of the proposed SLCG PA in delivering high back-off efficiency, wide operation bandwidth, and good linearizability.

## REFERENCES

- [1] A. Grebennikov and S. Bulja, "High-efficiency Doherty power amplifiers: Historical aspect and modern trends," *Proc. IEEE*, vol. 100, no. 12, pp. 3190–3219, Dec. 2012.
- [2] A. A. Zaidi et al., "Waveform and Numerology to Support 5G Services and Requirements," *IEEE Commun. Mag.*, vol. 54, no. 11, pp. 90–98, November 2016.
- [3] V. Camarchia, M. Pirola, R. Quaglia, S. Jee, Y. Cho and B. Kim, "The Doherty Power Amplifier: Review of Recent Solutions and Trends," *IEEE Trans. Microw. Theory Techn.*, vol. 63, no. 2, pp. 559–571, Feb. 2015.
- [4] W. Chen, G. Lv, X. Liu, D. Wang and F. M. Ghannouchi, "Doherty PAs for 5G Massive MIMO: Energy-Efficient Integrated DPA MMICs for Sub-6-GHz and mm-Wave 5G Massive MIMO Systems," *IEEE Microw. Mag.*, vol. 21, no. 5, pp. 78–93, May 2020.
- [5] J. Esch, "High-Efficiency Doherty Power Amplifiers: Historical Aspect and Modern Trends," *Proc. IEEE*, vol. 100, no. 12, pp. 3187–3189, Dec. 2012.
- [6] X. H. Fang and K. -K. M. Cheng, "Extension of High-Efficiency Range of Doherty Amplifier by Using Complex Combining Load," *IEEE Trans. Microw. Theory Techn.*, vol. 62, no. 9, pp. 2038–2047, Sept. 2014.
- [7] M. Akbarpour, F. M. Ghannouchi and M. Helaoui, "Current-Biasing of Power-Amplifier Transistors and Its Application for Ultra-Wideband High Efficiency at Power Back-Off," *IEEE Trans. Microw. Theory Techn.*, vol. 65, no. 4, pp. 1257–1271, April 2017.
- [8] Y. Zhao et al., "Theory and Design Methodology for Reverse-Modulated Dual-Branch Power Amplifiers Applied to a 4G/5G Broadband GaN MMIC PA Design," *IEEE Trans. Microw. Theory Techn.*, vol. 69, no. 6, pp. 3120–3131, June 2021.
- [9] D. Y. -T. Wu and S. Boumaiza, "A Modified Doherty Configuration for Broadband Amplification Using Symmetrical Devices," *IEEE Trans. Microw. Theory Techn.*, vol. 60, no. 10, pp. 3201–3213, Oct. 2012.
- [10] R. Giofrè, L. Piazzon, P. Colantonio and F. Giannini, "An Ultra-Broadband GaN Doherty Amplifier with 83% of Fractional Bandwidth," *IEEE IEEE Microw. Wireless Compon. Lett.*, vol. 24, no. 11, pp. 775–777, Nov. 2014.
- [11] X. Chen, W. Chen, F. M. Ghannouchi, Z. Feng and Y. Liu, "A Broadband Doherty Power Amplifier Based on Continuous-Mode Technology," *IEEE Trans. Microw. Theory Techn.*, vol. 64, no. 12, pp. 4505–4517, Dec. 2016.
- [12] J. J. Moreno Rubio, V. Camarchia, M. Pirola and R. Quaglia, "Design of an 87% Fractional Bandwidth Doherty Power Amplifier Supported by a Simplified Bandwidth Estimation Method," *IEEE Trans. Microw. Theory Techn.*, vol. 66, no. 3, pp. 1319–1327, March 2018.
- [13] K. Han, Z. Chen and L. Geng, "Bandwidth-Enhanced Doherty Power Amplifier With Optimized Quasi-Resistive Power-Combining Load Impedance," *IEEE Trans. Microw. Theory Techn.*, vol. 71, no. 4, pp. 1563–1572, April 2023.
- [14] X. -H. Fang, H. -Y. Liu, K. -K. M. Cheng and S. Boumaiza, "Modified Doherty Amplifier With Extended Bandwidth and Back-Off Power Range Using Optimized Peak Combining Current Ratio," *IEEE Trans. Microw. Theory Techn.*, vol. 66, no. 12, pp. 5347–5357, Dec. 2018.
- [15] P. Saad, R. Hou, R. Hellberg and B. Berglund, "A 1.8–3.8-GHz Power Amplifier With 40% Efficiency at 8-dB Power Back-Off," *IEEE Trans. Microw. Theory Techn.*, vol. 66, no. 11, pp. 4870–4882, Nov. 2018.
- [16] G. Lv, W. Chen, X. Chen, F. M. Ghannouchi and Z. Feng, "A fully integrated 47.6% fractional bandwidth GaN MMIC distributed efficient power amplifier with modified input matching and power splitting network," *IEEE Trans. Microw. Theory Techn.*, vol. 69, no. 6, pp. 3132–3145, Jun. 2021.
- [17] C. Chu, J. Pang, R. Darraji, S. K. Dhar, T. Sharma and A. Zhu, "Broadband Sequential Load Modulated Balanced Amplifier With Extended Design Space Using Second Harmonic Manipulation," *IEEE Trans. Microw. Theory Techn.*, vol. 71, no. 5, pp. 1990–2003, May 2023.
- [18] Y. Cao, H. Lyu and K. Chen, "Asymmetrical Load Modulated Balanced Amplifier With Continuum of Modulation Ratio and Dual-Octave Bandwidth," *IEEE Trans. Microw. Theory Techn.*, vol. 69, no. 1, pp. 682–696, Jan. 2021.
- [19] J. Guo, Y. Cao and K. Chen, "1-D Reconfigurable Pseudo-Doherty Load Modulated Balanced Amplifier With Intrinsic VSWR Resilience Across Wide Bandwidth," *IEEE Trans. Microw. Theory Techn.*, vol. 71, no. 6, pp. 2465–2478, June 2023.
- [20] X. Chen, M. Zhao, W. Chen and Z. Feng, "A 700–2800MHz Switchless Class-G Power Amplifier with Two-Quadrant Modulation for Back-off Efficiency Improvement," *2022 IEEE/MTT-S International Microwave Symposium - IMS 2022*, Denver, CO, USA, 2022, pp. 410–413.
- [21] N. Wolff, W. Heinrich and O. Bengtsson, "Discrete gate bias modulation of a class-G modulated RF power amplifier," *2016 46th European Microwave Conference (EuMC)*, 2016, pp. 827–830.
- [22] F. H. Raab, "Average Efficiency of Class-G Power Amplifiers," *IEEE Trans. Consum. Electron.*, vol. CE-32, no. 2, pp. 145–150, May 1986.
- [23] W. R. Curtice and M. Ettenberg, "A Nonlinear GaAs FET Model for Use in the Design of Output Circuits for Power Amplifiers," *IEEE Trans. Microw. Theory Techn.*, vol. 33, no. 12, pp. 1383–1394, Dec. 1985.
- [24] P. Colantonio, F. Giannini, R. Giofrè, and L. Piazzon, "The AB-C Doherty amplifier, Part I: Theory," *Int. J. RF Microw. Comput. Aided Eng.*, vol. 19, no. 3, pp. 293–306, May 2009.
- [25] G. Lv, W. Chen, Y. Zhang, N. Chen, F. M. Ghannouchi and Z. Feng, "A Highly Linear GaN MMIC Doherty Power Amplifier Based on Phase Mismatch Induced AM–PM Compensation," *IEEE Trans. Microw. Theory Techn.*, vol. 70, no. 2, pp. 1334–1348, Feb. 2022.
- [26] F. Mkaem, M. C. Fares, S. Boumaiza, and J. Wood, "Complexity-reduced vollterra series model for power amplifier digital predistortion," *Analog Integr. Circuits Signal Process.*, vol. 79, no. 2, pp. 331–343, May 2014.



