

Reinforcement Learning Lab

Lesson 8: Deep Q-Networks

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Environment Setup

The first step for the setup of the laboratory environment is to update the repository and load the **miniconda** environment.

- Update the repository of the lab:

```
cd RL-Lab  
git stash  
git pull  
git stash pop
```

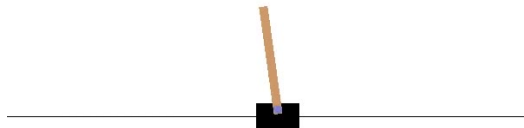
- Activate the *miniconda* environment:

```
conda activate rl-lab
```

Safe Procedure

Always back up the previous lessons' solutions before executing the repository update.

Environment: CartPole



- A pole is attached by an unactuated joint to a cart, which moves along a frictionless track. The pendulum starts upright, and the goal is to prevent it from falling over. A **reward** of $+1$ is provided for every timestep that the pole remains upright.
- The **state** of the environment is represented as a tuple of 4 values: *Cart Position*, *Cart Velocity*, *Pole Angle*, and *Pole Velocity*.
- The **actions** allowed in the environment are 2: *action 0* (*push cart to left*) and *action 1* (*push cart to right*).

Today Assignment

In today's lesson, we will implement the **Deep Q-Network (DQN)** algorithm to solve the CartPole problem. In particular, the file to complete is:

`RL-Lab/lessons/lesson_8_code.py`

Inside the file, a python class and a function are partially implemented. The objective of this lesson is to complete it.

- **def training_loop()**
- **def DQNUpdate()**

Expected results can be found in:

`RL-Lab/results/lesson_8_results.txt`

Suggestions and Code Snippets

- 1 In today's lesson, the code is already partially implemented. Some functions related to Numpy and Matplotlib should not be modified. All the *entry points* for your code are marked with the keyword **TODO**.
- 2 Some methods of **Gymnasium** (the *new* Gym version) can be slightly different with respect to DangerousGridworld. Following are some snippets for the most important functions:

```
# Generation and Reset of the environment
env = gymnasium.make( "CartPole-v1" )
state = env.reset()[0]
# To generate a random action
action = env.action_space.sample()
# The updated 'step' function
next_state, reward, terminated, truncated, info = env.step(action)
done = terminated or truncated
```

training_loop()

Require: *environment, neural_network, trials, expl_param, score_queue*

Ensure: *neural_network, score_queue*

- 1: initialize the experience buffer
 - 2: initialize the score queue
 - 3: **for** $i \leftarrow 0$ **to** *epochs* **do**
 - 4: initialize *s* observe current state
 - 5: **repeat**
 - 6: Select and execute action *a*
 - 7: Observe new state s' and receive immediate reward *r*
 - 8: Add (*s*, *a*, s' , *r*) to experience buffer
 - 9: DQNUPLICATE(*neural_network*, *buffer*)
 - 10: update state $s \leftarrow s'$
 - 11: **until** *s* is terminal
 - 12: update *score_queue*
 - 13:
 - 14: **return** *score_queue*
- ▷ A fixed size queue
 - ▷ An infinite size queue
 - ▷ ϵ -greedy approach
 - ▷ Call the training function

DQNUpdate()

Require: *neural_network*, *experience_buffer*(MB), *gamma*

Ensure: *neural_network*

```
1: Sample mini-batch MB of experiences from buffer
2: for  $s, a, s', r \in \text{MB}$  do                                ▷ (state, action, next_state, reward)
3:    $\text{target} \leftarrow \text{PREDICT}(\text{neural\_network}, s)$ 
4:   if  $s'$  is terminal then
5:      $\text{target}[a] = r$ 
6:   else
7:      $\text{max-q} = \max(\text{PREDICT}(\text{neural\_network}, s'))$           ▷ max q-value from  $s'$ 
8:      $\text{target}[a] = r + (\text{max-q} * \text{gamma})$ 
9:    $\text{mse} = \text{MSE}(\text{state}, \text{target})$ 
10:   $\text{COMPUTE\_GRADIENT}(\text{mse}, \text{neural\_network})$               ▷ back-propagation
11: return neural_network
```

Expected Results

Seeding

Given the (particularly) high stochasticity of the method and the environment, for this lesson, we fixed a random seed equal to 2.

Expected results

The plot on the right is the expected result. Notice that it has been obtained with an ϵ -greedy strategy, starting with $\epsilon = 1$ and multiplying it by 0.999 each epoch.

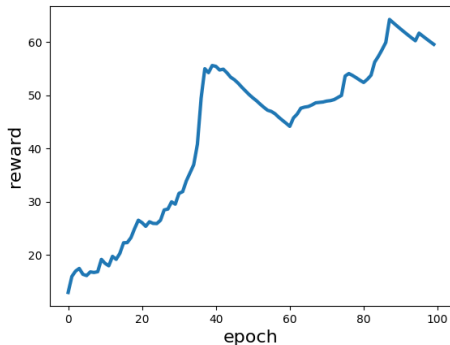


Figure: Note that obtaining this result requires time. You can stop the training after fewer iterations if one observes a growth in the reward.