

Segmentation 3 (Water shed algorithm)

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1 Pseudo code

In this section we are going to present the pseudo code of the implementation of the algorithm based on [1]. First, we are going to present the procedure for arrowing the pixels of the image:

Algorithm 1: Arrowing method

```
Data: and input image  $I$ 
Result: A list of pixels sets  $W = \langle P_1, \dots, P_n \rangle$ ;
 $D$  is a matrix of directions initialized to Null.
localMinimums = []
for  $p \in I$  do
    if  $D(p) \neq \text{Null}$  then
        // Auxiliary method for finding best neighbour (less
        // gray level).
        bestNeighbour = findBestNeighbour(I, p)
        if bestNeighbour = Null then
            // In this case best neighbour is not found so we
            // have regional minimum.
            localMinimum := p
             $D(p) = \text{CENTER}$ 
        if  $I(\text{bestNeighbour}) = I(p)$  then
            // In this case we should explore the plateau.
            explorePlateau(p, D)
        if  $I(\text{bestNeighbour}) < I(p)$  then
            // Normal pixel, we have to calculate direction.
            direction = computeDirection(p, bestNeighbour);
             $D(p) = \text{direction}$ .
// Finally the watersheds have to be constructed from the
// directions.
W = constructWatersheds(I, D);
```

After that, we are going to explain the procedure of the exploration of the plateau which is the novel method of this algorithm.

Algorithm 2: Plateau exploration method

Data: and input image I and an initial pixel p
 Q is a queue
 P is the plateau
 $bestNeighbour$ is the best neighbour of the plateau
 $Q.add(p)$
 $p := p$
while $Q.empty() \neq false$ **do**
 $currentP = Q.pop()$
 // Auxiliary method for finding neighbours.
 for $q \in Neighbours(I, currentP)$ **do**
 if q is not visited **then**
 mark q as visited
 if $I(q) < I(p) \wedge I(q) < I(bestNeighbour)$ **then**
 // Best neighbour found
 $bestNeighbour = q$
 if $I(q) = I(p)$ **then**
 $Q.push(q)$
 $P := q$
 if $bestNeighbour \neq Null$ **then**
 plateau is not minimal
 else
 plateau is minimal

2 Example

For testing if the implementation of the algorithm is correct (implementation can be found in the source code), I built an squared image of 10 x 10 pixels, and we can see here the result after applying the segmentation algorithm:



Figure 1: Original image



Figure 2: Watershed regions obtained

References

- [1] Suphalakshmi, A and Anandhakumar, P *An improved fast watershed algorithm based on finding the shortest paths with breadth first search*, 2012.