**Xiaohu Fang** (S'12-M'15-SM'21) received the B.Eng. and M.Eng. degrees in electronic science and technology from the Huazhong University of Science and Technology, Hubei, China, in 2008 and 2011, respectively, and the Ph.D. degree in electronic engineering from The Chinese University of Hong Kong, Hong Kong, in 2015. He is currently an Assistant Professor with the School of Microelectronics, Southern University of Science and Technology, Shenzhen, China.

His current research interests include the development of highly efficient radio front-end techniques for 5G communications, and the design of hybrid and GaN integrated high efficiency and high linearity power amplifiers and associated linearization methods.



**Ruiyuan Chen.** (S'23) received the B.Eng. degrees in South China University of Technology, Guangzhou, China, in 2022, and is currently working toward the M.Eng. degree at Southern University of Science and Technology, Shenzhen, China.

His current research interests include the design of hybrid and GaN integrated broadband and high back-off efficiency power amplifiers and associated linearization methods.



> REPLACE THIS LINE WITH YOUR MANUSCRIPT ID NUMBER (DOUBLE-CLICK HERE TO EDIT) <



**Jie Shi.** (S'23) received the B.Eng. degrees in Wuhan University of Technology, Wuhan, China, in 2020, and M.Eng degrees in Sun Yat-sen University, Shenzhen, China, in 2022, and is currently working toward the Ph.D. degree at South University of Science and Technology of China, Shenzhen, China.

His current research interests include the design of hybrid and GaN integrated high efficiency and high linearity power amplifiers and associated linearization methods.